Alho, Kari E. O.

Working Paper

A gravity model under competition

ETLA Discussion Papers, No. 962

Provided in Cooperation with:
The Research Institute of the Finnish Economy (ETLA), Helsinki

Suggested Citation: Alho, Kari E. O. (2004) : A gravity model under competition, ETLA Discussion Papers, No. 962, The Research Institute of the Finnish Economy (ETLA), Helsinki

This Version is available at:
https://hdl.handle.net/10419/63683

ETLA

ELINKEINOELÄMÄN TUTKIMUSLAITOS
THE RESEARCH INSTITUTE OF THE FINNISH ECONOMY
Lönnrotinkatu 4 B 00120 Helsinki Finland Tel. 358-9-609 900
Telefax 358-9-601 753 World Wide Web: http://www.etla.fi/

Keskusteluaiheita – Discussion papers

No. 962

Kari E.O. Alho*

A GRAVITY MODEL UNDER MONOPOLISTIC COMPETITION**

* ETLA, The Research Institute of the Finnish Economy, and University of Helsinki, Address: ETLA, Lönnrotinkatu 4 B, 00120 Helsinki, Finland
E-Mail: kari.alho@etla.fi

** Acknowledgement. This is a part of the project *Integration, Location and Growth within the Northern Dimension*, carried out jointly by ETLA and Turku School of Economics, and financed by the Academy of Finland (Grant No. 78240). Comments by Professor Mika Widgrén of Turku School of Economics, CEPR, and CESifo are gratefully acknowledged.

ISSN 0781-6847 31.12.2004

ALHO, Kari E.O., **A GRAVITY MODEL UNDER MONOPOLISTIC COMPETITION.** Helsinki: ETLA, Elinkeinoelämän Tutkimuslaitos, The Research Institute of the Finnish Economy, 2004, 15 p. (Keskusteluaiheita, Discussion Papers, ISSN, 0781-6847; no. 962).

ABSTRACT: The paper presents an alternative derivation of the gravity equation for foreign trade, which is explicitly based on monopolistic competition in the export markets and which is more general than previously in the literature. In contrast to the usual specification, our model allows for the realistic assumption of asymmetry in mutual trade flows. The model is estimated for trade in Europe, producing evidence that trade flows and barriers do, indeed, reveal strong asymmetry. We then carry out a simulation, based on the estimated model, of general equilibrium effects, through trade, of possible UK entrance into EMU and find that the issue of asymmetry also plays a crucial role as to the effects of integration policies.

Key words: Gravity model, trade barriers, asymmetry

JEL classification: F12, F15

ALHO, Kari E.O., **A GRAVITY MODEL UNDER MONOPOLISTIC COMPETITION.** Helsinki: ETLA, Elinkeinoelämän Tutkimuslaitos, The Research Institute of the Finnish Economy, 2004, 15 s. (Keskusteluaiheita, Discussion Papers, ISSN, 0781-6847; no. 962).

TIIVISTELMÄ: Paperissa esitetään ulkomaankaupan gravitaatiomallin vaihtoehtoinen johtaminen, joka perustuu eksplisiittisesti monopolistisen kilpailuun vientimarkkinoilla ja joka on yleisempi kuin aiemmin kirjallisuudessa. Päinvastoin kuin tavanomaisesti, paperissa johdettu malli sallii realistisen oletuksen epäsymmetrisistä keskinäisistä kauppavirroista. Malli estimoidaan Euroopan kauppavirroille, ja estimointitulos antaa vahvistusta sille, että kauppavirrat ja kaupanesteet ovat todellakin selvästi epäsymmetrisiä. Sen jälkeen mallin avulla laaditaan simulointi siitä, millaiset yleisen tasapainon mukaiset vaikutukset ovat ulkomaankaupan muutosten kautta Ison-Britannian mahdollisesta liittymisestä EMUun. Kysymys kaupan esteiden asymmetriasta on jälleen varsin merkittävä tekijä integraatiopolitiikan vaikutusten selvittämisessä.

Asiasanat: Gravitaatiomalli, kaupan esteet, epäsymmetria

1. INTRODUCTION

The analysis of trade using the classical gravity model has been very intense during the recent years, to analyze, e.g., the trade effects of currency unions. There are, however, two shortcomings in these applications. First, it is commonly assumed that trade barriers are symmetric, i.e., identical in trade from country i to j and in trade from j to i, and no emphasis is paid to differences in exports and imports and the factors underlying them. Secondly, the theoretical basis of the estimated gravity model is insufficient and often lacking totally.

This assumption of symmetry is very dominating in the empirical application of the gravity model,[1] but it is in sharp conflict with the actual situation. Take, for instance, trade flows within Europe. In 1999, the average absolute difference between the logs of the bilateral trade flows of 27 European countries was as high as 0.66, which implies that, on average, the smaller of the bilateral trade flows is only 52 per cent of the bigger. Therefore, it is not surprising that using a gravity model to explicitly test for the symmetry of trade barriers in Europe produces the outcome that they are strongly asymmetric (see Alho, 2003).

James E. Anderson and Eric van Wincoop (2003) presented an important and novel analysis which claims to solve the famous "border puzzle" concerning the effects of a border on trade, originally found by McCallum (1995) to be extremely large with respect to the U.S. and Canada. They build on the early derivation of the gravity model by Anderson (1979). Assuming CES-preferences, symmetric trade barriers, and imposing the general equilibrium constraint for trade, i.e., that total sales equal total production, Anderson and van Wincoop explicitly derive the following gravity equation for bilateral trade,

[1] For instance, the recent analyses of the impact of EMU on trade by Micco et al. (2003) and Barr et al. (2003) both build their trade model on the sum of exports and imports and thereby omit the differences existing between them.

$$(1) \qquad X_{ij} = \frac{Y_i Y_j}{Y_W} \left(\frac{t_{ij}}{P_i P_j}\right)^{1-\sigma}.$$

Here X_{ij} is exports from country (region) i to country j, Y_i is the income (GDP) of country i, Y_W denotes that for the whole world, t_{ij} is the trade barrier factor (inverse of unity minus the ad valorem barrier per unit of exports) between countries (regions) i and j, assumed to be the same as t_{ji}, and P_i is their key notion of aggregate trade resistance, or simply, the consumer price index of country i. The parameter σ is the elasticity of substitution between imports from various origins. The authors' estimation results of (1) produce a much smaller effect of the US-Canada border on trade than what was found out by McCallum.

What is striking about (1) is that it implies total symmetry in trade flows, i.e., $X_{ij} = X_{ji}$, which does not prevail in reality, as mentioned above. Therefore, a more general approach is in place. In this paper we derive a model for bilateral trade flows, expanding on the framework used by Anderson and van Wincoop, by explicitly introducing monopolistic competition in the export market, and by also allowing for asymmetry in trade. We estimate the model for trade flows between European countries to determine the factors behind the trade asymmetries.

The paper proceeds as follows. The gravity model is derived in Section 2 and in Section 3 we present its estimation for trade flows between 27 European countries in 1999. Section 4 illustrates, how to use the estimated model to derive general equilibrium effects of trade policies, which is then applied to evaluate the effect, through trade, of possible UK joining EMU. Here again, the issue of asymmetry turns out to be quite crucial as to the magnitude of the effects of integration policies.

2. A MODEL OF BILATERAL TRADE

The specification of the demand for imports from various countries here follows that of Anderson and van Wincoop, with some minor modifications. The import demand functions in country j, j = 1,…,N, are derived from a CES utility function for aggregate consumption D_j,

$$(2) \qquad D_j = \left[\sum_{i=1}^{N} a_{ij}^{1/\sigma} Q_{ij}^{(\sigma-1)/\sigma} \right]^{\sigma/(\sigma-1)}, \ \sigma > 0 ,$$

where Q_{ij} is the volume of exports from country i to j, the a_{ij}'s are the country-specific positive preference (distribution) parameters summing to unity and σ is, again, the elasticity of substitution between imports from various origins. The import demand functions are then

$$(3) \qquad Q_{ij} = a_{ij} D_j \left(\frac{p_{ij}}{P_j}\right)^{-\sigma},$$

where p_{ij} is the price set by the exporters of country i in the market of country j, inclusive of the cost of trade barriers and, being dual to the quantity index (2), P_j represents the CES price index of the consumption basket in country j,

$$(4) \qquad P_j = \left[\sum_{i=1}^{N} a_{ij} p_{ij}^{1-\sigma} \right]^{1/(1-\sigma)} .$$

From (3) we can derive the market share of the value of exports $X_{ij} = p_{ij}Q_{ij}$ in country j, in relation to its GDP, yielding

$$(5) \qquad \frac{X_{ij}}{Y_j} = a_{ij} \left(\frac{p_{ij}}{P_j}\right)^{1-\sigma} ,$$

where Y_j is the GDP (in nominal terms) of country j and the budget constraint $Y_j = P_jD_j$ is imposed.

We next consider the export supply decision of a monopolistic firm of country i in the market of country j. For this we need to specify that aggregate demand D_j is given by the function

$$(6) \qquad D_j = b_j P_j^{-\varepsilon}, \varepsilon > 0 \ ,$$

where b_j is a scale factor representing the size of the country concerned. Note that typically $\varepsilon < \sigma$. Let there be K_i identical exporting firms in country i. The optimal supply decision of an exporter in country i maximizing profit in market j is given by

$$(7) \qquad p_{ij}(1 + \varepsilon(p_{ij}, Q_{ikj})) = t_{ij}c_i \,,$$

where c_i is the marginal cost of production in country i and Q_{ikj} denotes the volume of exports of firm k of country i in the market of country j, t_{ij} is, as in Eq. (1), the trade barrier factor (inverse of unity minus the ad valorem barrier per unit of exports) between countries (regions) i and j, and $\varepsilon(z_i,z_j)$ denotes the elasticity of the variable z_i with respect to the variable z_j. Using (3), (6) and the general result from index number theory that $\varepsilon(D_j,Q_{ikj}) = s_{ikj} = X_{ikj}/Y_j$, i.e., the market share of exporter k in the market of country j, and summing over the identical K_i firms, we get the following from (7),

$$(8) \qquad p_{ij}\left[K_i(1-\sigma^{-1}) + (\sigma^{-1} - \varepsilon^{-1})(s_{ij} + h_j(1-s_{ij}))\right] = K_i c_i t_{ij} \ .$$

Here h_j is the conjectural variation parameter in the proportional output game[2] (see e.g., Smith and Venables, 1988 and Alho, 1996 and the appendix for more details) and s_{ij} is the

[2] I.e., the parameter h_j is in relative terms the output response by the competitors to a one percent rise in the output of the firm concerned in market j. If h_j is, e.g., zero, we have the case of Cournot competition.

aggregate market share of country i in the market of country j, $s_{ij} = \sum_{k=1}^{K_i} s_{ikj} = X_{ij}/Y_j$. The supply equation (8) allows for price discrimination between various export markets. It is therefore more general than the approach of Anderson and van Wincoop, who assume uniform pricing, which takes place when competition is perfect ($h_j = -s_{ij}(1-s_{ij})^{-1}$ and σ approaches infinity). Note that under perfect competition, the export price only depends on the unit cost and the respective trade barrier. But otherwise under imperfect competition, the bigger the country, measured by the number of firms, the lower the export price which its firms charge.

We next need a model for the determination of the cost levels c_i and introduce therefore the following framework. Assume simply that labour L is the only factor of production and that there are constant returns to scale, $Q_i = A_i L_i$, where Q is the volume of GDP. Let the utility function U of workers be simply, in a standard manner, $U_i = \log(D_i) - \frac{1}{\nu} L_i^{\nu}$, where $\nu > 0$. Now optimizing under the budget constraint $P_i D_i = W_i L_i + \pi_i$, where W is the wage rate and π aggregate profits, we get the result for wage formation,

(9) $$W_i = P_i D_i L_i^{\nu-1} = Y_i L_i^{\nu-1} \ .$$

In the next step, in deriving the unit cost $c_i = W_i/A_i$, we could take two approaches. First, we could take the technology, as incorporated in the parameter A, to be identical in all the countries. But, as the countries in our empirical sample of European countries, on which we shall estimate the gravity model, are widely apart from each other as to their income levels and thereby productivities, this assumption of uniformity is not very sensible. There-

fore, we allow for differences in productivities and write A_i, being the average labour productivity, as $A_i = Q_i/L_i = Y_i/P_iL_i$.[3] So, we get for the unit cost

$$(10) \qquad c_i = W_i / A_i = P_i L_i^{\nu} \ .$$

It depends simply on the price level in the country and positively on the size of the country, if ν is positive, measured by the labour force, which will be below captured by population.

We further assume that that the average size $\overline{Q}$ of the firms is identical in all the countries, so that $K_i \overline{Q} = Q_i = Y_i/P_i$. Normalise then this average size to unity, and insert this result and (10) into (8). We can, by equating export demand (4) with supply (8), solve then for export price p_{ij} from the equilibrium condition,

$$(11) \qquad AY_i \left[P_i^{-1}(1-\sigma^{-1}) - \frac{t_{ij} L_i^{\nu}}{p_{ij}} \right] - \frac{h_j}{1-h_j} = a_{ij} \left(\frac{p_{ij}}{P_j}\right)^{1-\sigma} \ ,$$

where $A^{-1} = (\varepsilon^{-1}-\sigma^{-1})(1-h_j) > 0$. Insert next this equilibrium solution (11) for the export price in market j into the export demand equation (4). Using the approximation that $\log(x + y) \approx \log(x) + \log(y) + o(x^2) + o(y^2)$, we can solve for the bilateral exports to be as follows, returning back to a power function specification,

$$(12) \qquad X_{ij} = \frac{Y_j Y_i^{\mu} t_{ij}^{-\mu} a_{ij}^{\mu}}{P_i^{\mu} P_j^{-\mu} L_i^{\mu\nu}} \ , \text{ where } \mu = \sigma^{-1}(\sigma-1) \ .$$

The parameter μ is thus positive and smaller than unity, if the elasticity of substitution σ is higher than unity. In addition, the function (12) includes higher order terms for Y_i, P_i, and P_j and the parameter h is assumed to be uniform in all markets. Note that, as mentioned

[3] Note that as aggregate demand is identically equal to aggregate supply (GDP), i.e. $P_i^Q Q_i = P_i D_i$ where P_i^Q is the price on GDP, these prices P_i^Q and P_i are also identical.

above, under perfect competition, the Y_i variable is not present in (10), and not in (12), either.

There are several differences between specifications (12) and (1). The coefficients of Y_i and Y_j are normally different from each other in (12), and the coefficients of the price level in the exporting and importing countries are now also equal, but of opposite sign, in contrast to Eq. (1) where they are identical.

3. ESTIMATION AND TESTING FOR ASYMMETRY IN EUROPEAN TRADE

As an illustration, let us estimate the basic trade equation (12) for trade flows between 27 European countries in 1999, the first year of Economic and Monetary Union (EMU), and compare it to the specification (1) of Anderson and van Wincoop. We consider the following regions of countries in our estimations: those countries belonging to EMU, the EU, EU Accession Countries in Central and Eastern Europe, EFTA and Russia. We specify the preference parameters a_{ij} to be simply a function of common language, representing a common culture in the exporting and importing country. The trade barriers are captured by the following specification:

$$t_{ij} = c d_{ij}^{\lambda} e^{\varsigma b_{ij} + \delta n_i + \phi n_j + \sum_{k,m} \beta_{km} r_{ij}(k,m)} \quad . \tag{13}$$

Here d_{ij} is the distance between countries i and j, b_{ij} is the common-border indicator, equal to unity if countries i and j share a common border and zero otherwise, and n_i is unity if i is an island. The term $r_{ij}(k,m)$ is the regional integration indicator for exports from the region of countries k to region m, and equals unity if country i belongs to region k and country j

belongs to region m, and zero otherwise. So, we allow for trade barriers to be potentially asymmetric in exports from region k to m and from m to k, i.e. that β_{km} may be different from β_{mk}.[4] Trade within the EU Internal Market is the reference point.

The relative price indices, P_j relative to that in other countries, are here calculated from measured price data as the relation between the current exchange rate of the currency concerned in terms of USD and its corresponding purchasing power parity (PPP) rate. Anderson and van Wincoop (2003) recommend against using measured prices because they are largely based on prices of nontradables. However, normally nontradables and tradables prices are positively related to each other. On the other hand, this information on relative prices between the countries is readily available. Their use also offers a neat way to carry out general equilibrium type of simulations related to changes in trade barriers, see Section 4.

The estimation results, using SUR, are the following. The common culture variable did not turn out to be significant, and is therefore omitted from the results. The inclusion of the labour force in the exporting country, captured here by population, which should have a negative coefficient, see (12), was met as to this property, but otherwise this specification was not successful in the sense that then the coefficient of the income variable Y_i got a coefficient which is higher than unity and which is against our theoretical model (12). Therefore, we imposed in (12) the constraint that the disutility of labour parameter ν goes to zero, which removes the labour force from the unit cost c_i, see (9) above. The estimation results in Table 1 are presented using this specification.

[4] EMU is a subset of the EU, which has to be taken into in the interpretation of the coefficients of the respective dummy variables.

Table 1. Estimation of the bilateral trade model for European countries (the log of the market share of bilateral exports X_{ij}/Y_j as the dependent variable)

Explanatory variable	Model 1 (Eq. (1))		Model 2		Model 3 (Eq. (12))	
	Coeff.	(St. error)	Coeff.	(St. error)	Coeff.	(St. error)
Constant	−8.650	(0.143)	−7.560	(0.259)	−7.497	(0.831)
Log(Y_i)	1.000	(0)	0.949	(0.019)	0.846	(0.037)
Log(P_j)	−0.360	(0.026)	−0.454	(0.022)	0.846	(0.037)
Log(P_i)	−0.360	(0.026)	−0.151	(0.052)	−0.846	(0.037)
Y_i^2					0.0 +	
P_j^2					−0.944	(0.136)
P_i^2					1.176	0.132)
Log(distance)	−1.231	(0.020)	−1.313	(0.016)	−1.164	(0.062)
Common border	0.179	(0.031)			0.150	(0.104)
i island	0.129	(0.079)			0.251	(0.110)
j island	−0.216	(0.052)			−0.227	(0.122)
Regional integration dummies	Yes*		No		Yes	
R_C^2	0.559		0.801		0.916	
F-test of symmetry of regional trade barriers	11.487**		.		13.338**	
F-test of coeff. of Y_i being unitary	.		7.590***		.	

* The barriers are constrained to be symmetric, $\beta_{km} = \beta_{mk}$ for all k, m, in Eq. (12), similarly as in Eq. (1)
** $p < 0.001$
*** $p < 0.01$
\+ The t-statistic of this coefficient is 1.8.

We see that Anderson and van Wincoop's model, presented in Equation (1) above, is not very well supported by the data, see Model 1 in Table 1 and its rather weak explanatory power in comparison to the other models. Models 2 and 3 are, instead, based on our preferred specification in Equation (12) and its versions. Model 3 is based on our gravity equation as specified above in (12) and its constraints imposed.

The hypothesis that trade barriers representing the various stages of regional economic integration are symmetric, i.e., that $\beta_{km} = \beta_{mk}$ for all pairs of k and m, is clearly rejected, as shown in the estimation results of Model 3 and also Model 1. Also the coefficient of Y_i differs significantly from unity, which points to another asymmetry in the specification of the trade equation, in contrast to Equation (1). The effect of a common border on mutual trade is found to be 21 percent, which is similar to the estimate by Anderson and van Wincoop

concerning the effect of the Canada-US border on trade. The estimate of the elasticity of substitution, σ, is 6.5 on the basis of Model 3, as solved from Eq. (12) above.

4. SIMULATION OF A CHANGE IN TRADE BARRIER

Simulating changes in trade barriers t_{ij}, so that their general equilibrium effects through the price variables and income levels are taken into account, is an important issue raised by Anderson and van Wincoop. We suggest a computationally straightforward way to carry this out. Like Anderson and van Wincoop, we first need to make an assumption about the elasticity of substitution σ. But what is neat in our model, is that it the estimation of it, at the same time, produces us an estimate of σ, see (12). The change in the trade barrier t_{ij} has both a direct impact on trade, and an indirect one through a change in the price level P_j. To find out the latter, we can solve from (5) the change in the price ratio p_{ij}/P_j from the change in the market share of exports resulting from a change in t_{ij}. Denote by δ_{ij} the elasticity of exports X_{ij} with respect to t_{ij} divided by $1-\sigma$ in Equation (5). After that we can solve for the elasticity $\varepsilon(P_j,t_{ij})$ from the identity

$$(14) \qquad \varepsilon(P_j,t_{ij}) = \varepsilon(P_j,p_{ij})\varepsilon(p_{ij},t_{ij}) = s_{ij}(\delta_{ij} + \varepsilon(P_j,t_{ij})),$$

where we have used, again, the above-mentioned general property in index number theory that $\varepsilon(P_j,p_{ij}) = s_{ij}$.[5] From (14) we can solve the expression needed in the general equilibrium simulations of changes in trade barriers,

$$(15) \qquad \varepsilon(P_j,t_{ij}) = \frac{s_{ij}\delta_{ij}}{1-s_{ij}}.$$

[5] In deriving the last step of Eq. (14), we use the identity $p_{ij} = (p_{ij}/P_j)P_j$.

This allows us to take into account the indirect effect of a change in t_{ij} on P_j and further to the trade flow, using the gravity model, in addition to the direct effect estimated above. The changes in the trade barriers have an impact on the income levels, too. These can be captured using the identity,

$$(16) \qquad dY_i = \sum_{i \neq j} dX_{ij} + dX_{ii} = \sum_{i \neq j} dX_{ij} - \sum_{j \neq i} dX_{ji} ,$$

as the rise in total imports to country j offsets the sales by the domestic firms to the domestic market.

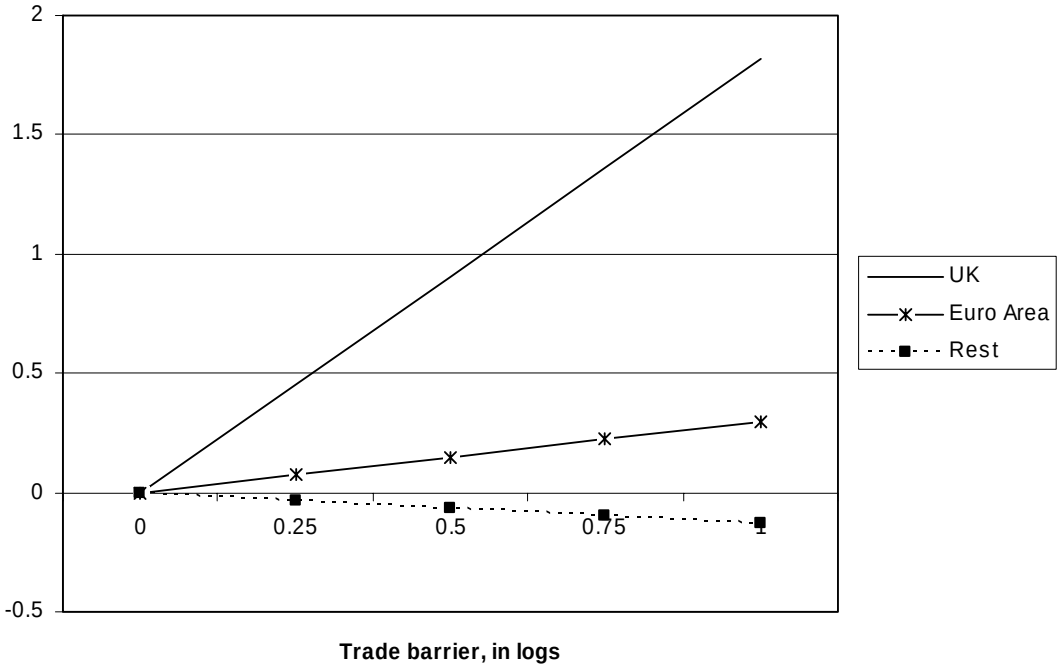
Let us now use this framework, and the estimated gravity model, to make an analysis of the general equilibrium effects of possible UK joining EMU. For this simulation, we take the trade equation as estimated in Model 3 in Table 1 and combine it with the price impact as shown in (15) and the income identity in (16). We disaggregate the countries into three groups: the UK, the Euro Area and the rest of Europe. We allow for the trade barrier to be dismantled from UK exports to the Euro Area and respectively in exports from the Euro Area to the UK, if such barriers exist.

The relevant impacts of the trade barriers in the trade between the UK and Euro Area are the estimated coefficients, see the definition in (13) above, $\beta_{EMU,EU,}$ $\beta_{EMU,EMU}$ and $\beta_{EU,EMU.}$ The total initial impact on UK exports of joining EMU is then $\beta_{EMU,EMU} - \beta_{EU,EMU}$ and that for EMU area exports to the UK being $\beta_{EMU,EMU} - \beta_{EMU,EU}$. The estimates of these coefficients are according to our estimation, $\beta_{EMU,EU} = -0.617$ and $\beta_{EMU,EMU} = 0.499$ and $\beta_{EMU,EU} = 0.378$. Thereby the barrier (measured now by its impact on trade, see Eq. (12) to see the difference between barrier t_{ij} and its effect on trade, i.e. $t_{ij}^{-\mu}$) in UK exports into Euro Area is their difference, i.e. −1.116, and which is zero with probability 0.0245. But the reverse barrier existing in EMU countries' exports into the UK is 0.12, and does not differ signifi-

cantly from zero. So, the estimation result shows that the impact of joining EMU would boost markedly the exports of UK, but not reverse. In recent studies on trade impact of EMU, like Micco et al. (2004) and Barr et al. (2004), where only the case of symmetric trade barriers is considered, the barrier estimates, reached as to the impact of EMU vs. non-EMU membership, are much smaller than those here. So, let us consider two cases, first, that of abolishing identical barriers in exports and imports of UK with the Euro Area, and, secondly, that of asymmetric barriers, i.e., there being one only in UK exports to EMU but not in reverse trade. Due to the markedly diverging estimates of barriers, reached in the literature, we also allow the estimate of the existing barrier to vary in size.

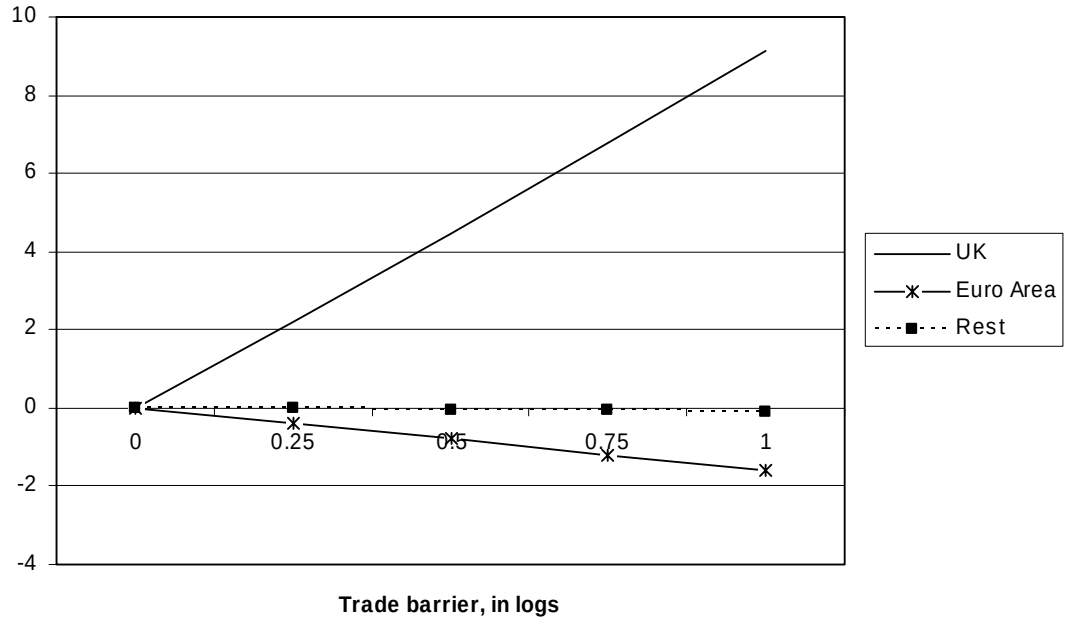
We depict in Figure 1 the outcome on real GDP when symmetric barriers are assumed to be dismantled between the UK and the Euro Area.

Figure 1. The impact of UK entrance into EMU on real GDP, percentage deviation from the initial equilibrium, the case of symmetric initial trade barriers existing between the UK and the Euro Area



Both the UK and Euro Area gain from a liberalisation of trade, as normally, but the UK much more, as is also the basic effect of mutual trade liberalisation for a smaller region, being more open with respect to the bigger region, than the reverse. The gains are, of course, the bigger, the larger the initial barrier existing in trade. There is a also slight negative effect, through trade diversion, on those countries remaining outside. In Figure 2, we have the situation of asymmetric barriers so that they only apply presently to UK exports to the Euro Area, but not to reverse trade.

Figure 2. The impact of UK entrance into EMU on real GDP, percentage deviation from the initial equilibrium, the case of asymmetric trade barriers (only applying in UK exports to EMU)



In this case, in contrast to the symmetric case, the Euro Area loses, but the gain to the UK is now very much bigger than before, as there is only a small offset through a rise in imports from the Euro Area to the UK. The rest of Europe is not affected by this policy. The issue of symmetry vs. symmetry of trade barriers is therefore an important aspect also as to the outcome of integration policies. In our estimated gravity model, the test of equality of

these two barriers, i.e. those in exports from the UK into the Euro Area and in the reverse trade, is strongly rejected.[6]

5. CONCLUSION

We have in this paper derived a gravity model for trade, explicitly based on monopolistic competition, giving up the property that bilateral trade flows are symmetric. We have also found that this more general specification receives strong empirical support and is important as to the outcome of the trade policy simulations with the aid of the model, too.

REFERENCES

Alho, K. (1996): Identification of Barriers in International Trade, in Alho, K., Erkkilä, M. and Kotilainen, M. (eds.), The Economics and Policies of Integration − A Finnish Perspective, Kluwer Academic Publishers, 37-54.

Alho, K. (2003): "The Impact of Regionalism on Trade in Europe", ETLA, The Research Institute of the Finnish Economy, Discussion paper, No. 834.

Anderson, J.E. (1979): "A Theoretical Foundation for the Gravity Equation", The American Economic Review, Vol. 69, No. 1, March, 106-116.

Anderson, J.E. and van Wincoop, E. (2003): "Gravity with Gravitas: A Solution to the Border Puzzle", The American Economic Review, Vol. 93, No. 1, March, 170-192.

Barr, D., Breedon, F. and Miles, D. (2003): "Life on the Outside: Economic Conditions and Prospects Outside Euroland", Economic Policy, No. 37, 573-613, October.

McCallum, J. (1995): "National Borders Matter: Canada-U.S. Regional Trade Patterns", The American Economic Review, Vol. 85, No. 3, June, 615-623.

Micco, A., Stein, E. and Ordonez, G. (2003): "The Currency Union Effect on Trade: Early Evidence from EMU", Economic Policy, No. 37, 317-356, October.

Smith A. and Venables A.J. (1988): "Completing the Internal Market in the European Community: Some Industry Simulations", European Economic Review, Vol. 32, No. 7, June, 1501-1525.

[6] I.e. we test equality of estimates of the coefficients $\beta_{EMU,EU}$ and $\beta_{EU,EMU.}$

APPENDIX. DERIVATION OF THE ELASTICITY IN EQUATION (8)

Taking the standard result (7) as a starting point, we can express the elasticity term $\varepsilon(p_{ij}, Q_{ikj})$ in it as follows. Let us first write

$$\text{(A1)} \qquad p_{ij} = \frac{p_{ij}}{P_j}\frac{P_j}{D_j}D_j \ ,$$

and then differentiate both sides logarithmically with respect to Q_{ikj}. Defining h_j as the conjectural variation parameter in the proportional output game, the last term of the differentiation of (A1) gives

$$\text{(A2)} \qquad \frac{d\log D_j}{d\log Q_{ikj}} = \frac{\partial \log D_j}{\partial \log Q_{ikj}} + \frac{d\log Q_j^R}{d\log Q_{ikj}} = s_{ikj} + (1-h_j)s_{ikj} \ ,$$

where Q_j^R is the supply of other firms to the market j and where we have used the basic result of index number theory that that $\varepsilon(D_j,Q_{ikj}) = s_{ikj} = X_{ikj}/Y_j$, i.e., the market share of exporter k of country i in the market of country j.

The first term of the logarithmic differentiation of (A1) is, on the basis of (5) and using (A2), equal to $-\sigma^{-1}(1-(s_{ikj}+(1-h_j)s_{ikj}))$. The second term is, using the definition (6), equal to $-(\varepsilon^{-1}+1)(s_{ikj}+(1-h_j)s_{ikj})$. Combining these three terms gives us the elasticity between the export price and the quantity supplied, included in the export supply optimum, as

$$\text{(A3)} \qquad \varepsilon(p_{ij}, Q_{ikj}) = -\sigma^{-1} + (-\sigma^{-1} - \varepsilon^{-1})(s_{ikj} + (1-h_j)s_{ikj}) \ .$$

This is then inserted into (7) and summed over the K_i firms in country i to give equation (8).

E L I N K E I N O E L Ä M Ä N T U T K I M U S L A I T O S (ETLA)
THE RESEARCH INSTITUTE OF THE FINNISH ECONOMY
LÖNNROTINKATU 4 B, FIN-00120 HELSINKI

Puh./Tel. (09) 609 900 Telefax (09) 601753
Int. 358-9-609 900 Int. 358-9-601 753
http://www.etla.fi

KESKUSTELUAIHEITA - DISCUSSION PAPERS ISSN 0781-6847

Julkaisut ovat saatavissa elektronisessa muodossa internet-osoitteessa:
http://www.etla.fi/finnish/research/publications/searchengine

No 930 KARI E.O. ALHO, Palkankorotusten vaihtoehdot ja talouden kasvu – toimialatarkasteluja Suomen teollisuudella. 04.10.2004. 17 s.

No 931 EDVARD JOHANSSON – HANNU ALHO – URPO KIISKINEN – KARI POIKOLAINEN, Abstaining from Alcohol and Labour Market Underpreformance – Have we forgotten the "dry" alcoholics? 23.09.2004. 12 p.

No 932 MATTHIAS DESCHRYVERE, Health and Retirement Decisions: An Update of the Literature. 24.09.2004. 35 p.

No 933 MATTHIAS DESCHRYVERE, Labour Force Behaviour of Elderly Two Adult Households: Evidence from EU-countries. 24.09.2004. 50 p.

No 934 JARI HYVÄRINEN, EU Outsourcing to the East, Governance and Innovation Systems in the Baltic Countries – A Three-Stage Approach. 27.09.2004. 70 p.

No 935 VILLE KAITILA, Integration and Conditional Convergence in the Enlarged EU Area. 07.10.2004. 17 p.

No 936 MIKA PAJARINEN – PEKKA YLÄ-ANTTILA, Miksi yritykset investoivat ulkomaille? Yrityskyselyyn perustuva analyysi. 08.10.2004. 23 s.

No 937 OTTO TOIVANEN, Choosing Standards. 11.10.2004. 31 p.

No 938 TERTTU LUUKKONEN, Patentointi biotekniikka-alalla. 15.10.2004. 14 s.

No 939 ESSI EEROLA – NIKU MÄÄTTÄNEN – PANU POUTVAARA, Citizens Should Vote on Secession. 20.10.2004. 15 p.

No 940 MIKA WIDGRÉN – PEKKA SULAMAA, Aasian regionalismi vs. globaali vapaakauppa: Simulointitutkimus taloudellisista vaikutuksista. 21.10.2004. 23 s.

No 941 MIKA WIDGRÉN, Suomen, Aasian ja uusien EU-maiden suhteellinen etu ja kilpailuasetelmien muutos. 21.10.2004. 28 s.

No 942 MIKA MALIRANTA – SATU NURMI, Do Foreign Players Change the Nature of the Game among Local Entrepreneurs? 26.10.2004. 22 p.

No 943 JYRKI ALI-YRKKÖ, Impact of Public R&D Financing on Private R&D – Does Financial Constraint Matter? 29.10.2004. 22 p.

No 944 STEFAN NAPEL – MIKA WIDGRÉN, The Inter-Institutional Distribution of Power in EU Codecision. 05.11.2004. 26 p.

No 945 MATHIAS CALONIUS, Luovan yhteiskunnan rakenteet, luovat toimialat ja muotoiluala. 08.11.2004. 31 s.

No 946 ARI HYYTINEN – MIKA PAJARINEN, Is the Cost of Debt Capital Higher for Younger Firms? 11.11.2004. 17 p.

No 947 MARKKU STENBORG, Explaining Open Source. 11.11.2004. 34 p.

No 948 OLAVI RANTALA, Toimialojen T&K-panostusten ja tuottavuuden ennustejärjestelmä – Julkisen t&k-rahoituksen vaikuttavuus ja tuottavuuden pitkän ajan kasvu. 12.11.2004. 54 s.

No 949 CHRISTOPHER PALMBERG – OLLI MARTIKAINEN, The Finnish Telecom Sector Facing next Generation Standards – Indigenous Capabilities Versus R&D Alliances. 17.11.2004. 26 p.

No 950 ARI HYYTINEN – LOTTA VÄÄNÄNEN, Mandatory Auditor Choice and Small Firm Finance: Evidence from Finland. 22.11.2004. 31 p.

No 951 HANNU PIEKKOLA – MATTHIAS DESCHRYVERE, Retirement Decisions and Option Values: Their Application Regarding Finland, Belgium and Germany. 23.11.2004. 46 p.

No 952 TUOMAS MÖTTÖNEN, Turvallisuus ja kilpailukyky – kansainvälisten kilpailukykymittareiden valossa. 25.11.2004. 79 s.

No 953 SERGEY BOLTRAMOVICH – PAVEL FILIPPOV – HANNU HERNESNIEMI, The Innovation System and Business Environment of Northwest Russia. 07.12.2004. 47 p.

No 954 TUOMAS MÖTTÖNEN, Totilaallinen T&K-panostus ja kilpailukyky. 25.11.2004. 29 s.

No 955 RAINE HERMANS – ANNE ARVOLA – LEENA HAUHIO – MAARIT LINDSTRÖM – HANNA NIKINMAA – PANU TIKKA – OLLI HALTIA, Bioteknologisten sovellusten arvonluonti Suomen metsäklusterissa. 03.12.2004. 28 s.

No 956 SATU NURMI, Employment Dynamics and Openness to Trade in Finnish Manufacturing. 01.12.2004. 28 p.

No 957 DEREK C. JONES – PANU KALMI – MIKKO MÄKINEN, The Determinants of Stock Option Compensation: Evidence from Finland. 01.12.2004. 32 p.

No 958 EDVARD JOHANSSON, Job Satisfaction in Finland – Some results from the European Community Household panel 1996-2001. 01.12.2004. 46 p.

No 959 HANNU PIEKKOLA – ANNI HEIKKILÄ, Active Ageing and Pension System: Finland. 07.12.2004. 35 p.

No 960 ANTTI KAUHANEN, Yrittäjien ansiot, työajat ja työkuormitus: Selvitys ekonomien ja insinöörien yrittäjyydestä. 09.12.2004. 22 s.

No 961 ANNI HEIKKILÄ, The Regional Distribution of Professional Competence in Finland. 16.12.2004. 20 p.

No 962 KARI E.O. ALHO, A Gravity Model under Monopolistic Competition. 31.12.2004. 15 p.

Elinkeinoelämän Tutkimuslaitoksen julkaisemat "Keskusteluaiheet" ovat raportteja alustavista tutkimustuloksista ja väliraportteja tekeillä olevista tutkimuksista. Tässä sarjassa julkaistuja monisteita on mahdollista ostaa Taloustieto Oy:stä kopiointi- ja toimituskuluja vastaavaan hintaan.

Papers in this series are reports on preliminary research results and on studies in progress. They are sold by Taloustieto Oy for a nominal fee covering copying and postage costs.