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**Working Paper**

## Money Demand in an EU Accession Country: A VECM Study of Croatia

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VECM Study of Croatia

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December 2005

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# Money Demand in an EU Accession Country: A VECM Study of Croatia\*

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## Abstract

The paper estimates the money demand in Croatia using monthly data from 1994 to 2002. A failure of the Fisher equation is found and adjustment to the standard money demand function is made to include the inflation rate as well as the nominal interest rate. In a two-equation cointegrated system, a stable money demand shows rapid convergence back to equilibrium after shocks. This function performs better than an alternative using the exchange rate instead of the inflation rate, as in the "pass-through" literature on exchange rates. The results provide a basis for inflation rate forecasting and suggest the ability to use inflation targeting goals in transition countries during the EU accession process. Finding a stable money demand also limits the scope for central bank "inflation bias".

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## 1. Introduction

Neoclassical money demand functions underlie much theoretical and empirical work. Typically the nominal interest rate is the price of money and the income velocity of money moves in conjunction with this rate. This is as in Friedman's (1956) restatement of money demand theory, although it contrasts with the institutionally fixed velocity in Fisher's (1911) quantity theory. Similarly to Fisher, velocity has often been assumed to be exogenous (Lucas, 1980, Ireland, 1996, Alvarez et al., 2001). Similarly to Friedman, others have endeavored to explain velocity and related phenomena within the model (Hodrick et al., 1991; Eckstein and Leiderman, 1992; Ireland, 1995; Lucas, 2000; Gillman and Kejak, 2004, 2005).

Empirical work on money demand has focused on interest rate explanations as in the constant semi-interest elasticity model of Cagan (1956) (Eckstein and Leiderman, 1992, Mark and Sul, 2003) or the constant interest elasticity model of Baumol (1952) (Hoffman and Rasche, 1991; Hoffman et al, 1995; Lucas, 2000). Apparent instability in empirical money demand functions was found due to "shifts" in demand in the 1980s; for example Friedman and Kuttner (1992) found a break in cointegration around 1980. This instability literature was met with an effort to include, within the money demand function, the prices of substitutes for money that may have been subject to large changes and that may have caused money demand without these substitute prices to appear unstable. In particular, interest earning accounts with demand deposits that could be used in exchange, or "exchange credit", were used to avoid the high inflation tax of the 1980s and seemed to cause a shift in money demand. Including proxies for financial service innovation led to renewed results of stable money demand functions, even including the period of the big financial deregulations (Friedman and Schwartz, 1982, Gillman et al., 1997; Gillman and Otto, 2003).

Money demand has become less visible in the policy debate because of interest in Taylor (1999)-type rules. The focus on nominal interest rate instruments has bred the perception of policy irrelevance of money demand theory and the use of

monetary aggregates. However, McCallum (1999) has disputed such conclusions by emphasizing that money demand and the use of rules based partly on money aggregates are being disregarded to the detriment of the ultimate monetary policy results. Alvarez et al. (2001) further advance the importance of money aggregates by providing a general equilibrium basis for the equivalence between interest rate rules and money supply rules. Similarly, Schabert (2004) establishes a liquidity effect in a general equilibrium neoclassical monetary model, in which there is also a direct relation between the money supply growth rate and the nominal interest rate. And empirical money demand work has recently become more prominent in the central banks of developed nations (for example, the euro-area studies of Brand and Cassola, 2004; Brand et al., 2002; Kontolemis, 2002).

Developing nations tend to rely more on discretion rather than rules and often justify this just as central banks in developed nations did in the past: the money demand function is unstable. This sort of discretion instead of rules can lead to an "inflation bias" of the type described by Kydland and Prescott (1977). Empirically, evaluating the stability of money demand still remains a challenge in developing countries, because of a lack of confidence in the data quality and because of the many major changes that continue to occur in such economies.

In this paper, the key extension to a standard money demand function results from an investigation of whether the Fisher equation of interest rates holds.<sup>1</sup> The myriad ways in which an unexpected acceleration or deceleration of the inflation rate can affect the real interest rate makes suspect the standard Fisher (1930) relation that underlies classical money demand functions. In those, changes in the inflation rate are directly reflected in the nominal interest rate. But if this is not true, which can be a likely scenario in a transition country, then the standard money demand function requires modification from only including the nominal interest rate as the price of money.

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<sup>1</sup>For example see Crowder's (2003) panel testing of this equation; see also Brand and Cassola (2000) for an alternative multi-equation money demand approach that includes a Fisher equation.

With an extended money demand specification, the paper shows that a stable money demand function can be found for Croatia despite tumultuous changes there over the transition period. This presents a good case study in that the finding of a stable money demand may be surprising. Both the emphasis of the Croatian central bank on the exchange rate in its monetary policy and the high fraction of private foreign exchange use in the country have led to the expectation that Croatian money demand is unstable (see Kraft, 2003). However, with a money demand that accounts for failure of the Fisher relation, a stable function is estimated with VECM techniques using monthly International Financial Statistics (IFS) data from 1994 to 2002. Over this period the data is reliable, and several robustness checks are conducted, including a focus on exchange rates within the money demand function.

The data begins only after the Croatian hyperinflation of 1993, and near to the beginning of the issuing of the new Croatian currency, providing confidence in the data. The data's stationarity and seasonal properties are tested carefully (Section 3). After finding the Croatian income velocity of money non-stationary (Section 4.1), in contrast to Fisher's (1911) concept, the paper focuses on whether the Fisher (1930) equation of interest rates holds in Croatia. Researchers such as Baba et al. (1992) have included the inflation rate as well as the nominal interest rate in the money demand function; this strategy is justified here in that evidence suggests a failure of the long-run Fisher relation in which the nominal interest rate and inflation rate move together and are interchangeable in the money demand function (Section 4.2). This extension of money demand to include the inflation rate along with the nominal interest rate, and so capture deviations from the Fisher equation, constitutes the baseline model (Section 4.3).

Petrovic and Mladenovic (2000) estimate Yugoslavian money demand using the exchange rate rather than the inflation rate or the nominal interest rate. The idea is that exchange rates reflect the inflation rate changes, as in the uncovered interest rate parity concept (see for example Walsh, 2003). This approach to money demand is sometimes used to support a monetary policy of exchange rate targeting

even when the goal is to decrease the inflation rate. As part of the robustness investigation, the paper compares this alternative money demand approach to the baseline model (Section 4.3.2).

While data limitations in terms of the length of the time series are an important qualification, implications can still be cautiously deduced. A stable money demand is useful because it suggests the variables that can be used to forecast inflation. And all central banks appear to engage in inflation rate forecasting as one of their crucial tasks. Croatia in 2001, along with Hungary in 2001 and Poland in 1997, established new central bank chartering acts that state price stability as the primary goal of the central bank. Croatia has recently had very low inflation, and low inflation in Croatia remains the goal, even if it may be using the exchange rate as its primary instrument.

The results show that the inflation rate enters a stable money demand function that exhibits fast readjustment to shocks. This suggests that an inflation targeting policy (Svensson, 1999) will not "de-stabilize" money demand. In contrast to the baseline model, including the exchange rate instead of the inflation rate yields a near-zero adjustment to shocks. This implies that an exchange rate targeting strategy may induce a perceived instability in the money demand function if, for example, such a policy results in substantial inflation rate volatility that keeps the money demand constantly readjusting (Section 5).

## **2. Croatian Money, Policy, and Banking Background**

We first consider some descriptive facts about Croatian real money use, nominal interest rates and the inflation rate over the 1994-2002 period; these help indicate whether it is likely that a classic money demand function will be operative. The money aggregate M1 comprises the new Croatian Kuna currency, as of May 30, 1994, and Kuna-denominated demand deposits.<sup>2</sup> Figure 1 shows that the quantity of real money  $[M/P]$ , defined here in terms of M1, and the nominal interest rate

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<sup>2</sup>The Kuna replaced the Croatian Dinar that had been introduced on December 23, 1991, when Croatia became an independent state.

(Money Market rate [MM]) move inversely as in a classical money demand function. However, the figure also shows that the inflation rate and nominal interest rate do not move together as in a Fisher equation.

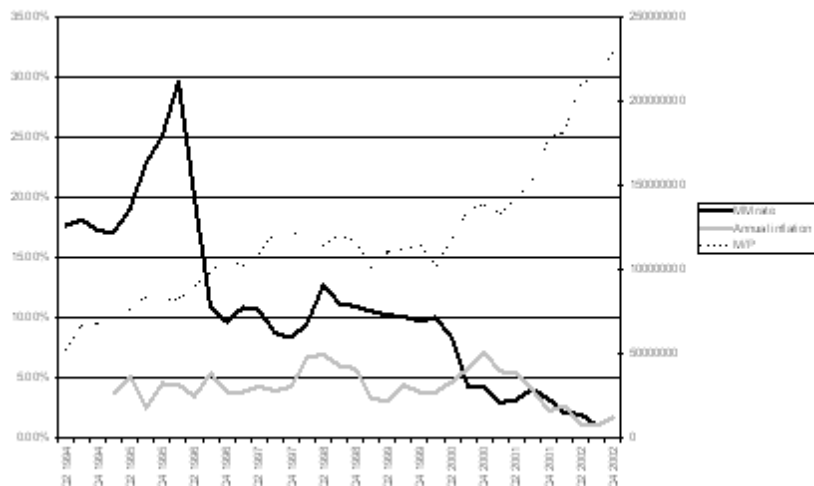


Figure 1. Real Money, Inflation, and the Nominal Interest Rate

Between 1994 and 2001 the inflation rate was fairly stable around 5%; it then moved downwards steadily towards very low levels by 2003; and it has remained in the 1.5% range. With such low rates, the Croatian National Bank has begun succeeding in its "primary objective to achieve and maintain price stability" (2001 National Bank Act). This low inflation has been achieved while the Bank has been described as being engaged in "strict exchange rate targeting" (Billmeier and Bonato, 2004). Or as Kraft (2003) puts it: "The main intermediate target is the exchange rate, not any monetary aggregate. In that respect, Croatia's monetary policy resembles an exchange rate fix more than a float of any sort" (p. 14). These different perspectives suggest that the exchange rate may have been an important instrument in the Bank's realization of its low inflation goal.

An interesting banking aspect of the M1 aggregate can be seen in Figure 2. Currency constitutes the lion's share of M1; the demand deposit to currency ratio averages well below one. In comparison, for example, the US demand deposit to



currency ratio has trended downwards steadily from 4 in 1959 to near 1 in 2002. Low- or non-interest bearing demand deposits have been used significantly less in Croatia than in the US.

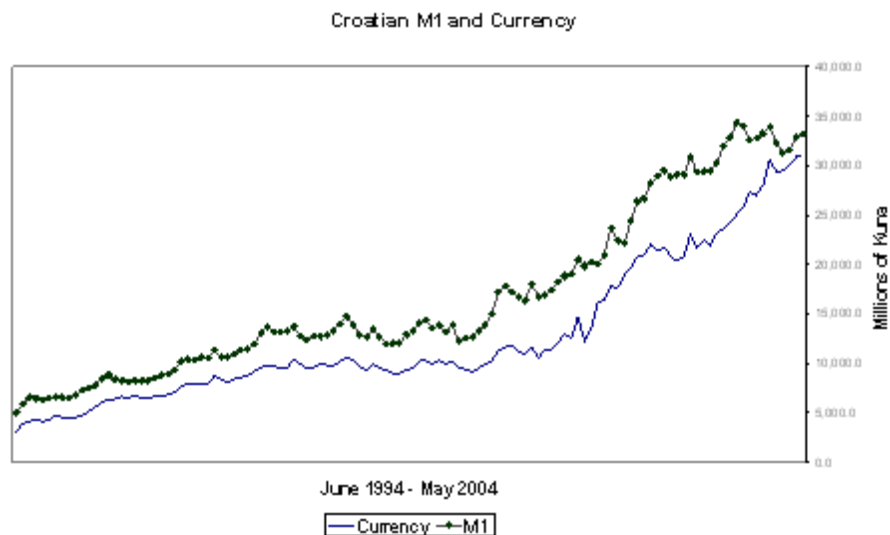


Figure 2. Croatian Monetary Aggregates

Another banking feature is that there have been significant foreign currency denominated deposits, now primarily in Euros. These deposits have accounted for some 75% of total new deposits (Kraft, 2003). Kraft suggests that these holdings may imply a "lack of credible monetary policy", adding that Croatians have a "habit of saving in foreign exchange" (p.4). Such a habit can be due to inflation avoidance and, in addition, may reflect a lesser use of banking for exchange purposes.

The commercial bank sector has seen significant turmoil. The banks started out as state owned, and have gradually become privatized in the face of many disruptions to activity. Stringent restrictions have been imposed on the banks at times, for example with reserve requirements as high as 31% during the war period of 1995, and with punitive levels of reserves if bank credit exceeded a certain threshold in recent years. Deregulation and liberalization started in earnest in 1996, when the government received an investment grade rating on its debt and

a large commercial bank consolidation took place. A crisis occurred in 1998-1999 with some bank insolvencies, and bank reform acts were passed in 1999 and 2002. Restructuring and privatization was largely finished by 2001.<sup>3</sup>

A weak, gradually reforming commercial bank sector could help explain the greater use of currency and foreign exchange denominated deposits. But a lesser use of banking does not necessarily threaten the stability of money demand. The main factors that have caused large shifts in money demand in developed countries have been the big, sudden financial deregulations of the 1980s (Gillman and Kejak, 2004; Benk et al., 2004). Such changes in financial sector productivity can be incorporated in money demand functions in order to stabilize an otherwise seemingly unstable money demand function, as Gillman and Otto (2003) show in time series estimations for the US and Australia. However, deregulation has been gradual in Croatia and inclusion of financial sector variables in the money demand function appears less necessary.

### 3. Data and descriptive analysis

The data used in the estimation are IFS time series with monthly frequency and seasonal adjustment: industrial production for the output variable, M1 money, consumer prices, a Croatian Kuna (HRK)-euro exchange rate, and the money market interest rate (Table 3.2). The variables are in natural logarithms of the indices with base year 1995. The data span is from April 1994 till August 2002 for all series, which are plotted in Figure 3 along with velocity (output divided by

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<sup>3</sup>For example, three banks, Bjelovarska Banka, Trgovacka Banka and Cakovecka Banka were merged into Erste and Sleiermarkische Bank in September 2000 to make one of the 10 largest banks in Croatia. Erste then bought 85% of Rijecka Banka in April 2002 and merged it with Erste and Sleiermarkische Bank in August 2003 to make the third largest bank group in Croatia. Another example is Slavoska Banka, which started in 1955 and sold some 35% of its shares in 1999 to the EBRD and Hypo Alpe Adria Bank. Zagrebacka Banka was the first Croatian bank to be registered as a joint stock company, with limited liability, in 1989, the first bank rated by the three major international ratings companies in 1997, and a bank that recently accounted for 25% of total Croatian banking assets. It partnered internationally in 2002, with UniCredito Italiano and Allianz.

real money).

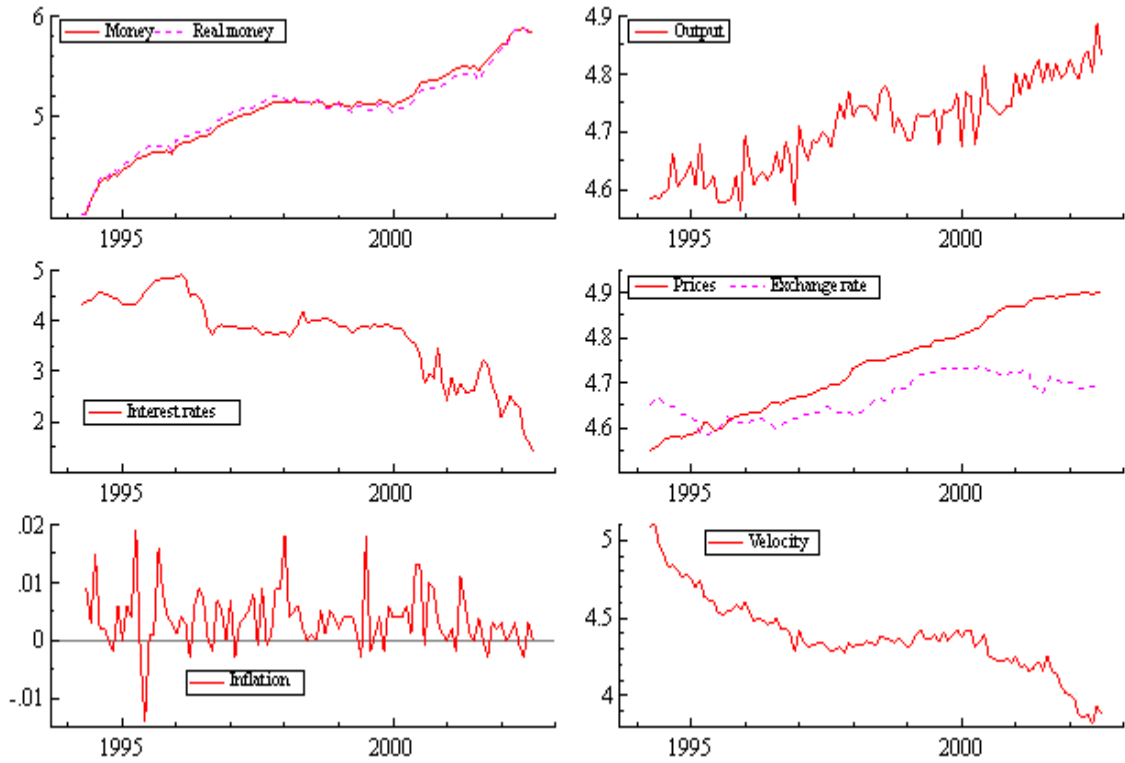


Figure 3. Money demand variables

### 3.1. Seasonal unit root tests

To ensure that the use of seasonally adjusted data is appropriate, we first consider Figure 4, which compares seasonally unadjusted series with seasonally adjusted series. Only modest differences emerge. However, it is useful to test whether explicit modeling of seasonality is requisite. In particular, if the series are stochastic and there exist seasonal unit roots, then these unit roots would need to be adjusted for through seasonal differencing (Davidson et al., 1978; Dickey et al., 1984; Beaulieu and Miron, 1993; Canova and Hansen, 1995).

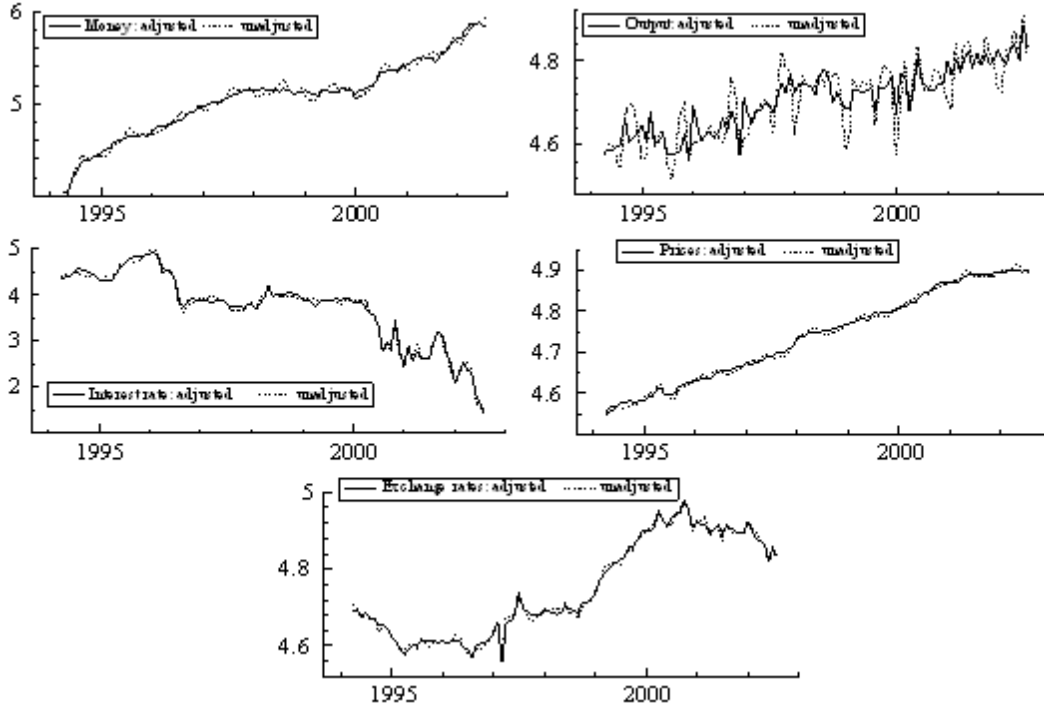


Figure 4. The Effect of Seasonal Adjustment

The particular test used for seasonal unit roots is that of Hylleberg et al. (1990) as adapted to monthly data by Franses (1990), based on the following OLS regression:

$$\begin{aligned}
 \Delta_{12}y_t &= \pi_1 y_{1,t-1} + \pi_2 y_{2,t-1} + \pi_3 y_{3,t-1} + \pi_4 y_{3,t-2} + \pi_5 y_{4,t-1} \\
 &+ \pi_6 y_{4,t-2} + \pi_7 y_{5,t-1} + \pi_8 y_{5,t-2} + \pi_9 y_{6,t-1} + \pi_{10} y_{6,t-2} \\
 &+ \pi_{11} y_{7,t-1} + \pi_{12} y_{7,t-2} + \sum_{i=1}^{12} \alpha_i D_{it} + \gamma t + u_t,
 \end{aligned}$$

where,

$$\begin{aligned}
y_{1,t} &= (1 + L)(1 + L^2)(1 + L^4 + L^8)y_t, \\
y_{2,t} &= -(1 - L)(1 + L^2)(1 + L^4 + L^8)y_t, \\
y_{3,t} &= -(1 - L^2)(1 + L^4 + L^8)y_t, \\
y_{4,t} &= -(1 - L^4)(1 - \sqrt{3}L + L^2)(1 + L^2 + L^4)y_t, \\
y_{5,t} &= -(1 - L^4)(1 + \sqrt{3}L + L^2)(1 + L^2 + L^4)y_t, \\
y_{6,t} &= -(1 - L^4)(1 - L^2 + L^4)(1 - L + L^2)y_t, \\
y_{7,t} &= -(1 - L^4)(1 - L^2 + L^4)(1 + L + L^2)y_t.
\end{aligned}$$

The  $t$ -tests for the significance of the coefficients are given in Table 3.1, which can be compared to the critical values tabulated by Franses (1990). The  $\pi_1$  coefficients are below their 95% critical values indicating that a unit root hypothesis cannot be rejected at the zero frequency, using the standard Dickey-Fuller tests. Yet the existence of seasonal unit roots is rejected for all  $\pi_i$  coefficients. Note that seasonal dummies and a time trend are included in the test regressions. These results together indicate that there is a stochastic trend within the series and that seasonality is deterministic. This means that seasonality need not be modeled explicitly. Using seasonally adjusted data directly, without having to remove any seasonal unit roots, allows us to save degrees of freedom with a limited data set.

### 3.2. Unit root tests of seasonally adjusted series

Augmented Dickey-Fuller (ADF) unit-root tests for the order of integration (Table 3.3) do not reject the hypothesis that the tested series have a unit root and are thus  $I(1)$ . The ADF tests were performed by considering all options regarding deterministic components (i.e., trend and constant) and in all cases the unit-root hypothesis could not be rejected. Additional ADF tests on first differences find strong rejection of the unit-root null in all series.

Table 3.1: Seasonal unit root tests ( $t$ -values)

Coefficient	$m_t$	$p_t$	$i_t$	$ex_t$	$r_t$
$\pi_1$	-2.997	-1.647	-1.798	-1.685	-1.891
$\pi_2$	-4.963	-4.069	-1.536	-4.959	-3.392
$\pi_3$	-2.649	-2.584	-3.845	-2.653	-2.097
$\pi_4$	-5.337	-4.693	-3.967	-3.419	-3.392
$\pi_5$	-11.503	-8.545	-6.766	-10.734	-8.241
$\pi_6$	-5.393	-4.171	-3.356	-3.230	-4.063
$\pi_7$	-3.640	-3.709	-5.500	-5.289	-3.634
$\pi_8$	-12.289	-9.077	-6.733	-11.215	-8.508
$\pi_9$	-8.902	-6.795	-5.670	-8.720	-6.821
$\pi_{10}$	-4.684	-3.728	-2.932	-4.827	-3.607
$\pi_{11}$	-4.500	-4.257	-5.303	-5.577	-4.343
$\pi_{12}$	-12.729	-8.328	-4.694	-11.143	-7.838

The inflation rate series deserves careful consideration, in that evidence on the integration order of the inflation rate tends to be mixed between unit root and stationarity findings (Culver and Papell, 1997; Benati and Kapetanios, 2003). Perron (1989)-type tests for structural breaks can indicate if an apparent unit root is break-adjusted stationary. While such an investigation is limited within the short time periods available for transition countries, the Croatian inflation rate ( $\Delta p_t$ ) does not appear to be trending (Figure 1). The visual impression is further confirmed by the unit-root tests (Table 3), which strongly reject the null up to the fifth lag in the ADF regression (as no lagged differences are significant, simple DF test suffices; the  $t$ -DF value is  $-9.653$ , with  $\beta(y_{t-1}) = 0.026$ ).

## 4. Econometric modelling

### 4.1. The Income Velocity of Money

The observed downward trend in velocity in Figure 3 may be deterministic or stochastic. A stochastic trend can be tested for using an unrestricted VAR in

Table 3.2: Definition of variables

Symbol	Definition
$i_t$	Industrial production
$m_t$	Money
$(m - p)_t$	Real money
$p_t$	CPI prices
$\Delta p_t$	Inflation
$ex_t$	HRK/euro exchange rate
$r_t$	Money market interest rate
$v_t$	Money velocity ( $p_t + y_t - m_t$ )

levels. The resulting VECM system is given in equation (1) and the results are presented in Table 4.1.<sup>4</sup>

$$\begin{aligned} \begin{pmatrix} \Delta m_t \\ \Delta y_t \end{pmatrix} &= \begin{pmatrix} \mu_1 \\ \mu_2 \end{pmatrix} + \sum_{i=1}^{11} \begin{pmatrix} \gamma_{11}^{(i)} & \gamma_{12}^{(i)} \\ \gamma_{21}^{(i)} & \gamma_{22}^{(i)} \end{pmatrix} \begin{pmatrix} \Delta m_{t-i} \\ \Delta y_{t-i} \end{pmatrix} \\ &+ \begin{pmatrix} \alpha_{11} & \alpha_{12} \\ \alpha_{21} & \alpha_{22} \end{pmatrix} \begin{pmatrix} \beta_{11} & \beta_{12} \\ \beta_{21} & \beta_{22} \end{pmatrix}' \begin{pmatrix} m_t \\ y_t \end{pmatrix} + \begin{pmatrix} \varepsilon_{1t} \\ \varepsilon_{2t} \end{pmatrix}, \end{aligned} \quad (4.1)$$

The Johansen (1995) cointegration tests suggest that there is one cointegrating vector between money and output. Both  $\lambda$ -max and  $\lambda$ -trace statistics are above their 95% critical values with  $\lambda$ -max being significant at the 1% level. The (first) cointegrating vector including coefficients of  $m_t$ ,  $y_t$  and  $t$  (a time trend) is estimated as  $\beta' = (1, -6.6, 0.01)$  with the accompanying adjustment coefficient vector  $\alpha = (0.05, -0.02)$ . This implies a long-run relationship  $p_t + 6.6y_t - m_t$ . Imposing the restriction<sup>5</sup>  $\beta' = (1, -1, *)$  results in the estimated trend coefficient of  $-0.05$

<sup>4</sup>The lag-length of the VAR was determined by sequential testing for the validity of the system's reduction, starting with 12 lags (i.e., one year of data) and reducing one lag at a time. The reduction from 12 to 11 lags was not rejected, while all further reductions were strongly rejected by the system reduction  $F$ -tests.

<sup>5</sup>The asterisk implies an unrestricted coefficient.

Table 3.3: Augmented Dickey-Fuller unit root tests

Variable	$t$ -ADF	$\beta(y_{t-1})$	$\hat{\sigma}$	$j^*$	$t$ - $\Delta y_{t-j}$	p-value
<sup>a</sup> $m_t$	-1.815	0.937	0.026	9	3.333	0.001
<sup>b</sup> $m_t$	0.166	1.002	0.026	9	3.029	0.003
<sup>a</sup> $p_t$	-1.542	0.883	0.005	5	-1.847	0.068
<sup>b</sup> $p_t$	-1.018	0.995	0.005	4	-1.847	0.068
<sup>a</sup> $i_t$	-2.326	0.589	0.032	9	2.097	0.039
<sup>b</sup> $i_t$	-0.644	0.966	0.033	2	-4.708	0.000
<sup>a</sup> $(m - p)_t$	-1.794	0.939	0.026	9	3.623	0.001
<sup>b</sup> $(m - p)_t$	0.113	1.002	0.026	9	3.299	0.002
<sup>b</sup> $\Delta p_t$	-6.999	0.038	0.005	1	-0.125	0.901
<sup>a</sup> $ex_t$	-1.033	0.966	0.007	2	-2.183	0.032
<sup>b</sup> $ex_t$	-1.725	0.971	0.007	2	-2.333	0.022
<sup>a</sup> $r_t$	-1.485	0.893	0.195	5	1.975	0.052
<sup>b</sup> $r_t$	0.713	1.023	0.199	5	1.707	0.092

\* Highest significant lag in the ADF regression.

<sup>a</sup> Trend and constant included; 5% c.v. = -3.461, 1% c.v. = -4.066

<sup>b</sup> Constant included; 5% c.v. = -2.895, 1% c.v. = -3.507.

and  $\alpha = (-0.03, 0.1)$ , which is, however, strongly rejected by the LR  $\chi^2_{(1)}$  of 22.3. It is clear then that the restriction  $\beta' = (1, -1, 0)$ , being even more restricted, cannot hold either (which is confirmed by the highly significant LR  $\chi^2_{(2)}$  test of 24.64).

The findings imply that  $v_t \sim I(1)$  regardless of the presence of a deterministic trend in the cointegration space. That is, an apparently systematic decline in the money velocity is in fact stochastic and no fixed per annum percent decline or deterministic downward trend can be claimed. It follows that long-run stability of the money demand equation requires consideration of additional variables such as the interest, inflation or exchange rates.



Table 4.1: Johansen cointegration tests: VAR(11) with  $y' = (m_t, y_t)^*$

$H_0 : r = p$	$\lambda$ -max	95% CV	$\lambda$ -trace	95% CV
$p = 0$	29.53	19.0	25.79	25.3
$p \leq 1$	4.60	12.3	4.60	12.3

\* Eigenvalues:  $\lambda_1 = 0.280, \lambda_2 = 0.050$

## 4.2. The Fisher equation

Denoting the nominal interest rate in period  $t$  by  $r_t$ , the real interest rate by  $\rho_t$ , and inflation by  $\Pi_t$ , the Fisher equation (Fisher, 1930; see also Dimand, 1999) can be written as  $r_t = \rho_t + \Pi_t$ . With the additional assumption that  $\rho_t = \hat{\alpha} + \hat{\varepsilon}_t$  (i.e. real interest rate is constant), where  $\hat{\varepsilon}_t \sim i.i.d.$ , the Fisher equation becomes  $r_t = \hat{\alpha} + \Pi_t + \hat{\varepsilon}_t$ , which implies independence of the real interest rate and inflation. The equation is usually estimated in log-levels as  $\ln(r_t) = \hat{\beta}_0 + \hat{\beta}_1 \ln(\Pi_t) + \hat{u}_t$  and a test of the restriction  $\hat{\beta}_1 = 1$  is taken to be the test of the (long-run) validity of the Fisher equation. The constant  $\hat{\beta}_0$  can be interpreted as the long-run equilibrium real rate of interest. Note that when the variables are in logarithms, inflation measured as  $\ln(\Pi_t) = \ln(p_t/p_{t-1})$  is equivalent to a simple difference in the log of the price index, i.e.,  $\Delta \ln(p_t)$ . Hence the Fisher equation can be stated as <sup>6</sup>

$$\ln(r_t) = \hat{\beta}_0 + \hat{\beta}_1 \Delta \ln(p_t) + \hat{u}_t, \quad \hat{u}_t \sim i.i.d., \quad \hat{\beta}_1 = 1. \quad (4.2)$$

Initially ignoring the order of integration, the estimated equation is

$$\ln(r_t) = 3.65 + 20.03 \Delta \ln(p_t) + \hat{u}_t,$$

(0.10)      (15.46)

where standard errors are in parentheses and  $R^2 = 0.017$ ,  $\hat{\sigma} = 0.783$ , and  $DW =$

<sup>6</sup>An alternative version of the Fisher equation, given constant money velocity, is  $\Delta m_t = \Delta p_t$ , (see, e.g., Monnet and Weber, 2001). This, however, is not suitable for the cases where velocity is not constant.

0.081. It is evident that the null hypothesis  $H_0 : \hat{\beta}_1 = 0$  cannot be rejected, and in addition, a low Durbin-Watson statistic implies dynamic misspecification. The ADF unit root test on  $\hat{u}_t$  produced a  $t$ -value of 0.519 where the highest significant lag is 4, which clearly cannot reject that  $\hat{u}_t \sim I(1)$ . Note that this can also be inferred from the fact that  $\ln(r_t) \sim I(1)$  while  $\Delta \ln(p_t) \sim I(0)$ , therefore it must be that for all  $\gamma$ ,  $[\ln(r_t) - \gamma \Delta \ln(p_t)] \sim I(1)$ .

Alternatively, estimation of Sargent's (1972) extended Fisher equation, with  $n = m = 3$ , yields

$$\begin{aligned} \ln(r_t) &= \underset{(0.45)}{13.74} - \underset{(1.15)}{2.17} \ln(m_t) - \underset{(1.62)}{2.16} \ln(m_{t-1}) - \underset{(1.61)}{1.08} \ln(m_{t-2}) + \underset{(1.05)}{3.46} m_{t-3} \\ &+ \underset{(6.23)}{6.44} \Delta \ln(p_t) + \underset{(6.12)}{0.74} \Delta \ln(p_{t-1}) + \underset{(6.13)}{0.70} \Delta \ln(p_{t-2}) - \underset{(6.15)}{2.68} \Delta \ln(p_{t-3}) + \check{u}_t, \end{aligned}$$

with  $R^2 = 0.863$ ,  $\sigma = 0.305$ , and  $DW = 0.570$ . Here, while the Durbin-Watson statistic is still indicative of some remaining residual autocorrelation, the fit is improved and the residuals are close to stationary.<sup>7</sup> However, inflation is not significant at any lag. This is also seen in the long run solution

$$\ln(r_t) = \underset{(0.45)}{13.74} - \underset{(0.08)}{1.95} \ln(m_t) + \underset{(12.95)}{5.19} \Delta \ln(p_t) + \tilde{u}_t,$$

where Wald  $\chi_{(2)}^2 = 548.32$ , which is highly significant. Individually, only the money variable is significant; inflation is not. Similar results are obtained by estimating the distributed lag version of the Fisher equation (Sargent, 1973), which is specified as a special case of the "extended" equation, i.e.,  $\ln(r_t) = \tilde{\alpha} + \sum_{i=1}^m \tilde{v}_i \Delta \ln(p_{t-i}) + \check{\varepsilon}_t$ . Estimation of this equation produces insignificant coefficients of inflation at all lags (including up to 12 lags) and similarly insignificant long-run coefficients (not shown). In addition, the residuals are non-stationary which confirms the previous conclusion about the integration orders.

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<sup>7</sup>The ADF  $t$ -value was  $-2.637$  with 7 lags included in the regression, which is above the 1% critical value of  $-2.591$  for the regression without trend or constant.

Alternatively, following Crowder and Hoffman (1996) and Crowder (1997), we can consider a bivariate VECM system using the Johansen technique. The specification is

$$\begin{pmatrix} \Delta r_t \\ \Delta^2 p_t \end{pmatrix} = \begin{pmatrix} \tau_1 \\ \tau_2 \end{pmatrix} + \sum_{i=1}^{11} \begin{pmatrix} \kappa_{11}^{(i)} & \kappa_{12}^{(i)} \\ \kappa_{21}^{(i)} & \kappa_{22}^{(i)} \end{pmatrix} \begin{pmatrix} \Delta r_{t-i} \\ \Delta^2 p_{t-i} \end{pmatrix} \\ + \begin{pmatrix} \chi_{11} & \chi_{12} \\ \chi_{21} & \chi_{22} \end{pmatrix} \begin{pmatrix} \theta_{11} & \theta_{12} \\ \theta_{21} & \theta_{22} \end{pmatrix}' \begin{pmatrix} r_{t-1} \\ \Delta^2 p_{t-1} \end{pmatrix} + \begin{pmatrix} \eta_{1t} \\ \eta_{2t} \end{pmatrix}.$$

Estimation of this system produces eigenvalues of  $\lambda_1 = 0.109$  and  $\lambda_2 = 0.055$ ; the  $\lambda$ -max and  $\lambda$ -trace statistics are 10.31 and 15.38, respectively, which is well below their 95% critical values of 19 and 25.3.<sup>8</sup> These results imply that the interest rate and the inflation rate are not cointegrated. The long-run Fisher equation does not hold.

The above approaches to testing the Fisher equation have the problem of the integration order of interest rates and inflation variables, since the Croatian inflation is  $I(0)$ .<sup>9</sup> To avoid the integration order problems and consistently estimate  $\hat{\beta}_1$  from the Fisher equation,  $\ln(r_t) = \hat{\beta}_0 + \hat{\beta}_1 \Delta \ln(p_t) + \hat{u}_t$ , consider the OLS estimator<sup>10</sup>

$$\tilde{\beta}_1 = \frac{\sum_{t=1}^T \Delta^2 \ln(p_t) \Delta \ln(r_t)}{\sum_{t=1}^T [\Delta^2 \ln(p_t)]^2}.$$

It can be shown that  $\tilde{\beta}_1$  is asymptotically normally distributed since  $\ln(r_t) \sim I(1) \Rightarrow \Delta \ln(r_t) \sim I(0)$ , while  $\Delta \ln(p_t) \sim I(0) \Rightarrow \Delta^2 \ln(p_t) \sim I(0)$ ; this estimator uses only  $I(0)$  variables and the standard distribution theory applies.<sup>11</sup> Estimation produces the following results:

$$\Delta \ln(r_t) = \underset{(2.69)}{3.56} \Delta^2 \ln(p_t) + \hat{v}_t,$$

<sup>8</sup>A linear trend was included in the cointegrating space.

<sup>9</sup>However Sargent's (1972) extension, that includes levels of money, will yield valid inference, given that money is  $I(1)$  and cointegrated with interest rates; hence the  $I(0)$  inflation would enter merely as an additional stationary regressor.

<sup>10</sup>We assume the variables are measured as deviations from the means.

<sup>11</sup>To see that  $\tilde{\beta}_1$  is a consistent estimator of  $\beta_1$ , observe that

where  $R^2 = 0.018$ ,  $\sigma = 0.190$ , and  $DW = 2.04$ . These results allow drawing correct statistical inference on the estimated coefficients, and also the Durbin-Watson statistic is indicative of no remaining autocorrelation in the residuals. However, the standard error of the  $\tilde{\beta}_1$  coefficient is 2.69, which gives a  $t$ -ratio of 1.33. The null hypothesis  $H_0 : \tilde{\beta}_1 = 0$  cannot be rejected. This result again implies that the Fisher equation does not hold in Croatia. Thus it may be that the inflation rate enters the long-run money-demand relation as a separate variable along with the interest rate.

### 4.3. Money Demand Estimation

Following Baba et al. (1992), the baseline real money demand, or  $(m - p)_t$ , is specified so as to include real income  $y_t$ , the nominal interest rate  $r_t$  and the inflation rate  $\Delta p_t$ . Within a multivariate cointegration framework, the order of the estimated VECM needs to be properly specified in terms of the lag-length selection before commencing with the cointegration analysis. Formal tests of system's reduction validity, progressively reducing the number of lags in the system, reject all reductions beyond VAR(12), making the model a VECM with  $\Delta z_t = [\Delta(m - p)_t, \Delta y_t, \Delta^2 p_t, \Delta r_t]$ , and using 12 lags. The four-variable system is specified as

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$$\begin{aligned} \ln(r_t) - \ln(r_{t-1}) &= \hat{\beta}_0 + \hat{\beta}_1 \Delta \ln(p_t) + \hat{u}_t - (\hat{\beta}_0 + \hat{\beta}_1 \Delta \ln(p_{t-1}) + \hat{u}_{t-1}) \\ &\Rightarrow \Delta \ln(r_t) = \hat{\beta}_1 \Delta^2 \ln(p_t) + \check{u}_t \end{aligned}$$

where  $\Delta^2 \ln(p_t) \equiv \Delta \ln(p_t) - \Delta \ln(p_{t-1}) = \ln(p_t) - 2 \ln(p_{t-1}) + \ln(p_{t-2})$ , and  $\check{u}_t \equiv (\hat{u}_t - \hat{u}_{t-1})$ . However, the  $\hat{\beta}_0$  coefficient from  $\ln(r_t) = \hat{\beta}_0 + \hat{\beta}_1 \Delta \ln(p_t) + \hat{u}_t$ , i.e., the long-run equilibrium real rate of interest, cannot be estimated.

$$\begin{aligned}
\begin{pmatrix} \Delta(m-p)_t \\ \Delta y_t \\ \Delta^2 p_t \\ \Delta r_t \end{pmatrix} &= \begin{pmatrix} \omega_1 \\ \omega_2 \\ \omega_3 \\ \omega_4 \end{pmatrix} + \sum_{i=1}^{12} \begin{pmatrix} \phi_{11}^{(i)} & \phi_{12}^{(i)} & \phi_{13}^{(i)} & \phi_{14}^{(i)} \\ \phi_{21}^{(i)} & \phi_{22}^{(i)} & \phi_{23}^{(i)} & \phi_{24}^{(i)} \\ \phi_{31}^{(i)} & \phi_{32}^{(i)} & \phi_{33}^{(i)} & \phi_{34}^{(i)} \\ \phi_{41}^{(i)} & \phi_{42}^{(i)} & \phi_{43}^{(i)} & \phi_{44}^{(i)} \end{pmatrix} \begin{pmatrix} \Delta(m-p)_{t-i} \\ \Delta y_{t-i} \\ \Delta^2 p_{t-i} \\ \Delta r_{t-i} \end{pmatrix} \\
&+ \begin{pmatrix} \psi_{11} & \psi_{12} & \psi_{13} & \psi_{14} \\ \psi_{21} & \psi_{22} & \psi_{23} & \psi_{24} \\ \psi_{31} & \psi_{32} & \psi_{33} & \psi_{34} \\ \psi_{41} & \psi_{42} & \psi_{43} & \psi_{44} \end{pmatrix} \begin{pmatrix} \xi_{11} & \xi_{12} & \xi_{13} & \xi_{14} & \xi_{15} \\ \xi_{21} & \xi_{22} & \xi_{23} & \xi_{24} & \xi_{25} \\ \xi_{31} & \xi_{32} & \xi_{33} & \xi_{34} & \xi_{35} \\ \xi_{41} & \xi_{42} & \xi_{43} & \xi_{44} & \xi_{45} \end{pmatrix}' \begin{pmatrix} (m-p)_{t-1} \\ y_{t-1} \\ \Delta p_{t-1} \\ r_{t-1} \\ t \end{pmatrix} \\
&+ \begin{pmatrix} \iota_{1t} \\ \iota_{2t} \\ \iota_{3t} \\ \iota_{4t} \end{pmatrix}.
\end{aligned}$$

Estimation using the Johansen maximum likelihood technique indicates two stationary combinations among (real) money, output, the interest rate and inflation rate variables (Table 5).<sup>12</sup> In particular, the restricted estimation where the rank condition ( $r = 2$ ) and weak exogeneity of inflation were jointly imposed produced an LR  $\chi^2_{(2)}$  test of 3.733 ( $p = 0.155$ ). Thus the joint hypothesis that  $r = 2$  and that inflation is weakly exogenous with respect to the long-run parameters cannot be rejected.

The  $\xi'$  and  $\psi$  are estimated as

$$\begin{aligned}
\xi' &= \begin{pmatrix} 1.00 & -2.66 & 17.00 & 0.36 & 0.0079 \\ -0.02 & 1.00 & -3.40 & 0.09 & -0.0002 \\ 0.00 & -0.01 & 1.00 & -0.00 & -0.0000 \\ 18.45 & -15.30 & -147.46 & 1.00 & -0.1223 \end{pmatrix} \\
\psi &= \begin{pmatrix} 0.09 & -0.58 & -4.93 & -0.0023 \\ 0.20 & -0.99 & 0.23 & 0.0025 \\ -0.02 & 0.02 & -1.18 & 0.0005 \\ -2.42 & -3.34 & 15.53 & 0.0027 \end{pmatrix}.
\end{aligned}$$

Imposing the rank restrictions, the estimates of  $\xi'$  and  $\psi$  are

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<sup>12</sup>See also Cziráky (2002).

$$\boldsymbol{\xi}' = \begin{pmatrix} -0.23 & 0.59 & -3.04 & -0.08 & -0.0018 \\ -0.02 & 0.67 & -2.06 & 0.06 & -0.0002 \end{pmatrix}, \boldsymbol{\psi} = \begin{pmatrix} -0.37 & -0.86 \\ -0.99 & -1.51 \\ - & - \\ 10.71 & -4.97 \end{pmatrix}$$

The adjustment coefficients for the money demand relation are large and negative ( $-0.37$  and  $-0.86$ ), which indicates fast adjustment to the long run. Normalizing the first cointegrating relation to  $(m - p)_t$  and the second one to  $y_t$ , and writing the long-run relationships in equation format, the long-run money demand and income determination equations are

$$\begin{aligned} (m - p)_t &= 2.57y_t - 13.22\Delta p_t - 0.35r_t - 0.01t, \\ y_t &= 0.03(m - p)_t + 3.07\Delta p_t - 0.09r_t + 0.003t. \end{aligned}$$

The latter relation can be interpreted as a small real balance effect on output (see for example Ireland, 2001, on this effect), or as indicating a Phillips curve relation.

One-step and break-point Chow tests were conducted for the individual equations and for the entire system. Stability of the system is indicated by the fact that the recursive break-point Chow tests generally fall below the 95% critical value. The one-step Chow tests detect an outlier in March 2000.

Table 4.2: Johansen cointegration tests:  $\mathbf{z} = [(m - p)_t, y_t, \Delta p_t, r_t]^*$

$H_0 : r = p$	$\lambda$ -max	95% CV	$\lambda$ -trace	95% CV
$p = 0$	66.11	31.5	124.50	63.0
$p \leq 1$	36.03	25.5	58.40	42.4
$p \leq 2$	15.48	19.0	22.37	25.3
$p \leq 3$	6.89	12.3	6.89	12.3

\* Eigenvalues:  $\lambda_1 = 0.528, \lambda_2 = 0.336, \lambda_3 = 0.161, \lambda_4 = 0.075$ .

### 4.3.1. Money Demand without the Inflation Rate

As part of the robustness check of the baseline model, the money demand is also estimated with the assumption that the Fisher equation holds and so the inclusion of the inflation rate is not necessary. The estimation of the system without the inflation rate term requires a three-variable VECM instead of the four-variable one for the baseline. Experiments here find three cointegrating vectors with two of the three eigenvalues significant on the basis of both  $\lambda$ -max and  $\lambda$ -trace statistics (see Table 6). This suggests that the third vector is apparently non-stationary, or  $I(1)$ , while the estimates of the cointegrating vectors and their adjustment coefficients are similar in both models. The money demand cointegrating vector is  $(m_t - p_t) = 2.25y_t - 0.44r_t - 0.01t$ .

Table 4.3: Johansen cointegration tests VAR(11):  $\mathbf{z} = [(m - p)_t, y_t, r_t]^*$

$H_0 : r = p$	$\lambda$ -max	95% CV	$\lambda$ -trace	95% CV
$p = 0$	48.90	25.5	79.80	42.4
$p \leq 1$	26.25	19.0	30.90	25.3
$p \leq 2$	4.65	12.3	4.65	12.3

\* Eigenvalues:  $\lambda_1 = 0.419, \lambda_2 = 0.253, \lambda_3 = 0.050$ .

Additional tests are made for the reduced rank  $r = 2$  and (jointly) for the exclusion of the deterministic trend from the cointegrating space. The exclusion of the trend is strongly rejected by the LR test statistic:  $\chi^2_{(2)} = 25.36$ . A significant problem with the reduced rank model emerges from 1-step and breakpoint Chow tests. These tests are failed, which indicates a lack of parameter stability (or constancy) that may be causing instability of the entire system.

### 4.3.2. Money Demand with Exchange Rates

As another alternative that checks the robustness of the baseline specification, we consider Petrovic and Mladenovic's (2000) model of money demand which includes exchange rates in lieu of a nominal interest rate or an inflation rate. This approach is based on "dollarization" or "fear of floating" arguments (Calvo and Reinhart, 2002), although note that Taylor (2001) is more circumspect about what role exchange rates might play during a inflation-targeting regime. To test the exchange rate approach, money demand is re-estimated with the exchange rate ( $ex_t$ ) replacing the inflation rate; the nominal interest rate is kept in the system. The VECM system is then  $\Delta \hat{z}_t = [\Delta(m-p)_t, \Delta y_t, \Delta ex_t, \Delta r_t]$  and the results of the cointegration tests are presented in Table 7. They indicate as many as three cointegrating vectors.

Table 4.4: Johansen cointegration tests:  $\hat{z} = [(m-p)_t, y_t, ex_t, r_t]^*$

$H_0 : r = p$	$\lambda$ -max	95% CV	$\lambda$ -trace	95% CV
$p = 0$	60.62	31.5	149.00	63.0
$p \leq 1$	49.96	25.5	88.37	42.4
$p \leq 2$	26.32	19.0	38.41	25.3
$p \leq 3$	12.09	12.3	12.09	12.3

\* Eigenvalues:  $\lambda_1 = 0.498, \lambda_2 = 0.430, \lambda_3 = 0.256, \lambda_4 = 0.127$ .

The unrestricted estimates of the  $\hat{\xi}'$  and  $\hat{\psi}$  matrices are similar to the baseline model. Restricting the cointegrating rank to  $r = 2$  and imposing weak exogeneity of the exchange rate, gives the following estimates

$$\hat{\xi}' = \begin{pmatrix} -0.48 & 1.69 & 0.10 & -0.17 & -0.005 \\ -0.16 & 1.62 & -0.30 & 0.20 & -0.004 \end{pmatrix}, \hat{\psi} = \begin{pmatrix} -0.03 & -0.02 \\ -0.30 & -0.72 \\ - & - \\ 3.10 & -2.65 \end{pmatrix}$$



The LR test for the imposed restrictions has a  $\chi^2_{(2)}$  of 2.226 ( $p = 0.329$ ), which does not reject the joint restriction that  $r = 2$  and that the exchange rate is weakly exogenous for the long-run parameters. A notable difference, however, is in the near-zero values for the adjustment parameters in the money-demand equation ( $-0.03$  and  $-0.02$ ). Including the exchange rate in place of the inflation rate causes the model to lose completely the fast short-run adjustment property of the baseline model. The adjustment would take place almost never, making the exchange rate model unable to explain a stable money demand in the face of shocks.

## 5. Conclusion

The paper presents a rigorous model of money demand for a EU accession country, Croatia, during its transition years. First it examines whether the classical Fisher equation of interest rates holds, whereby the nominal interest rate should move together with the inflation rate. Transition/EU-accession countries such as Croatia are perhaps especially likely to be undergoing changes in inflation rate policy that produce unexpected inflation rates; this can lead to a failure of the nominal interest rate and the inflation rate to move together. Finding no evidence in support of the Fisher interest equation for Croatia, using a battery of tests, the paper then specifies the baseline model as a classical money demand function extended to include the inflation rate. With vector error correction methods, a cointegrated money demand function results with both parameter stability and timely dynamic re-equilibration to shocks.

For robustness, the baseline model specification is compared to likely alternative specifications. First examined is the baseline without the inflation rate, this being the standard, classic, money demand function. This alternative exhibits parameter instability. Second, the exchange rate is substituted into the baseline model in place of the inflation rate. This reflects a theme of the transition money demand literature: that the exchange rate acts as the inflation rate in the money

demand function because the inflation rate is fully "passed through" to exchange rate changes. This specification shows long run cointegration, but no timely dynamic adjustment to shocks. The lack of short run adjustment makes it an inferior alternative. The robustness of the baseline model relative to the main alternatives allows for some confidence in the results.

Interpretation requires caution because of the data limitations that characterize all transition country studies. Starting the data series for Croatia only in 1994 avoids a hyperinflation that peaked at around a 1500% annual rate in 1993; after this a new currency was introduced. Given the data qualification, the results can be interpreted first as showing that a stable money demand exists despite a less than calm period economically and politically.

Second, the analysis suggests that a policy that causes gradual changes in the inflation rate is unlikely to disrupt the baseline money demand function because it includes the inflation rate as a variable. This means that a policy of maintaining a low inflation rate, or even gradually reducing the inflation rate if it were at a higher level as in Hungary, is not likely to induce an apparent instability in the estimated money demand function. In turn, the inflation rate should be able to be more easily forecasted using variables that enter the money demand function. Then the forecasts can be used by the central bank to continue to act to stabilize the inflation rate, a type of self-reinforcing interaction of policy with the behavior of consumers.<sup>13</sup>

In contrast, a policy for example that targets the exchange rate without regard to the inflation rate could induce unexpected jumps in the inflation rate that cause apparent "shifts" in the money demand function. This can lead to the belief that money demand is unstable, and justify further discretion from the central bank to offset the apparently unstable money demand function. This circle of interaction between policy and the consumer is less appealing in that the ultimate policy

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<sup>13</sup>In discussing inflation forecasting, Balfoussia and Wickens (2005) note that "Although there is no necessary reason for a good forecasting model to have theoretical underpinnings, theory may still be able to help in the choice of the model to use (p.1).

would likely be less efficacious, and could lead to an "inflation bias". This is not to argue that exchange rate targeting is necessarily worse than inflation rate targeting. It does suggest that the use of exchange rate instruments in Croatia may de facto be part of a policy of inflation rate targeting.

Policy-consumer interaction is an important factor in the ultimate efficaciousness of policy, as emphasized by Lucas's (1976) "critique". The nature of such interaction in general is not regime or consumer-behavior dependent, given the usual assumption of rationality of the agents. The specifics of the policy "function" that incorporates the consumer behavioral reactions will certainly change with the particular policy employed. Some policies will be less wasteful of societal resources than others. Arguably, a stable money demand function combined with inflation rate goals results in a rather efficacious interaction. And it is of some interest to see such a stable money demand function arising in a dynamic economy like Croatia, that has an explicit price stability goal set out in its central bank act.

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[1]

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