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Confidence and career choices: An experiment

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Abstract

**Confidence and career choices: An experiment**

Confidence is often seen as the key to success. Empirical evidence about how such beliefs about one’s abilities causally map into actions is, however, sparse. In this paper, we experimentally investigate the causal effect of an increase in confidence about one’s own ability on two central choices made by workers in the labor market: choosing between jobs with different incentive schemes, and the subsequent choice of how much effort to exert within the job. An exogenous increase in confidence leads to an increase in subjects’ propensity to choose payment schemes that depend heavily on ability. This is detrimental for low ability workers. Policy implications are discussed.

**Keywords:** Overconfidence, experiment, beliefs, real-effort, grade inflation

**JEL classification:** C91, D03, M50, J24

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1 Introduction

Confidence is often described as one of the most important ingredients for success. A substantial body of work has studied the potential for overconfident beliefs to yield benefits, with Bénabou and Tirole (2002) presenting a noteworthy theoretical contribution. Bénabou and Tirole (2002) discuss how a higher level of self-confidence in one’s abilities motivates people to work hard, overcome obstacles, and take beneficial risks. Furthermore, a growing empirical literature has studied various mechanisms through which confidence can contribute to an individual’s success. This literature presents evidence suggesting that higher confidence individuals are better at persuading others that they are of high ability (Burks et al., 2013; Schwardmann and Van der Weele, 2016), work harder (Puri and Robinson, 2007; Pikulina et al., 2017; Chen and Schildberg-Hörisch, 2018), and that overconfidence is evolutionary adaptive (Bernardo and Welch, 2001; Heifetz et al., 2007; Johnson and Fowler, 2011).

However, in contrast to these beneficial effects of being high in confidence, there is also substantial evidence documenting that overconfident individuals are more likely to make mistakes, such as taking unnecessary risks in stock trading (Odean, 1998; Barber and Odean, 2001), poor managerial decisions (Malmendier and Tate, 2005), or overentry into competition (Niederle and Vesterlund, 2007).

Despite the large literature relating overconfidence to a range of outcomes, causal evidence on the implications of an increase in an individual’s confidence is sparse.¹ Yet, without causal evidence of the effect of confidence on decisions in a particular context, one can neither claim that increasing someone’s confidence is beneficial, nor that increasing it is detrimental. Higher confidence could just be strongly correlated with unobserved characteristics that in turn generate positive or negative outcomes. Furthermore, without empirical evidence, it is not obvious that a shift in beliefs will translate in a simple way into actions as predicted by many economic models.

In this paper, we consider a stylized career choice game in the lab in order to study the various mechanisms through which an exogenous shift in beliefs may operate. We develop a simple theoretical framework and show empirically how an upwards shift in confidence could causally influence decision-making regarding payment scheme decisions, effort provision, and resulting earnings. Throughout, it is important to keep in mind the caveat that our stylized setting abstracts away from many factors that may play a role in real world career choice decision making.

The following example illustrates how an increase in confidence could affect decision making

¹ Some papers create exogenous variation in overconfidence by varying feedback such as Schwardmann and Van der Weele (2016); Chen and Schildberg-Hörisch (2018) or by varying reasons for self-selection into the experiment e.g. Camerer and Lovallo (1999).
in a labor market setting. Imagine a computer programmer fresh out of college (let’s call her “Thandi”). Thandi is well trained and has the choice between a job at a mid-sized company that will pay her a fixed wage and the opportunity to work at a start-up where her earnings will depend heavily on her performance, and therefore she will earn far more if she is better than competing programmers and far less if she is worse.

Assume that Thandi, like most people, believes that she is better than average (see, amongst others Kruger (1999); Burson et al. (2006); Healy and Moore (2007); Moore and Healy (2008); Benoît et al. (2015)). This belief will be influential for two decisions: She needs to choose a type of job and then, conditional on being in the job, the effort she will exert. When it comes to the choice of job, due to her belief of being better than average, she will be inclined to choose the start-up work to maximize her earnings. Choosing the ability-contingent payment scheme of the start-up is the correct choice for her if her ability level is actually above average, but harmful, if she wrongly believes she is better than average.

With regards to effort once in the job, however, her high self-confidence could motivate her to work harder in the start-up because her perceived returns from effort seem higher than in the corporate job. A high level of confidence will only be beneficial if she actually has a sufficiently high ability level for the job. If she overconfidently chooses a job type she does not have the ability for, she faces the risk that her efforts do not pay off and she will work hard for a lower wage than she would have earned in the corporate job.

Ideally, one would study these questions with actual job and effort choices. However, this approach poses several challenges. The main issue is that it is non-trivial to gain access to accurate measurements of the beliefs of job seekers about their abilities relative to their direct competitors, let alone identifying the influence of an exogenous shock to their beliefs. We circumvent these issues using a laboratory experiment. In the controlled environment of a laboratory study, we generate exogenous variation in beliefs to measure the causal effect of a shift in beliefs on (i) the selection into fixed or ability-contingent payment schemes, and (ii) effort exerted within an incentive scheme. We derive our hypotheses for the experiment from a simple theoretical framework.

In our experiment, a group of ten subjects takes a test measuring their relative cognitive ability. We then ask them to estimate their probability of being in the TOP HALF of their group, but provide no feedback. Next, they work on ten rounds of a real-effort task for which they can repeatedly choose one of two payment schemes. Subjects can either choose to work for an ability-contingent piece rate or a fixed piece rate that does not depend on their ability. The ability-contingent piece

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2 However, risk aversion might temper this inclination to choose start-up work by pushing Thandi towards the less risky job, thereby offsetting the influence of her high confidence to some degree (see, e.g., Bonin et al. (2007)).
rate pays a high wage if the subject is in the TOP HALF of her group and nothing if she is in the BOTTOM HALF. The fixed piece rate increases in each round, but always lies below the high piece rate of the ability-contingent piece rate. Thus, if a subject is certain of being in the TOP HALF of her group, choosing the ability-contingent piece rate maximizes her earnings.

The exogenous variation in beliefs about relative ability is generated in the experiment by exposing the entire group of ten subjects to either a harder or an easier version of the same test. Subjects randomly confronted with an easy test assess their position in a ranking of peers to be higher than subjects confronted with a harder test. This is known as the ‘hard-easy’ effect (Kruger, 1999; Moore and Kim, 2003; Moore and Small, 2007; Healy and Moore, 2007; Dargnies et al., 2016). Individuals fail to fully appreciate that when they find a test easy [difficult], the test may be easy [difficult] for all participants, not just for themselves.

It is worth noting that the hard-easy effect shares some common features with the concept of “reference group neglect”, where subjects underrespond to a change in the group composition (Camerer and Lovallo, 1999; Schüssler et al., 2018). In particular, both assert that subjects neglect the fact that there is a shift in the background distribution against which they are being compared. The hard-easy effect refers to neglect of the fact that changing the difficulty of the test will lead to a shift in the distribution of others’ scores. In contrast, reference group neglect refers to neglect of a shift in the distribution of other’s scores due to a particular subset of individuals selecting into participation. Both of these mechanisms can result in the distorted belief that one is ranked higher than one actually is, which is commonly referred to as “overplacement”, and which may then influence decision making in important contexts.

In our study, we find strong evidence that a shift in the difficulty of the test for the entire group leads to a large shift in the average belief a subject holds regarding her relative placement. The effect is particularly strong for subjects in the BOTTOM HALF of the group, who report higher beliefs on average in the easy treatment than in the hard treatment. The beliefs of those in the TOP HALF are less affected on average.

In terms of this shift in beliefs translating into actions, we find that higher average confidence

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3 Note, subjects are always compared only to others who have completed exactly the same test as they did, and they know this. Therefore, subjects who face the hard test assess their relative position in relation to others who completed the hard test.

4 Both these concepts fall into the broader class of biases, where subjects neglect some feature of the data generating process, leading to biased inference and systematic mistakes in decision making. Notable examples include correlation neglect and selection neglect (see, e.g., Enke (2017); Jehiel (2018); Barron et al. (2019); Enke and Zimmermann (2019)).

5 As opposed to “overprecision”, overconfidence in the accuracy of one’s beliefs, and “overestimation”, the overconfidence in one’s absolute ability.
about relative placement due to exposure to the easier test leads subjects to more often choose the ability-contingent piece rate. If randomly confronted with the hard test, subjects are more likely to choose the fixed piece rate. With regard to effort, we find that the motivation of all individuals is high, regardless of their beliefs and the incentives. The shift in beliefs has important consequences for earnings of the bottom half of the group. The bottom group earns only about a quarter of what the top group earns on average, but their average earnings are reduced even further, by about 40 percent, when their confidence has been exogenously increased. The reason for this is that overconfidence in relative ability is costly for below-average-ability individuals, as it increases their probability of choosing an ability-contingent incentive scheme, which is a mistake for these individuals.

When we consider heterogeneity by gender, we find, unsurprisingly, that women in both conditions report lower average beliefs than men (see Bertrand (2011) and Niederle (2017) for an overview of the gender-gap in confidence). This difference is driven predominantly by men being overconfident in their placement, on average, rather than by women underestimating their performance. Importantly, men and women are of equal average ability in our data. We find no evidence of men and women reacting differently to the treatment. However, because men make more mistakes in their choice of incentive scheme, given equal effort men would earn less than women. However, we observe that men tend to compensate for these mistakes by exerting more effort to offset part of the earnings gap. While, a number of papers argue that differences in payment scheme choices are driven by gender differences in risk preferences (see Eckel and Grossman (2008) and Croson and Gneezy (2009) for surveys), we do not find evidence of risk preferences explaining a significant part of the gender incentive-choice gap.

An additional important contribution of this paper is that it provides evidence towards addressing one of the challenges in the beliefs literature: understanding the causal mapping of beliefs to economic decisions. Many papers take as given that beliefs have a simple linear causal mapping to decisions, and yet in the few papers that have investigated this relationship, the results are not so straightforward. Costa-Gomes and Weizsäcker (2008), for example, show that subjects in their games fail to best respond to their stated beliefs almost half of the time, providing evidence for the fact that beliefs do not directly map into actions. However, in a later follow-up paper, the authors use an exogenous variation in beliefs to show that beliefs can have a causal impact on choices (Costa-Gomes et al., 2014). A related paper by Smith (2013) also provides evidence of a causal effect of beliefs on actions, but to a smaller extent than one would estimate with an OLS regression. Both papers use an IV approach to reduce the endogeneity of beliefs.

The exogenous variation in beliefs through our experimental design distinguishes our paper
from others that study the relationship between beliefs about relative ability and choices (such as Camerer and Lovallo (1999); Bruhin et al. (2016); Murad et al. (2016); Cheung and Johnstone (2017); Pikulina et al. (2016, 2017)). For example, Bruhin et al. (2016) show that individuals are more risk taking when the probability of winning depends on their relative ability rather than on an exogenously imposed probability. However, overconfident individuals may differ from correctly calibrated individuals in other ways than just holding different beliefs (i.e. overconfidence may be correlated with other individual characteristics). Further, our design rules out the possibility of substituting lack of ability with effort to keep earnings stable. In experiments where ability and effort are partial substitutes, such as that of Cheung and Johnstone (2017), less confident individuals could exert more effort to overcome their lack of ability. Our experimental design is related in spirit to Camerer and Lovallo (1999). In their experiment, individuals are either informed or not informed during recruitment that they will be competing against each other based on their skill. This information leads to self-selection into the experiment in the informed treatment and subsequent overentry into a skill-based competition. The experimental design, however, cannot rule out that the self-selection is driven by additional factors other than overconfidence. This is supported by the fact that a replication by Dankova and Servatka (2018) which extends Camerer and Lovallo (1999) by studying both men and women, where the original study focuses on men, finds that the results are highly sensitive to the participants gender. In our experiment, overconfidence is exogenously varied between subjects two groups of subjects that are balanced on other characteristics, allowing for a cleaner measurement that is not driven by self-selection of participants.

Our paper provides evidence that a shift in beliefs leads to a shift in behavior and that this shift has meaningful consequences. The causal effect of beliefs on actions has implications for both career decisions as discussed in this paper, but is also meaningful for policy interventions in which beliefs are targeted in order to bring about a change in behavior.

2 Theoretical framework

In this section, we motivate the experimental design and hypotheses through means of a simple model where a worker chooses her payment scheme and then effort. The objective of the theoretical framework is to simply provide some discipline and precision to the ensuing discussion. To do this, we augment the model used by DellaVigna and Pope (2017) in their large-scale study of real effort

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6 Furthermore, in an interesting contribution, Huck et al. (2018) consider how individuals might endogenously manage their own beliefs in order to motivate themselves to perform better in a real effort task. We view this study of endogenous belief management and motivation as complementing the current paper, which instead focuses on the implications of an exogenous shift in beliefs.
and motivation.

Consider an individual $i$, who can earn money by performing a task that requires costly effort, $e$. She is either a high ability or low ability individual, $a \in \{a_L, a_H\}$. Prior to performing the task, the individual chooses between two incentive schemes: (i) one that pays a high wage to high-ability individuals, $w(a_H) = w_H$, and a low wage to to low-ability individuals, $w(a_L) = w_L$, or (ii) one that pays a fixed wage to everyone, $\bar{w}$, where $w_H > \bar{w} > w_L$. After choosing her incentive scheme, she chooses the level of effort, $e$, she would like to exert. Following DellaVigna and Pope (2017) we allow the subject to derive some intrinsic utility from effort, denoted by $s$.

A risk-neutral individual would choose her incentive scheme, $w \in \{\bar{w}, w(a)\}$, and effort level, $e$, by solving the following:

$$
\max_{w \in \{\bar{w}, w(a)\}} \max_{e \geq 0} E_a[(s + w) \cdot e - c(e)] \tag{1}
$$

where $c(e)$ is the cost of exerting effort, and is assumed to satisfy $c'(e) > 0$ and $c''(e) > 0$. The expectation operator, $E_a$, denotes expectations in respect to the individual’s ability, and $s$ represents the individual’s intrinsic motivation for completing the task. Since uncertainty about one’s own ability is only directly relevant for the wage schedule, we can rewrite equation 1:

$$
\max_{w \in \{\bar{w}, w(a)\}} \max_{e \geq 0} (s + E_a[w]) \cdot e - c(e) \tag{2}
$$

Equation 2 shows that the individual’s subjective belief regarding the likelihood that she is high-ability, $\hat{\pi} = \hat{P}(a = a_H)$, is important both for her decision of which incentive scheme to take, and how much effort to exert if she chooses the ability-contingent incentives. Essentially, the choice of an incentive scheme involves a choice between being paid a certain piece rate of $E_a[\bar{w}] = \bar{w}$, or an expected piece rate of $E_a[w(a)] = \hat{\pi} \cdot w_H$ for each unit of effort. We normalise $w_H = 1$.

The effort choice

Conditional on an incentive scheme, $w$, the individual chooses effort, $e^*$, according to the condition $c'(e^*) = s + E_a[w]$. Under the certain piece rate (PR) incentive scheme she chooses $e^*_{PR} = c^{-1}(s + \bar{w})$. Under the ability-contingent (AC) incentive scheme, she chooses $e^*_{AC} = c^{-1}(s + \hat{\pi} \cdot w_H)$. If

\footnote{As in DellaVigna and Pope (2017), we view this intrinsic motivation term as capturing, in reduced form, any non-monetary reward the workers derive from working on the task. In terms of the laboratory experiment described below, this is taken to include any sense of duty to, or gratitude towards the experimenter for the fixed show-up fee. DellaVigna and Pope (2017) argue that this non-monetary reward term is important for explaining the commonly observed non-zero effort in fixed-wage laboratory experiments.}
her confidence is sufficiently low (i.e. $\hat{\pi} \cdot w_H < \bar{w}$), then the individual exerts more effort under the
certain piece rate incentives. However, if she is sufficiently confident in her own ability, such that
$\hat{\pi} \cdot w_H > \bar{w}$ she expects a higher piece rate under ability-contingent incentives, and would work
harder under these incentives. We therefore define a threshold belief, namely $\pi^e := \frac{\bar{w}}{w_H}$, such that:

- For low beliefs (i.e. if $\hat{\pi} \in [0, \pi^e]$), the individual exerts more effort under certain piece rate
  incentives than under ability-contingent incentives.
- For high beliefs (i.e. if $\hat{\pi} \in [\pi^e, 1]$), the individual exerts more effort under ability-contingent
  incentives than under certain piece rate incentives.

For high levels of intrinsic motivation, $s$, differences in effort due to variation in monetary
incentive schemes will be harder to detect. This is a frequent challenge of laboratory real effort
tasks (DellaVigna and Pope, 2017; Erkal et al., 2016; de Araujo et al., 2015). The time limit of the
task constrains effort to be below a fixed effort level, $e \leq \bar{e}$, which can be binding if $\bar{e} \leq e^*_{PR}$ and
$\bar{e} \leq e^*_{AC}$ (e.g. this occurs when the intrinsic incentives are strong enough to maintain effort close
to the boundary under both sets of monetary incentives). If this is the case, then the observed effort
level chosen under both sets of incentives will be equal.

The incentive scheme choice

When choosing between incentives schemes, the individual chooses the ability-contingent incen-
tives whenever she expects to earn more per unit of effort under them than she would under the
certain piece rate per unit of effort.

$$ (s + \hat{\pi} \cdot w_H) \cdot e^*_{AC} - c(e^*_{AC}) \geq (s + \bar{w}) \cdot e^*_{PR} - c(e^*_{PR}) $$ (3)

This inequality holds whenever $\hat{\pi} \cdot w_H \geq \bar{w}$.\(^8\) It holds even if the effort level chosen under both
incentives schemes is the same (i.e. if $e^* = \bar{e}$). Under risk neutrality, the threshold for the choice
of incentives, and the threshold for effort choices are equal (i.e. $\pi^i = \pi^e = \frac{\bar{w}}{w_H}$).

We can therefore summarise the influence of beliefs on choices as follows:

\(^8\) To see this, notice that if $\hat{\pi} \cdot w_H > \bar{w}$, the individual could simply choose the ability-contingent incentives and set
effort equal to the optimal effort level under certain piece rate incentives, $e = e^*_{PR}$, and receive a higher expected
payoff than under the certain piece rate incentives, i.e.

$$ (s + \hat{\pi} \cdot w_H) \cdot e^*_{PR} - c(e^*_{PR}) \geq (s + \bar{w}) \cdot e^*_{PR} - c(e^*_{PR}) $$

Since $e = e^*_{AC}$ maximises the LHS of this inequality, equation 3 must also hold.
• a low confidence individual (i.e. one with a belief $\hat{\pi} \in [0, \pi]_i$) will (i) choose the certain piece rate incentives, and (ii) exert (weakly) lower effort under ability-contingent incentives than under certain piece rate incentives.

• a high confidence individual (i.e. one with a belief $\hat{\pi} \in (\pi_i, 1]$) will (i) choose the ability-contingent incentives, and (ii) exert (weakly) higher effort under ability-contingent incentives than under certain piece rate incentives.

In the appendix, we relax the risk neutrality assumption and show that the threshold belief at which individuals will switch incentive choice differs from the one at which effort is affected by incentives.

2.1 Hypotheses

With the theoretical framework in mind, we now turn to the hypotheses for the experiment. In the experiment, we use the well established Hard-Easy effect to induce exogenous variation in subject’s beliefs about their own ability, $\hat{\pi}$, keeping everything else constant (e.g. actual ability, $\omega$). As discussed in more detail in the next section, this is done by randomly assigning subjects to either a slightly easier or slightly harder version of the ability task. The objective is to induce a shift in subject’s beliefs about their relative performance (in comparison only to subjects who completed exactly the same task). This will then allow us to study how this exogenous shift in beliefs propagates through the individual’s decision making process to other choices.

In the experiment, it is reasonable to expect heterogeneous beliefs. Therefore we consider a continuum of agents who hold beliefs, distributed on the unit interval, $\hat{\pi} \sim F(\hat{\pi})$, such that $f(\hat{\pi})$ is everywhere positive on $\hat{\pi} \in [0, 1]$. Since shifting the distribution of beliefs in the experiment is a prerequisite for testing our other hypotheses, we call this replication of the Hard-Easy effect Hypothesis 0.

• **Hypothesis 0 (Shift in Beliefs):** The Hard-Easy treatment will shift the distribution of beliefs upwards.

An upward shift in $\hat{\pi}$ for all individuals (constrained at $\hat{\pi} = 1$) will imply an increase in the fraction of individuals choosing the ability-contingent incentives since $\hat{\pi} \geq \frac{\omega}{w_H}$ will hold for a greater fraction of individuals.

• **Hypothesis 1 (Incentive Choices):** An exogenous increase in confidence will lead to a higher fraction of individuals choosing the ability-contingent incentives.
If intrinsic motives to exert effort are sufficiently high (as in much of the experimental literature involving real effort in the lab), then an increase in confidence will not change effort. Otherwise, if subjects are predominantly motivated by extrinsic monetary rewards in their effort choices, the more confident individuals will exert more effort under ability-contingent incentives, as shown above.

- **Hypothesis 2 (Effort Choices)**: We will observe one of the following two patterns of behavior for effort choices. Either: (i) [high intrinsic motivation] For high confidence individuals, effort choices are higher under the ability-contingent incentives, than under the certain piece rate incentives. In this case, an upward shift in confidence will increase overall average effort. (ii) [low intrinsic motivation] Effort choices are not influenced by the incentive scheme. In this case, an exogenous shift in confidence will not affect effort choices.

Ultimately, we also want to understand the effect of an upwards shift in confidence on earnings. By definition, half of our individuals are classified as below average and half of them as above average ability. Depending on their actual relative ability, a shift in beliefs will lead to different outcomes for both groups.

We define $F_L(\hat{\pi})$ to be the distribution of subjective beliefs of low ability individuals ($a_L$), and $F_H(\hat{\pi})$ to be the distribution of subjective beliefs of high ability individuals ($a_H$). This implies that $F_m(\pi^i)$, where $m \in L, H$, denotes the fraction of individuals with ability $a_m$ that choose the certain piece rate incentives. Similarly, if we consider an upward shift in confidence, $\Delta \hat{\pi}$, then after the shift in beliefs, $F_m(\pi^i - \Delta \hat{\pi})$ is the fraction of individuals with ability $a_m$ that choose the certain piece rate incentives.

Expressions 4 and 5 reflect the intuitive idea that an upward shift in confidence will be harmful to low ability individuals who switch to inappropriate ability-contingent incentives, and beneficial to high ability types who, absent the treatment, would not have chosen the ability-contingent scheme.\(^9\)

\(^9\) The expressions in the main text assume an interior solution for effort choices. However, if there is a binding constraint on effort choices then expressions 4 and 5 simplify to:

Gain in Earnings for High Ability Individuals

$$[F_H(\pi^i) - F_H(\pi^i - \Delta \hat{\pi})] \cdot (w_H - \bar{w}) \cdot \bar{e}$$

Loss of Earnings for Low Ability Individuals

$$[F_L(\pi^i) - F_L(\pi^i - \Delta \hat{\pi})] \cdot (-\bar{w}) \cdot \bar{e}$$
Gain in Earnings for High Ability Individuals:

$$[F_H(\pi^i) - F_H(\pi^i - \triangle \hat{\pi})] \cdot (w_H \cdot e_{AC}^* - \bar{w} \cdot e_{PR}^*) \geq 0$$ (4)

Loss of Earnings for Low Ability Individuals:

$$[F_L(\pi^i) - F_L(\pi^i - \triangle \hat{\pi})] \cdot (0 - \bar{w} \cdot e_{PR}^*) \leq 0$$ (5)

The term $F_{\text{SWITCH}}^m = [F_m(\pi^i) - F_m(\pi^i - \triangle \hat{\pi})] \geq 0$ denotes the fraction of individuals of ability type $a_m$ who switch from certain piece rate to ability-contingent incentives when there is an upward shift in confidence by $\triangle \hat{\pi}$. The magnitude of the change in earnings will depend on several factors: (i) the number of individuals who switch their incentive scheme choice, $F_{\text{SWITCH}}^m$, in each group, (ii) the change in effort between the two incentive schemes, and (iii) the incremental size of the gaps between the wages. Thus without first determining the magnitude of these factors, we cannot unambiguously predict the average change in earnings.

However, if an upwards shift in confidence leads to an increase in earnings for high ability individuals and a decrease for low ability individuals then earnings inequality will increase.

- **Hypothesis 3 (Earnings):** While an increase in confidence has an ambiguous effect on average earnings, the framework suggests that: (i) it will lead to weakly lower average earnings for low-ability individuals, (ii) it will lead to weakly higher average earnings for high-ability individuals, and (iii) it will increase earnings inequality overall.

## 3 Experimental Design

Our experimental design aims, firstly, to assess how an agent’s confidence in her relative ability causally affects her choice of incentive scheme for a subsequent real effort task. This mirrors the labour market decision of whether to pursue employment that is highly dependent on one’s ability or not. Secondly, we evaluate the relationship between the agent’s confidence and her effort provision under the chosen incentives.

An experiment with these objectives should have the following features:

i. **An exogenous shift in subjects’ beliefs about their relative ability,**

ii. **a separation of the role of ability and effort in the production function,**
iii. a fine-grained measurement of a participant’s willingness to switch from a fixed incentive scheme to an ability-contingent scheme, and

iv. minimisation of the influence of social preferences, risk preferences, and competitive preferences.

3.1 The ability and the effort measurement tasks

Our experiment has these four features. Figure 1 outlines the timeline of the experiment. The main components are the “Ability Task” used to measure $a$ and the “Effort Main Task” used to measure $e$. One challenge is that it is non-trivial to measure ability$^{10}$ and effort$^{11}$ separately. We try to address this issue using two tasks—one that we view as depending more on the individual’s ability, and less on the effort she exerts; and one that depends more on effort, and less on her ability. We contend that this choice of tasks provides us with a reasonably clean measure of these two variables of interest.

The ability task

The “Ability Task” consists of a test that is often used to measure IQ. It is in this part of the experiment that we introduce the treatment variation—discussed in more detail in Section 3.2. Subjects have four minutes to solve as many Raven Progressive Matrices$^{12}$ as they can. Subjects can go back and forth between the 12 matrices and can change their answers until the time is up. Every correct answer yields one point, and there are no negative points for wrong answers. The task is not directly incentivised, however IQ tests tend to induce an intrinsic motive to perform well. Importantly, the motive to perform well faced by subjects should not differ between the two treatments.$^{13}$

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$^{10}$ We view ability, $a$, as being a fixed characteristic of the individual that she cannot change during the time frame of the experiment.

$^{11}$ We view effort, $e$, as a being a malleable object that the participant has full control over.

$^{12}$ A matrix consists of nine related patterns of which one is missing. Below the matrix, there are eight possible patterns to complete the set of nine. Subjects have to find the one piece that best completes the set. There is only one correct answer. Due to the short time frame for solving up to 12 matrices, performance depends mostly on cognitive ability. Subjects are either skilled at finding the missing pattern or not. Every matrix is shown on its own screen.

$^{13}$ Performing better in this task implies the possibility to earn more in the “Effort Main Task”. Furthermore, the lack of financial incentives has the advantage that it should reduce the hedging motive faced by subjects when we elicit their belief about their performance in the “Ability Task”. At this point of doing the IQ task, subjects did not know that they would be incentivized for accurate beliefs at a later time—this is to prevent them from intentionally performing poorly.
The effort task

The “Effort Main Task”, on the other hand, was chosen to be a task where participants had a lot of control over their performance (i.e. it depended predominantly on how much effort they chose to exert). We chose the slider task by Gill and Prowse (2012). Using the mouse, participants move sliders on the screen from position zero to position 50. Sliders are shown in a set of 20. When all 20 sliders are set to 50 the subject can click the submit button and the sliders are reset to zero for a new round. In Section 3.4 below, we discuss the incentives subjects face.

Since the treatment is introduced during the “Ability Task” phase of the experiment, we also measure each individual’s baseline effort level prior to treatment under fixed piece rate incentives. This serves two purposes. Firstly, it allows us to check for balance of effort in the slider task between treatment groups, prior to the treatment manipulation. Secondly, it allows us to control for baseline effort levels when assessing the impact of the treatment, thereby reducing unobserved individual level heterogeneity.

We discuss the remaining phases of the experiment in more detail below.

<table>
<thead>
<tr>
<th>Effort Practice</th>
<th>Effort Baseline</th>
<th>Ability Task</th>
<th>Beliefs</th>
<th>Effort Main Task</th>
<th>Risk</th>
<th>Questionnaire</th>
</tr>
</thead>
<tbody>
<tr>
<td>1 minute</td>
<td>8 minutes</td>
<td>4 minutes</td>
<td>10 x 2 minutes</td>
<td></td>
<td></td>
<td></td>
</tr>
</tbody>
</table>

Figure 1: Sequence of experimental parts

3.2 The treatment variation

The objective of the treatment variation is to shift beliefs using a minimal intervention. Therefore, the two treatment conditions are completely identical except for a slight difference in the difficulty of the Ability Task. Within each session, subjects are randomly assigned to one of two groups. One entire group was exposed to a harder version, and the other group to an easier version of the Raven Progressive Matrices. Eight of the twelve puzzles are identical across both treatments. The remaining four are either slightly easier or slightly harder than the rest. Table 1 shows the precise sequence of Raven matrices faced in each of the treatment groups. In each of the four differences, switching a C-matrix for an E-matrix represents an increase in difficulty. Subjects only interact within their treatment group of ten subjects, and they know this. Our experiment uses within-session assignment to treatment in order to avoid the numerous potential issues associated with between-session randomization.
Table 1: Treatment variation in ability task

<table>
<thead>
<tr>
<th></th>
<th>1</th>
<th>2</th>
<th>3</th>
<th>4</th>
<th>5</th>
<th>6</th>
<th>7</th>
<th>8</th>
<th>9</th>
<th>10</th>
<th>11</th>
<th>12</th>
</tr>
</thead>
<tbody>
<tr>
<td>HIGH</td>
<td>C1</td>
<td>C3</td>
<td>D7</td>
<td>C6</td>
<td>D8</td>
<td>C2</td>
<td>D6</td>
<td>C5</td>
<td>C7</td>
<td>C12</td>
<td>C4</td>
<td>D4</td>
</tr>
<tr>
<td>LOW</td>
<td>E4</td>
<td>E12</td>
<td>D7</td>
<td>C6</td>
<td>D8</td>
<td>E6</td>
<td>D6</td>
<td>C5</td>
<td>C7</td>
<td>E1</td>
<td>C4</td>
<td>D4</td>
</tr>
<tr>
<td>same / different</td>
<td>≠</td>
<td>≠</td>
<td>=</td>
<td>=</td>
<td>=</td>
<td>≠</td>
<td>=</td>
<td>=</td>
<td>≠</td>
<td>=</td>
<td>=</td>
<td>=</td>
</tr>
</tbody>
</table>

This approach draws on the finding in the psychology literature that suggests that when individuals face a harder task, this shifts them towards lower confidence regarding their beliefs of their relative position in the ability distribution. When individuals face an easier task, this shifts them towards being more confident regarding their position in the distribution (Burson et al., 2006; Healy and Moore, 2007; Larrick et al., 2007; Moore and Healy, 2008; Bordley et al., 2014; Benoît et al., 2015). Importantly, it is assumed that the composition of the group stays constant, so there is no reason for the individual’s actual rank to change when the difficulty of the test is shifted. However, when determining their ranking within a group, individuals anchor on their assessment of their own performance and don’t adjust their belief about the distribution of others’ scores sufficiently. Kruger (1999) shows that this miscalibration can lead to the majority of subjects evaluating themselves as worse-than-average in difficult tasks and better-than-average in easy tasks.

In our experiment, we therefore name the treatment in which subjects face the hard test, the “LOW confidence” treatment, and the treatment in which subjects face the easier test, the “HIGH confidence” treatment.

3.3 The belief elicitation

After the “Ability Task” we elicit subjects’ beliefs about their relative performance in comparison to the 9 other participants in their group who faced the same task as them. More specifically, we asked subjects the following question: “What do you think is the probability that you scored among the top 5 participants in the IQ picture task?”. In order to give some guidance in thinking about probabilities, we provided the participants with a scale of possible answers ranging from “0 - I am certain that I scored in the bottom half” to “100 - I am certain that I scored in the top half”. They were free to state any number from 0 to 100. Their guess is incentivized using the

---

14 Subjects knew that they were randomly assigned to one of two groups of ten within the session, and that all the other members of their group faced the same “Ability Task”, however they didn’t know that the other group faced a different “Ability Task”. It was made clear to them that only their own group’s performance was relevant for them, and there was no interaction at all between groups.
quadratic scoring rule (Selten, 1998). The quadratic scoring rule is explained in detail to them in the provided instructions, both on screen and on paper. The scoring rule is designed to provide the highest expected payoff when subjects state their true beliefs. Maximum earnings are €2 for the belief elicitation task. Further, we additionally ask them to report their best guess of how many points they scored in the task and what they believe the 5th highest score in their group is (unincentivized, in order to avoid hedging). The belief elicitation came as a surprise at this point in the experiment to prevent subjects artificially manipulating their earlier “Ability Task” scores in anticipation of the belief elicitation.

3.4 The payment scheme choice

One of the objectives of the experimental design was to obtain a fine grained measurement of subject’s valuation of the ability contingent payment scheme. Therefore, we constructed a payment scheme that aims to achieve this. Instead of having a single choice between a fixed piece rate and an ability contingent payment scheme, subjects face ten rounds of two-minute real effort tasks. In each of these rounds (except the first), subjects can choose whether they would prefer a fixed piece rate, or whether they want to work under the ability-contingent piece rate. Importantly, in order to assess the value of the piece rate that makes the subject indifferent between the two incentive schemes, the fixed piece rate is incrementally increased in each round (see Figure 2 below). The round in which the subject switches allows the analyst to assess the subject’s valuation of the ability contingent incentives.

A second important feature of the experimental design is that the ability component of the production function is fixed through the “Ability Task”. Thus an individual’s ability measure is fixed before she reports her belief, and before she makes choices between payment schemes. The idea is to obtain a measure of ability that isn’t affected by the payment scheme chosen. Since the relative ability distribution (i.e. the relevant ability distribution in our experiment) is the same in the two treatment groups, it is only the subjects’ beliefs that are shifted between treatment groups. Differences in behaviour can therefore be causally attributed to this exogenous belief shift, holding all else constant.

The ability-contingent piece rate has a high payoff of €1 per 20 sliders if the subject was in the Top Half of her group in the “ability task” and a low payoff of €0 per 20 sliders if she was

---

15 We view the usage of both the QSR incentives, and the intuitive descriptions associated with different probability levels, as providing an appealing compromise approach to the belief elicitation. It allows us to maintain the appealing theoretical properties of a proper scoring rule, but also provides subjects with an intuitive and easily understandable guide for answering the question.
in the Bottom Half. This implies that the optimal incentive scheme choice for the participant has already been determined when she makes her incentive scheme choices. Furthermore, we as the analysts know what her optimal choice is. This rules out potential issues that can arise if one were to allow participants to first make an incentive scheme choice, and then produce output that depends on both ability and effort. For example, in this case, one would not be able to distinguish a high ability individual who exerts low effort from a low ability individual who exerts high effort. This would make it difficult for us to identify the influence of a shift in beliefs on incentive scheme choices and effort choices, since both ability and beliefs would be influencing the outcomes. Our design aims to overcome these challenges.

In order to rule out learning effects (with respect to own ability), subjects receive no feedback about either their relative ability score or their performance in any components of the “Effort Task” tasks until the very end of the experiment. With the exception of Round 1, before the start of each round, participants choose whether they want to work for the fixed piece rate or whether they want to work for the ability-contingent piece rate. The fixed piece rate increases in each period from €0.15 per 20 sliders in the second period to €0.80 per 20 sliders in the last period. Incentives for the fixed piece rate work like a multiple price list for safe vs. risky choices, and allow us to obtain a fine-grained measure of how subjects’ beliefs translate into actions (i.e. incentive scheme choices). Once the expected earnings from the ability-contingent piece rate are lower than the fixed piece rate in that period, individuals should switch to the fixed piece rate and choose it for the remainder of the experiment, assuming risk neutral preferences. Expected earnings from the ability-contingent piece rate depend on the subject’s belief. For example, if a subject is 60% sure to be in the Top Half then she should switch to the fixed piece rate in period 7 when the fixed piece rate of €0.65 is larger than her expected ability-contingent piece rate of €0.60. Figure 2 gives an overview of the payment scheme.

<table>
<thead>
<tr>
<th>Period Number (2 min each)</th>
<th>Option A Payment (per 20 sliders)</th>
<th>Option B Payment (per 20 sliders)</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>Can't Choose Option A</td>
<td>€1 if Top Half; €0 if Bottom Half</td>
</tr>
<tr>
<td>2</td>
<td>€0.1</td>
<td>€1 if Top Half; €0 if Bottom Half</td>
</tr>
<tr>
<td>3</td>
<td>€0.3</td>
<td>€1 if Top Half; €0 if Bottom Half</td>
</tr>
<tr>
<td>4</td>
<td>€0.4</td>
<td>€1 if Top Half; €0 if Bottom Half</td>
</tr>
<tr>
<td>5</td>
<td>€0.5</td>
<td>€1 if Top Half; €0 if Bottom Half</td>
</tr>
<tr>
<td>6</td>
<td>€0.55</td>
<td>€1 if Top Half; €0 if Bottom Half</td>
</tr>
<tr>
<td>7</td>
<td>€0.6</td>
<td>€1 if Top Half; €0 if Bottom Half</td>
</tr>
<tr>
<td>8</td>
<td>€0.65</td>
<td>€1 if Top Half; €0 if Bottom Half</td>
</tr>
<tr>
<td>9</td>
<td>€0.7</td>
<td>€1 if Top Half; €0 if Bottom Half</td>
</tr>
<tr>
<td>10</td>
<td>€0.8</td>
<td>€1 if Top Half; €0 if Bottom Half</td>
</tr>
</tbody>
</table>

Figure 2: Payment Scheme in Main Effort Task
In the first period, all participants have to work for the ability-contingent piece rate. This feature allows us to assess how the shift in confidence affects effort provision when all subjects are forced to work under the ability-contingent piece rate, thereby avoiding endogenous selection effects—in all other rounds the incentive scheme that a subject faces is endogenous. In the end, five of the ten rounds are randomly chosen for payment. Subjects had to answer four control questions before starting the task to ensure comprehension of the payment scheme. To elicit the baseline motivation of moving sliders, subjects complete 9 minutes of the “Effort Task” at the start of the experiment, the first minute being an unincentivized practice round. In the baseline round, we pay \( \欧元0.30 \) per 20 sliders, and all completed sets are paid out.\(^{16}\)

### 3.5 The risk elicitation

Finally, we elicited risk preferences by adapting the preferences module on risk taking by Falk et al. (2016) to our setting. The staircase procedure is essentially equivalent to a traditional multiple price list, presenting multiple choices between a sure payoff and a gamble, but simply requires fewer decisions on the part of the subject in comparison to a traditional price list. It achieves this as follows: Depending on whether the subject chose the sure payment or the gamble, the algorithm generates a new choice, which makes the option that was not chosen slightly more attractive by increasing or decreasing the sure payoff. Therefore, it avoids asking subjects to make redundant choices.

The staircase we used had four choices between a sure payment and a gamble. The outcome of the gamble was always \( \欧元0 \) or \( \欧元1 \) and the probability of winning was 50 percent. The sure payment varied in its amount. One of the decisions was randomly chosen for payment.\(^{17}\)

In the end, we administered a comprehensive questionnaire.

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\(^{16}\) The objectives of the baseline round were the following. Firstly, it allows subjects to familiarize themselves with the slider task, thereby ameliorating learning effects during the main effort task. Secondly, it allowed us to obtain a baseline measure of subjects’ effort choices prior to the treatment variation under fixed incentives. This allows us to check for baseline balance in effort, and also to control for subjects’ baseline effort at the individual level.

\(^{17}\) We have two more staircases for which we use the subjects’ own reported beliefs as the probability for the gamble. We do this as it allows us to compare their choices in the risk task with their incentive scheme choices. While the risk task involves a choice between a pure lottery and a fixed payment, the main task involves the choices of which payment scheme to work under. Both tasks share the same values of outcomes and subjective probabilities. Therefore, it allows us to assess whether there are any differences in how probabilities affect choice tasks and effort tasks. As a caveat, the risk elicitation always comes after the incentive scheme choices, which could motivate subjects to make consistent choices in the risk task. The third staircase is a mirror of the second and only used for keeping incentives fair to not favor individuals that stated high beliefs, as high beliefs increase the chance of winning the gamble.
3.6 The procedure

The experiment was programmed in zTree (Fischbacher, 2007) and conducted at the WZB-TU experimental laboratory in 2017. Participants were solicited through an online database using ORSEE (Greiner, 2015) from a subject pool of mostly undergraduate students from all faculties. In total 100 subjects participated in 5 sessions, 20 in each. 47 of them were female, 49 male and four chose not to self-report their gender. Subjects received a show-up fee of €5 plus their earnings from the tasks. Mean earnings for the 60 minutes sessions amounted to €13.30. The relevant instructions were handed out to participants at the beginning of each stage and read out loud.

4 Results

Section 4 shows the effects of an exogenous shift in beliefs on the choice of the incentive scheme, effort, and earnings. In section A.2 we draw a parallel between the choices induced by our treatment and observed gender differences in choice.

4.1 Exogenously shifting beliefs

The main objective of our treatment manipulation was to achieve an exogenous shift in the participant’s beliefs about their relative performance in an IQ test. It is therefore of central importance to confirm that we did indeed shift participants’ beliefs. We hypothesized (Hypothesis 0) that average beliefs about relative performance in the HIGH confidence treatment would be higher than average beliefs about relative performance in the LOW confidence treatment.

We find a significant difference in the participants’ level of confidence between the two treatment groups. We measure an individual’s level of confidence as the stated probability of being in the TOP HALF of their randomly assigned group of ten subjects. Participants exposed to the easy test state on average higher levels of confidence than participants exposed to the more difficult test. Figure 3 shows that the average participant exposed to the easy ability task reported that there was an 84 percent chance that she was in the TOP HALF of her group of 10. Using a t-test, we find this to be significantly higher than the belief of 63 percent reported by participants exposed to the more difficult test (p-value < 0.01).

18 There were twenty participants in each session. Within each session, half were randomly assigned to each treatment condition. However, subjects only knew there were two groups of ten and that they would only interact with their group.
Note: (i) Vertical lines denote 95% CI around the mean.

This significant shift in observed beliefs justifies our use of the names, HIGH and LOW for the high confidence [easy IQ test] and low confidence [difficult IQ test] treatment groups.

To confirm that we are working with a balanced sample (which should be the case due to within-session randomization), we show that there are no significant differences in the characteristics of the subjects between the treatments. Table 6, reported in the Appendices, presents summary statistics for the participants, showing that the average of the gender, age, pre-treatment baseline effort level and 50-50 risk variables are not significantly different between treatments.

This table also reports the differences in absolute scores under the easy and difficult IQ test, which generates the treatment difference in beliefs about relative performance. In the HIGH confidence treatment subjects solved on average 10.9 Raven matrices with a standard deviation of 1.20. In the LOW confidence treatment subjects solved on average 6.9 Raven matrices with a standard deviation of 2.80. However, by construction, in each treatment exactly half the subjects are in the TOP HALF of the within-treatment ability distribution, and half are in the BOTTOM HALF. Our first result is simply a replication of the Hard-Easy effect in our setting (although, the magnitude of the effect is noteworthy, given the small treatment manipulation). Regarding gender differences in beliefs, we find that while the starting level of confidence between men and women was different with women having a lower average confidence, the treatment had the same effect on both genders (see Appendix for a detailed analysis of gender effects).
Result 0 A reduction in the level of difficulty of the ability task increases the average confidence of the participants about their relative performance.

4.2 Influence of beliefs on incentive choices

Next, we show whether the exogenous increase in confidence leads to a higher fraction of individuals choosing the ability-contingent (AC) incentives (Hypothesis 1). This is important because an individual who chooses the incentive scheme that is most appropriate for her ability type will earn substantially more than the individual who chooses the inappropriate incentive scheme.

As described above, in rounds 2 to 10, the fixed piece rate increases incrementally. If we let $\bar{w}^r$ denote the fixed piece rate in each round, with $r \in \{2, 3, ..., 10\}$, then a risk-neutral individual should switch to the fixed piece rate once the level of the fixed piece rate exceeds the expected piece rate under ability-contingent incentives, according her belief (i.e. she should choose the fixed piece rate $\forall r : \pi_{i,r} > \hat{\pi}$ where $\pi_{i,r} := \frac{\bar{w}^r}{w_H}$).

Figure 4: Propensity to Choose Ability-Contingent Incentives

Note: (i) Vertical lines denote 95% CI around the mean.

This logic implies that an upward shift in participants’ beliefs should lead to a shift towards choosing the ability-contingent incentives more often. Indeed we find that in the HIGH treatment the fraction of ability-contingent piece rate chosen is significantly higher than in the LOW treatment (ttest $p < 0.01$). See Figure 4 (and Table 6).
The first two columns of Table 2 below provide further evidence towards reiterating the same point by showing that there is a significant difference in the propensity to choose the ability-contingent incentives between the two treatment groups. Columns (3) to (5) show that the subjects’ reported beliefs about their likelihood of being in the TOP HALF are highly predictive of their incentive scheme choices. More specifically, a 1 percentage point increase in a participants’ belief is associated with her choosing the ability-contingent incentives 0.86 to 0.94 percentage points more often. A nice feature of our experiment is that the exogenous shift in beliefs due to our treatment allows us to instrument for the belief variable in columns (4) and (5), showing that this result is not driven by other unobserved differences between individuals who hold high beliefs and low beliefs.

Table 2: Propensity to Choose the AC Incentives

<table>
<thead>
<tr>
<th></th>
<th>OLS (1)</th>
<th>OLS (2)</th>
<th>OLS (3)</th>
<th>IV (4)</th>
<th>IV (5)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Treatment (HIGH=1)</td>
<td>0.18**</td>
<td>0.18**</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td>(0.07)</td>
<td>(0.07)</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Subj Belief</td>
<td></td>
<td>0.86***</td>
<td>0.94***</td>
<td>0.93***</td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td>(0.10)</td>
<td>(0.26)</td>
<td>(0.26)</td>
<td></td>
</tr>
<tr>
<td>Risk (CE p=50)</td>
<td></td>
<td></td>
<td></td>
<td>0.21</td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td>(0.19)</td>
<td></td>
</tr>
<tr>
<td>Constant</td>
<td>0.50***</td>
<td>0.55***</td>
<td>-0.01</td>
<td>-0.07</td>
<td>-0.17</td>
</tr>
<tr>
<td></td>
<td>(0.05)</td>
<td>(0.08)</td>
<td>(0.09)</td>
<td>(0.20)</td>
<td>(0.22)</td>
</tr>
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<td>Session Fixed Effects</td>
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<td>✓</td>
<td>✓</td>
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<tr>
<td>Observations</td>
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<td>100</td>
<td>100</td>
<td>100</td>
</tr>
<tr>
<td>Adjusted $R^2$</td>
<td>0.058</td>
<td>0.068</td>
<td>0.462</td>
<td></td>
<td></td>
</tr>
<tr>
<td>First-Stage F</td>
<td></td>
<td></td>
<td></td>
<td>13.91</td>
<td>13.88</td>
</tr>
</tbody>
</table>

Notes: (i) In the IV Regressions, Subjective Beliefs are instrumented using the treatment dummy. (ii) Standard errors in parentheses. (iii) Dependent variable: fraction of AC choices in rounds 2 to 10.

** Result 1 An increase in the participants’ level of confidence lead to a higher propensity to choose the ability-contingent incentives. **

While the discussion above has focused on the average propensity to choose the ability-contingent incentives across all rounds, we can also examine the incentive choices within each round. Since
the fixed piece rate increases incrementally in value over the rounds, we would expect that the fraction choosing the ability-contingent incentives would decrease over the rounds in both treatment groups. However, the main question of interest is whether there is a significant difference in the fraction choosing ability-contingent incentives between the treatment groups. Figure 5 provides evidence towards addressing this question.

The figure plots the fraction choosing the ability-contingent incentives in each round for each treatment group. In addition, we plot a 95% confidence intervals around the means, clustering the standard errors at the individual level.19

Figure 5 shows that in both treatments, the fraction of subjects choosing the ability-contingent incentives is decreasing from round 2 to round 10, with much of this decrease taking place between round 4 and 7. The fraction choosing ability-contingent incentives is higher in the HIGH treatment in all rounds. However, this difference is not significant for the low and high rounds. Table 8 in the Appendix shows that while there is significant difference in the propensity to choose the ability-contingent incentives when all rounds are pooled together for each individual (t-test p < 0.01), if we consider each round separately, only the middle rounds (i.e., rounds 4 to 8) yield a significant treatment difference at the 5% level.20 One reason for this is that there are some individuals who are highly certain that they are in the TOP HALF, and therefore always choose the ability-contingent incentives.

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19 Essentially, we estimate a linear regression, and calculate 95% confidence intervals around the coefficients, using a typical marginal effects plot.

20 Round 6 is significant at the 1% level, and round 2 is significant at the 10% level.
incentives, and similarly, there are individuals who always choose the certain piece rate incentives. Therefore, in rounds 2 and 3 both treatments are close to the ceiling of ability-contingent choices, while in round 9 and 10, both treatment groups are close to the floor of ability-contingent choices.

Overall, the evidence suggests that there was a strong behavioral response to the shift in confidence due to the treatment, implying a large difference in participants’ likelihood of taking up the riskier ability contingent incentives. As we will discuss below, this shift in incentive scheme choices is harmful to some and beneficial for others.

4.3 Influence of beliefs and incentive choice on effort

Once an individual has chosen her incentive scheme, the second choice she has to make within a job is the choice of how much effort to exert. With regards to this effort choice, our simple theoretical framework yields two sets of predictions. These depend on whether the effort choice is an interior solution to the optimization problem, or whether the conditions in the lab imply that effort is constrained (e.g., by the time available, in combination with strong intrinsic motivation), leading to a boundary solution. As mentioned above, this latter scenario may be more relevant if the cost of effort in the lab depends mostly on the duration that effort is expended, and the time is insufficient for an interior solution. A high intrinsic motivation, $s$, might then mask any differences in effort due to incentives. The former may be the case if the cost of effort depends on substantially more on the intensity of effort exerted implying an interior solution is more likely in a short time-frame. This difference is only possible to observe if $s$ is low enough.

Taken together, the data collected in our experiment is more consistent with the second scenario than the first. We measure effort using the variable “effort per minute”, which reflects the number of sliders completed during each minute within a particular round. Mainly, we find no significant difference in average effort exerted between treatment groups (see Figure 6 and Table 8 in the Appendix).
Additionally, we present two pieces of evidence that suggest that effort is not responding to the participant’s incentive choice, nor to the participant’s beliefs when she does face the ability-contingent incentives.\textsuperscript{21}

Figure 7 plots the average per minute effort exerted in the baseline round, as well as in every subsequent round. While we do see some initial learning, after the baseline round, there is very little change in effort exerted even though the value of the piece rate under the certain piece rate incentives increases from €0.1 to €0.8, and the fraction of individuals choosing these certain piece rate incentives increases substantially in both treatment groups.

\textsuperscript{21} Recall, that in the discussion above we saw a strong response of incentive choice to beliefs above, so we can rule out the hypothesis that beliefs are not meaningful.
Furthermore, Figure 8 focuses on the first round in which all participants were forced to face the ability-contingent incentive scheme. This feature avoids the endogeneity issue that we face in subsequent rounds in which participants choose both their effort level and their incentive scheme. Considering the full sample, this figure shows that in both treatments, effort is highly unresponsive to beliefs. In particular, even individuals who reported a belief of zero, still exert effort that is similar to the mean effort exerted by those who stated a belief of one hundred. While our treatment successfully shifted the beliefs of participants in the two treatments, it did not affect the relationship between beliefs and effort, which is rather flat.

This finding is not surprising considering the recent literature on the unresponsiveness of effort to incentives in real-effort lab experiments (de Araujo et al., 2015; Corgnet et al., 2015; DellaVigna and Pope, 2017; Erkal et al., 2016). Most papers find that there is significant intrinsic motivation to work on the task, regardless of any incentives. There is some evidence that this motivation can be reduced by giving the subjects the opportunity for leisure activities or the chance to leave the experiment or when each unit of effort itself is made costly (see for example the ball catching task by Gächter et al. (2016).) We did allow subjects to use their mobile phones in silent mode during the main task if they did not want to work.
Table 3 reiterates these results by examining the correlates of effort in Round 1 (i.e., under ability-contingent incentives). In particular, columns (1) and (2) confirm that there is no treatment difference in effort choices, columns (3) and (4) provide further evidence that there is no significant relationship between an individuals’ belief and her effort choices. In columns (5) and (6), we include baseline effort, which was chosen before participants received treatment. These regressions show a strong correlation between baseline effort, and effort in round 1, suggesting that intrinsic motivation, $s$, is an important component in the effort function. Furthermore, we again observe no significant relationship between effort and beliefs (although, the negative sign on the point estimates is slightly surprising). Taken together, we view the evidence as being highly consistent with the conclusion that effort choices are constrained within the context of our experimental design. The unresponsiveness of effort has the positive feature of allowing us to study the implications of shifting beliefs on incentives choices, and earnings, while effort choices are essentially constant.

Result 2  Effort choices are largely unresponsive to shifts in beliefs, and to the participant’s choice of incentive scheme. This is likely due to the time constraint of the experiment and a high intrinsic motivation.
### Table 3: Effort Choice (per minute) Under AC Incentives (Round 1)

<table>
<thead>
<tr>
<th></th>
<th>OLS  (1)</th>
<th>OLS  (2)</th>
<th>OLS  (3)</th>
<th>IV  (4)</th>
<th>IV  (5)</th>
<th>IV  (6)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Treatment (HIGH=1)</td>
<td>-0.09</td>
<td>-0.09</td>
<td></td>
<td></td>
<td></td>
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<td>(2.19)</td>
<td>(1.79)</td>
<td>(1.79)</td>
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<tr>
<td>Baseline Effort</td>
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<td>1.00***</td>
<td>1.00***</td>
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<td>(0.16)</td>
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<td>Risk (CE p=50)</td>
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<td></td>
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<td>11.09***</td>
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<td>(0.54)</td>
<td>(0.77)</td>
<td>(1.76)</td>
<td>(1.10)</td>
<td>(1.27)</td>
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<td>Observations</td>
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<td>100</td>
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<td>100</td>
</tr>
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<td>Adjusted $R^2$</td>
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<td>0.033</td>
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<td>First Stage F</td>
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<td>13.09</td>
<td>13.03</td>
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</tr>
</tbody>
</table>

Notes: (i) Dependent variable: Round 1 effort per minute. (ii) Higher values of risk variable (i.e. certainty equivalent for 50-50 gamble) imply risk loving. (iii) Standard errors in parentheses

$+ p < 0.10, * p < 0.05, ** p < 0.01, *** p < 0.001$

### 4.4 Earnings

Following our theoretical framework, we now turn to the effect of increased confidence in earnings. Hypothesis 3 stated that increased average confidence will lead to i) weakly lower earnings for low-ability individuals, ii) weakly higher earnings for high ability individuals and iii) result in a higher earnings inequality overall. The discussion below provides evidence towards evaluating these hypotheses.

Our predictions for the influence of a shift in confidence on earnings of the average individual are ambiguous. Since effort choices are fairly inelastic, the effect of a shift in confidence on average earnings depends on: (i) the fraction of incentive choice switchers of each ability type, namely TOP HALF ($\alpha_H$), and BOTTOM HALF ($\alpha_L$), and (ii) the change in wage for each switcher ($\sum_r[0 - \bar{w}]$ for $\alpha_L$, and $\sum_r[w_H - \bar{w}]$ for $\alpha_h$, summing over all rounds $r$ for which the individual switches).

Table 4 shows the change in an individual’s main task earnings if she switches from certain
piece rate incentives to ability-contingent incentives in all rounds, conditional on her ability type. Since there is some heterogeneity in effort choices between the TOP HALF and BOTTOM HALF individuals\textsuperscript{22} the table uses the average effort choices of each ability group. Comparing these values to the average main task earnings of €7 shows that choosing the optimal incentive choice can have a substantial influence on earnings, within the context of the experiment. Furthermore, the benefit to TOP HALF individuals of switching to ability-contingent incentives is of a similar magnitude to the loss to BOTTOM HALF individuals. The overall effect of an increase in confidence on earnings is therefore likely to depend predominantly on the number of switchers of each ability type.

Table 4: Potential gains / losses from shifting incentive choice from PR-always to AC-always

<table>
<thead>
<tr>
<th></th>
<th>Piece Rate Inc (PR)</th>
<th>Ability-Contingent Inc (AC)</th>
<th>Net Change in Earnings</th>
</tr>
</thead>
<tbody>
<tr>
<td>Bottom Half</td>
<td>€5.4</td>
<td>€0</td>
<td>– €5.4</td>
</tr>
<tr>
<td>Top Half</td>
<td>€6.8</td>
<td>€12.6</td>
<td>€5.8</td>
</tr>
</tbody>
</table>

Notes: (i) This table uses observed average effort by all TOP (12.58 per min) and BOTTOM (11.75 per min) individuals. (ii) The Net values are the change in earnings when switching from PR to AC. (iii) The difference between TOP and BOTTOM under PR incentives is due to Round 1, where all participants face AC incentives, and due to the slight difference in ave. effort mentioned in (i).

\textsuperscript{22} TOP HALF individuals complete slightly more sliders (12.58 per minute) in comparison to BOTTOM HALF individuals (11.75 per minute). This difference is significant at the 10% level.
Figure 9 presents evidence on the average effect of the shift in confidence in our experiment. It shows that average earnings decrease from €7.27 to €6.69 with an increase in confidence. However, this difference is not significant (see Table 8 in the Appendix).

When we split the sample by ability, we find that this reduction in average earnings comes entirely from the low-ability individuals. We see this in Figure 10, with BOTTOM HALF individuals’ earnings reduced by 40% from €3.47 to €2.11, and TOP HALF earnings almost unchanged by the treatment, at just above €11. Table 5 confirms the results displayed in these figures, showing that there is a significant drop in the earnings of the BOTTOM HALF group ($p < 0.05$). The TOP HALF experienced a small, insignificant increase in earnings. The average effect when pooling ability types has a negative sign but is not significant.
Figure 10: Average earnings by ability and treatment

![Bar chart showing average earnings by ability and treatment]

Table 5: Change in Earnings due to Exogenous Belief Shift

<table>
<thead>
<tr>
<th></th>
<th>All</th>
<th>Bottom</th>
<th>Top</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>(1)</td>
<td>(2)</td>
<td>(3)</td>
</tr>
<tr>
<td>Treatment (HIGH=1)</td>
<td>-0.59</td>
<td>-0.57</td>
<td>-1.36**</td>
</tr>
<tr>
<td></td>
<td>(0.99)</td>
<td>(1.01)</td>
<td>(0.63)</td>
</tr>
<tr>
<td>Constant</td>
<td>7.27***</td>
<td>10.39***</td>
<td>3.47***</td>
</tr>
<tr>
<td></td>
<td>(0.70)</td>
<td>(2.32)</td>
<td>(0.45)</td>
</tr>
<tr>
<td>Baseline Effort</td>
<td>✓</td>
<td>✓</td>
<td>✓</td>
</tr>
<tr>
<td>Risk CE (p=0.5)</td>
<td>✓</td>
<td>✓</td>
<td>✓</td>
</tr>
<tr>
<td>Session Fixed Effects</td>
<td>✓</td>
<td>✓</td>
<td>✓</td>
</tr>
<tr>
<td>Observations</td>
<td>100</td>
<td>100</td>
<td>50</td>
</tr>
<tr>
<td>Adjusted $R^2$</td>
<td>-0.007</td>
<td>-0.029</td>
<td>0.070</td>
</tr>
</tbody>
</table>

Notes: (i) Dependent variable: Main Task Earnings, (ii) Std Errors in parentheses.

$^*$ $p < 0.10$, $^{**} p < 0.05$, $^{***} p < 0.01$

This evidence illustrates the predictions discussed in the theoretical framework section, showing that an increase in confidence leads to a drop in earnings for the low ability individuals who are...
already earning far less, and thereby moving in the direction of higher overall earnings inequality.\textsuperscript{23}

**Result 3**  An increase in confidence leads to low ability individuals earning even less than their already low earnings, while high ability individuals are unaffected. This is suggestive of an increase in inequality with higher confidence, but our data does not permit us to estimate a significant change in inequality.

One outstanding question is why we observe a relatively large decrease in earnings for the low ability individuals, but hardly any change in earnings for the high ability individuals. We consider this question in the following subsection.

4.4.1  Why is there a larger impact on the BOTTOM HALF individuals?

The discussion above showed that while the increase in confidence reduced the earnings of the BOTTOM HALF individuals, it had no impact on the TOP HALF individuals. Since effort levels, within ability type, are relatively unresponsive to treatment, the lack of an impact on earnings of the TOP HALF individuals must be due to fewer of them switching their incentive scheme. In this section, we look at how the beliefs of the different ability types are affected by the treatment.

![CDF of Beliefs, by Treatment](image)

\textsuperscript{23} While the GINI coefficient increases from 0.275 in LOW to 0.293 in HIGH, and Figure 17 provides suggestive evidence of higher inequality in the HIGH treatment by plotting the earnings histograms of both treatments, a Mann-Whitney ranksum test indicates that there is no significant difference between the earnings distributions in the two treatments. Furthermore, a difference-in-difference estimate of the change in the earnings between the TOP HALF and BOTTOM HALF within each group has a negative point estimate of -1.56 but is not significant at the 10\% level. We are underpowered to detect the effect of treatment on inequality.
Firstly, Figure 11 plots the CDFs of beliefs in each of the treatment groups. The figure shows that the entire belief distribution is shifted to the right between the Low and the High treatment groups. However, in order to understand why we only observe a shift in earnings for the Bottom Half ability individuals, we need to consider the belief distributions of each ability type separately (as indicated in equations 4 and 5 by the \( F_H(\cdot) \) and \( F_L(\cdot) \) functions).

Figure 12 displays these belief CDFs for each ability type separately, comparing treatments. It is immediately apparent from these figures that the majority of the shift in beliefs between treatments is due to the shift in beliefs among individuals in the Bottom Half of the distribution. One reason for this is that on average there is relative overconfidence even in the Low treatment, with the Top Half individuals holding very high beliefs, leaving little room for their beliefs to increase. Essentially, the Top Half individuals are always confident that they are in the Top Half, and the treatment does little to shift this. In contrast, the Bottom Half individuals appear to hold more malleable beliefs about their ability. When faced with an easier test, they adjust their level of confidence upwards which leads to costly mistakes in incentive choices.

A Mann-Whitney ranksum test indicates that the beliefs in the two treatments are drawn from different distributions \((p < 0.01)\). At first glance, this finding might remind the reader of the Dunning-Kruger effect (Kruger and Dunning, 1999). The Dunning-Kruger effect claims that low-ability individuals do not have the means to understand that they are low ability and thus grossly overestimate their relative ability, while high ability individuals can correctly assess their position or are even a bit underconfident in their relative abilities. If the Dunning-Kruger effect would be dominant in our experiment, we should have seen no effect of the treatment or potentially even the opposite. If more difficult tasks make it harder for low ability individuals to estimate their position in a relative ability ranking because they lack the knowledge to evaluate how well they did, then we should have seen higher average beliefs of the Bottom Half individuals in the Hard test than in the Easy test treatment. And yet we see the opposite. It seems more likely that the perceived level of difficulty indicates how well they think they performed. A task that feels easy creates the belief that one is good at it and especially better than others.
The vertical blue lines in Figure 12 refer to the beliefs thresholds, $\pi_{i,r}$, that indicate the optimal incentive choice for the risk-neutral individual in each round, $r$. For example, $\pi_{i,5} = 0.5$ is the threshold for round 5. The risk neutral individual should choose ability-contingent incentives in round 5 if her belief is higher than this threshold. Therefore, we can directly read off the fraction of individuals who should choose ability-contingent incentives in each round, under risk neutrality, given their beliefs. This serves to illustrate equations visually 4 and 5, and to demonstrate how the shift in beliefs among the BOTTOM HALF translates into differences in incentive choices, which are less pronounced among TOP HALF individuals.

In summary, the impact of treatment on the earnings of the BOTTOM HALF, but not the TOP HALF is driven by the fact that the TOP HALF are already highly confident in their ability, and choosing ability-contingent incentives, while the BOTTOM HALF hold more malleable beliefs and are willing to be convinced that they are in the TOP HALF when taking an easier test.

5 Discussion and Policy Implications

One needs to be careful when extrapolating laboratory results to real world settings. Nevertheless, sometimes the stylized nature of the experiment allows for an analysis of mechanisms that cannot be disentangled in observational data and which can generate new ways of looking at economic phenomena.

So how do our findings translate to the world outside of the laboratory? While our illustra-
tive model and experiment adopt a slightly extreme assumption of ability and effort being perfect complements, there are many professions in which low ability can only be compensated for by increased effort to a small extent. Especially in creative domains such as the arts, and writing or even research, quantity cannot compensate for quality. The programmer, Thandi, in our initial example might spend hours writing code without any of it being useful. Similarly, many entrepreneurs spend years working hard and do not succeed in their endeavors. In the case of start-ups, “ability” can be understood as the business idea and the quality of the product or the service. Entrepreneurs might have overconfident beliefs about their product compared to others. An analysis of failed start-ups showed that it was not the lack of passion or perseverance that caused the failure, but for 42 percent of analyzed start-ups there was no market for the offered product (Griffith, 2014). A lack of demand can usually not be solved by an increase in effort. Being overconfident in one’s idea or own ability will then waste resources and motivation that could be better employed towards a different endeavor.

If beliefs about relative ability are so important for labor market choices, it is relevant to ask when and where these beliefs develop. For many, the first job out of college is a decisive step for their future career. Therefore, the beliefs about their relative ability created in college will be the basis on which graduates make their labor market entry decisions. One would think that universities should have an interest in generating accurate beliefs in their students. Nevertheless, the educational sector seems to favor promoting students’ general confidence over accurate beliefs. The past two decades have seen an enormous grade inflation both in the US and many European countries (Rosovsky and Hartley, 2002). According to the Higher Education Statistics Agency (HESA, 2017), in 1994, only 7 percent of all students received a first class degree in the UK. In 2016, it is now more common to receive a first class degree than a lower second (24 percent vs. 21 percent). Some universities award first class degrees to more than one-third of their graduates. There is evidence that grade inflation is even higher in the creative fields such as music, where ability and talent are even more important. 64 percent of students receive firsts at the Royal Academy of Music in the UK. This grading system might make students feel good about themselves as in the case of our HIGH confidence treatment, but it does not provide precise feedback of where they stand in the ability distribution. More precise feedback could benefit both students at

26 Schulz and Thöni (2016) show that students in business subjects are more prone to overconfidence than students in the humanities, but that overconfidence is not correlated with length of time spent in a study program
27 Interestingly, the high fraction of first class degrees is especially prevalent in the higher ranked schools such as Imperial College London (41.8 percent of first degrees) and University College London (35.6 percent). In 2013, the most frequently awarded grade in both Harvard and Princeton was a straight A with the median being an A- (Clarida and Fandos, 2013).
the top because the signaling value of the grades increases, and the students further down, because it provides more useful feedback on a student’s skill in a particular subject compared to her peers.\textsuperscript{28}

In general, it is often difficult to obtain accurate and precise feedback about sensitive attributes in everyday life. One reason for this is perhaps that social stigma against providing negative feedback about sensitive attributes, implying a coarsening of the feedback actually provided by parents, friends and colleagues. In particular, Gneezy et al. (2017) show that individuals are usually unwilling to give negative open feedback. However, without honest feedback, there is a risk that those individuals, who are by definition below average in a particular ability, will hold inflated beliefs about themselves and waste precious time and effort. In our experiment, ability is one-dimensional, but in the real world, these individuals have other skills that they could focus on instead.

The feedback that individuals receive either through means of formal channels, such as grading and work evaluations or through informal channels, such as communication from friends and family, is very important in shaping an individual’s confidence level. This experiment, as well as evidence from other studies discussed in the introduction, show that confidence is not a static trait, but can be affected by something as simple as the level of difficulty of a task. Remember that in our experiment the only difference between the two conditions were four slightly harder puzzles out of 12 in the Low confidence treatment that resulted in the significant shift in beliefs for the below average ability individuals. This feature implies that real feedback is likely to have a far larger influence on an individual’s confidence and decision making. Therefore, while there may certainly be substantial benefits to building up confidence, this paper then serves as a cautionary tale regarding some of the potential limits to the benefits of building confidence.

6 Conclusion

How important is confidence for success? How malleable are people’s beliefs about their relative ability? How does a shift in beliefs affect people’s choice of ability-contingent payment schemes and the level of effort they put in the task?

\textsuperscript{28} It is worth pointing out that there are also cases where the reverse is true, namely that individuals make poor decisions due to underconfidence. For example, students sometimes select out of difficult subjects too quickly because they are underconfident. STEM subjects see very high drop-out rates early on, especially among women and minority students (Arcidiacono et al., 2016). If these students neglect to take into account that what they experience as difficult is also difficult for their peers, then those students will give up too quickly, assuming that they are worse than average. Therefore, in this case, the same lack of well-calibrated beliefs about one’s abilities leads to suboptimal decision making - only here it is due to underconfidence. These students, too, would benefit from more precise feedback about their ability.
We present a novel experimental design in which we exogenously shift subjects’ beliefs in their relative ability by exposing them to a slightly easier or a slightly harder version of the same test. We then let them choose an incentive scheme under which they will work on a real effort task. They can either choose to work on an ability-contingent payment scheme which pays a high amount if they are in the TOP HALF of their group in the ability test and a low amount if they are in the BOTTOM HALF; or they can choose to work at a fixed piece rate. We develop a theoretical framework that separates the ability and the effort component in the production function and use this as input for our experimental design. This feature allows us to analyze the effect of a shift in beliefs on incentive choices and effort separately.

We find that exposing subjects to an easy test, compared to the hard test increases the average beliefs about how likely they are in the TOP HALF of their group. This treatment leads to more subjects choosing the ability-contingent incentives in the easy test condition. The average level of effort is, however, the same in both conditions and is only slightly affected by incentives. This is most likely due to a high intrinsic motivation to provide effort. The overconfidence is a detriment for the low ability individuals, who are most affected by the treatment and who wrongly self-select into the ability-contingent payment scheme, causing an even larger inequality in earnings between both types.

One implication is that an intervention aimed at increasing confidence might hurt exactly those people it is intended to motivate. This holds for tasks in which ability and effort have a high degree of complementarity in the production function. Our results show that women have lower pre-treatment levels of confidence than men, but both genders react the same to the treatment. In our experiment, men’s higher beliefs lead them to make poorer decisions than women on average.

While we need to be careful with extrapolating our results to decision making in the real world, our results illustrate that it is relatively easy to affect people’s confidence with a slight change in the level of difficulty of a task and that there are settings in which inflating people’s confidence can have negative implications. Thus, a student facing a challenging natural science degree might benefit from a few easier tests here and there to keep her confidence up, but a music student in a program where more than half of the class graduated with the highest honors might be better off in the long-run with some stricter grading and more informative feedback about his relative abilities.
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A Appendices

A.1 Theoretical Framework with Risk Aversion

In the main text, we used a simple theoretical framework to organize thinking about what we might expect from the experimental data. In that discussion, we assumed that individuals are risk neutral. However most of the intuitions carry through when we relax the risk neutrality requirement. Below, we show that a similar logic applies if we allow for risk aversion over monetary payoffs. More specifically, consider an individual who chooses $w$ and $e$ to maximise:

$$\max_{w \in \{w, w(a)\}} \max_{e \geq 0} U(w, e) = s \cdot e + E_a[u(w \cdot e)] - c(e)$$

where $u'(\cdot) > 0$, $u''(\cdot) < 0$ and $u'(0) + s > c'(0)$. First, we consider the individuals choice between the two incentive schemes.

Choice of Incentive Scheme

As in the main text, let the optimal effort levels under the ability-contingent and certain piece rate incentives be denotes by $e^*_{AC}$ and $e^*_{PR}$ (assuming an interior solution). Given these optimal effort choices under the two incentive schemes, we have the following condition for the individual choosing the ability-contingent incentives. The individual prefers ability-contingent incentives if:

$$s \cdot e^*_{AC} + \hat{\pi} \cdot u(w_H \cdot e^*_{AC}) - c(e^*_{AC}) \geq s \cdot e^*_{PR} + u(w \cdot e^*_{PR}) - c(e^*_{PR})$$

This inequality implies that there is a threshold subjective belief, $\hat{\pi}^{i,r}$, such that the individual prefers to choose the certain piece rate incentives for lower subjective beliefs, i.e. $\hat{\pi} \leq \hat{\pi}^{i,r}$, and prefers to choose ability-contingent incentives for larger subjective beliefs, i.e. $\hat{\pi} \geq \hat{\pi}^{i,r}$. In general, we can specify $\pi^{i,r}$ as follows:

$$\pi^{i,r} := \frac{u(w \cdot e^*_{PR})}{u(w_H \cdot e^*_{AC})} + \frac{s \cdot (e^*_{PR} - e^*_{AC}) - (c(e^*_{PR}) - c(e^*_{AC}))}{u(w_H \cdot e^*_{AC})}$$

Notice that if there is a binding constraint on effort in the lab, and optimal effort under both incentive schemes is given by $e^*$, this expressions simplifies to:

$$\pi^{i,r} = \frac{u(w \cdot e^*)}{u(w_H \cdot e^*)}$$
The discussion above can be summarised with the following decision rules for incentive choices:

i. The individual chooses the certain piece rate incentives if she has low self-confidence (i.e. beliefs on the interval: $\hat{\pi} \in [0, \pi_{i,r}]$).

ii. The individual chooses the risky ability-contingent incentives if she has high self-confidence (i.e. beliefs on the interval: $\hat{\pi} \in [\pi_{i,r}, 1]$).

**Choice of Effort**

In the main text, under risk neutrality, the threshold belief at which the individual is indifferent between choosing the ability-contingent and certain piece rate incentives was the same as the threshold at which the individual would choose the same level of effort under both incentives schemes. With risk aversion, these two thresholds for (i) incentive scheme $s$ choice, and (ii) effort choice, are no longer the same.

In this section, we first consider the case where there is an internal solution for the optimal effort level. Later, we return to the case where effort is constrained in the lab (e.g. due to time constraints). Effort choices under the two incentive schemes are obtained by solving the following two equations (assuming interior solutions):

$$\hat{\pi} w_H \cdot u'(w_H \cdot e) = c'(e) - s \text{ gives } e^{**}_{AC} \quad (6)$$

$$\bar{\pi} \cdot u'(\bar{\pi} \cdot e) = c'(e) - s \text{ gives } e^{**}_{PR} \quad (7)$$

It is clear that in general $e^{**}_{AC}$ may be either larger or smaller than $e^{**}_{PR}$, depending on the individual’s subjective belief about her own ability, $\hat{\pi}$. In particular, when $\hat{\pi} = 0$, the individual believes that she is low ability for sure, and she chooses more effort under the piece rate incentives ($e^{**}_{AC} < e^{**}_{PR}$). The reverse is true when she believes that she is the high ability type for sure ($\hat{\pi} = 1 \Rightarrow e^{**}_{AC} > e^{**}_{PR}$).

However, since individuals are given a choice of which incentive scheme to choose, it is of interest to know whether all individuals who choose the ability-contingent incentives choose a higher effort level than the individuals who choose the fixed piece rate.

In order to answer this question, firstly, notice that the RHS of equations 6 and 7 is identical. Since the LHS of each equation is decreasing in $e$, considering the ratio of the LHS of the two expressions, $\frac{\hat{\pi} w_H}{\bar{\pi}} \cdot \frac{u'(w_H \cdot e)}{u'(\bar{\pi} \cdot e)}$, can help us to assess which optimal effort choice will be higher.
Secondly, since \( w_H > \bar{w} \) and \( u''(\cdot) < 0 \), the ratio \( \frac{u'(w_H \cdot e)}{u'(\bar{w} \cdot e)} \) is increasing as effort increases. This implies that \( \frac{\hat{w} w_H}{\bar{w}} \cdot \frac{u'(w_H \cdot e)}{u'(\bar{w} \cdot e)} \) is also increasing in \( e \). One can think of this term as the ratio of the marginal shift in utility due to money of an additional unit of effort, under the two incentive schemes. For ease of exposition, we will refer to the “monetary component” of the utility function as the part that excludes the intrinsic reward for effort, and the cost of effort (i.e. \( E_a[u(w \cdot e)] \)).

Thirdly, the optimal effort level under the certain piece rate incentives doesn’t depend on the individual’s subjective belief about her ability - all individuals choose the same optimal effort level under certain piece rate, \( e_{PR}^{**} \), irrespective of their belief, \( \hat{\pi} \). This means that irrespective of \( \hat{\pi} \), we can evaluate the ratio of marginal utilities of money, \( \frac{\hat{w} w_H}{\bar{w}} \cdot \frac{u'(w_H \cdot e)}{u'(\bar{w} \cdot e)} \), at the point of optimal effort under the certain piece rate incentives, \( e_{PR}^{**} \) (which doesn’t depend on \( \hat{\pi} \)) to determine the threshold value of \( \hat{\pi} \) for which the optimal effort choice switches from being higher under certain piece rate incentives to being higher under ability-contingent incentives.

Define \( \pi^{e,r} \) to be the value of \( \hat{\pi} \) at which the ratio of marginal utilities of money, \( \frac{\hat{w} w_H}{\bar{w}} \cdot \frac{u'(w_H \cdot e)}{u'(\bar{w} \cdot e)} \), evaluated at \( e_{PR}^{**} \), is equal to 1. In particular:

\[
\pi^{e,r} := \frac{\bar{w}}{w_H} \cdot \frac{u'(\bar{w} \cdot e_{PR}^{**})}{u'(w_H \cdot e_{PR}^{**})} \tag{8}
\]

With these definitions for \( \pi^{i,r} \) and \( \pi^{e,r} \) in hand, we can assess the relationship between the individual’s choice of incentive scheme and her effort choice.

**Proposition 1** If the individual chooses the ability-contingent incentives, then she exerts more effort than she would have if she had faced the fixed piece rate incentives. In particular,

\[
\hat{\pi} \geq \pi^{i,r} \Rightarrow \hat{\pi} \geq \pi^{e,r}
\]

If she chooses the piece rate incentives, then she chooses more effort under certain piece rate incentives if \( \hat{\pi} \leq \pi^{e,r} \), and more effort under ability-contingent incentives if \( \hat{\pi} > \pi^{e,r} \).

Essentially, we show that there are three possible intervals for \( \hat{\pi} \) that specify incentive choice and effort choice behaviour:

- If \( \hat{\pi} \in [0, \pi^{e,r}] \), the individual chooses the certain piece rate incentives and exerts more effort under certain piece rate incentives than ability-contingent incentives.
- If \( \hat{\pi} \in (\pi^{e,r}, \pi^{i,r}) \), the individual would prefer the certain piece rate incentives, but if she...
faced the ability-contingent incentives, then she would exert more effort than under the certain piece rate incentives.

- If $\hat{\pi} \in [\pi^{i,r}, 1]$, the individual chooses the ability-contingent incentives and exerts more effort under ability-contingent incentives than certain piece rate incentives.

**Case 1:** First we consider $\hat{\pi} \in [0, \pi^{e,r})$, or equivalently, $\frac{\hat{\pi}w_H}{\hat{w}} \cdot \frac{u'(w_H - e_{PR}^*)}{u'(\bar{w} - e_{PR}^*)} < 1$. This means that the monetary marginal utility of effort is lower under ability-contingent incentives than under certain piece rate incentives at $e = e_{PR}^*$. Therefore, since $\bar{w} \cdot u'(\bar{w} \cdot e_{PR}^*) = c'(e_{PR}^*) - s$, we have:

$$\hat{\pi}w_H \cdot u'(w_H \cdot e_{PR}^*) < \bar{w} \cdot u'(\bar{w} \cdot e_{PR}^*) = c'(e_{PR}^*) - s \quad (9)$$

But since $u''(\cdot) < 0$ and $c''(\cdot) > 0$, there cannot be an $e > e_{PR}^*$ such that $\hat{\pi}w_H \cdot u'(w_H \cdot e) = c'(e) - s$, since the left hand side of equation 6 is decreasing in $e$ and the right hand side is increasing in $e$. This implies that when $\hat{\pi} \in [0, \pi^{e,r})$, we must have $e_{AC}^* < e_{PR}^*$. Essentially, this says that if the monetary marginal utility of effort is larger under PR, evaluated at $e = e_{PR}^*$, then the individual will choose a higher effort level under certain piece rate incentives than under ability-contingent incentives. Notice, also, that since this ratio of monetary MUs is increasing in $e$, $\forall e \leq e_{PR}^*$, we must have: $\frac{\hat{\pi}w_H}{\bar{w}} \cdot \frac{u'(w_H - e)}{u'(\bar{w} - e)} < 1$. Therefore, the monetary marginal utility $\forall e \leq e_{PR}^*$ is larger under the certain piece rate incentives than ability-contingent incentives, and the non-monetary component of the utility function is identical. Therefore, integrating the marginal utilities over $e$ implies that $\forall e \leq e_{PR}^*$:

$$s \cdot e + \hat{\pi} \cdot u(w_H \cdot e) - c(e) \leq s \cdot e + u(\bar{w} \cdot e) - c(e)$$

and since $e = e_{PR}^*$ maximises the RHS, and $e_{AC}^* < e_{PR}^*$ it must be the case that:

$$s \cdot e_{AC}^* + \hat{\pi} \cdot u(w_H \cdot e_{AC}^*) - c(e_{AC}^*) \leq s \cdot e_{AC}^* + u(\bar{w} \cdot e_{AC}^*) - c(e_{AC}^*) \leq s \cdot e_{PR}^* + u(\bar{w} \cdot e_{PR}^*) - c(e_{PR}^*)$$

In summary, if $\hat{\pi} \in [0, \pi^{e,r})$, then: (i) $e_{AC}^{**} < e_{PR}^*$, and (ii) the individual chooses the certain piece rate incentives (i.e. $\hat{\pi} \in [0, \pi^{i,r})$).

**Case 2:** Second, we consider $\hat{\pi} \in [\pi^{e,r}, 1]$, or equivalently, $\frac{\hat{\pi}w_H}{\bar{w}} \cdot \frac{u'(w_H - e_{PR}^*)}{u'(\bar{w} - e_{PR}^*)} \geq 1$. Now, the monetary marginal utility of effort is higher under ability-contingent incentives than under certain piece rate incentives at $e = e_{PR}^*$. This implies that $\hat{\pi}w_H \cdot u'(w_H \cdot e_{PR}^*) > \bar{w} \cdot u'(\bar{w} \cdot e_{PR}^*) = c'(e_{PR}^*) - s$, which means that the overall marginal utility of effort under the ability-contingent incentives is
positive at \( e = e^*_{PR} \) (i.e. \( \frac{\partial U_{AC}(w,e)}{\partial e} \bigg|_{e=e^*_{PR}} > 0 \). Therefore, the optimal effort level under the ability-contingent incentives is higher than under the piece rate incentives \( e^*_{AC} > e^*_{PR} \). However, it is important to note that \( \frac{\hat{w}_{H}}{w} \cdot \frac{u'(w_{H} \cdot e^*_{AC})}{u'(\hat{w} - \hat{e}^*_{PR})} \geq 1 \) does not necessarily imply that the individual chooses the ability-contingent incentives. In Case 2, we can have either choice of incentives.

In summary, if \( \hat{\pi} \in [\pi^{e,r}, 1] \), then: (i) \( e^*_{AC} \geq e^*_{PR} \), and (ii) the individual chooses the ability-contingent incentives if \( \hat{\pi} \in [\pi^{i,r}, 1] \).

Together, Case 1 and Case 2 show that for the interval of subjective beliefs \( \hat{\pi} \in [0, \pi^{e,r}] \), the individual would choose certain piece rate incentives, and would choose higher effort under certain piece rate incentives than she would under ability-contingent incentives.

For the interval \( \hat{\pi} \in [\pi^{i,r}, 1] \), the individual would choose the ability-contingent incentives, and would choose higher effort under ability-contingent incentives than she would under certain piece rate incentives. And for the interval \( \hat{\pi} \in (\pi^{e,r}, \pi^{i,r}) \), the individual prefers the certain piece rate incentives, but would choose higher effort if she were to face the ability-contingent incentives.

As a caveat, the discussion above refers to interior solutions for effort choices. Of course, if effort choices in the lab face a binding constraint (e.g. the time limit), then the discussion above does not apply, and effort choices are the same under the two incentives schemes.

**Influence on Earnings**

The discussion in the main text for the risk-neutral agent essentially maps directly to the case of the risk-averse agent, replacing: (i) \( \pi^i \) with \( \pi^{i,r} \), (ii) \( e^*_{PR} \) with \( e^*_{AC} \), and (iii) \( e^*_{AC} \) with \( e^*_{AC} \). All the main intuitions remain the same. Therefore, we have:

**Gain in Earnings for High Ability Individuals Due to Upward Shift in Confidence**

\[
[F_H(\pi^{i,r}) - F_H(\pi^{i,r} - \Delta \hat{\pi})] \cdot (w_{H} \cdot e^*_{AC} - \bar{w} \cdot e^*_{PR}) \geq 0 
\]

**Loss of Earnings for Low Ability Individuals Due to Downward Shift in Confidence**

\[
[F_L(\pi^{i,r}) - F_L(\pi^{i,r} - \Delta \hat{\pi})] \cdot (0 - \bar{w} \cdot e^*_{PR}) \leq 0 
\]
A.2 Gender

Since there is the large body of evidence documenting that there tends to be a gender gap in confidence in one’s own ability (see, e.g., Niederle and Vesterlund (2007), van Veldhuizen (2017) and Niederle (2017)), it is of interest to ask whether we observe this gender gap in our context. We assume that conditional on ability type, men have a higher confidence level than women (i.e. \( \forall \hat{\pi} : F^M_m(\hat{\pi}) \leq F^W_m(\hat{\pi}) \), where \( F^G_m(\cdot) \) denotes the subjective belief CDF for individuals of gender, \( G \in \{M, W\} \), and ability type \( a_m \), with \( m \in L, H \)). This leads to the following hypothesis:

- **Hypothesis 4 (Gender Differences):** Conditional on ability level, the average man will: (i) hold higher beliefs about his ability, (ii) is more likely to choose the ability-contingent incentives, (iii) will choose higher effort (if non-binding), in comparison to the average woman.

Below, we test these hypotheses and describe how gender is correlated with our outcomes variables. Our subjects are balanced on gender between treatments and sessions. We show being male is associated with a similar magnitude upward shift in confidence as our treatment effect, and the pattern of outcomes observed in our treatment-control comparison is similar to the pattern of outcomes observed in our male-female comparison (except effort choices).

A.2.1 Gender differences in ability

To eliminate ability differences as an explanation for potential gender differences in beliefs and payment scheme choices, we selected an ability task that was not gendered and with no evidence of gender effects in previous experiments. Table 7 in the Appendix shows that men and women are almost identical in their average scores (8.98 and 8.92), and their probability of being in the TOP HALF of their group (0.51 and 0.49). Neither difference is statistically significant. The similarity in the performance of men and women implies that ability should not explain any observed differences in beliefs between men and women.

A.2.2 Gender differences in beliefs and incentive choices

In line with the literature documenting the gender confidence gap, Figure 13 shows that in both our treatment conditions women state lower average beliefs about being in the TOP HALF. Table
7 shows that the gender-confidence gap is on average 11 percentage points and is significant at the 5% level.\footnote{If we test for the gender-confidence gap within each treatment separately, the t-test has a p-value of 0.054 for the \textit{HIGH} treatment and 0.29 for the \textit{LOW} treatment, but our sample size is insufficient for robust analysis at this level of disaggregation.}

Regarding incentives choices, following their beliefs, men choose the ability-contingent incentives more often than women, despite not being more likely to be in the Top\ Half and benefit from these incentives. Figure 14 shows the choices of payment scheme separately by gender and treatment. The pattern is similar to the gender-treatment pattern observed for beliefs in 13. Table 7 shows that the average woman chooses ability-contingent incentives 50\% of the time, while the average man chooses ability-contingent incentives 68\% of the time ($p < 0.05$). Table 9 shows that men choose ability-contingent incentives more often in every individual round, with a significant difference in six of the nine rounds. The table is suggestive of a larger gender gap in choices for later rounds.

More specifically, there appear to be some men who are very unwilling to switch away from the ability-contingent incentives to the certain piece rate incentives. A striking illustration of this is that even in round 10 when the certain piece rate incentive piece rate is $e^{0.8}$, approximately 50\%
of men prefer to gamble on being in the TOP HALF and getting a piece rate of €1, and earning €0 if they are wrong.

Figure 14: Propensity to Choose Ability-Contingent Incentives

![Figure 14: Propensity to Choose Ability-Contingent Incentives](image)

**A.2.3 Gender differences in earnings**

In section 4.4 we showed that an increase in average confidence had no significant effect on average earnings, but hurts the low-ability individuals. In this section, we consider whether the gender confidence gap translates into gender differences in earnings. Table 7 shows that on average, there is no significant difference between the earnings of men (€6.95) and women (€7.10).\(^{30}\)

However, Table 7 also shows that men are exerting significantly higher effort than women (\(p < 0.01\)). Since earnings are determined by both effort and incentive choices, we need to consider the contributions of effort and choices to earnings separately to understand the mechanisms. To do this, we remove the role played by effort choices by constructing a variable that stands for the *earnings per unit of effort*. Essentially, at the individual level, we calculate how much an individual earns for each set of 20 sliders she completes. This variable allows us to measure how optimal the

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\(^{30}\) Figure 19 in the Appendix reports earnings in each treatment-gender group separately. The differences are not significant.
incentive choice decisions are given an individual’s level of effort.

Figure 15: Earnings per unit effort, by gender and treatment

The left panel of Figure 15 reports the average value of this “earnings per unit of effort” variable for each gender-treatment group. The interesting result here is that women in the Low confidence treatment group are choosing the correct incentives far more often than any other group. The intrinsically lower beliefs of women together with the exogenously triggered lower beliefs by the difficult task lead to more efficient choices by women in this group. To provide a benchmark for how well these women do, in the right-hand panel we plot four benchmark earnings per unit effort possibilities: (1) average earnings for a group who all choose completely optimally, (2) average earnings for a group who all always choose the certain piece rate incentives, (3) average earnings for a group who all always choose the ability-contingent incentives, (4) average earnings for a group who always choose randomly between incentive schemes.

Except women in the Low treatment, participants are on average performing rather poorly in
terms of incentive choices, scoring between €0.52 and €0.55 per unit of effort. This amount is only a little more than they would earn if they chose completely randomly (€0.50). However, women in the Low treatment earn €0.65 per unit effort, which is closer to the first best value of €0.73 than random choice.

### A.2.4 Gender summary

In our results, there is no evidence that risk aversion had a mediating effect for either gender. This result adds to the evidence that gender differences in payment scheme choices are significantly affected by beliefs about relative ability rather than just competitive preferences or risk aversion (van Veldhuizen, 2017). Since it is not a competition, anxiety, fear or thrill should not play a role during the real effort task. There are no externalities imposed on the other participants when an individual exerts a high effort, so other regarding preferences are not relevant here. Women chose the ability-contingent piece rate when they believe that they are in the upper half of the group. In our design, the most successful subjects were the on average less confident women because they were better at selecting into the top and bottom group according to their actual ability.
### A.3 Additional Tables

Table 6: Comparison of means by treatment

<table>
<thead>
<tr>
<th></th>
<th>LOW</th>
<th>HIGH</th>
</tr>
</thead>
<tbody>
<tr>
<td>Male (=1)</td>
<td>0.48</td>
<td>0.54</td>
</tr>
<tr>
<td>(0.51)</td>
<td>(0.50)</td>
<td></td>
</tr>
<tr>
<td>Age</td>
<td>25.20</td>
<td>24.62</td>
</tr>
<tr>
<td>(6.55)</td>
<td>(3.88)</td>
<td></td>
</tr>
<tr>
<td>Effort (Baseline Task, per min)</td>
<td>9.55</td>
<td>9.91</td>
</tr>
<tr>
<td>(1.80)</td>
<td>(1.70)</td>
<td></td>
</tr>
<tr>
<td>Risk (CE p=50)</td>
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<td>0.49</td>
</tr>
<tr>
<td>(0.16)</td>
<td>(0.14)</td>
<td></td>
</tr>
<tr>
<td>Treatment Variables</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Treatment (High =1)</td>
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<td>1</td>
</tr>
<tr>
<td>(0.00)</td>
<td>(0.00)</td>
<td></td>
</tr>
<tr>
<td>Ability Score</td>
<td>6.92</td>
<td>10.90***</td>
</tr>
<tr>
<td>(2.79)</td>
<td>(1.20)</td>
<td></td>
</tr>
<tr>
<td>Ability Top Half (=1)</td>
<td>0.50</td>
<td>0.50</td>
</tr>
<tr>
<td>(0.51)</td>
<td>(0.51)</td>
<td></td>
</tr>
<tr>
<td>Outcome Variables</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Subj Belief (%)</td>
<td>64.20</td>
<td>83.92***</td>
</tr>
<tr>
<td>(31.67)</td>
<td>(20.16)</td>
<td></td>
</tr>
<tr>
<td>AC Incentive Choice (Frac)</td>
<td>0.50</td>
<td>0.69***</td>
</tr>
<tr>
<td>(0.37)</td>
<td>(0.32)</td>
<td></td>
</tr>
<tr>
<td>Effort (Main Task, per min)</td>
<td>12.15</td>
<td>12.18</td>
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<td>(2.29)</td>
<td>(2.04)</td>
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</tr>
<tr>
<td>Earnings (Main Task)</td>
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<td>6.69</td>
</tr>
<tr>
<td>(4.78)</td>
<td>(5.14)</td>
<td></td>
</tr>
<tr>
<td>Risk (CE p=Subj Belief)</td>
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<td>0.71***</td>
</tr>
<tr>
<td>(0.23)</td>
<td>(0.22)</td>
<td></td>
</tr>
</tbody>
</table>

| N                              | 50     | 50     |

Notes: (i) standard deviations in parentheses, t-tests:

* = 10%, ** = 5%, *** = 1%
Table 7: Comparison of means by gender

<table>
<thead>
<tr>
<th></th>
<th>Female</th>
<th>Male</th>
</tr>
</thead>
<tbody>
<tr>
<td>Male (=1)</td>
<td>0</td>
<td>1</td>
</tr>
<tr>
<td></td>
<td>(0.00)</td>
<td>(0.00)</td>
</tr>
<tr>
<td>Age</td>
<td>23.96</td>
<td>25.16</td>
</tr>
<tr>
<td></td>
<td>(3.61)</td>
<td>(4.37)</td>
</tr>
<tr>
<td>Effort (Baseline Task, per min)</td>
<td>9.46</td>
<td>10.11*</td>
</tr>
<tr>
<td></td>
<td>(1.62)</td>
<td>(1.79)</td>
</tr>
<tr>
<td>Risk (CE p=50)</td>
<td>0.48</td>
<td>0.48</td>
</tr>
<tr>
<td></td>
<td>(0.16)</td>
<td>(0.13)</td>
</tr>
<tr>
<td>Treatment Variables</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Treatment (High =1)</td>
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<td>0.55</td>
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<td>(0.50)</td>
</tr>
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<td>8.92</td>
</tr>
<tr>
<td></td>
<td>(2.71)</td>
<td>(3.23)</td>
</tr>
<tr>
<td>Ability Top Half (=1)</td>
<td>0.51</td>
<td>0.49</td>
</tr>
<tr>
<td></td>
<td>(0.51)</td>
<td>(0.51)</td>
</tr>
<tr>
<td>Outcome Variables</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Subj Belief (%)</td>
<td>67.74</td>
<td>79.55**</td>
</tr>
<tr>
<td></td>
<td>(29.55)</td>
<td>(26.38)</td>
</tr>
<tr>
<td>AC Incentive Choice (Frac)</td>
<td>0.50</td>
<td>0.68**</td>
</tr>
<tr>
<td></td>
<td>(0.36)</td>
<td>(0.34)</td>
</tr>
<tr>
<td>Effort (Main Task, per min)</td>
<td>11.65</td>
<td>12.79***</td>
</tr>
<tr>
<td></td>
<td>(1.89)</td>
<td>(2.17)</td>
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<tr>
<td>Earnings (Main Task)</td>
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<td>6.95</td>
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<td>(4.15)</td>
<td>(5.62)</td>
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<tr>
<td>Risk (CE p=Subj Belief)</td>
<td>0.56</td>
<td>0.70***</td>
</tr>
<tr>
<td></td>
<td>(0.24)</td>
<td>(0.22)</td>
</tr>
<tr>
<td>N</td>
<td>47</td>
<td>49</td>
</tr>
</tbody>
</table>

Notes: (i) standard deviations in parentheses, t-tests: *=10%, **=5%, ***=1% (ii) The 3 missing women, and 1 missing man answered “Prefer not to answer” to the gender question in the survey.
Table 8: Comparison of mean incentive choices by treatment

<table>
<thead>
<tr>
<th></th>
<th>LOW</th>
<th>HIGH</th>
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<tbody>
<tr>
<td>Treatment (High =1)</td>
<td>0</td>
<td>1</td>
</tr>
<tr>
<td></td>
<td>(0.00)</td>
<td>(0.00)</td>
</tr>
<tr>
<td>Subj Belief (%)</td>
<td>64.20</td>
<td>83.92***</td>
</tr>
<tr>
<td></td>
<td>(31.67)</td>
<td>(20.16)</td>
</tr>
<tr>
<td>Ability Top Half (=1)</td>
<td>0.50</td>
<td>0.50</td>
</tr>
<tr>
<td></td>
<td>(0.51)</td>
<td>(0.51)</td>
</tr>
<tr>
<td>Incentive Choices</td>
<td></td>
<td></td>
</tr>
<tr>
<td>AC Incentive Choice (All Rounds)</td>
<td>0.50</td>
<td>0.69***</td>
</tr>
<tr>
<td></td>
<td>(0.37)</td>
<td>(0.32)</td>
</tr>
<tr>
<td>AC Incentives Round 1 (=1)</td>
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<td>1</td>
</tr>
<tr>
<td></td>
<td>(0.00)</td>
<td>(0.00)</td>
</tr>
<tr>
<td>AC Incentives Round 2 (=1)</td>
<td>0.76</td>
<td>0.90*</td>
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<tr>
<td></td>
<td>(0.43)</td>
<td>(0.30)</td>
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<tr>
<td>AC Incentives Round 3 (=1)</td>
<td>0.76</td>
<td>0.84</td>
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<tr>
<td></td>
<td>(0.43)</td>
<td>(0.37)</td>
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<tr>
<td>AC Incentives Round 4 (=1)</td>
<td>0.64</td>
<td>0.84**</td>
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<tr>
<td></td>
<td>(0.48)</td>
<td>(0.37)</td>
</tr>
<tr>
<td>AC Incentives Round 5 (=1)</td>
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<td>0.74**</td>
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<tr>
<td></td>
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<td>(0.44)</td>
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<td>AC Incentives Round 6 (=1)</td>
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<td>0.70***</td>
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<td></td>
<td>(0.49)</td>
<td>(0.46)</td>
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<td>AC Incentives Round 7 (=1)</td>
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<td>0.58**</td>
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<td></td>
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<td>(0.50)</td>
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<td>AC Incentives Round 8 (=1)</td>
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<td>0.58**</td>
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<td>(0.50)</td>
</tr>
<tr>
<td>AC Incentives Round 9 (=1)</td>
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<td>0.54</td>
</tr>
<tr>
<td></td>
<td>(0.49)</td>
<td>(0.50)</td>
</tr>
<tr>
<td>AC Incentives Round 10 (=1)</td>
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<td>0.46</td>
</tr>
<tr>
<td></td>
<td>(0.47)</td>
<td>(0.50)</td>
</tr>
<tr>
<td>N</td>
<td>50</td>
<td>50</td>
</tr>
</tbody>
</table>

Notes: (i) Ability Top Half: Reflects fraction of individuals in top half. Equals 0.5 by construction. (ii) AC Incentive Choice (All Rounds): individual level variable, averaged across all an individual’s choices. (iii) standard deviations in parentheses, t-tests: *=10%, **=5%, ***=1%
Table 9: Comparison of mean incentive choices by gender

<table>
<thead>
<tr>
<th></th>
<th>Female</th>
<th>Male</th>
</tr>
</thead>
<tbody>
<tr>
<td><strong>Treatment (High =1)</strong></td>
<td>0.49</td>
<td>0.55</td>
</tr>
<tr>
<td></td>
<td>(0.51)</td>
<td>(0.50)</td>
</tr>
<tr>
<td><strong>Subj Belief (%)</strong></td>
<td>67.74</td>
<td>79.55**</td>
</tr>
<tr>
<td></td>
<td>(29.55)</td>
<td>(26.38)</td>
</tr>
<tr>
<td><strong>Ability Top Half (=1)</strong></td>
<td>0.51</td>
<td>0.49</td>
</tr>
<tr>
<td></td>
<td>(0.51)</td>
<td>(0.51)</td>
</tr>
<tr>
<td><strong>Incentive Choices</strong></td>
<td></td>
<td></td>
</tr>
<tr>
<td><strong>AC Incentive Choice (All Rounds)</strong></td>
<td>0.50</td>
<td>0.68**</td>
</tr>
<tr>
<td></td>
<td>(0.36)</td>
<td>(0.34)</td>
</tr>
<tr>
<td><strong>AC Incentives Round 1 (=1)</strong></td>
<td>1</td>
<td>1</td>
</tr>
<tr>
<td></td>
<td>(0.00)</td>
<td>(0.00)</td>
</tr>
<tr>
<td><strong>AC Incentives Round 2 (=1)</strong></td>
<td>0.74</td>
<td>0.92**</td>
</tr>
<tr>
<td></td>
<td>(0.44)</td>
<td>(0.28)</td>
</tr>
<tr>
<td><strong>AC Incentives Round 3 (=1)</strong></td>
<td>0.70</td>
<td>0.88**</td>
</tr>
<tr>
<td></td>
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<td>(0.33)</td>
</tr>
<tr>
<td><strong>AC Incentives Round 4 (=1)</strong></td>
<td>0.70</td>
<td>0.80</td>
</tr>
<tr>
<td></td>
<td>(0.46)</td>
<td>(0.41)</td>
</tr>
<tr>
<td><strong>AC Incentives Round 5 (=1)</strong></td>
<td>0.60</td>
<td>0.67</td>
</tr>
<tr>
<td></td>
<td>(0.50)</td>
<td>(0.47)</td>
</tr>
<tr>
<td><strong>AC Incentives Round 6 (=1)</strong></td>
<td>0.40</td>
<td>0.67***</td>
</tr>
<tr>
<td></td>
<td>(0.50)</td>
<td>(0.47)</td>
</tr>
<tr>
<td><strong>AC Incentives Round 7 (=1)</strong></td>
<td>0.34</td>
<td>0.59**</td>
</tr>
<tr>
<td></td>
<td>(0.48)</td>
<td>(0.50)</td>
</tr>
<tr>
<td><strong>AC Incentives Round 8 (=1)</strong></td>
<td>0.34</td>
<td>0.59**</td>
</tr>
<tr>
<td></td>
<td>(0.48)</td>
<td>(0.50)</td>
</tr>
<tr>
<td><strong>AC Incentives Round 9 (=1)</strong></td>
<td>0.36</td>
<td>0.55*</td>
</tr>
<tr>
<td></td>
<td>(0.49)</td>
<td>(0.50)</td>
</tr>
<tr>
<td><strong>AC Incentives Round 10 (=1)</strong></td>
<td>0.28</td>
<td>0.49**</td>
</tr>
<tr>
<td></td>
<td>(0.45)</td>
<td>(0.51)</td>
</tr>
</tbody>
</table>

\[ N \]
47 49

Notes: (i) Ability Top Half: Reflects fraction of individuals in top half. (ii) AC Incentive Choice (All Rounds): individual level variable, averaged across all an individual’s choices. (iii) standard deviations in parentheses, t-tests: *=10%, **=5%, ***=1%
A.4 Additional Figures

Figure 16: Risk preferences
Figure 17: Distribution of Earnings between Treatments

- **High Confidence**
- **Low Confidence**

Figure 18: Effort per unit effort, by gender and treatment

- **Male**
- **Female**

57
Figure 19: Average earnings by gender and treatment

Figure 20: Propensity to Score in the TOP HALF
Figure 21: Average effort level by gender and treatment
Welcome

Thank you for participating in our experiment. We will begin shortly. Today’s experiment will last up to 75 minutes.

In this experiment you will have the opportunity to earn some money, but your payoff may depend on your choices, as well as luck. Therefore, it is in your interests to pay attention to the instructions and make careful choices. Your earnings will be added to your show up fee of €5 and will be paid out to you after the session.

Anonymity:

Should you agree to participate, your anonymity in this study is assured. Your name will not be connected to any decision that you make here today. Furthermore, no other subject in this study will know any of your choices or performance in the study.

Some Rules:

Please switch your cell phone on completely silent (no vibration) and put away anything else that you have brought with you. Please do not talk to other participants during the experiment or attempt to look at the screens of other participants. It is not allowed to switch to another screen on the computer.

If you have any questions at this point, or at any later point during the experiment, please simply raise your hand. A member of the research team will come to you and answer them in private.

Anyone violating these rules may be excluded from the experiment. In this case he/she will forfeit any earnings.

Please take your time to read the instructions carefully before the start of the experiment!
Instructions

The experiment consists of four parts. In three of the parts you will be asked to work on different computer tasks. You will receive more information about the task at the beginning of each part. The last part consists of a questionnaire. You will get paid if you complete all 4 parts.

Instructions for Part 1:

This task is called the **Slider task**. You will be asked to move each slider on the screen into the middle of the bar. Each slider is initially positioned at 0 and can be moved as far as 100. Each slider has a number to its right showing its current position. You can use the mouse in any way you like to move each slider. You can readjust the position of each slider as many times as you wish. A slider is correct if it is positioned at exactly 50. The following picture provides an example of what the sliders looks like:

![Figure 1: Examples of sliders](image)

When you are doing the slider task, it is important to pay attention to the following things:

1. Firstly, you should only use the mouse to move the sliders to the 50 position in completing this task. **You are not permitted to use the keyboard** when completing this task. If you do use the keyboard, you may be asked to leave the experiment and forfeit your earnings.

2. Secondly, in order to move the slider to the 50 position, it has to be dragged there with the mouse (as opposed to just clicking and releasing the mouse at the right spot). Please practice this during the practice time and put your hand up if you have trouble managing.

Sliders come in sets of 20. **For every 20 sliders you move into the middle you will earn €0.3.** In total, Part 1 will last 9 minutes. In the first minute of the Part 1, you have the chance to familiarize yourself with the task by moving some sliders in a **practice round** which **does not affect your payment!**

After the practice round, the first payoff relevant part of the experiment will begin. In this part, you will have 8 minutes to move as many sets of sliders as you want. On each screen, you will need to move all
20 sliders in the set of 20, to the 50 position before you can click the “Submit” button and move to the next set of 20 sliders. As mentioned above, the more sets of sliders you move to the 50 position, the more you will earn in Part 1.

At the end of the experiment, we will add your earnings from Part 1 to your show-up fee and earnings from other parts of the experiment to determine your final payment.

Once you have carefully read these instructions, please wait for everyone to finish reading, and wait until we begin with Part 1.
Instructions for Part 2:

For the remainder of the experiment, all the 20 participants will be randomly assigned to two groups consisting of 10 people in each group. You will only be interacting with participants in your group of 10 people for the remainder of the experiment. The groups will stay the same for the rest of the experiment.

In Part 2 of the experiment you will be asked to complete a short exercise, consisting of 12 items from an abstract reasoning task. Questions such as these are sometimes used to measure an individual’s intelligence quotient (IQ). You will have 4 minutes to complete as many of the questions, numbered 1 to 12, as you can. Each correct question is worth 1 point and each incorrect or incomplete question is worth 0 points. At the end of the experiment, we will inform you of your score and also how your score compared to the scores of the other participants today in your group of 10 participants.

For every question, there is a pattern with a piece missing. Below the picture, there are several options for the missing piece. You have to choose which of the pieces below is the correct one to complete the pattern. In every case, one and only one, of these pieces is the correct one to complete the pattern. See below for an example question:

![Example of IQ question](image)

For each question, please enter your answer in the column to the right of the pattern on your computer screen. You will score 1 point for every right answer. You will not be penalized for incorrect answers.

You can move back and forth between the 12 questions and you can change your previous answers. The top right-hand corner of the screen will display the time remaining (in seconds).

Before we start Part 2, please raise your hand if you have any questions. During Part 2, please raise your hand if you have a problem with your computer.

Please wait patiently until we begin with Part 2.
Instructions for Part 2b:

In this part of the experiment, we would like to ask you a few questions about how you think you performed, as well as how you think the other 9 participants in your group of 10 performed in the IQ picture task (not in the slider task).

**Question 1: What do you think is the probability that you scored among the top 5 participants in your group of 10 participants in the IQ picture task?**

You may wish to use the following rough guideline for answering this question, but any number between 0 and 100 is possible:

- 100 – I am certain that I scored in top half;
- 75 – It is very likely that I scored in the top half;
- 60 – I probably scored in the top half;
- 50 – It is equally likely that I am in the top or bottom half;
- 40 – I probably scored in the bottom half;
- 25 – It is very likely that I scored in the bottom half;
- 0 – I am certain that I scored in the bottom half.

Your answer to this question will contribute to your earnings in the experiment. In particular, we will calculate your payment from this question in a way that has been designed such that you can expect to receive the highest payoff if you accurately report your belief regarding the probability that you are in the top 5 participants. The formula we will use to calculate your payment from this question is:

\[
Y_0ur\ payment = 2 \times \left[ 1 - \left( \frac{x - your\ answer}{100} \right)^2 \right]
\]

where \( x=100 \) if your score is in the TOP HALF and \( x=0 \) if your score is in the BOTTOM HALF of your group.

Therefore, if you are in the top half, your payment will be higher when the probability you report is higher; however if your score is in the bottom half, then your payment will be higher when you report a lower probability. If two or more participants are tied for the 5th highest score, the computer will randomly select which of those who tied are included in the top half group. If you are correct in your guess, you will earn a maximum of €2.
The following questions will not directly affect your payment, but are important for our research. Please try and answer them as best you can.

**Question 2:** What is your best estimate for how many points you scored in the IQ picture task? Please enter a score between 0 and 12.

**Question 3:** What is your best estimate for the 5th highest score in the IQ picture task out of your group of 10 participants? Please write down a score between 0 and 12.

You will receive information about your score and the median person in your group’s score at the end of the experiment.

Please wait until we begin with Part 2b.
Instructions for Part 3a:

In the next stage of the experiment, you will again be working on the slider task. This time you will have 10 periods of 2 minutes each to complete as many sets of sliders as you want.

However, the way the payment works is now different!

Minutes 0 – 2:

In the first 2 minute period of the task, you will be paid according to the uncertain wage. The way this uncertain wage works is as follows:

Uncertain Wage:

There are two possible payments for each set of sliders – a HIGH wage of €1 for each set of 20 sliders and a LOW wage of €0 for each set of 20 sliders.

How is your wage determined under uncertain wage?

If you scored in the TOP HALF of your group in the previous IQ picture task then you will be paid the HIGH wage, and if you scored in the BOTTOM HALF of your group, you will be paid the LOW wage.

<table>
<thead>
<tr>
<th>Group</th>
<th>Wage</th>
<th>Per 20 sliders</th>
</tr>
</thead>
<tbody>
<tr>
<td>TOP HALF of IQ task</td>
<td>HIGH</td>
<td>€1</td>
</tr>
<tr>
<td>BOTTOM HALF of IQ task</td>
<td>LOW</td>
<td>€0</td>
</tr>
</tbody>
</table>

You will only find out in which half of your group you are in after the 20 minutes are up.

Minutes 2 – 20:

In every two minute period after the first, you will be able to choose whether you’d like to be paid a fixed wage (Option A) for each set of sliders that you complete; or if you’d like to be paid according to the same uncertain wage described above (Option B). At the beginning of each two minute period, you will make this choice between Option A and Option B, and then will work on the slider task for two minutes.
The important thing to note is that while the uncertain wage (Option B) always stays exactly the same, the fixed wage (Option A) will increase in every successive two minute period.

The table below summarizes the payment options in each round:

<table>
<thead>
<tr>
<th>Period Number (2 min each)</th>
<th>Option A Payment (per 20 sliders)</th>
<th>Option B Payment (per 20 sliders)</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>Can’t Choose Option A</td>
<td>€1 if TOP HALF; €0 if BOTTOM HALF</td>
</tr>
<tr>
<td>2</td>
<td>€0.1</td>
<td>€1 if TOP HALF; €0 if BOTTOM HALF</td>
</tr>
<tr>
<td>3</td>
<td>€0.3</td>
<td>€1 if TOP HALF; €0 if BOTTOM HALF</td>
</tr>
<tr>
<td>4</td>
<td>€0.4</td>
<td>€1 if TOP HALF; €0 if BOTTOM HALF</td>
</tr>
<tr>
<td>5</td>
<td>€0.5</td>
<td>€1 if TOP HALF; €0 if BOTTOM HALF</td>
</tr>
<tr>
<td>6</td>
<td>€0.55</td>
<td>€1 if TOP HALF; €0 if BOTTOM HALF</td>
</tr>
<tr>
<td>7</td>
<td>€0.6</td>
<td>€1 if TOP HALF; €0 if BOTTOM HALF</td>
</tr>
<tr>
<td>8</td>
<td>€0.65</td>
<td>€1 if TOP HALF; €0 if BOTTOM HALF</td>
</tr>
<tr>
<td>9</td>
<td>€0.7</td>
<td>€1 if TOP HALF; €0 if BOTTOM HALF</td>
</tr>
<tr>
<td>10</td>
<td>€0.8</td>
<td>€1 if TOP HALF; €0 if BOTTOM HALF</td>
</tr>
</tbody>
</table>

Payment:

You will be paid for five of these ten two minute periods, chosen at random. Importantly, note that if you complete a fraction of a set of sliders in a round that is chosen for payment, you will be paid the corresponding fraction of your payment (i.e. if the payment in a particular 2 minute period is €1 for 20 sliders and you complete 12 sliders, then you will be paid €0.6 for that round).

The next part will start shortly. If you wish to take a break during the task, you are welcome to read the provided reading material or use your phone, if it is switched on completely silent. You are not allowed to communicate with anyone who is participating in the experiment.

Please wait until we begin with Part 3a.
**Instructions for Part 3b:**

In this part of the experiment, we ask you to make 12 choices. In each choice, you can choose between a sure payment and a risky payment. For each choice, the computer will tell you the value of the sure payment; and each of the possible payments under the risky option. It will also inform you of the probability of receiving each of the payments under the risky option.

**Payment:**

One of the 12 choices you make will be randomly chosen to calculate your payment.

**The next part will start shortly. Please wait until we begin with Part 3b.**
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