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NAÏVE AND CAPRICIOUS
STUMBLING INTO THE RING OF SELF-CONTROL CONFLICT

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Abstract

Naïve and capricious: Stumbling into the ring of self-control conflict∗

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We model self-control conflict as a stochastic struggle of an agent against a visceral influence, which impels the agent to act sub-optimally. The agent holds costly pre-commitment technology to avoid the conflict altogether and may decide whether to procure pre-commitment or to confront the visceral influence. We examine naïve expectations for the strength of the visceral influence; underestimating the visceral influence may lead the agent to exaggerate the expected utility of resisting temptation, and so mistakenly forego pre-commitment. Our analysis reveals conditions under which higher willpower - and lower visceral influence - reduces welfare. We further demonstrate that lowering risk aversion could reduce welfare. The aforementioned results call into question certain policy measures aimed at helping people improve their own behavior.

Keywords: self-control, temptation, inter-temporal choice, pre-commitment

JEL Classification: D01, D03, D69, D90
1. Introduction

Characteristic of the human condition is the struggle between reason and passion—the duel between better judgment and temptation. While some wield a will of iron, and so overcome temptation without much ado, others do not even find it worth their while. Most of us, however, are somewhere in between, trying to determine when, whether, and how to resist (for a review, see e.g. Fredericks et al., 2002). In this endeavor, we are often endowed with the aid of foresight and the technology of pre-commitment; we may anticipate that the cookie is approaching, and we may know how to avoid it—by taking the alternative route away from the bakery. However, foresight is limited (e.g., O’Donoghue and Rabin, 1999; Giordano et al., 2005), and pre-commitment technology is costly (e.g., Thaler and Shefrin, 1981; DellaVigna and Malmendier, 2006).

Attempting a modeling approach that is as simple as possible, yet true to the psychological spirit of the self-control problem, we consider an agent who possesses partial naïveté in her appraisal of visceral influence—or strength of temptation—and for whom effort to resist temptation is costly. Specifically, we examine the decision to confront temptation versus procure pre-commitment. Our analysis reveals conditions under which higher willpower may yield welfare loss; the naïve individual, underestimating the strength of the impending temptation, may with higher willpower mistakenly choose to take on the temptation over procuring pre-commitment—where she would not with lower willpower. Following a similar logic, our analysis reveals conditions under which a lower visceral influence—or weaker

3 “I am indeed a king, because I know how to rule myself.” – Pietro Aretino
4 “I can resist anything but temptation.” – Oscar Wilde
5 For a discussion on the role and properties of visceral influences, see Loewenstein (1996; 2000) and O’Donoghue and Loewenstein (2007).
temptation—yields welfare loss; the naïve individual may upon anticipating a lower visceral influence mistakenly choose to take on the temptation over procuring pre-commitment—where she would not had the visceral influence been stronger. Because we model self-control conflict as a stochastic process with a dichotomous outcome (win = resist, lose = succumb), the decision to forego pre-commitment may be seen as a choice of a gamble over a certain outcome (procuring pre-commitment). Hence, reducing risk aversion may lead to welfare loss; the partially naïve individual may mistakenly forego pre-commitment and take on the conflict—where she would not with greater risk aversion.

Of psychological interest, we find that optimal self-control effort follows an inverted U-shape with respect to the strength of temptation and that raising risk aversion reduces optimal effort to be spent in a struggle against temptation.

2. A Model of Self-Control Conflict

2.1. The Basic Model

This section outlines the basic model of self-control conflict, first by considering the agent’s decision problem, second by considering the agent’s resulting maximization problem, and third by deriving her reaction function. Our model features a two-period decision problem, and the agent is assumed to hold the following properties:
ASSUMPTION 1: The agent is an expected utility maximizer, with a utility function given by

\[ U(x, e) = u(x) - c(e), \]

\[ u(x) = x^\alpha \]

\[ c(e) = e / \omega \]

\[ \alpha \leq 1, \]

\[ \omega \geq 0, \]

\[ e \geq 0, \]

where \( x \) is the payoff; the restriction on \( \alpha \) implies that the agent is risk neutral or risk averse; \( \omega \) is a willpower parameter that augments the cost \( c(e) \) of self-control effort \( e \), none of which can be negative.

We next consider the agent’s choice alternatives. We assume two mutually exclusive decision outcomes, \( g \) and \( a \), with \( g \) representing payoff from the goal—not consuming the cookie—and with \( a \) representing payoff from indulgence or temptation—consumption of the cookie. Moreover, we assume that \( U(g, 0) > U(a, 0) \), such that the utility of achieving the goal \( g \), in the absence of effort \( e \), is greater than that from indulging in the tempting alternative \( a \), also in the absence of effort \( e \). This assumption defines the domain of the self-control problem, wherein the agent would prefer the goal payoff \( g \), but—due to visceral influences of the tempting alternative—the cravings triggered by the smell and sight of the cookie—she would in the absence of a mitigating force—the effort to resist or pre-commitment technology—instead choose the tempting alternative, the payoff of which we denote \( a \).
The agent’s decision problem (Figure 1) consists of two stages. At the pre-commitment stage (Stage 1), the agent anticipates the visceral influence of the temptation soon to come. That is, the agent is not yet starring down the temptation and so visceral influences are not yet interfering with choice. But the agent knows with certainty that the temptation will arise, and she is equipped at this stage to apply a pre-commitment technology (PT)\(^6\) that ensures successful goal pursuit\(^7\). In other words, the cookie is approaching, but the agent knows an alternate route that will keep her a safe distance from the bakery. However, the pre-commitment technology is costly—the alternate route is more time-consuming—and we denote this cost \(c \geq 0\). Hence, the payoff associated with applying pre-commitment is \(g - c\).

Should the agent not apply pre-commitment (NPT), she proceeds to the conflict stage (Stage 2), where she may either attempt to exercise restraint (R) or indulge (I)\(^8\). Given that the visceral influence is positive, she will have to apply costly effort \(e \geq 0\) to attempt restraint (R). This takes us to a definition of self-control conflict:

**DEFINITION:** A self-control conflict occurs if and only if the following two conditions hold:

1. \(U(g, 0) > U(a, 0)\)
2. \(v > 0\)

\(^6\) Note that PT also denotes “personal trainers,” who are paid handsomely to function as pre-commitment technologies. An acquaintance of one of the authors is known to book PT-sessions on Sunday mornings to prevent himself from going out drinking on Saturday nights.

\(^7\) The first stage of our decision problem roughly corresponds to the “planner’s” decision problem in Thaler and Shefrin’s (1981) intrapersonal, two-agent “planner-doer” model.

\(^8\) The second stage of our decision problem roughly corresponds to the “doer’s” decision problem in Thaler and Shefrin’s (1981); in their model, however, the doer always goes for the tempting alternative.
The first self-control conflict condition in (1) states that in the absence of visceral influences (where zero effort is required), the utility from $g$—associated with exercising restraint ($R$)—is larger than that from $a$—associated with indulging ($I$). The second self-control condition (2) states that the visceral influence must be positive. Conditions (1) and (2) yield in isolation conflicting prescriptions for behavior, and we apply the following assumption to resolve the conflict.

**ASSUMPTION 2:** Given that (1) and (2) hold, the conflict between the agent, exerting effort $e$ and the visceral influence $v$ is resolved stochastically using the contest success function $e/(e+v) = p_{\text{win}}$.  

The probability of successful restraint, denoted $p_{\text{win}}$, increases in the agent’s own effort $e$ and falls in visceral influence $v$.

We solve the decision problem using backward induction, with the conflict stage as our point of departure. At the conflict stage, the agent first decides how much effort to exert, leading to an expected utility of conflict, which we denote $A$. Second, at the pre-commitment stage, and knowing the value of $A$ at the conflict stage, the agent has to decide whether or not to apply pre-commitment. Hence, we start by solving (3) the maximization problem of the agent at the conflict stage, leading us to Proposition 1, below:

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9 For a discussion of this and the logit form of contest success functions, see Skaperdas (1996) and Hirshleifer (1989).
PROPOSITION 1: Given risk neutrality ($\alpha = 1$), optimal self-control $e^*$ is given by the reaction function in (5)

\[
\begin{align*}
(3) & \quad \max_{e} \frac{e}{e+v}g + \left(1 - \frac{e}{e+v}\right)a - \frac{e}{\omega}, \\
(4) & \quad \text{s.t. } e \geq 0, \\
(5) & \quad e^* = -v + \sqrt{\omega v(g-a)}.
\end{align*}
\]

All proofs are in Appendix A.

B. The extended model: Underestimating visceral influence

Knowing that an individual in a “cold” state (about to enter the bakery) tends to underestimate the influence of a “hot” state (standing inside the bakery),\(^{10}\) we extend the basic model to account for naïve perception of the conflict stage from the vantage point of the pre-commitment stage. We denote by $s$, $0 \leq s \leq 1$, the agent’s degree of sophistication in correctly anticipating the strength of the visceral influence experienced at the conflict stage. When the parameter of sophistication equals one, the agent has full appreciation of the strength of the visceral influence; when the parameter equals zero, the agent’s naivété is complete, and she expects no visceral influence at all. The extended decision problem, incorporating the sophistication parameter, is given in Figure 2.

Figure 2 >>>

The maximization problem and reaction function for the extended decision problem are given below:

PROPOSITION 2: Given \( s < 1 \), naïve optimal self-control \( e^*_N \) is given by the reaction function in (8)

\[
\begin{align*}
(6) & \quad \max_{e} \frac{e}{e + s} g + \left(1 - \frac{e}{e + s}\right) a - \frac{e}{\omega}, \\
(7) & \quad s.t. \ e \geq 0, \\
(8) & \quad e^*_N = -sv + \sqrt{a sv (g - a)}.
\end{align*}
\]

3. Analysis

We first explore in the basic model the association between key variables. We next investigate in the extended model welfare implications of naïve expectations of visceral influences and the implications of changes in willpower, visceral influence, risk preferences, and in costs of pre-commitment.

3.1. The Basic Model

The reaction function obtained in (3) allows us to examine the agent’s optimal amount of effort exerted in the face of temptation as a function of the strength—or visceral influence—of said temptation:
PROPOSITION 3: Optimal self-control $e^*$ follows an inverted U with respect to visceral influence $v$.

Figure 3 >>>

As the visceral influence increases (Figure 3), the optimal level of effort to be exerted in the self-control conflict increases to a maximum, after which it declines to zero. This result is of psychological significance. The psychological literature has often presumed that an individual who yields to temptation either has failed to perceive the self-control conflict in the first place (Myrseth & Fishbach, 2009) or flat-out failed at her best attempts at resisting (e.g., Baumeister et. al, 2002). Our result implies a third possibility—that the individual, out of her own best interest, may have not have exerted much effort against the temptation.

We next consider the association between optimal effort and other key variables, namely the utility from the goal, the utility from the tempting alternative (to be distinguished from the visceral influence of the tempting alternative, discussed above), and the level of willpower:

COROLLARY 1: Effort rises in the utility from the goal, falls in the utility from the tempting alternative, rises in willpower, and falls in risk aversion

Naturally, a higher degree of effort implies a greater chance of successful restraint:

COROLLARY 2: Increases in the payoff from the goal and increases in willpower raise the probability of success, while increases in the utilities from the tempting alternative and the visceral influence reduce it; choice probabilities are monotonic in payoffs.
Having analyzed the association between the variables conditional on the agent reaching the second stage of the decision problem, we now define condition under which the agent will choose to employ pre-commitment technology—and hence avoid the second stage altogether:

PRE-COMMITMENT CONDITION 1: *When the following condition holds, the agent will prefer to apply pre-commitment technology (PT) to facing the temptation*

\[
(9) \quad u(g-c) \geq A,
\]

where \( A \), the expected utility from conflict, is attained by maximizing with respect to effort \( e \), i.e., using (5) in (3). That is, the agent prefers pre-commitment when the utility of applying pre-commitment technology exceeds or equals the expected utility from conflict.

3.2. *The extended model: Underestimating visceral influence*

We next consider how the naïve agent at the pre-commitment stage treats the decision problem:

PRE-COMMITMENT CONDITION 2: *The naïve agent will prefer to forego available pre-commitment to applying pre-commitment if the following condition holds*

\[
(10) \quad N \geq u(g-c),
\]

where \( N \), the naive expected utility of conflict, is attained from naïve maximization with respect to effort, i.e., using (8) in (6). The distinction between naïve and “sophisticated” maximization is
important because the naïve expected utility from conflict \((N)\) is weakly greater than the actual expected utility from conflict \((A)\):

**LEMMA 1:** Given \(s < 1\), the naïve expected utility from conflict \((N)\) always is greater than the actual expected utility from conflict \((A)\)

In turn, naïve estimates of the visceral influence will lead the agent to suboptimal decisions under the following conditions:

**WELLFARE LOSS CONDITION:** The naïve agent makes suboptimal decisions whenever both pre-commitment conditions \((9\) and \(10\)) hold (with strict inequality for one)

Pre-commitment conditions 1 and 2 define the range for which the naïve agent makes suboptimal decisions and consequently suffers welfare loss. We rely on these conditions throughout our subsequent analysis.

Moreover, for \(s < 1\), there exist values of willpower \(\omega\), costs of pre-commitment \(c\), values of risk aversion \(\alpha\), and of visceral influence \(v\), such that the agent makes suboptimal decisions—as summarized below:

**LEMMA 2 (WILLPOWER):** Given \(s < 1\), there exist values of willpower \(\omega\) such that \((9)\) and \((10)\) hold, so that the agent makes suboptimal decisions and suffers a welfare loss (Figure 4).

\[(11) \quad sv\Lambda \leq \omega \leq v\Lambda,\]
where \( \Lambda = \left[ c(g-a) + 2a\sqrt{c(g-a)+2a^2} \right] / c^2(g-a) \).

Figure 4 >>>

**LEMMA 3 (PRE-COMMITMENT COST):** *Given* \( s < 1 \), *there exist values of cost of pre-commitment* \( c \) *such that (9) and (10) hold, so that the agent makes suboptimal decisions and suffers a welfare loss (Figure 5).*

(12) \[ g - A \geq c \geq g - N \]

Figure 5 >>>

**LEMMA 4 (RISK AVERSION):** *Given* \( s < 1 \), *there exist values of risk aversion* \( \alpha \) *such that (9) and (10) hold, so that the agent makes suboptimal decisions and suffers a welfare loss*

Figure 6>>>.

---

\(^{11}\) This condition is given by the solution to a cubic function, which is analytically cumbersome. Hence we provide numerical examples to prove that there exist values of risk aversion such that the naïve agent makes suboptimal decisions.
EXAMPLE 3: Assume the following values for the model $g=4$, $a=2$, $v=.2$, $\omega=.3$, $s=.1$ and $c=.5$. Then the agent makes suboptimal decisions and suffers a welfare loss when the risk aversion parameter is approximately between .97 and .73.

LEMMA 5 (VICERAL INFLUENCE): Given $s < 1$, there exist values of visceral influence $v$ such that (9) and (10) hold, so that the agent makes suboptimal decisions and suffers a welfare loss.

Figure 7>>>\textsuperscript{12}

EXAMPLE 4: Assume the following values for the model $g=20$, $a=5$, $\alpha=1$, $\omega=1$, $s=.3$ and $c=10$. Then the agent makes suboptimal decisions and suffers a welfare loss when the visceral influence is approximately between 2.5 and 7.5.

Having established that naïve agents may make suboptimal decisions, we turn our attention to the relationship between the parameters of the model and the agent’s level of welfare, summarized below:

PROPOSITION 4: When the agent underestimates visceral influences $v$, increases in (i) willpower $\omega$ and (ii) cost of pre-commitment $c$, and reductions in (iii) risk aversion $\alpha$ and (iv) visceral influence $v$, can all lead to suboptimal decisions and welfare loss.

\textsuperscript{12} This condition is given by the solution to a cubic function, which is analytically cumbersome. Hence we provide numerical examples to prove that there exist values of visceral influence such that the naïve agent makes suboptimal decisions.
A particularly noteworthy result is that (i) raising an agent’s willpower may lead the agent to make suboptimal decisions and hence suffer welfare loss. That is, higher willpower for the naïve agent may not necessarily be a good thing. The intuition is straightforward (see Figure 4). The naïve agent, who at the pre-commitment stage underestimates the visceral influence, may still perceive that the expected value of procuring pre-commitment exceeds that of taking on conflict. However, higher willpower may alter this calculus, such that the perceived expected value of conflict exceeds that of pre-commitment—but such that the true expected value of conflict does not.

More in line with intuition is the result that (ii) higher cost of pre-commitment leads to welfare loss (see Figure 5). This result is obtained because the naïve agent, who initially would correctly procure pre-commitment, upon learning of a higher cost of pre-commitment might perceive the expected utility of taking on conflict as higher than that of procuring pre-commitment—even when the true expected utility of conflict remains lower than that of procuring pre-commitment. Hence, as a result of higher cost of pre-commitment, the naïf might choose to take on conflict even when she should not.

Similarly, (iii) upon experiencing reductions in risk aversion, the naïve agent, who initially would correctly procure pre-commitment, might perceive the expected utility of taking on conflict as higher than that of procuring pre-commitment—even when the true expected utility of conflict remains lower than that of pre-commitment (see Figure 6). Hence, as a result of lower risk aversion, the naïf might choose to take on conflict even when she should not.

Possibly least intuitive of all is our result (iv) that reducing the visceral influence might lead to welfare loss (see Figure 7). Upon observing that the visceral influence has dropped, the naïve agent, who initially would correctly procure pre-commitment, might perceive the expected utility of taking on conflict as greater than that of procuring pre-commitment—even when the
true expected utility of conflict remains lower than that of pre-commitment. Hence, as a result of a lower visceral influence, the naïf might choose to take on conflict even when she should not. In other words, lowering visceral influence raises both the perceived and the true expected utility of conflict, the former of which always is greater than the latter; when the expected utility of pre-commitment is higher than both, there is a possibility that the reduction in visceral influence lifts the perceived expected utility of conflict above that of pre-commitment—all while the true expected utility of conflict remains below that of pre-commitment.

4. Related literature

4.1. Economics

Although our model consists of a single decision maker, it may be derived as a reduced form of the dual-self model by Fudenberg and Levine (2006). They present a generalized model of that by Thaler and Shefrin (1981). The models by both Fudenberg and Levine (2006) and Thaler and Shefrin (1981) assume a “long-run self” (“planner”), who gains utility from the discounted sum of the utility of all “short-run selves” (“doers”). The agent in our model could be seen as containing the operating procedures of the planner, and the visceral influence as representing a function of the doer’s opportunity cost of restraint.

An important similarity between the Fudenberg and Levine (2006) model and ours is their specification of self-control cost as “opportunity-based:” in a given situation, raising the opportunity cost of restraint for the short-run self, raises self-control cost. While our cost of self-control does not directly depend on preferences by a short-run self, a higher visceral influence raises the cost of self-control (in the form of effort to resist). Because the magnitude of visceral influences can be thought of as measuring the difference between the short-run utility from
restraint and the short-run utility from indulgence, visceral influences can be interpreted as measuring the opportunity cost of the short-run self, as in the model of Fudenberg and Levine (2006). Furthermore, the preferred specification of self-control costs of Fudenberg and Levine (2006) is convex, to account for cognitive load. In our model, costs are linear, but—due to the non-linear nature of the contest-success function in the maximization problem—the benefit function is concave. Our concave benefit function and linear cost function, taken together, is technically equivalent to the linear benefit function and convex cost of Fudenberg and Levine (2006).

Alternatively, taking the Gul and Pesendorfer (2001, 2004) axiomatic model as a starting point, one could also derive a stochastic model similar to ours. The authors consider a single player who has preferences for choice sets that limit the available alternatives. That is, the agent may prefer a subset of alternatives to the set itself. These different choice sets are motivated by the presence of visceral influences, such as hunger. Under various axioms of choice over menus of lotteries, including the “set betweenness axiom,” they show that the decision process can be represented by a utility function with a cost of self-control, or a disutility from the presence of a tempting alternative. The result is a set of preferences that explains behavior, in the face of temptation, as the outcome of a rational decision process; the agent benefits from pre-commitment technologies to reduce future temptations. Bénabou and Pycia (2002) show that Gul and Pesendorfer’s (2001) representation result can be re-expressed as a costly stochastic intra-personal conflict between a planner and doer, as in Thaler and Shefrin (1981); the probabilities that determine successful restraint are in turn determined by the relative strengths of the (long-run) utility from restraint and the (short-run) utility from indulgence. Though our specification is slightly different, the visceral influence that we employ can be thought of as resulting from
temptation disutility, and our probabilities determining successful restraint could also be derived in the manner that Bénabou and Pycia (2002) demonstrate.

A prominent alternative to the approaches by Fudenberg and Levine (2006) and Gul and Pesendorfer (2001;2004) is the family of hyperbolic discounting models. These account for the apparent preference reversals that have been documented since Strotz (1956); individuals may prefer $50 today to $100 in a year, while simultaneously preferring $100 in six years to $50 in five—even though these decisions are normatively identical. 13 Laibson (1997) studied the class of discount functions that lead to such “time-inconsistent preferences,” in particular the \((\beta, \delta)\) functional form of hyperbolic discounting. This discounting function has the property of being steeper than the conventional exponential discount function—the standard in neoclassical economics. Our model also allows for the preference reversals observed under hyperbolic discounting; the visceral influence is stronger for decisions closer in time (e.g., see Loewenstein, 1996), and temporal proximity of a given consumption opportunity is therefore associated with more indulgence (and less restraint).

Reminiscent of the hyperbolic discounting approach, Schelling (1978, 1984) discusses the dichotomy between what one wants ex-ante and what one wants ex-post. In particular, Schelling discusses the different strategies one might undertake to “game” oneself ex-ante. For example, a woman about to give birth might request that anesthesia be made unavailable during delivery if she knows that she will use it. Our approach does not speak to the explicit nature of these strategies, but it allows for them, and it refers to them collectively as pre-commitment technology.

13 See also Ainslie (1975) and Fredericks et al., (2002)
As originally conceived, the aforementioned models all rely on sophisticated agents. Our emphasis, however, is on naïve agents, who underestimate visceral influences. Heidhues and Kőszegi (2010) describe two approaches to modeling naïve expectations of successful self-control (or “time-consistent”) behavior. The first is (i) to assume that the individual holds two utility functions, one time-consistent and one time-inconsistent; each individual holds a belief that she with a certain probability will behave according to one or the other utility functions. When the subjective probability measure puts more weight on the time-inconsistent utility function, the agent is said to be more sophisticated (see e.g., Eliaz and Spiegler, 2006; Asheim, 2008). The second is (ii) to assume that the planner has a belief about her β-parameter and that the belief takes values between the true β-parameter and 1 (see O’Donoghue and Rabin, 2001). When the belief is equal to her true β-parameter, the agent is fully sophisticated, and when the belief is equal to 1, she is fully naïve; an increase in the belief parameter corresponds to a decrease in sophistication. Our own analysis is similar to the latter approach; we use a belief parameter s, which takes values between 0 and 1, such that the anticipated value of the visceral influence v becomes sv. The agent is fully sophisticated when s = 1 and fully naïve when s = 0; an increase in s corresponds to an increase in sophistication.

Notably, the main result of Heidhues and Kőszegi (2010) is not preserved within our framework. Heidhues and Kőszegi (2010) demonstrate that higher degrees of sophistication can lead to welfare loss when self-control behavior has the dichotomous nature of utter failure or complete success. As sophistication of the agent increases, she invests more resources in order to improve her behavior. Because she is not completely sophisticated, however, she fails to invest just enough to secure optimal behavior. Consequently, when the temptation presents itself, the agent may indulge and incur more losses than she would have done, had she been more naïve and invested less. Our framework does not preserve this result because self-control behavior at the
conflict stage in our model is probabilistic. Raising naïveté about the visceral influence increases the naïve expected utility of conflict \( (N) \) above that of the true expected utility of conflict \( (A) \). Raising the parameter \( s \) (measuring sophistication) reduces the difference between these two values and hence contracts the space for suboptimal behavior.

4.2. Psychology

Our model captures the psychological distinction between “system 1” and “system 2” cognition—between “cold,” rational, and volitional cognition, on one side, and “hot,” emotional, automatic cognition, on the other (see e.g., Sloman, 1996; Stanovich and West, 2000; Kahneman, 2003). The agent in our model can be said to represent system 2 cognition, and the visceral influence—the lure of the temptation that acts upon the agent—can be said to represent system 1. The self-control conflict thus becomes the effort from system 2 to override system 1, as similarly suggested by Metcalfe and Mischel (1999) and Hofmann et al. (2009). A notable property of system 2 is that it relies on limited cognitive resources. That is, it gets tired. Accordingly, some psychologists have employed a muscle metaphor to understand the self-control problem; the individual holds limited resources to draw on in the struggle against temptation, and having used some to resist one temptation, there will be fewer available for the next (Baumeister et al., 1998; Muraven and Baumeister, 2000; Baumeister, 2002). Our model, utilizing a concave benefits function with a linear cost function (which is technically the same as having a linear benefit function with a convex cost function), is isomorphic to a model that treats the agent’s resources as limited.

\[\text{14 However, with time, the resources get replenished—as a tired muscle regains strength.}\]
Critical for our results is the partial naïveté of the agent in appraising anticipated visceral influences. This particular form of naïveté—underestimating future visceral influences—is well-documented in the psychological literature and referred to as the empathy gap (see e.g., Loewenstein, 2000). Individuals in a “cold” state—when not subject to a visceral influence—fail to appreciate the force that the visceral influence will exert upon them in a “hot” state—when subject to it (Loewenstein et al., 1997; VanBoven et al., 2000; VanBoven and Loewenstein, 2003). For example, prior to passing the bakery, the dieter likely will underestimate the attractive forces as she walks by, triggered by the scent and sight of fresh pastries.

The psychological literature also offers examples of self-control strategies that may not be conscious and effortful (see e.g., Fujita, 2011), and our model could easily be augmented to account for such mechanisms. For example, Fishbach et al. (2010) argue that individuals facing self-control conflict employ automatic, effortless strategies to reduce the value of temptation and to increase the value of the goal (see also Fishbach and Shah, 2006). To accommodate such effects, we could add parameters to the payoff from the goal \( g \) and to that from the tempting alternative \( a \). Our analysis would otherwise remain the same.

5. Conclusion

We have proposed a model that explores the self-control conflict—how an agent determines whether or not to procure pre-commitment technology and, if not, how much effort the agent invests in the struggle against temptation. In so doing, we have attempted to incorporate psychological principles—that the expenditure of willpower is costly and that individuals tend to be naïve about the strength of anticipated visceral influence that is associated with temptation. Our model yields a number of insights, the perhaps most noteworthy of which are that the naïve agent may not benefit from (i) having greater willpower or (ii) facing a weaker visceral influence.
(or strength in temptation). The intuition for both results is that the naïve agent, who possesses higher willpower, or who faces a weaker visceral influence, may mistakenly confront temptation—rather than procure pre-commitment.

Our results call into question certain policy measures designed to help individuals improve their behavior. It is often thought that reducing the intensity of tempting stimuli—be they fatty foods, alcohol, cigarettes, or drugs—will help individuals restrain consumption. For example, the idea behind the nicotine patch, and nicotine replacement therapy more generally, is to reduce the cravings associated with withdrawal.\textsuperscript{15} We show that this indeed may not be the case. In fact, reducing the cravings to smoke might well raise consumption and reduce welfare.\textsuperscript{16} Moreover, policy makers should be aware that this measure might raise consumption for some individuals even if it were to reduce aggregate consumption. That is to say—consumers and policy makers should be aware that a potential side-effect for every consumer is the risk that the measure reduces their welfare. The same is true for measures designed to improve willpower.\textsuperscript{17}

In a world of naïve consumers who possess pre-commitment technology, attempting to manipulate the visceral influence of temptation, or the self-control of an individual, raises

\textsuperscript{15} The nicotine patch releases nicotine through the skin and into the bloodstream; the patch is supposed to reduce cravings for cigarettes. Other forms of nicotine replacement therapy include the nicotine gum and the nicotine inhaler.

\textsuperscript{16} The effectiveness of over-the-counter (OTC) nicotine replacement therapy (NRT) is still debated; Hughes et al. (2011) review non-randomized tests of the effectiveness of OTC NRT; while some of the studies present evidence for the effectiveness of OTC NRT, “the most rigorous studies do not find greater quitting among users.”

distributional concerns, as these measures may raise the welfare of some while reducing that of others. To avoid distributional questions altogether, our analysis suggests that policy should focus on increasing perceived benefits of goal pursuit (e.g., staying healthy); increasing perceived costs associated with indulging in temptation (e.g., smoking cigarettes)—and, perhaps most importantly, reducing the individual’s naïveté. In so doing, policy would not risk inadvertently pushing naïve consumers into the ring of self-control conflict—consumers whom with better foresight would have gladly paid to avoid the fight.
References


APPENDIX A: PROOFS

PROOF PROPOSITION 1

The Lagrangean for this problem becomes:

\[ \Gamma = \frac{e}{e + \nu} \left( g - \frac{e}{\omega} \right) + \frac{\nu}{e + \nu} \left( a - \frac{e}{\omega} \right) - \lambda_1 (-e) \]

First order conditions:

\[ \frac{\partial \Gamma}{\partial e} = \left( \frac{e}{e + \nu} \right) \left( -\frac{1}{\omega} \right) + \left( g - \frac{e}{\omega} \right) \left( \frac{\nu}{(e + \nu)^2} \right) + \left( \frac{\nu}{e + \nu} \right) \left( -\frac{1}{\omega} \right) + \left( a - \frac{e}{\omega} \right) \left( -\frac{\nu}{(e + \nu)^2} \right) - \lambda_1 = 0 \]

\[ \frac{\partial \Gamma}{\partial \lambda_1} = -e \leq 0; \ \lambda_1 \geq 0; \ \lambda_1 (-e) = 0 \]

The interior solution is derived by solving the first order conditions for \( e \) yielding the reaction function \( e^* \) below:

\[ e^* = -\nu + \sqrt{\omega \nu (g - a)} \]
PROOF PROPOSITION 2

Assume $s \leq 1$, pre-multiplying $v$. Then, the Lagrangean for this problem becomes:

\[ \Gamma = \frac{e}{e+sv} \left( g - \frac{e}{\omega} \right) + \frac{v}{e+sv} \left( a - \frac{e}{\omega} \right) - \lambda_t (-e) \].

First order conditions:

\[ \frac{\partial \Gamma}{\partial e} = \left( \frac{e}{e+sv} \right) \left( -\frac{1}{\omega} \right) + \left( g - \frac{e}{\omega} \right) \left( \frac{sv}{(e+sv)^2} \right) + \left( -\frac{sv}{e+sv} \right) \left( -\frac{1}{\omega} \right) + \left( a - \frac{e}{\omega} \right) \left( -\frac{sv}{(e+sv)^2} \right) - \lambda_t = 0 \]

\[ \frac{\partial \Gamma}{\partial \lambda_t} = -e \leq 0; \lambda_t \geq 0; \lambda_t (-e) = 0 \]

The interior solution is derived by solving the first order conditions for $e$, yielding the reaction function $e^*_{N}$:

\[ e^*_{N} = -sv + \sqrt{a sv (g-a)} \]
PROOF PROPOSITION 3

Note that optimal effort \( e^* = -v + \sqrt{\omega v(g-a)} \) is concave in \( v \). Further, recall the definition of a concave function: A function \( f : \mathbb{R}^n \supseteq X \rightarrow \mathbb{R} \), where \( X \) is a convex set, is concave if, given any two points \( x^\prime \) and \( x^\prime\prime \) in \( X \), we have

\[
(1-\lambda) f(x^\prime) + \lambda f(x^\prime\prime) \leq f\left((1-\lambda)x^\prime + \lambda x^\prime\prime\right) \quad \forall \lambda \in (0,1).
\]

Now, let \( v^\prime \) and \( v^\prime\prime \) be two visceral influences in the domain of \( e^* \). Then, using \( e^* \) we have

\[
(1-\lambda)\left(-v^\prime + \sqrt{ww'(g-a)}\right) + \lambda \left(-v^\prime\prime + \sqrt{ww'(g-a)}\right) \leq
-\left((1-\lambda)v^\prime + \lambda v^\prime\prime\right) + \sqrt{w\left((1-\lambda)v^\prime + \lambda v^\prime\prime\right)(g-a)}.
\]

Solving for \( \lambda \) yields the condition

\[
\lambda \leq \frac{(v^\prime - v^\prime\prime)(g-a)}{(v^\prime - v^\prime\prime)(g-a)} \equiv 1,
\]

which holds \( \forall \lambda \in (0,1) \), hence proving that optimal effort is concave in \( v \). Again using the expression for optimal effort \( e^* = -v + \sqrt{\omega v(g-a)} \), we see that optimal effort is zero whenever \( v = 0 \), as the agent has no incentive to exert any effort when there is no visceral influence. Furthermore, using \( 0 = -v + \sqrt{\omega v(g-a)} \) reveals that effort is zero also when \( v = \omega (g-a) \). In addition, the derivative \( \frac{\partial e^*}{\partial v} = -1 + \frac{1/2}{\sqrt{ww'(g-a)}} \), which equals zero, reaches its maximum
whenever \( v = \frac{1/4}{\omega(g-a)} \), and it is positive (negative) when \( v \) is less (more) than \( \frac{1/4}{\omega(g-a)} \). This implies that optimal effort is zero when \( v \) is zero, increasing in \( v \) until \( v = \frac{1/4}{\omega(g-a)} \), after which point optimal effort falls and reaches zero at \( v = \omega(g-a) \). Effort then follows an inverted U shape, which proves the proposition.

**PROOF COROLLARY 1**

The derivatives of effort with respect to \( g \), \( \omega \) and \( a \) are positive, positive and negative, respectively.

\[
\frac{\partial e^*}{\partial \omega} = \frac{g v - v a}{2 \sqrt{\omega (g v - v a)}} > 0
\]

\[
\frac{\partial e^*}{\partial g} = \frac{\omega v}{2 \sqrt{\omega (g v - v a)}} > 0
\]

\[
\frac{\partial e^*}{\partial a} = -v - \frac{1}{\omega v (g-a)} > 0
\]

Finally, substitute \( g \) with \( g^\alpha \) and \( a \) with \( a^\alpha \) to get \( e^* = -sv + \sqrt{\omega sv (g^\alpha - a^\alpha)} \). It is evident that increasing \( \alpha \) (increasing risk loving) raises optimal effort. Conversely, reducing \( \alpha \) (increasing risk aversion) lowers optimal effort.
PROOF COROLLARY 2

Using \( p = \frac{e^*}{e^* + v} \) and \( e^* = -v + \sqrt{\omega v(g - a)} \), we can write \( p = 1 - \frac{\sqrt{v}}{\sqrt{\omega(g - a)}} \). Increasing \( v \) and \( a \) reduces \( p \) and increasing \( \omega \) and \( g \) raises \( p \)--which demonstrates the corollary.

PROOF LEMMA 1

Because a smaller \( s \) leads the agent to anticipate a smaller \( v \), to engage in conflict always appears less costly than it actually is, and so naïve expected utility of conflict must always be greater than the true expected utility of conflict. The proof is straightforward and omitted.

PROOF LEMMA 2

First we use the condition \( N \geq g - c \), and the definition of \( N \), to solve the condition for the willpower parameter:

\[
\omega \geq sv\left[ c(g - a) + 2a\sqrt{c(g - a) + 2a^2} \right] e^2(g - a),
\]

We then use \( g - c \geq A \), and the definition of \( A \), to again solve for the willpower parameter:
\[ n \left[ c(g-a) + 2a\sqrt{c(g-a) + 2a^2} \right]/c^2(g-a) \geq \omega, \]

This allows us to write the condition in full as:

\[ n\Lambda \geq \omega \geq sv\Lambda, \]

where \( \Lambda = \left[ c(g-a) + 2a\sqrt{c(g-a) + 2a^2} \right]/c^2(g-a). \)

This completes the proof of lemma 2.
APPENDIX B: SIMULATIONS

- For Referees’ use only -

B.1: Risk aversion

The below spreadsheet provides the basis for the simulations in Figure 6

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<th>willpower (w)</th>
<th>v (visceral influence)</th>
<th>A (Expected utility from commitment)</th>
<th>payoff from exercising restraint</th>
<th>Utility from exercising restraint</th>
<th>e* (Optimal effort)</th>
<th>Utility from indulging effort</th>
<th>probabilit y of R</th>
<th>probabilit y of I</th>
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<th>e*N (Naive optimal effort)</th>
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B.2: Visceral influence

The below spreadsheet provides the basis for the simulations in Figure 7:

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1. PRE-COMMITMENT STAGE

Forego pre-commitment (NPC)

2. CONFLICT STAGE

Apply pre-commitment (PC)

\[ p_{\text{win}} = \frac{e}{e + v} : \text{Exercise restraint (R)} \]

\[ 1 - p_{\text{win}} = 1 - \frac{e}{e + v} : \text{Indulge (I)} \]

\[ g - c \]

\[ a - e/\omega \]

FIGURE 1. THE DECISION PROBLEM
FIGURE 2: EXPECTED UTILITY OF CONFLICT, UTILITY FROM EXERCISING RESTRAINT, OPTIMAL EFFORT, AND UTILITY FROM INDULGING AS FUNCTIONS OF VISCERAL INFLUENCE
1. PRE-COMMITMENT STAGE

Forego Pre-commitment Technology (NPT)

2. CONFLICT STAGE

\[ p_{\text{win}} = \frac{e}{e + sv} : \text{Exercise restraint (R)} \]

\[ 1 - p_{\text{win}} = 1 - \frac{e}{e + sv} : \text{Indulge (I)} \]

\[ g - c \]

\[ a - e / \omega \]

FIGURE 3. THE EXTENDED DECISION PROBLEM:
UNDERESTIMATING VISCERAL INFLUENCES ON BEHAVIOR
FIGURE 4: EXPECTED UTILITY FROM CONFLICT, NAÏVE EXPECTED UTILITY FROM CONFLICT, AND UTILITY FROM PRE-COMMITMENT AS FUNCTIONS OF WILLPOWER
FIGURE 5: EXPECTED UTILITY OF CONFLICT, NAÏVE EXPECTED UTILITY OF CONFLICT, AND UTILITY OF PRE-COMMITMENT AS FUNCTIONS OF COST OF PRE-COMMITMENT
FIGURE 6: EXPECTED UTILITY OF CONFLICT, NAÏVE EXPECTED UTILITY OF CONFLICT, AND UTILITY OF PRE-COMMITMENT AS FUNCTIONS OF RISK AVERSION
FIGURE 7: EXPECTED UTILITY OF CONFLICT, NAÏVE EXPECTED UTILITY OF CONFLICT, AND UTILITY FROM PRE-COMMITMENT AS FUNCTIONS OF VISCERAL INFLUENCE
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<table>
<thead>
<tr>
<th>Title</th>
<th>ESMT No.</th>
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<tbody>
<tr>
<td>Naive and capricious: Stumbling into the ring of self-control conflict</td>
<td>11-09</td>
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<tr>
<td>Kristian Ove R. Myrseth, ESMT</td>
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<td>Conny Wollbrant, University of Gothenburg</td>
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<td>Decomposing first mover advantages in the mobile telecommunications industry</td>
<td>11-03 (R1)</td>
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<td>J.P. Eggers, NYU Stern School of Business</td>
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<td>Michał Grajek, ESMT</td>
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<tr>
<td>Tobias Kretschmer, LMU Munich</td>
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<td>Vertical coordination through renegotiation</td>
<td>11-08</td>
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<td>Özlem Bedre-Defolie, ESMT</td>
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<tr>
<td>Merger efficiency and welfare implications of buyer power</td>
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<td>Stéphane Caprice, Toulouse School of Economics</td>
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<td>Patent examination at the State Intellectual Property Office in China?</td>
<td>11-06</td>
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<td>Johannes Liegsalz, BMW AG</td>
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<tr>
<td>Stefan Wagner, ESMT</td>
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<tr>
<td>When and how does corporate social responsibility encourage customer orientation?</td>
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<td>Daniel Korschun, LeBow College of Business, Drexel University</td>
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<td>Scott D. Swain, Northeastern University</td>
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<td>Is leadership a part of me? Identity centrality, self-role alignment, and the motivation to lead</td>
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<td>Laura Guillén, ESMT</td>
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<td>First mover advantages in the mobile telecommunications industry: A consumer-centric perspective</td>
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