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Heterogeneous convergence

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Abstract: We use U.S. county-level data to estimate convergence rates for 22 individual states. We find significant heterogeneity. E.g., the California estimate is 19.9 percent and the New York estimate is 3.3 percent. Convergence rates are essentially uncorrelated with income levels.

JEL Codes: O40, O11, O18, O51, R11, H50, H70

Key Words: Economic Growth, Conditional Convergence, Heterogeneity, U.S. County Level Data
1. Introduction

Empirical conditional convergence studies implicitly assume that all economies follow identical growth processes and that, therefore, it is meaningful to estimate a single rate of convergence. However, Evans (1998) argues that this is implausible for most data sets because countries (p. 296) "… have different technologies, preferences, institutions, market structures, etc."¹

We use county-level data from 22 individual states, comprising a total of 1,921 U.S. counties to study heterogeneity in convergence rates. The data include per capita income growth and 29 other conditioning variables. Conditional on the latter, we report separate convergence rate estimates for each of these 22 states.

Existing studies of heterogeneity in growth present a range of ingenious econometric techniques designed to cope with a limited number of observations typically available for growth studies.² Given the richness of our data, we are able to explore heterogeneity in convergence rates amongst the U.S. states by incorporating a large number of demographic and socio-economic variables as controls.

Our data offer several other advantages. A single institution collects it, ensuring uniform variable definitions. There is no exchange rate variation between the counties and the price variation across counties is smaller than across countries, reducing the potential errors-in-variables bias (Bliss, 1999).³ Counties within a state form a sample with geographical homogeneity and a shared state government. To a great extent the states are ready-made “clubs” within which we would expect convergence. The large data set allows us to study inter-state heterogeneity, while the intra-state homogeneity increases the accuracy likelihood of the specification we employ.

There are considerable per capita income differences across U.S. states. While Higgins et al. (2006) find that U.S. county-level data is well-described by conditional convergence, Young et al. (2008), using the same data, find that the actual dispersion of income levels is not decreasing. One possible explanation for this is that many individual states are not well-described by conditional convergence. Another possibility is that poorer economies have relatively low convergence rates. State-specific convergence rate

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¹ Levy and Dezhbakhsh (2003) provide international evidence on output fluctuation and shock persistence that may be considered indirect evidence of such heterogeneity.
² See, e.g., Durlauf and Johnson (1995), Lee et al. (1997), Rappaport (2000), Brock and Durlauf (2001), Durlauf et al. (2001), and Rodrik (2013). See also the “club convergence” literature. For example, Quah (1996, 1997), Desdoigts (1999), and Canova (2004).
³ These virtues are also embodied in state-level data (Barro and Sala-i-Martin, 1991, and Evans, 1997a). State-level data, however, sacrifices the large number of observations we have. All 22 states we study have counties numbering more than 50 (the number of U.S. states), and few of them twice as many and even more.
estimates can help in assessing the plausibility of this explanation.

We find significant heterogeneity in the state-level convergence rates. Across the 22 states, we obtain a range of point estimates including 2.7 percent (Georgia) and 19.9 percent (California). The average convergence rate across these states is 9.2 percent. We also find that convergence rates and income levels are essentially uncorrelated, suggesting that poorer states are not at an inherent disadvantage in catching up to their richer counterparts.

The paper is organized as follows. Section 2 discusses the model and our estimation strategy. Section 3 describes the data. Section 4 reports the findings. Section 5 concludes.

2. Econometric model

As Barro and Sala-i-Martin (1992) show, the neoclassical growth model implies that
\[ g_n = \alpha + \beta y_{n,0} + \gamma x_{n,0} + \nu_n, \]
where \( g_n \) is the average growth rate of per capita income for economy \( n \) between years 0 and \( T \), \( \alpha \) is a function of the exogenous rate of technical progress, and \( \beta = (1 - e^{-BT})/T \) with \( B \) representing the responsiveness of the average growth rate to the gap between the steady state income and the initial value, \( y_{n,0}; x_{n,0} \) is a vector of control variables, \( \gamma \) is a coefficients' vector, and \( \nu_n \) is a zero mean, finite variance error term.

We adapt the basic growth model to panel data:
\[ g_{nt} = \alpha + \beta y_{nt,0} + \gamma x_{nt} + \phi_t + \nu_{nt}, \]
where \( t \) indexes \( T = 5 \) year intervals that will begin, in our data, at 1970, 1975, 1980, 1985, 1990, 1995, 2000, and 2005, and \( \phi_t \) is a period fixed effect. For example, the first observation for a county \( n \), will consist of \( g_{n,1970} = (y_{n,1975} - y_{n,1970})/5 \), \( y_{n,1970} \), and \( x_{n,1970} \).

We estimate (1) using generalized method of moments (GMM) including period fixed effects. Based on the estimate, \( \hat{\beta} \), we calculate the convergence rate point estimate as \( c = 1 - (1 + T\hat{\beta})^{-1/T} \). To calculate a 95 percent confidence interval we compute
\[ \hat{\beta} \pm (1.96 \times \text{s.e.}) \], where \( \text{s.e.} \) is the standard error of \( \hat{\beta} \). If the low value of the confidence interval is less than \( -T^{-1} \), the higher value is set equal to one. Note that in general, the resulting confidence intervals will be asymmetric around the point estimates (Evans 1997b).
3. U.S. county-level data

We begin with U.S. county level data that include 3,057 county-level observations covering all 50 states from 1970 to 2010. However, statistically significant convergence rates estimates can only be computed for 22 states (constituted by 1,921 counties). We use the log of real per capita personal income net of transfers. We also start with 29 conditioning variables that correspond approximately to the set used by Higgins, *et al.* (2006, 2009, 2010) and Young, *et al.* (2008). The panel has a time dimension of 8.

Our identification strategy is to use lagged control variables as instruments. We initially run an OLS, period fixed effects regression of growth on initial income and all of the other controls. From that regression we identify 7 controls that are statistically insignificant. Of those we choose 4 to use as excluded instruments that create over-identification in our GMM estimations. This decreases our time dimension to 7.

4. Convergence rate estimates

Table 1 reports the asymptotic conditional convergence rate estimates with 95 percent confidence intervals for 22 individual U.S. states. Figure 1 presents confidence intervals as vertical bars around the point estimates. The individual state estimates vary significantly, indicating cross-state heterogeneity. The average estimate for the 22-state sample is 9.2 percent and for 4 states the point estimate exceeds 10 percent. Table 1 also reports J-statistics. At better than the 10 percent level the over-identifying restrictions are rejected only 3 times; only 2 times at better than the 5 percent level.

Thus, there is considerable heterogeneity in the estimated convergence rates. The full picture that one gets from Table 1 and Figure 1 is of a group of economies with high...
(typically above 5 percent) but often quite different rates of convergence. This heterogeneity should not be surprising. The convergence rate in the neoclassical growth model is a function of the technology and population growth rates, the depreciation rate, and the technology and preference parameters. Therefore, differences in the particular industries that predominate in an economy, cultural characteristics, and institutions may translate into different convergence rates.

A simple OLS regression of the state convergence rate point estimates on average per capita income levels yields a partial correlation of 0.1677 and it not statistically significant. This suggests that poorer economies are not in general facing relatively poor convergence potentials.

5. **Conclusions**

We use 1,921 U.S. county-level observations to explore the variation in income convergence across the U.S. states. Across 22 individual states, the estimated convergence rates average 9.2 percent. For 15 states the point estimate convergence rate is above 5 percent. We find substantial heterogeneity in individual state convergence rates.

The high convergence rates are encouraging in the sense that, given proper policies to induce and support balanced growth paths, laggard economies can close the gap relatively quickly. Convergence rates are, in principle, functions of deep technology and preference parameters. If these deep parameters differ enough across U.S. states to create heterogeneous convergence, then one suspects that both the parameter and convergence rate differences might be meaningfully greater across countries.
References


Fig. 1. Point estimates of the within-state asymptotic convergence rates with 95% confidence intervals
Table 1
Asymptotic conditional convergence rates for 22 U.S. States using GMM:
Point estimates with 95% confidence intervals

<table>
<thead>
<tr>
<th>State</th>
<th>No. of Counties</th>
<th>Convergence Rate; Confidence Interval</th>
<th>J-stat</th>
</tr>
</thead>
<tbody>
<tr>
<td>United States</td>
<td>3,057</td>
<td>0.0058 (0.0029, 0.0086)</td>
<td>3.8680</td>
</tr>
<tr>
<td>Alabama</td>
<td>67</td>
<td>0.0543 (0.0013, 0.1181)</td>
<td>0.0098</td>
</tr>
<tr>
<td>Arkansas</td>
<td>74</td>
<td>0.1523 (0.0800, 0.2501)</td>
<td>0.0192</td>
</tr>
<tr>
<td>California</td>
<td>58</td>
<td>0.1989 (0.0984, 0.3648)</td>
<td>2.9370*</td>
</tr>
<tr>
<td>Colorado</td>
<td>63</td>
<td>0.1915 (0.0822, 0.3829)</td>
<td>0.2804</td>
</tr>
<tr>
<td>Georgia</td>
<td>159</td>
<td>0.0269 (0.0032, 0.0525)</td>
<td>0.5088</td>
</tr>
<tr>
<td>Illinois</td>
<td>102</td>
<td>0.0565 (0.0319, 0.0832)</td>
<td>11.8745***</td>
</tr>
<tr>
<td>Indiana</td>
<td>92</td>
<td>0.0674 (0.0336, 0.1052)</td>
<td>0.0069</td>
</tr>
<tr>
<td>Iowa</td>
<td>99</td>
<td>0.0399 (0.0083, 0.0749)</td>
<td>1.2048</td>
</tr>
<tr>
<td>Kansas</td>
<td>105</td>
<td>0.4697 (0.1405, 1.0000)</td>
<td>0.1072</td>
</tr>
<tr>
<td>Kentucky</td>
<td>120</td>
<td>0.0721 (0.0389, 0.1093)</td>
<td>0.0395</td>
</tr>
<tr>
<td>Louisiana</td>
<td>64</td>
<td>0.0566 (0.0011, 0.1240)</td>
<td>4.0071</td>
</tr>
<tr>
<td>Michigan</td>
<td>83</td>
<td>0.0376 (0.0158, 0.0609)</td>
<td>2.6696</td>
</tr>
<tr>
<td>Mississippi</td>
<td>82</td>
<td>0.0955 (0.0355, 0.1705)</td>
<td>3.9598**</td>
</tr>
<tr>
<td>Missouri</td>
<td>114</td>
<td>0.0401 (0.0074, 0.0766)</td>
<td>1.0675</td>
</tr>
<tr>
<td>New York</td>
<td>62</td>
<td>0.0333 (0.0089, 0.0596)</td>
<td>0.6844</td>
</tr>
<tr>
<td>North Carolina</td>
<td>100</td>
<td>0.0600 (0.0335, 0.0889)</td>
<td>0.0605</td>
</tr>
<tr>
<td>Ohio</td>
<td>88</td>
<td>0.0558 (0.0250, 0.0899)</td>
<td>0.1431</td>
</tr>
<tr>
<td>Oklahoma</td>
<td>77</td>
<td>0.0753 (0.0312, 0.1267)</td>
<td>0.0984</td>
</tr>
<tr>
<td>Pennsylvania</td>
<td>67</td>
<td>0.0698 (0.0324, 0.1124)</td>
<td>1.3023</td>
</tr>
<tr>
<td>Tennessee</td>
<td>95</td>
<td>0.0858 (0.0322, 0.1510)</td>
<td>0.6911</td>
</tr>
<tr>
<td>Virginia</td>
<td>80</td>
<td>0.0474 (0.0150, 0.0833)</td>
<td>2.7240</td>
</tr>
<tr>
<td>Wisconsin</td>
<td>70</td>
<td>0.0395 (0.0151, 0.0660)</td>
<td>0.6419</td>
</tr>
<tr>
<td><strong>Total</strong></td>
<td>1,921</td>
<td></td>
<td></td>
</tr>
</tbody>
</table>

Note: Statistical significance at the 1, 5, and 10 percent levels, respectively, is denoted by 
***, **, and *. 