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International Tax Coordination: Regionalism versus Globalism

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INTERNATIONAL TAX COORDINATION: REGIONALISM VERSUS GLOBALISM

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Abstract: Tax competition for mobile capital can undermine the attempts of governments to redistribute income from rich to poor. I study whether international tax coordination can alleviate this problem, using a general equilibrium model synthesizing recent contributions to the tax competition literature. The model highlights the crucial distinction between global tax coordination and regional coordination. With high capital mobility between the tax union and the rest of the world, the welfare gain from regional capital income tax coordination is only a small fraction of the gain from global coordination, even if the tax union is large relative to the world economy.

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1. INTRODUCTION

The dramatic rise in international capital flows over the last two decades has fuelled the academic and public debate on the need for international coordination of capital income taxes. Many observers fear that lack of coordination will lead to a 'race to the bottom', as governments try to lure mobile capital into their jurisdiction by undercutting each others' capital income taxes.

Much of the literature on tax competition supports the view that tax competition will drive source-based capital income taxes below their globally optimal level, and that an internationally coordinated rise in capital income taxes will therefore be welfare improving (see Wilson (1999) for a survey). However, although standard models of tax competition have yielded important insights, they typically rely on a number of strong assumptions. For example, the canonical tax competition model of Zodrow and Mieszkowski (1986) assumes fixed factor supplies, perfect capital mobility, absence of pure profits, no foreign ownership of domestic firms, completely symmetric countries, and no endogenous fiscal instruments other than a source-based capital income tax. Standard analyses usually also assume that the alternative to tax competition would be *global* tax coordination among *all* countries in the world.

To serve as a more reliable guide to public policy, a model of tax competition and tax coordination must obviously relax these restrictive assumptions. The present paper develops a tax competition model which allows for endogenous factor supplies, pure profits and foreign ownership, competition for mobile capital via several fiscal instruments, cross-country asymmetries, and imperfect capital mobility. The model also accounts for income inequality and redistributive taxation, thus allowing an analysis of the effect of tax competition on income distribution. Moreover, the model highlights the important distinction between between global tax coordination versus coordination among of sub-group of countries, addressing the crucial question whether *regional* tax coordination

within an area such as the European Union would simply divert capital from the coordinating region, thereby eroding the welfare gains from cooperation.

By setting up a model with these features, the paper offers a synthesis of the recent literature which has gone beyond the standard tax competition model. To mention a few of these contributions, Bucovetsky and Wilson (1991) studied tax competition in a setting with two tax instruments and elastic supplies of capital and labour; Huizinga and Nielsen (1997) and Dickescheid (forthcoming) analyzed how pure profits and foreign ownership of domestic firms affect the incentives for national governments to maintain positive capital income tax rates under tax competition; Fuest and Huber (2000) accounted for the possibility that capital tax coordination may lead to offsetting adjustments of other tax instruments; Bettendorf and Heijdra (1999) extended the model of Sørensen (1991) to study the effects of capital tax coordination under imperfect capital mobility; Bucovetsky (1991), Wilson (1991), Kanbur and Keen (1993) and Eggert and Haufler (1998) explored the consequences of differences in country size for the distribution of the gains from tax coordination; Keen and Marchand (1997) analyzed the effects of fiscal competition on the distribution of net fiscal burdens on mobile versus immobile factors; and Konrad and Schjelderup (1999) and Huizinga and Nielsen (2000) studied the effects of regional tax coordination among a subgroup of countries. In the present paper, all of these extensions of the basic tax competition model are incorporated in a single analytical framework.

A second main purpose of the paper is to offer quantitative estimates of the magnitude of the gains from tax coordination by simulating numerical versions of the model. For policy makers it is clearly important to know whether the gains from coordination could amount to several percent of national income rather than just a fraction of a percent. To answer such a question a quantitative analysis is needed. Wildasin (1989), Fuente and Gardner (1990), and Noedgaard and Nielsen (1999) have previously provided quantitative estimates of the gains from capital tax coordination, but only within highly simplified models of the Zodrow-Mieszkowski type¹.

One important feature of my analysis should be noted from the outset: since taxes are levied on income which is unequally distributed, changes in the level of taxation achieved through tax coordination involve changes in income distribution. Hence the estimated welfare gains from tax coordination are not genuine Pareto efficiency gains, but social

gains from a more equitable distribution.

To preserve transparency, the model relies on simple functional forms. While this implies some loss of generality, it has several advantages. First, it avoids the black-box character of many applied general equilibrium models by allowing an analytical closed-form solution of the model. Second, it allows easy identification of the key parameters determining the quantitative properties of the model. Third, the simple functional forms allow a political economy interpretation of the process of fiscal policy making in the model.

In the sections below I will address the following questions: how does unfettered tax competition affect the level and structure of taxation? What is the likely magnitude of the welfare gains obtainable if all countries in the world could coordinate their tax policies? How are the size and distribution of the welfare gains affected if coordination only involves a subgroup of countries, and how are they influenced by asymmetries across countries?

I find that the gain from regional tax coordination is only a small fraction of the potential gain from global coordination if capital mobility is perfect. With imperfect capital mobility between the tax union and the rest of the world, there is greater scope for regional tax coordination, although the welfare gain will almost certainly be well below 1 percent of GDP and will accrue mainly to countries with high initial capital income tax rates.

The rest of the paper is structured as follows. In Part 2 I describe the general equilibrium model underlying my analysis and solve the model analytically for the fiscal policies emerging under tax competition, starting from the assumption of perfect capital mobility. Part 3 studies various forms of global tax coordination, while Part 4 focuses on the effects of regional coordination, comparing scenarios with perfect and imperfect capital mobility. In Part 5 I summarize my main conclusions².

2. A MODEL OF TAX COMPETITION AND TAX COORDINATION

My model of tax competition (called 'TAXCOM') is static, describing a stationary long-run equilibrium. Variations in endogenous variables may be interpreted as *level* changes in a time path of exogenous steady-state growth. In each national economy firms combine internationally mobile capital with immobile labour and a fixed factor to

produce a homogeneous internationally traded good. Consumers have identical preferences, and each individual consumer is endowed with a predetermined stock of human as well as non-human wealth. These initial endowments are unevenly distributed, providing governments with a motive for redistributive taxation. A consumer may consume his initial non-human wealth immediately, or he may invest it in the capital market at a rising marginal transaction cost. In the latter case he accumulates a capital stock earning an interest which may be consumed along with the principal at the end of the period. The transaction cost may be thought of as the cost of financial intermediation; its role is analogous to the role played by consumer time preference in an explicitly intertemporal model. Weighing the transaction cost against the return to capital, the utility-maximizing consumer chooses to increase his capital supply ('savings') as the after-tax real rate of interest increases. While *endowments* are exogenous, the supply of productive *capital* is thus endogenous. Because of rising marginal disutility of work, utility maximization also implies that labour supply rises with the after-tax real wage rate.

An exogenous fraction of domestic firms is owned by foreign residents, so a fraction of domestic profits accrues to foreigners. Domestic residents likewise own a fraction of foreign firms, receiving a share of the profits generated in other countries. Within each country, the individual consumer's share of total profits equals his share of initial wealth.

Governments determine their fiscal policies by maximizing a social welfare function. Given our specification of preferences, this social welfare function may be interpreted as the indirect utility function of the median voter. Hence government policies may be seen as the outcome of a simple majority voting process.

The following sections provide a detailed description of the model. The equations refer to an individual country j , but the country subscript j is omitted to simplify notation when no misunderstanding is possible.

2.1. Firms

In all countries the representative firm produces the same composite good Y by means of capital K , effective labour input L , and a fixed factor ('land'). The supply of the fixed factor to each country is proportional to the country's exogenous population N , with a proportionality factor of unity. This ensures that large countries have no inherent productivity advantage over small countries, or vice versa. Adopting a Cobb-Douglas

production function with multifactor productivity A and constant returns to scale, we thus have

$$Y = AK^\beta L^\alpha N^{1-\alpha-\beta}, \quad 0 < \alpha < 1, \quad 0 < \beta < 1, \quad 0 < \alpha + \beta < 1 \quad (1)$$

Worker i is endowed with a fraction θ_i of the predetermined total stock of human wealth eN , where e is the per-capita endowment. The working hours of worker i - the rate at which his human capital is utilized - are h_i . Hence the effective labour input supplied by worker i is $\theta_i e N h_i$, and aggregate effective labour input is

$$L = \sum_{i=1}^N \theta_i e N h_i, \quad 0 < \theta_i < 1 \quad \text{for all } i, \quad \sum_{i=1}^N \theta_i = 1 \quad (2)$$

The competitive firm chooses the inputs of capital and all of the N types of labour to maximize its profits. With the output price normalized at unity, this yields the following first-order conditions, where τ is the capital income tax rate, ρ is the after-tax interest rate, $k \equiv K/N$ is the capital stock per worker, $\ell \equiv L/N$ is average effective labour input per worker, and $w \equiv (1/L) \sum_i w_i h_i$ is the average return to human capital:

$$\text{Demand for capital:} \quad \beta A k^{\beta-1} \ell^\alpha = \frac{\rho}{1-\tau} \quad (3)$$

$$\text{Demand for labour:} \quad \alpha A k^\beta \ell^{\alpha-1} = w \quad (4)$$

$$\text{Real wage of worker } i: \quad w_i = \theta_i e N w \quad i = 1, 2, \dots, N \quad (5)$$

2.2. Households

The utility of worker/consumer i is given by the utility function

$$U_i = C_i - \theta_i e N \cdot \frac{h_i^{1+\varepsilon}}{1+\varepsilon} + \frac{\gamma_2}{\gamma_1} G^{\gamma_1}, \quad \varepsilon > 0, \quad 0 < \gamma_1 < 1, \quad \gamma_2 > 0 \quad (6)$$

where C_i is private consumption and G is public (non-rival) consumption³, common to all consumers. The specification of the consumer's disutility from work assumes that his

opportunity cost of time spent in the labour market varies positively with his productivity, proxied by his stock of human capital $\theta_i eN$. As we shall see in (9) below, this implies a negative wealth effect on individual labour supply which means that all consumers will end up supplying the same number of working hours, despite differences in individual wage rates.

At the beginning of the period, the economy is endowed with a total stock of *non-human* wealth equal to vN , where v is non-human wealth per capita. The fraction of aggregate non-human wealth owned by consumer i is θ_i (equal for simplicity to his share of human wealth). The consumer may consume his non-human wealth directly, or he may invest it in the capital market at a transaction cost c_i , thereby building up a capital stock k^s earning the after-tax return ρ . In addition to capital income, labour income, and a government transfer T , the consumer receives profit income from domestic and foreign firms. An exogenous fraction δ of domestic firms is owned by foreigners. At the same time consumers in domestic country j receive a fraction $\frac{s_j}{1-s_z} \delta_z$ of the profits generated in foreign country z , where s_n ($n = j, z$) is country n 's share of total world population so that $1 - s_z$ is the fraction of world population residing outside country z . The profits paid out from each country are thus allocated across all the other countries in proportion to their population shares. Consumer i receives a fraction θ_i of all profit incomes earned by domestic residents, whether from domestic or from foreign sources. Under pure tax competition with no international exchange of information among tax collectors, governments cannot monitor and tax income from foreign sources, but they can tax all domestic-source capital income and profit income. We assume that, for administrative reasons, both of these types of income are taxed at the same effective rate τ_n ($n = j, z$). With these assumptions consumer i in country j will be subject to the budget constraint

$$\begin{aligned}
C_i = & \underbrace{w_i h_i (1 - t)}_{\text{after-tax labour income}} + \underbrace{\rho k_i^s}_{\text{after-tax capital income}} + \underbrace{\theta_i v N - c_i}_{\text{endowment net of transaction cost}} + \underbrace{T}_{\text{government transfer}} \\
& + \underbrace{\theta_i N (1 - \delta) (1 - \tau) \pi}_{\text{after-tax domestic-source profits}} + \underbrace{\theta_i N \sum_{z=1, z \neq j}^m \left(\frac{s_z \delta_z}{1 - s_z} \right) (1 - \tau_z) \pi_z}_{\text{after-tax foreign-source profits}}
\end{aligned} \tag{7}$$

where t is the effective labour income tax rate (which may include social security taxes

and indirect taxes), π and π_z are pre-tax profits *per capita* in the domestic country j and in foreign country z , respectively, and m is the total number of countries in the world⁴.

When the consumer transforms (part of) his initial non-human wealth $\theta_i v N$ into business capital k_i^s , his transaction costs c_i relative to his stock of wealth increase more than proportionally with his investment rate $k_i^s/\theta_i v N$:

$$\frac{c_i}{\theta_i v N} = \frac{1}{1 + \varphi} \left(\frac{k_i^s}{\theta_i v N} \right)^{1+\varphi}, \quad \varphi > 0 \quad (8)$$

The consumer chooses h_i and k_i^s to maximize utility (6) subject to the constraints (7) and (8). The first-order conditions for the solution to this problem imply that

$$h_i = \left[\frac{w_i(1-t)}{\theta_i e N} \right]^{1/\varepsilon} = [w(1-t)]^{1/\varepsilon} \quad (9)$$

$$k_i^s = \rho^{1/\varphi} \cdot \theta_i v N \quad (10)$$

where the last equality in (9) follows from (5). Note that $1/\varepsilon$ is the net wage elasticity of labour supply, while $1/\varphi$ is the net interest elasticity of capital supply. Notice also how net trade in goods comes about, despite the fact that there is only one good and one time period: to the extent that a country's aggregate 'saving' (the initial transformation of wealth into business capital) falls short of its aggregate investment, it must run a trade surplus over the period to service the foreign debt incurred at the start of the period, and vice versa.

2.3. Government

Governments spend their tax revenues on the public consumption good G , on "infrastructure" Q (broadly interpreted to include all types of productive spending) and on a redistributive lump sum transfer paid out in an identical amount T to all citizens. Since tax competition implies that taxes can only be levied on income generated within the domestic economy, the government is subject to the budget constraint

$$T + \frac{G}{N} + Q = \underbrace{twh}_{\text{labour tax revenue}} + \tau \underbrace{\left(\frac{\rho}{1-\tau} \right) k}_{\text{capital income tax revenue}} + \underbrace{\tau \pi}_{\text{profits tax revenue}} \quad (11)$$

where all variables except the public good G are measured on a per-capita basis. Note from (9) that all workers will supply the same number of work hours $h_i = h = [w(1-t)]^{1/\varepsilon}$, so h is the average working time per worker. The amount of productive government spending per capita (Q) does not yield direct utility, but it increases factor productivity, albeit at a diminishing rate:

$$A = Q^\mu, \quad 0 < \mu < 1 \quad (12)$$

The government in each country is concerned about the *average* level of individual welfare $\bar{U}$ and about the *dispersion* of individual utilities around this mean, as reflected in the following social welfare function,

$$SW = \bar{U} - a \sqrt{\frac{1}{N} \left[\sum_{i=1}^N (U_i - \bar{U})^2 \right]}, \quad a \geq 0 \quad (13)$$

where the square root measures the degree of inequality by the standard deviation of individual utilities, and where the parameter a indicates the degree of government aversion to inequality⁵. Inserting (7) through (10) into (6), and noting from (11) that the government transfer may be expressed as a function of the other fiscal policy instruments, $T = T(t, \tau, G, Q)$, we may write the indirect utility of consumer i in country j as

$$U_i = T(t, \tau, G, Q) + \frac{\gamma_2}{\gamma_1} G^{\gamma_1} + \theta_i N \left\{ \frac{\varepsilon e h^{1+\varepsilon}}{1+\varepsilon} + v \left[1 + \frac{\varphi \rho^{\frac{1+\varphi}{\varphi}}}{1+\varphi} \right] + (1-\delta)(1-\tau)\pi + \sum_{z=1, z \neq j}^m \left(\frac{s_z \delta_z}{1-s_z} \right) (1-\tau_z) \pi_z \right\} \quad (14)$$

Since $\bar{U} \equiv \frac{1}{N} \sum_i U_i$ and $\sum_i \theta_i = 1$, it follows from (13) and (14) that

$$SW = T(t, \tau, G, Q) + \frac{\gamma_2}{\gamma_1} G^{\gamma_1} + (1-a\sigma) \left\{ \frac{\varepsilon e h^{1+\varepsilon}}{1+\varepsilon} + v \left[1 + \frac{\varphi \rho^{\frac{1+\varphi}{\varphi}}}{1+\varphi} \right] + (1-\delta)(1-\tau)\pi + \sum_{z \neq j} \left(\frac{s_z \delta_z}{1-s_z} \right) (1-\tau_z) \pi_z \right\}, \quad (15)$$

$$\sigma \equiv \sqrt{\frac{1}{N} \sum_i (\theta_i N - 1)^2}$$

where σ is proportional to the standard deviation of individual wealth levels, reflecting the degree of inequality of the initial distribution of wealth. Comparing (14) and (15), we see that the fiscal policy implied by maximization of the social welfare function will coincide with the policy preferred by the consumer/voter with an initial wealth endowment satisfying $\theta_i N = 1 - a\sigma$. The indirect utility function (14) represents a case of so-called 'intermediate preferences', having the general form $U(t, \tau, G, Q, \theta_i) = J(t, \tau, G, Q) + f(\theta_i) \cdot Z(t, \tau, G, Q)$, where the functions $J()$ and $Z()$ are common to all consumers/voters, and the function $f(\theta_i) = \theta_i N$ is monotonic in θ_i . As demonstrated by Persson and Tabellini (2000, pp. 25-26), when voters have preferences of this form, the policy package (t, τ, G, Q) preferred by the median voter (characterized by the median value of θ_i) will emerge as the Condorcet winner from a simple majority voting process. In other words, even though fiscal policy involves the choice of more than one policy instrument, voters' preferences for the multidimensional policy can be projected on a unidimensional space in which different voters can be ordered by their level of θ_i , ensuring that a version of the median voter theorem applies. Hence maximization of (15) is consistent with a democratic voting process if we set $a\sigma = 1 - \theta_m N$, where θ_m is the median value of θ_i ⁶. Note that if we normalize the mean wealth levels by setting $e = v = 1$, the median voter's (human and non-human) wealth level $\theta_m N$ will always be less than one when the wealth distribution is skewed, implying $0 < a\sigma < 1$ for $a\sigma = 1 - \theta_m N$. According to (15) the restriction $a\sigma < 1$ will ensure that an increase in private factor income will always increase social welfare.

2.4. Equilibrium with tax competition

For given government policy instruments, a general equilibrium is attained when all private agents optimize their objective functions and national labour markets as well as the international capital market are clearing. In each country labour market equilibrium requires that the demand for effective labour input per worker $\ell \equiv L/N$ be equal to the effective labour supply per worker $\frac{1}{N} \sum_i \theta_i e N h_i = h = [w(1-t)]^{1/\varepsilon}$.

For the moment we assume that national capital markets are perfectly integrated into a single world capital market, so capital market equilibrium is realized when the global excess demand for capital is zero. According to (10) the per-capita supply of capital from country j is $\frac{1}{N_j} \sum_{i=1}^{N_j} k_{ij}^s = v_j \rho^{1/\varphi_j}$, since $\sum \theta_i = 1$. With perfect capital mobility and source-based taxation, the after-tax interest rate ρ will be equalized across countries, so ρ carries no country subscript. The global excess demand for capital per worker is the population-weighted average of the excess capital demand per worker $(k_j - v_j \rho^{1/\varphi_j})$ in individual countries, so the condition for global capital market equilibrium is

$$\sum_{j=1}^m s_j (k_j - v_j \rho^{1/\varphi_j}) = 0 \quad (16)$$

Using (11) and noting from (9) that $w = h^\varepsilon / (1 - t)$, we may write the government objective function (15) as

$$\begin{aligned} SW_j = & \left[(1 - a_j \sigma_j) \left(\frac{\varepsilon_j}{1 + \varepsilon_j} \right) + \left(\frac{t_j}{1 - t_j} \right) \right] [h_j(\rho, \tau_j, t_j, Q_j)]^{1+\varepsilon_j} + \frac{\gamma_{2j}}{\gamma_{1j}} G_j^{\gamma_{1j}} - \frac{G_j}{N_j} - Q_j \\ & + \left(\frac{\tau_j}{1 - \tau_j} \right) \rho k_j(\rho, \tau_j, t_j, Q_j) + (1 - a_j \sigma_j) \left[1 + \frac{\varphi_j \rho^{\frac{\varphi_j+1}{\varphi_j}}}{1 + \varphi_j} \right] \\ & + [(1 - a_j \sigma_j) (1 - \delta_j) (1 - \tau_j) + \tau_j] \pi_j(\rho, \tau_j, t_j, Q_j) \\ & + (1 - a_j \sigma_j) \sum_{z \neq j} \left(\frac{s_z \delta_z}{1 - s_z} \right) (1 - \tau_z) \pi_z(\rho, \tau_z, t_z, Q_z), \quad a_j \sigma_j < 1 \end{aligned} \quad (17)$$

where we have indicated that the equilibrium levels of employment (h), profits (π), and capital stock (k) will depend on fiscal policy.

The regime of pure tax competition is modelled as a Nash equilibrium where the government (median voter) of country j chooses the policy instruments t_j , τ_j , G_j and Q_j to maximize (17), taking the fiscal policies of all other governments as given. The first-order conditions for the optimal national fiscal policies (given in an appendix available from the author) can be shown to imply the following national fiscal policy rules, where

the expression for the capital income tax rate has been simplified by assuming that all countries are symmetric:

$$N \cdot \gamma_2 G^{\gamma_1-1} = 1 \quad (18)$$

$$\frac{N \cdot Q}{Y} = \mu \quad (19)$$

$$t = \frac{1}{1 + (\eta^s / a\sigma)}, \quad \eta^s \equiv 1/\varepsilon \quad (20)$$

$$\tau = \frac{(\omega/\beta) [1 - (1 - a\sigma)(1 - \delta)] + \frac{\Omega}{m}}{(\omega/\beta) [1 - (1 - a\sigma)(1 - \delta)] + \frac{\Omega}{m} + \left(\frac{\epsilon^s + \left(\frac{m-1}{m} \right) \epsilon^d}{\epsilon^s + \epsilon^d} \right)}, \quad (21)$$

$$\omega \equiv 1 - \alpha - \beta, \quad \Omega \equiv \frac{\alpha a \sigma}{(\epsilon^s + \epsilon^d)(\omega \eta^s + 1 - \beta)}, \quad \epsilon^s \equiv \frac{1}{\varphi}, \quad \epsilon^d \equiv \frac{1 + \eta^s(\omega + \beta)}{\omega \eta^s + 1 - \beta}$$

Equation (18) is the Samuelson condition for efficient public goods provision requiring the sum of the marginal rates of substitution between public and private goods (the left-hand side) to equal the marginal rate of transformation (the right-hand side). In contrast to the standard models of tax competition developed by Zodrow and Mieszkowski (1986), Wilson (1986) and Wildasin (1989) where public goods are underprovided, the present model thus implies that public consumption is always at its first-best level. The reason is that, at the margin, the government may always choose to reduce the uniform lump sum transfer by one unit in order to provide one more unit of public consumption. Hence it is as if public consumption is financed by a non-distortionary lump sum tax, as required for first-best efficiency in public goods supply.

Using (1) and (12), one can also show that (19) is equivalent to the condition for first-best efficiency $\partial Y / \partial Q = 1$, stating that the marginal output gain from an increase in infrastructure spending should equal the marginal resource cost of additional spending. Again, the fact that decisions on public input provision are undistorted hinges on the possibility of reducing the lump sum transfer to finance additional infrastructure. Notice, though, that since infrastructure spending will always make up a constant fraction of GDP (equal to the elasticity of multifactor productivity with respect to infrastructure

spending), the *absolute* level of Q will deviate from the optimal level if output is distorted by tax competition. As we shall see, this will indeed be the case.

Equation (20) is quite intuitive, stating that the tax rate on labour income will be higher, the lower the net wage elasticity of labour supply (η^s), the greater the inequality of the distribution of human wealth (σ), and the greater the social aversion to inequality (a).

The optimal capital income tax rate under tax competition is given in (21), where ω is the share of pure profits in GDP, ϵ^s is the net interest elasticity of capital supply from domestic residents, and ϵ^d is the numerical interest elasticity of domestic capital demand⁷. Equation (21) highlights the effects of economic integration on the level of capital income taxation. Under autarky there are no international capital flows, and each national economy functions like a closed economy. This case is obtained by setting the number of countries (m) equal to 1 and the foreign ownership share (δ) equal to zero. When countries allow their capital markets to integrate, the number of jurisdictions competing for capital will rise above one ($m > 1$), and the foreign ownership share δ will rise above zero. According to (21) these changes will have two offsetting effects on capital income tax rates. On the one hand the rise in the foreign ownership share will tempt each government to *raise* its source-based capital income tax rate, since it can thereby capture some of the pure rents accruing to foreign owners whose welfare does not count in the domestic political process. This incentive for 'tax exporting' is illustrated by the fact that $\partial\tau/\partial\delta > 0$ in (21). On the other hand the move to an integrated capital market means that a higher tax rate on domestic investment will generate an outflow of capital to foreign countries. Each national government therefore perceives an increase in the elasticity of capital supply to the domestic economy and a concomitant increase in the perceived distortionary cost of capital income taxation. Ceteris paribus, this tends to induce a *fall* in the capital income tax rate. The larger the number of countries in the world, the higher is the elasticity of capital supply to each individual country, and the stronger is the downward pressure on capital income tax rates (the reader may verify from (21) that $\partial\tau/\partial m < 0$). Whether this 'tax competition effect' on the capital income tax rate will dominate the offsetting tax exporting effect arising from foreign ownership is not clear a priori, as emphasized by Mintz (1994). However, in the present model one

can show from (21) that a move from a single jurisdiction (autarky) to two competing jurisdictions (raising m from 1 to 2) will *reduce* the capital income tax rate if and only if the foreign ownership share in the scenario with two jurisdictions satisfies the condition

$$\delta < \left(\frac{a\sigma}{2\epsilon^s(1-a\sigma)} \right) \left(\frac{\omega + \beta}{\omega} \right) \quad (22)$$

Recall from (14) and (15) that $1 - a\sigma$ indicates the social weight attached to unevenly distributed factor income relative to evenly distributed transfer income, and that it may be interpreted as the median wealth level relative to the mean wealth level. A reasonable value for this parameter might be $1 - a\sigma = 0.8$. Recall also that ϵ^s measures the interest elasticity of saving, while ω is the pure profit share of GDP and β is the share of GDP representing the normal return to capital. If, say, $\epsilon^s = 0.4$, $\omega = 0.10$ and $\beta = 0.2$, the foreign ownership share would have to be as high as 94% to violate condition (22). With a lower interest elasticity of saving and/or a lower pure profit share, it is even more unrealistic that the foreign ownership share could exceed the expression on the right-hand side of (22). Since we know that $\partial\tau/\partial m < 0$, we can be sure that a move to a free-trade regime with more than two jurisdictions ($m > 2$) would make it even more likely that the tax competition effect of capital market integration will outweigh the incentive for exporting the tax burden to foreign owners.

At least in the present framework we may therefore conclude that economic integration will almost surely put downward pressure on source-based capital income taxes. It is instructive to consider the limiting case where the individual country becomes so small relative to the world capital market that it loses its ability to influence the world interest rate. This case of the small open economy is obtained from (21) by letting m tend to infinity, yielding

$$\tau \rightarrow \frac{(\omega/\beta) [1 - (1 - a\sigma)(1 - \delta)]}{(\omega/\beta) [1 - (1 - a\sigma)(1 - \delta)] + 1} \quad \text{for } m \rightarrow \infty \quad (23)$$

Abstracting from pure profits ($\omega = 0$), Gordon (1986) and Razin and Sadka (1991) projected that source-based capital income taxes will vanish altogether in small open economies faced with perfect capital mobility. For $\omega = 0$ equation (23) has the same implication. However, with positive pure profits ($\omega > 0$) the capital income tax rate will

also remain positive. The reason is that the capital income tax serves partly as a non-distortionary tax on pure rents. It is therefore optimal for a small country to maintain a positive capital income tax rate even if it faces a perfectly elastic supply of capital from the world market. It also follows from (23) that the incentive to maintain a source-based capital income tax is stronger, the greater the fraction of pure profits accruing to foreigners ($\partial\tau/\partial\delta > 0$). This role of the capital income tax in the presence of pure profits and foreign ownership was stressed by Huizinga and Nielsen (1997a). These authors also showed that if it is administratively feasible to impose a separate tax on pure rents, it will indeed be inoptimal for a small open economy to levy a source-based tax on the normal return to capital.

Let us now consider the implications of tax competition for social welfare. Assuming for the moment that all countries are symmetric, we may interpret our single-jurisdiction case with $m = 1$ as a scenario where all countries in the world have fully coordinated all of their fiscal policies. The case of $m = 1$ may thus be taken as a benchmark in which all potential distortions from fiscal competition have been eliminated. Measured against this benchmark allocation - which is second-best optimal from a global perspective, given the distributional goals of governments - we have seen that the level of capital income taxes will almost surely be too low under tax competition. This inefficiency may be explained as follows: for the world economy as a whole, the elasticity of capital supply is given by the interest elasticity of saving in the representative country (ϵ^s). From a global viewpoint, this is the elasticity which ought to form the basis for evaluating the welfare cost of capital income taxation. But under tax competition national governments face the possibility of capital flight to other jurisdictions. Hence they perceive a much higher elasticity of capital supply to the domestic economy, and consequently they set a lower capital income tax rate than a policy maker adopting a global perspective. Wildasin (1989) offered a complementary explanation in terms of fiscal externalities: if the domestic government lowers its source tax on capital, thereby increasing the marginal profitability of domestic investment, it will attract capital from abroad. This capital flow causes a fall in the foreign activity level which reduces foreign welfare, since the preexisting distortionary taxes on capital and labour imply that the marginal social (pre-tax) return to investment and employment exceeds the marginal private (after-tax) opportunity cost of increased

investment and employment. Because each government neglects the negative effect of a lower domestic capital tax on foreign economic activity, governments tend to set their source-based capital taxes at an inefficiently low level in a Nash equilibrium with tax competition.

By similar reasoning one might think that *labour* taxes will also be too low under tax competition. After all, by raising its labour income tax the domestic government will discourage domestic labour supply, thereby reducing the marginal productivity of domestic investment and generating a capital outflow with a positive spillover effect on foreign countries. Yet this argument is incomplete because it ignores that national tax policies will account for the *interaction* between labour taxes and taxes on capital. Under tax competition the incentive for governments to keep the labour tax rate too low is held in check by the fact that the capital income tax rate is *also* too low from an international perspective. A low capital income tax rate implies that investment decisions are not very distorted, since the private (after-tax) return is close to the social (pre-tax) return. When a country subject to tax competition raises its labour tax rate, the resulting fall in domestic investment therefore has a *lower* domestic efficiency cost than it would have had if countries had coordinated to set their capital income tax rates at the (higher) internationally optimal level. Given that a higher labour tax discourages domestic investment, the lower efficiency cost of reduced investment under tax competition induces governments to keep labour taxes at an "appropriate" level even though they neglect the positive international spillover effect of a higher domestic labour tax. Indeed, we see from equation (20) that the labour income tax rate chosen under tax competition is identical to the labour tax rate which would be chosen in a cooperative equilibrium where all governments coordinate all of their fiscal instruments (as witnessed by the fact that m does not appear in (20)).

From (18) and (19) we have also seen that tax competition will neither distort the level of public consumption nor the *ratio* of infrastructure spending to GDP. However, since tax competition stimulates investment by driving down the capital income tax rate, it will raise GDP above the level which would prevail under full global coordination. Relative to this benchmark, the *absolute level* of infrastructure spending will therefore also be too high under tax competition⁸. With excessive spending on infrastructure and

inadequate capital taxation, we may conclude that redistributive transfers will be too low under tax competition. In short, the problem with tax competition is not that it leads to underprovision of public goods, but rather that it generates too little redistribution, given our egalitarian social welfare function. The next section will present an estimate of the resulting welfare loss.

3. Global tax coordination

An influential writer like Tanzi (1999) has argued that we need a World Tax Organization as an institutional forum for global tax coordination. Although policy makers may not yet be prepared to go that far, it is of interest to study the gains which might be reaped if all countries in the world could coordinate their tax policies. As a benchmark, this section will focus on global coordination among symmetric countries. The unrealistic symmetry assumption is made deliberately to isolate the effect of capital mobility on tax policies in a world without policy coordination. By considering the tax competition effects of capital mobility within a group of identical countries, we may gain a better understanding of the implications of the cross-country asymmetries to be considered later on.

The first column in Table 1 summarizes the equilibrium with tax competition emerging for a set of plausible parameter values reported in the note to the table. To evaluate the plausibility of the calibration, note that, in equilibrium, α is the labour income share of GDP, β is the normal return to capital relative to GDP, and μ is the share of GDP absorbed by public infrastructure spending, broadly interpreted to include all forms of productive government spending. The level of the various macroeconomic variables in this initial equilibrium is set at index 100⁹. The second column in Table 1 shows the equilibrium obtained in the hypothetical case of full global coordination ($m = 1$ and $\delta = 0$). This scenario illustrates the maximum potential gains from international fiscal cooperation.

The first thing to note from Table 1 is that the tax rate on labour income is not affected by the switch from tax competition to full coordination, for the reason already explained above. The effective tax rate on capital income, however, is raised almost to the level of the labour income tax, suggesting that a uniform comprehensive income tax would be close to optimal from a global perspective, given the calibration of the model.

In the previous section we noted that tax competition generates too much spending on infrastructure measured in absolute terms. A regime shift to full fiscal coordination therefore involves a cut in infrastructure spending, as shown in Table 1. The combination of lower infrastructure spending and higher capital taxation enables governments to increase their redistributive transfers significantly in the cooperative equilibrium. The higher level of capital taxation causes some fall in economic activity, and by increasing the relative scarcity of capital via lower savings, it raises the real interest rate and lowers real wages. Despite the fall in GDP, the representative country enjoys a social welfare gain of almost 1 percent of initial GDP, because the gain from a more equitable income distribution outweighs the fall in aggregate income.

(Table 1 about here)

The regime with full global coordination is extremely demanding in terms of international cooperation, so it is obviously relevant to consider other forms of tax coordination leaving more fiscal autonomy to national governments. The third column in Table 1 shows the implications of enforcing the *residence* principle of capital income taxation on a global basis. This requires coordination in two ways. First, governments must engage in international exchange of information enabling each country to monitor and tax the foreign investment income of its residents. Second, to avoid international double taxation, source countries must give up their right to tax domestic-source income accruing to foreigners. To facilitate tax enforcement, source countries might impose a preliminary withholding tax on inward foreign investment. The revenue would be transferred to the residence country (possibly via an international clearing union), and the residence country would grant the taxpayer a credit for the foreign withholding tax against his home country tax bill (see Giovannini (1989) for an elaboration of such a proposal).

Under a pure residence principle perfect capital mobility will ensure a cross-country equalization of *pre-tax* interest rates at the common global level r , since each individual investor will be taxed at the same rate on his foreign-source and his domestic-source interest income. The government budget constraint for country j then becomes

$$T_j = \overbrace{t_j w_j h_j}^{\text{labour tax revenue}} + \overbrace{\tau_j \left[r k_j^s + (1 - \delta_j) \pi_j + \sum_{z \neq j} \left(\frac{s_z \delta_z}{1 - s_z} \right) \pi_z \right]}^{\text{revenue from taxation of interest and profits}} - Q_j - \frac{G_j}{N_j} \quad (24)$$

Furthermore, the social welfare function (15) must be slightly modified to account for the fact that foreign-source profits are now subject to domestic rather than foreign capital income tax. Accounting for (24), each national government will maximize the modified social welfare function with respect to the four policy instruments G_j , Q_j , t_j , and τ_j . For a world of small symmetric economies, the first-order conditions for the solution to this problem can be shown to imply that

$$\tau = \frac{1 + (\omega/\beta)}{1 + (\omega/\beta) + (\epsilon^s/a\sigma)} \quad (25)$$

Equation (25) illustrates how optimal tax policy must trade off the tax distortions to saving (determined by the savings elasticity ϵ^s and the ratio of rents to normal returns ω/β) against the desire to redistribute income (captured by $a\sigma$). As the ratio ω/β of pure profits to interest income increases, the capital income tax falls to a larger extent on the fixed factor and will therefore be less distortionary. According to (25) this will raise the level of capital income taxes. In contrast to the regime with source-based taxation, we see that the capital income tax rate in the small open economy will be positive (and possibly quite high) even in the absence of pure profits ($\omega = 0$). The reason is that a switch to residence-based taxation eliminates tax competition by enabling individual governments to raise their capital income tax rate without provoking a capital flight to foreign tax havens outside the reach of the domestic fisc. As shown in the third column of Table 1, capital income tax rates would then be raised almost to the level that would be chosen under full global coordination, and countries would reap practically all of the potential welfare gains from coordination without sacrificing the right to set their capital income tax rate independently of each other (compare the welfare figures in the second and third columns of Table 1). The failure to reap the full gains from coordination would mainly arise from the fact that national governments do not account for the welfare of foreign owners of domestic firms. Thus labour would be overtaxed, because the loss of profit

resulting from lower employment would fall partly on foreigners. Moreover, governments would spend too little on infrastructure, because part of the increase in domestic profits resulting from a better infrastructure would accrue to foreigners, and because source countries could no longer tax that part of profits, just as they could no longer tax the normal return to the increased inward foreign investment. However, according to Table 1 the negative welfare effects of these fiscal externalities would be miniscule.

Despite the attractive features of the global residence principle, this tax regime may be difficult to sustain, since it relies on the willingness of source countries to assist in collecting revenues which end up in the coffers of foreign residence countries¹⁰. The fourth column in Table 4 therefore considers an alternative type of tax coordination taking the form of a minimum *source-based* capital income tax rate which is binding for all countries. This minimum tax rate is chosen so as to maximize the population-weighted sum of social welfare for all countries, accounting for the fact that national governments will set their remaining fiscal instruments to maximize their own welfare, given the binding minimum capital tax rate. In game-theoretic terms, the coordinating world tax authority plays the role of a Stackelberg leader, with national governments acting as followers in the fiscal policy game. Table 1 shows that this form of coordination will ensure a capital income tax rate roughly equal to the one chosen under full global coordination. However, as capital income tax competition is neutralized, governments will use other fiscal instruments more aggressively in their efforts to attract mobile capital: to boost the profitability of domestic investment, they will increase infrastructure spending and seek to stimulate labour supply by cutting the tax rate on labour. Indeed, the incentive to cut the labour income tax rate is strengthened as higher infrastructure spending raises the marginal productivity of labour, thereby increasing the attractiveness of boosting labour supply through lower labour taxes. Despite these added distortions to other fiscal variables, the coordination of capital income tax rates nevertheless enables countries to reap the bulk of the potential gain from full coordination.

The important and encouraging message from Table 1 is that even if countries can only coordinate their tax policies to a limited extent, by exchanging information or agreeing on a common minimum capital income tax rate, they can apparently realize most of the maximum potential gains from coordination.

4.1. Regional tax coordination

Yet, although governments have taken some faltering steps towards global coordination of trade and environmental policies, at the present stage of international integration they would hardly be able to agree on tax coordination at a global level. This section therefore considers the implications of *regional* tax coordination within a subgroup of the world's countries which I will denote the 'union' for convenience. To what extent will regional coordination of capital income taxation be welfare-improving, given that tax competition will continue to dominate the relations between the union and the rest of the world? Except for the contribution by Konrad and Schjelderup (1999), this important issue has been subject to very little formal analysis.

In the first two columns in Table 2 I consider the effects of regional coordination in a world economy with symmetric countries and perfect capital mobility. Parameter values are identical to those underlying Table 1, so the results are directly comparable to the effects of global coordination. The first column restates the initial equilibrium with tax competition. The second column considers the effects of introducing a binding minimum source-based capital income tax within a tax union consisting of nine countries which in total represent a little over half the world population. The world outside the tax union consists of 8 countries of equal size. The union's capital income tax rate is chosen to maximize the sum of the social welfare for union countries, taking the fiscal policies of the rest of the world as given, but accounting for the optimal fiscal policy response of union member states to the mandated minimum capital tax¹¹. The union as a whole has an impact on world capital demand and supply which is much larger than the impact of each individual union country. In setting the capital income tax rate, the union authority accounts for its stronger impact on the world interest rate which implies a lower elasticity of capital supply to the union as a whole, compared to the elasticity faced by the individual member state. Hence regional coordination involves some increase in capital income taxes within the union. A comparison between Tables 1 and 2 reveals that, due to capital flight to the non-union area, regional coordination of capital income taxation will generate only one tenth of the welfare gain which could be reaped if all countries in the world could agree to a binding minimum capital tax. The reallocation of capital towards non-union countries increases activity levels, tax revenues and public

transfers outside the union. Ironically, the rest of the world therefore enjoys a larger welfare gain than the union, although the gains relative to GDP are modest for both regions.

According to the theoretical analysis of Konrad and Schjelderup (1999), regional coordination of capital income taxation is sure to improve the welfare of all countries in the world if capital income taxes are strategic complements, since a rise in one country's capital tax rate will then induce tax increases in other countries, thereby helping to bring the general level of taxation closer to the global optimum. The simulations presented here indicate that such strategic complementarity will indeed prevail, since the higher capital tax rate in the union induces non-union countries to raise their own capital tax rates a bit. To understand this complementarity, note that under source-based taxation a lower interest rate raises domestic welfare by raising domestic activity. A large country or region can drive down the world interest rate by lowering the world demand for capital through a rise in its capital income tax rate. In the present model, the rise in domestic welfare generated by a fall in the interest rate is larger, the lower the initial interest rate¹². Thus, when the union countries drive down the world interest rate by raising their capital income tax rate, they increase the incentive for non-union countries to raise *their* capital tax in order to benefit from a further fall in the world interest rate.

(Table 2 about here)

Despite the strategic complementarity of source-based capital income taxes, the first two columns of Table 2 carry the disappointing message that the welfare gains from regional tax coordination are likely to be very modest when capital is perfectly mobile throughout the world. However, regional coordination may be motivated by the fact that the coordinating countries are more integrated with each other than with the rest of the world. For example, in the context of Economic and Monetary Union in Europe, it seems reasonable to assume that the EU countries are particularly deeply integrated. In the last two columns of Table 2 I therefore consider regional tax coordination in a world economy with perfect capital mobility within the tax union, but *imperfect* capital mobility between the union and the rest of the world. In the present model which does not explicitly allow for uncertainty, an incentive for portfolio diversification can be generated by assuming that the total capital stock supplied by consumer i in the representative union country

is a CES-aggregate of capital supplied to the union area, k_i^{su} , and capital supplied to the non-union area, k_i^{sn} :

$$k_i^s = \left[\Psi^{-\frac{1}{\zeta}} (k_i^{su})^{\frac{\zeta+1}{\zeta}} + (1 - \Psi)^{-\frac{1}{\zeta}} (k_i^{sn})^{\frac{\zeta+1}{\zeta}} \right]^{\frac{\zeta}{\zeta+1}}, \quad \zeta > 0, \quad 0 < \Psi < 1 \quad (26)$$

With a finite substitution elasticity ζ between the two asset types, this specification implies that the total capital stock tends to be more productive if it is spread across the two regions rather than concentrated in one region. The consumer's total income from capital is $\rho k_i^s = \rho_u k_i^{su} + \rho_n k_i^{sn}$, where ρ_u is the after-tax interest rate prevailing within the union (which is common to all union countries due to perfect intra-union capital mobility), and ρ_n is the after-tax interest rate in the non-union area, and where ρ is the 'average' net rate of return on capital. Having optimized his aggregate capital stock k_i^s in accordance with (10), the consumer allocates this stock between union and non-union assets so as to maximize his total net income from capital $\rho_u k_i^{su} + \rho_n k_i^{sn}$, subject to (26). The first-order conditions for the solution to this problem imply that

$$k_i^{su} = \left(\frac{\rho_u}{\rho} \right)^\zeta \Psi k_i^s, \quad k_i^{sn} = \left(\frac{\rho_n}{\rho} \right)^\zeta (1 - \Psi) k_i^s \quad (27)$$

$$\rho = \left[\Psi \rho_u^{\zeta+1} + (1 - \Psi) \rho_n^{\zeta+1} \right]^{\frac{1}{\zeta+1}} \quad (28)$$

The portfolio allocation of non-union residents is described by similar equations, and the single capital market equilibrium condition (16) is now replaced by two separate equilibrium conditions; one requiring balance between capital demand and supply within the union, and another one requiring clearing of the non-union capital market. Note that the empirically observed 'home bias' in investor portfolios can be modelled by setting $\Psi > 0.5$ in (27) and (28).

In the last two columns of Table 2 I assume that the non-union area is represented by a single country ('United States') whereas the union ('European Union') consists of twelve identical countries representing a total of 56% of world population (corresponding roughly to the actual economic weight of the EU relative to the US). While perfect capital mobility implies that the elasticity of substitution between union and non-union assets

is infinitely high, this substitution elasticity is set equal to 6 in the last two columns of the table. Since the lower degree of asset substitutability reduces the elasticity of capital supply to the union area, regional tax coordination is seen to imply a much larger increase in the union capital income tax rate, compared to the scenario with perfect capital mobility throughout the world. As a result, the non-union area will also raise its capital income tax by a larger amount, so the whole world will move considerably closer to the second-best optimal level of capital income taxation which would prevail under full global coordination. Given the assumed parameter values, the welfare gains from regional coordination will amount to about half of the potential gain from full global coordination. Of course the estimated gain from coordination will depend on the elasticity of substitution between union and non-union assets. The lower this elasticity, the more the union will function like a closed economy, and the smaller the difference between the gains from regional rather than global coordination. In the next section we shall present an empirical application of the model in which the assumed substitution elasticity of 6 seems to be plausible.

4.2. Regional coordination with asymmetric countries

To focus on the tax policy implications of capital mobility, I have so far abstracted from cross-country asymmetries in economic structures. Is it possible that such asymmetries could generate a highly uneven distribution of the gains from coordination? To investigate this issue, Table 3 presents a calibration which enables the model to roughly replicate the observed level and pattern of taxation in Western Europe and the United States as an equilibrium with tax competition by assuming differences in pure profit shares, foreign ownership shares, initial endowments, and social preferences for redistribution. The figures in brackets are empirical estimates of average effective tax rates, produced by Volkerink and de Haan (1999) using the methodology of Mendoza, Razin and Tesar (1994). Western Europe can be naturally divided into the Nordic countries, Continental Europe, and the United Kingdom. Within each of these subregions the level and pattern of taxation is fairly homogeneous, as documented by Sørensen (2000a, Table 2).

For the model to reproduce the observed level of capital income taxation, it is necessary to assume a fairly high pure profit share of GDP. Profits are interpreted to include

all quasi-rents in addition to conventional natural resource rents. While quasi-rents in any given firm or sector are wiped out by competition in the long run, new quasi-rents keep popping up as a result of continuing technological and structural change. Hence quasi-rents are never eliminated at the macro level in a dynamic economy. Assuming a high pure profit share in the present static model is a pragmatic way of accounting for this. The assumed interest elasticity of capital supply (0.5) may also seem quite high. The justification is that this elasticity must capture not only the effect of taxation on aggregate saving, but also the distorting effects of capital income taxation on the *allocation* of capital. In practice it has turned out to be impossible to ensure a uniform tax treatment of all types of investment, so capital income taxes reduce the total *effective* supply of capital by driving wedges between the marginal value products of capital across sectors. Setting a high interest elasticity of aggregate capital supply in a one-sector model is a rough way of allowing for this intersectoral distortion.

(Table 3 about here)

Turning to asymmetries, the model assumes perfect capital mobility within Europe combined with imperfect capital mobility across the Atlantic. The observed differences in the level of labour taxation are assumed to reflect cross-country differences in the social preference for redistribution. Hence policy makers in the Nordic countries and in Continental Europe are taken to be more egalitarian than policy makers in the Anglo-Saxon countries, in line with popular perceptions. The differences in the level of capital income taxation are reproduced by appropriate choice of pure profit shares, foreign ownership shares, and the degree of asset substitutability between Europe and the United States. In particular, the asset substitution elasticity is very important for the level of capital taxation in the United States, so the substitution elasticity of 6 has been chosen so as to generate a realistic value for the American capital income tax rate. The relatively low foreign ownership share in America reflects that foreign ownership tends to be less important in a large economy. Because debtor countries and creditor countries will be affected differently by changes in the international level of interest rates, the initial international distribution of net foreign assets will matter for the cross-country distribution of the gains from tax coordination, as explained by Sørensen (2000a). The initial per-capita endowment of non-human wealth (v) is chosen so as to produce the empirically observed

sign of the net foreign asset position, while the initial per-capita endowment of human wealth (e) is chosen to reproduce the observed differences in the level of PPP-adjusted real GDP per capita.

Given the calibration in Table 3, Table 4 shows how a shift from tax competition to a regional minimum source-based capital tax within all of Western Europe would affect resource allocation and welfare in the 'world' economy. The European minimum capital income tax rate is set to maximize the population-weighted average social welfare for Western European countries, taking the fiscal policy of the United States as given, but accounting for the fact that national governments in Europe will optimally adjust their remaining fiscal instruments, given the binding minimum capital income tax. From Table 4 we see that the bulk of the gains from regional tax coordination will accrue to those countries which have the highest initial capital income tax rates. By contrast, European countries with low initial capital taxes will gain practically nothing, because they will suffer from a capital outflow to the rest of Europe (and to the US), as they are forced to undertake a relatively large increase in their capital income tax rates.

(Table 4 about here)

Since the model is very stylized and the calibration is not based on careful empirical estimates of parameters for each individual country, the figures in Table 4 should not be seen as a literal estimate of the impact of European tax coordination on specific countries. Rather, they should be seen as a numerical example suggesting that several countries might have very little national interest in tax coordination, due to cross-country asymmetries in economic structures.

5. Summary and conclusions

In an effort to overcome several limitations of the previous literature on capital income tax competition, this paper has presented a general equilibrium model of tax competition and tax coordination featuring endogenous supplies of capital and labour; (possibly imperfect) international capital mobility; international cross-ownership of firms and the existence of pure profits accruing partly to foreigners; productive government spending on infrastructure as well as spending on public consumption; an unequal distribution of human and non-human wealth providing a motive for redistributive taxes and transfers;

(possible) cross-country asymmetries in economic structures; and an endogenous fiscal policy process which can be given a political economy interpretation. The model was solved analytically for the case of symmetric countries to study the factors determining the level and pattern of public spending and the source of the welfare losses arising under fiscal competition. I then simulated the model to give a rough idea of the likely order of magnitude of the gains from various forms of international tax coordination, with particular emphasis on the crucial distinction between regional and global coordination.

The main implications of the model can be summarized as follows: 1. Unfettered fiscal competition will generate an inefficiently high level of public infrastructure spending and an inefficiently low level of capital taxation and redistributive transfers. Hence the problem with tax competition is not that it causes an underprovision of public goods, but that it generates more inequality. 2. If all countries in the world could agree to exchange information to enforce residence-based taxation, or if they could agree to a binding minimum source-based capital income tax rate, they would be able to reap the bulk of the potential gains from full global coordination of all fiscal instruments. 3. With perfect capital mobility throughout the world economy, the welfare gains from regional tax coordination among a subgroup of countries will be only a small fraction of the gains from global coordination, even if the coordinating region is large relative to the world economy. 4. With imperfect capital mobility between the tax union and the rest of the world, the gains from regional tax coordination could be much larger, amounting to a substantial fraction of the potential gains from global coordination. Regional coordination would also benefit countries outside the tax union. 5. Simulations nevertheless suggest that, even with imperfect capital mobility between the tax union and the rest of the world, the welfare gains from regional coordination may be well below 1 percent of GDP. 6. With cross-country asymmetries in economic structures, the welfare gains from capital tax coordination will accrue mainly to countries with high initial capital income tax rates.

The model allows a systematic analysis of the sensitivity of the results to changes in the various structural parameters. Such a sensitivity analysis is performed in Sørensen (2000a, section 5.3) where I find that it would take rather extreme parameter values to generate welfare gains from regional tax coordination in excess of 1 percent of GDP. As I explained in section 2.3, the 'social' welfare gains from coordination reported here

may be interpreted as the individual welfare gains for the median voter. It should be stressed that even though the gain for the median voter may be modest, the gains for the poorer sections of society could be quite substantial, assuming a realistic degree of inequality in wealth distribution (see Sørensen (2000a, section 5.4)). From the viewpoint of policy makers with rather egalitarian (e.g. Rawlsian) preferences, the benefits from tax coordination may therefore be considerably larger than suggested in this paper.

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NOTES

1. Thalmann, Goulder and Delorme (1996) also studied the international spillover effects of capital taxation under imperfect capital mobility in a numerical model, but they did not allow for optimization of government policies. The recent paper by Mendoza (2001) analyzing tax harmonization in a numerical dynamic two-country model of capital accumulation also assumes exogenous policies as well as perfect capital mobility.

2. An earlier version of the model was presented in a non-technical manner in Sørensen (2000a). The present paper goes further by deriving optimal tax formulae, by studying the fiscal regimes of residence-based taxation and full global coordination, by discussing the regime of tax competition in greater depth, and by incorporating cross-country differences in initial per-capita endowments.

3. It is immaterial for our analysis of optimal tax policies whether G is a genuine public good or a publicly provided private good.

4. To derive the last term on the right-hand side of (7), I use the fact that consumer i 's total profit income from foreign country z is $\theta_i \left(\frac{s_j}{1-s_z} \right) \delta_z (1 - \tau_z) N_z \pi_z$, plus the definitions $N_j \equiv s_j N^w$ and $N_z \equiv s_z N^w$, where N^w is total world population.

5. Equation (13) is similar in spirit to the social welfare function adopted by Dixit and Londregan (1998).

6. As Michael Keen pointed out to me, under international tax competition voters in large countries with some influence on the world capital market might see a strategic interest in electing an 'atypical' policy maker whose preferred policy would induce other countries to undertake a favourable change in their fiscal policies. This theme is taken up by Persson and Tabellini (2000, pp. 331-36) but will not be pursued here.

7. Note that ϵ^d is a 'general equilibrium elasticity' which allows for the fact that, as the capital stock goes up, the resulting increase in real wages will stimulate labour supply which in turn will provide a further stimulus to investment by raising the marginal productivity of capital. This effect via the labour market explains why the labour supply elasticity η^s appears in the expression for ϵ^d .

8. This result is in line with Keen and Marchand (1997) who also found that fiscal competition will tend to raise the level of infrastructure spending relative to government consumption. For a further analysis of public input provision under fiscal competition, see Arnold and Fuest (1999) and Haufler and Schjelderup (1999).
9. Since the level of public consumption will be the same under all fiscal regimes, this variable is not recorded in the tables.
10. As pointed out by Tanzi and Zee (1998), international information exchange is hampered by administrative, judicial and political problems, including the tradition of bank secrecy in several countries.
11. In other words, when setting the union's capital tax rate, the union authority anticipates how the union member states will optimally adjust their remaining national fiscal policy instruments. At the same time the union plays Nash vis á vis the rest of the world.
12. The specifications of tastes and technology imply that each country's demand for capital is iso-elastic. Hence the capital demand curve is convex to the origin in (K, r) -space. When the interest rate falls, the welfare-improving rise in domestic investment will therefore be larger the lower the initial interest rate.

Technical appendix to
INTERNATIONAL TAX COORDINATION:
REGIONALISM VERSUS GLOBALISM

by Peter Birch Sørensen

The model presented in the paper above is documented in full detail for all fiscal regimes in Sørensen (2000b). In this note I will summarize the equations for the regime of tax competition and briefly explain how the model is modified under alternative forms of tax coordination. To simplify exposition, I will only describe the case where initial per-capita endowments are symmetric and normalized at unity ($e = v = 1$) and where taste and technology parameters are identical across countries, allowing me to drop the country subscript j for these parameters. However, since policy variables are endogenously determined by national governments, they will carry a country subscript.

Tax competition

Defining the auxiliary variable $\lambda \equiv \frac{1}{1-\alpha-\beta+\varepsilon(1-\beta)}$, the regime with tax competition and perfect capital mobility throughout the world is described by the following equations:

Working hours (derived from (3), (4), (9), (12) and the equilibrium condition $\ell = h$):

$$h_j = \left\{ Q_j^\mu \left[\frac{\beta(1-\tau_j)}{\rho} \right]^\beta [\alpha(1-t_j)]^{1-\beta} \right\}^\lambda \quad (\text{A.1})$$

Capital stock per worker (derived from (3), (4), (9), (12) and the equilibrium condition $\ell = h$):

$$k_j = \left\{ Q_j^{\mu(1+\varepsilon)} \left[\frac{\beta(1-\tau_j)}{\rho} \right]^{1-\alpha+\varepsilon} [\alpha(1-t_j)]^\alpha \right\}^\lambda \quad (\text{A.2})$$

Profits per worker (derived from (1), (3), (4), (9), (A.1) and (A.2)):

$$\pi_j = (1 - \alpha - \beta) \left\{ Q_j^{\mu(1+\varepsilon)} \left[\frac{\beta(1-\tau_j)}{\rho} \right]^{\beta(1+\varepsilon)} [\alpha(1-t_j)]^\alpha \right\}^\lambda \quad (\text{A.3})$$

Capital market equilibrium (restatement of (16)):

$$\sum_{j=1}^m s_j (k_j - \rho^{1/\varphi}) = 0 \quad (\text{A.4})$$

Policy rule for public consumption (derived from (17) by setting $\partial SW_j / \partial G_j = 0$):

$$N_j \gamma_2 G_j^{\gamma_1 - 1} = 1 \quad (\text{A.5})$$

Policy rule for public infrastructure spending (derived from (17) by setting $\partial SW_j / \partial Q_j = 0$ and using (A.1) through (A.4)):

$$\begin{aligned} Q_j = & \mu \lambda \left[\varepsilon(1 - a\sigma) + (1 + \varepsilon) \left(\frac{t_j}{1 - t_j} \right) \right] h_j^{1+\varepsilon} + \mu \lambda (1 + \varepsilon) \left(\frac{\tau_j \rho k_j}{1 - \tau_j} \right) \\ & + \mu \lambda (1 + \varepsilon) [(1 - a\sigma)(1 - \delta)(1 - \tau_j) + \tau_j] \pi_j + \left(\frac{\mu \lambda (1 + \varepsilon) s_j k_j}{\rho^{\frac{1}{\varphi} - 1} [\varphi^{-1} + \lambda(1 - \alpha + \varepsilon)]} \right) \left(\frac{\partial SW_j}{\partial \rho} \right) \end{aligned} \quad (\text{A.6})$$

Policy rule for labour income tax rate (derived from (17) by setting $\partial SW_j / \partial t_j = 0$ and using (A.1) through (A.4)):

$$\begin{aligned} & \frac{h_j^{1+\varepsilon}}{1 - t_j} - \lambda(1 - \beta) \left[\varepsilon(1 - a\sigma) + (1 + \varepsilon) \left(\frac{t_j}{1 - t_j} \right) \right] h_j^{1+\varepsilon} - \left(\frac{\lambda \alpha \rho \tau_j k_j}{1 - \tau_j} \right) \\ & - \lambda \alpha [(1 - a\sigma)(1 - \delta)(1 - \tau_j) + \tau_j] \pi_j - \left(\frac{\lambda \alpha s_j k_j}{\rho^{\frac{1}{\varphi} - 1} [\varphi^{-1} + \lambda(1 - \alpha + \varepsilon)]} \right) \left(\frac{\partial SW_j}{\partial \rho} \right) = 0 \end{aligned} \quad (\text{A.7})$$

Policy rule for capital income tax rate (derived from (17) by setting $\partial SW_j / \partial \tau_j = 0$ and using (A.1) through (A.4)):

$$\begin{aligned} & \left(\frac{\rho k_j}{1 - \tau_j} \right) [1 - \lambda(1 - \alpha + \varepsilon)] - \lambda \beta \left[\varepsilon(1 - a\sigma) + (1 + \varepsilon) \left(\frac{t_j}{1 - t_j} \right) \right] h_j^{1+\varepsilon} \\ & - \lambda \beta (1 + \varepsilon) [(1 - a\sigma)(1 - \delta)(1 - \tau_j) + \tau_j] \pi_j \\ & + [1 - (1 - a\sigma)(1 - \delta)](1 - \tau_j) \pi_j - \left(\frac{\lambda(1 - \alpha + \varepsilon) s_j k_j}{\rho^{\frac{1}{\varphi}-1} [\varphi^{-1} + \lambda(1 - \alpha + \varepsilon)]} \right) \left(\frac{\partial SW_j}{\partial \rho} \right) = 0 \quad (\text{A.8}) \end{aligned}$$

Marginal effect of net interest rate on social welfare (derived from (17) using (A.1) through (A.4)):

$$\begin{aligned} \frac{\partial SW_j}{\partial \rho} &= \left(\frac{\beta \lambda}{\rho} \right) \left\{ \left(\frac{1 - a\sigma}{\beta \lambda} \right) \rho^{\frac{1}{\varphi}+1} - (1 + \varepsilon) \left(\frac{\tau_j \rho k_j}{1 - \tau_j} \right) \right. \\ & - \left[\varepsilon(1 - a\sigma) + (1 + \varepsilon) \left(\frac{t_j}{1 - t_j} \right) \right] h_j^{1+\varepsilon} - (1 + \varepsilon) [(1 - a\sigma)(1 - \delta)(1 - \tau_j) + \tau_j] \pi_j \\ & \left. - (1 + \varepsilon)(1 - a\sigma) \delta \sum_{z=1, z \neq j}^m \left(\frac{s_z}{1 - s_z} \right) (1 - \tau_z) \pi_z \right\} \quad (\text{A.9}) \end{aligned}$$

Equations (A.1) through (A.3) plus (A.5) through (A.9) hold for all countries $j = 1, 2, \dots, m$. Hence the model consists of $8m + 1$ equations determining the international after-tax interest rate ρ plus the 8 variables h, k, π, G, Q, t, τ and $\partial SW / \partial \rho$ for each of the m countries. Equations (19) through (21) in the main text can be derived from (A.1) through (A.9) via a lengthy series of substitutions, assuming that all countries are of equal size so that $s_j = 1/m$ for all j .

A minimum source-based capital income tax rate

When a tax union consisting of u countries decides to introduce a common binding minimum source-based capital income tax rate τ_u , the capital income tax rate for the union countries is no longer determined by (A.8). Instead, the common tax rate is set to maximize the population-weighted average social welfare level in the union, thus satisfying

$$\sum_{j=1}^u \hat{s}_j \cdot \frac{\partial SW_j}{\partial \tau_u} = 0, \quad \hat{s}_j \equiv \frac{s_j}{\sum_{v=1}^u s_v} \quad (\text{A.10})$$

where $\hat{s}_j$ is union country j 's share of total union population, and SW_j is still given by (17). When carrying out this maximization, the union authority allows for the collective impact of the union on the world interest rate. It also internalizes the intra-union tax exporting effect of foreign ownership arising under tax competition. Furthermore, the union authority accounts for the fact that union countries will still set G_j , Q_j and t_j in accordance with (A.5) through (A.7). For the remaining $m - u$ countries outside the tax union the policy rule (A.8) continues to hold. In the case of global coordination we simply have $u = m$.

Residence-based taxation

When all countries in the world engage in exchange of information to enforce a global residence principle of taxation, perfect capital mobility will ensure a cross-country equalization of *pre-tax* interest rates at the common global level r . The government budget constraint modifies to equation (24), and the private budget constraint is modified in a straightforward manner to account for the fact that foreign-source profits are now subject to domestic rather than foreign tax. With these changes one can show that social welfare can be written as

$$SW_j = \left[(1 - a\sigma) \left(\frac{\varepsilon}{1 + \varepsilon} \right) + \left(\frac{t_j}{1 - t_j} \right) \right] h_j^{1+\varepsilon} + \frac{\gamma_2}{\gamma_1} G_j^{\gamma_1} - G_j - Q_j$$

$$\begin{aligned}
& + (1 - a\sigma) \left\{ 1 + \frac{\varphi [r(1 - \tau_j)]^{\frac{1+\varphi}{\varphi}}}{1 + \varphi} \right\} + (1 - \delta) [(1 - a\sigma)(1 - \tau_j) + \tau_j] \pi_j \\
& + \tau_j r^{\frac{1+\varphi}{\varphi}} (1 - \tau_j)^{\frac{1}{\varphi}} + \delta [(1 - a\sigma)(1 - \tau_j) + \tau_j] \sum_{z \neq j} \left(\frac{s_z}{1 - s_z} \right) \pi_z \quad (\text{A.11})
\end{aligned}$$

Moreover, the capital market equilibrium condition must now be stated as

$$\sum_{j=1}^m s_j \left\{ k_j - [r(1 - \tau_j)]^{1/\varphi} \right\} = 0 \quad (\text{A.12})$$

The revised fiscal policy rules for Q_j , t_j and τ_j are found by maximizing (A.11) with respect to these variables, using (A.12) plus (A.1) through (A.3), with ρ replaced by $r(1 - \tau_j)$.

Table 1. Tax Competition Versus Global Tax Coordination Among Symmetric Countries

	Tax Competition	Full Global Coordination	Global Residence Principle	Global Minimum Capital Tax Rate
Policy variables				
Tax rates on capital income and profits (%)	12.7	42.3	40.0	43.4
Labour income tax rate (%)	44.4	44.4	47.2	36.4
Transfers	100.0	177.0	183.0	143.0
Infrastructure spending	100.0	95.0	89.0	113.0
Other variables				
Capital stock	100.0	88.0	88.0	88.0
Employment	100.0	99.0	98.0	103.0
Profits	100.0	95.0	94.0	99.0
GDP	100.0	95.0	94.0	99.0
Average real wage rate	100.0	96.0	96.0	97.0
Real interest rate	100.0	109.0	107.0	112.0
Welfare gain from coordination (% of GDP)	-	0.94	0.90	0.76

Source: Simulations with the TAXCOM model.

Note: Calibration: $\alpha=0.6$; $\beta=0.3$; $\delta=0.25$; $1-\alpha\sigma=0.8$; $1/\varepsilon=0.25$; $1/\varphi=0.4$; $\mu=0.1$; $e=v=1$; $s=1/17$.

Table 2. Effects of a Regional Minimum Capital Tax Rate

(Figure for Union Countries/Figure for Rest of the World) 1/

	Perfect Capital Mobility Between Tax Union and ROW		Imperfect Capital Mobility Between Tax Union and ROW 2/	
	Tax Competition 3/	Regional Tax Coordination 4/	Tax Competition 5/	Regional Tax Coordination
Policy variables				
Tax rate on capital income and profits (%)	12.7	18.6 / 12.9	13.0 / 26.7	31.6 / 30.2
Labour income tax rate (%)	44.4	42.9 / 44.4	44.4 / 44.4	39.5 / 44.4
Transfers	100	106.4 / 103.5	100/100	121 / 109
Infrastructure spending	100	101.3 / 101.5	100/100	107 / 113
Other variables				
Capital stock	100	94.4 / 104.1	100/100	87 / 108
Employment	100	100.3 / 100.3	100/100	101.1 / 100.8
GDP	100	98.6 / 101.5	100/100	97.3 / 104.2
Welfare gain from coordination (% of GDP)	--	0.075 / 0.191	100/100	0.426 / 0.558

Source: Simulations with the TAXCOM model.

1/ The common parameter values for all scenarios are as follows: $\alpha=0.6$; $\beta=0.3$; $\delta=0.25$; $1-\alpha\sigma=0.8$; $1/\epsilon=0.25$; $1/\varphi=0.4$; $\mu=0.1$; $e=v=1$.

2/ Elasticity of substitution between union and non-union assets (ξ) = 6; degree of home bias (Ψ) = 0.75.

3/ The world economy consists of 17 countries each comprising 1/17 of world population.

4/ The tax union consists of 9/17 of world population.

5/ The world economy consists of 12 potential union countries each comprising 4.66% of world population and a non-union country comprising 44% of world population.

Table 3. Calibration of the TAXCOM Model with Asymmetric Countries

	Nordic Countries 1/	Continental Europe 2/	United Kingdom	United States
Wage share of GDP (α)	0.70	0.70	0.70	0.70
Capital income share of GDP (β)	0.13	0.16	0.12	0.12
Pure profit share of GDP (1- α - β)	0.17	0.14	0.18	0.18
Foreign ownership share (δ)	0.33	0.31	0.33	0.17
Social weight given to factor income relative to transfer income (1- $\alpha\sigma$)	0.69	0.73	0.85	0.89
Wage elasticity of labour supply (1/ ε)	0.25	0.25	0.25	0.25
Interest elasticity of capital supply 1/ ϕ)	0.5	0.5	0.5	0.5
Elasticity of factor productivity w.r.t infrastructure spending (μ)	0.1	0.1	0.1	0.1
Elasticity of substitution between union and nonunion assets (ξ)	6	6	6	6
Degree of home bias 3/ ($\Psi/(1-\Psi)$)	75/25	75/25	75/25	75/25
Per-capita endowment of human wealth (e)	0.4	0.9	0.52	1
Per-capita endowment of non-human wealth (v)	0.85	0.78	0.65	1
Share of world population 4/ (s)	0.04	0.42	0.10	0.44
Model equilibrium with tax competition 5/				
Tax rate on labour income (%)	55.4 (55.8)	51.9 (53.0)	37.5 (35.6)	30.6 (31.1)
Tax rate on capital income (%)	41.6 (42.2)	32.3 (28.1)	40.9 (45.3)	41.8 (41.1)
Real GDP per capita	78 (79)	75 (75)	68 (69)	100 (100)
Ratio of GNP to GDP	96.9 (97.0)	99.8 (99.5)	99.7 (99.5)	100.4 (100.4)
Transfers in percent of GDP	32.2	27.0	19.5	14.9
Infrastructure spending in percent of GDP	10.0	10.0	10.0	10.0
Public consumption in percent of GDP	9.0	9.0	9.0	9.0

Source: Empirical estimates of average effective tax rates were taken from Volkerink and de Haan (1999); estimates of real PPP-adjusted GDP (for 1997) and of the ratio of GNP to GDP were based on OECD National Income Accounts.

1/ Denmark, Finland, Norway and Sweden.

2/ Defined here as Austria, Belgium, France, Germany, Italy, Netherlands and Spain.

3/ A degree of home bias equal to 75/25 means that union (nonunion) residents will invest 75% (25%) of their capital within the union and the remaining 25% (75%) in the rest of the world if the after-tax rate of return is the same in the two regions.

4/ The Nordic region is divided into 4 equally large countries each comprising 1% of world population. Continental Europe is divided into 7 countries each including 6% of world population.

5/ The figures in brackets are empirical estimates for 1991-95.

Table 4. Effects of a Regional Minimum Capital Tax Rate in an Asymmetric Union with Imperfect Capital Mobility
Between the Union and the Rest of the World 1/

	Tax Competition				Regional Tax Coordination			
	Nordic Countries	Continental Europe	United Kingdom	United States	Nordic Countries	Continental Europe	United Kingdom	United States
Policy variables								
Capital income tax (%) 2/	41.6 (42.2)	32.3 (28.1)	40.9 (45.3)	41.8 (41.1)	47.5	47.5	47.5	44.1
Labour income tax (%) 2/	55.4 (55.8)	51.9 (53.0)	37.5 (35.6)	30.6 (31.1)	54.7	49.9	36.6	30.6
Transfers	100	100	100	100	105	109	108	105
Infrastructure Spending	100	100	100	100	102	103	102	104
Other variables								
Capital stock	100	100	100	100	101.8	85.3	100.2	104.6
Employment	100	100	100	100	100.4	100.4	100.4	100.2
GDP	100	100	100	100	100.8	97.9	100.5	100.8
Welfare gain from coordination 3/	-	-	-	-	0.95	0.03	0.63	0.13

Source: Simulations with the TAXCOM model.

1/ The simulations are based on the parameter values stated in Table 3.

2/ The figures in brackets are empirical estimates of average effective tax rates for the period 1991-1995, taken from Volkerink and de Haan (1999).

3/ Measured in percent of initial GDP.