

A Service of



Leibniz-Informationszentrum Wirtschaft Leibniz Information Centre

Revilla, Pablo

Working Paper

Many-to-One Matching when Colleagues Matter

Nota di Lavoro, No. 87.2007

Provided in Cooperation with:

Fondazione Eni Enrico Mattei (FEEM)

Suggested Citation: Revilla, Pablo (2007): Many-to-One Matching when Colleagues Matter, Nota di Lavoro, No. 87.2007, Fondazione Eni Enrico Mattei (FEEM), Milano

This Version is available at: https://hdl.handle.net/10419/74255

Standard-Nutzungsbedingungen:

Die Dokumente auf EconStor dürfen zu eigenen wissenschaftlichen Zwecken und zum Privatgebrauch gespeichert und kopiert werden.

Sie dürfen die Dokumente nicht für öffentliche oder kommerzielle Zwecke vervielfältigen, öffentlich ausstellen, öffentlich zugänglich machen, vertreiben oder anderweitig nutzen.

Sofern die Verfasser die Dokumente unter Open-Content-Lizenzen (insbesondere CC-Lizenzen) zur Verfügung gestellt haben sollten, gelten abweichend von diesen Nutzungsbedingungen die in der dort genannten Lizenz gewährten Nutzungsrechte.

Terms of use:

Documents in EconStor may be saved and copied for your personal and scholarly purposes.

You are not to copy documents for public or commercial purposes, to exhibit the documents publicly, to make them publicly available on the internet, or to distribute or otherwise use the documents in public.

If the documents have been made available under an Open Content Licence (especially Creative Commons Licences), you may exercise further usage rights as specified in the indicated licence.





Many-to-One Matching when Colleagues Matter

Pablo Revilla

NOTA DI LAVORO 87.2007

SEPTEMBER 2007

CTN – Coalition Theory Network

Pablo Revilla, Universidad Pablo de Olavide

This paper can be downloaded without charge at:

The Fondazione Eni Enrico Mattei Note di Lavoro Series Index: http://www.feem.it/Feem/Pub/Publications/WPapers/default.htm

Social Science Research Network Electronic Paper Collection: http://ssrn.com/abstract=1014549

The opinions expressed in this paper do not necessarily reflect the position of Fondazione Eni Enrico Mattei

Corso Magenta, 63, 20123 Milano (I), web site: www.feem.it, e-mail: working.papers@feem.it

Many-to-One Matching when Colleagues Matter

Summary

This paper studies many-to-one matching market in which each agent's preferences not only depend on the institution that hires her, but also on the group of her colleagues, which are matched to the same institution. With an unrestricted domain of preferences the non-emptiness of the core is not guaranteed. Under certain conditions on agents' preferences, we show that two possible situations in which, at least, one stable allocation exists, emerge. The first condition, called *Group Togetherness*, reflects real-life situations in which agents are more concerned about an acceptable set of colleagues than about the firm hiring them. The second one, *Common Best Colleague*, refers to markets in which a workers' ranking is accepted by workers and firms present in such markets.

Keywords: Many-to-one matching, Hedonic, Coalitions, Stability, Colleagues

JEL Classification: C78, D71

The author thanks José Alcalde, Jordi Massó, Jörg Naeve, Antonio Romero-Medina, Carmelo Rodriguez, William Thomson and Guadalupe Valera for helpful comments and discussions. Financial support from Ministerio de Educación y Ciencia (SEJ2005-04805). Junta de Andalucia (PAI-SEJ 426 and CICE 01252 SEJ Grants) and Fundación Centro de Estudios Andaluces is gratefully acknowledged.

Address for correspondence:

Pablo Revilla Universidad Pablo de Olavide Ctra. de Utrera Km 1 E41013 Sevilla Spain

Phone: +34 954349065 Fax: +34 954349339 E-mail: revilla@upo.es

1 Introduction

Matching models has been successfully used to describe many real-life situations like college admission problems and centralized job markets such as National Resident Matching Program (NRMP). In these situations, students (or workers) are often concerned not only about the characteristics of the institutions they are assigned to, but also about colleagues at each institution. Since the early reference in Roth and Sotomayor (1990) about the existence of couples in the NRMP program, there are several papers in the literature that consider agents who care about who will be their mates or colleagues in the matching. Our purpose is to consider a setting in which the agents in one side of the market (students, workers, scholars,...) care about the identity of the other agents matched to the same institution (college, firm, department, school,...). The reason to analyze this type of preferences is twofold. Firstly, the interaction among workers in many jobs affects their performance and, therefore their results and rewards are also jointly determined. Secondly, important peer efects among students or researchers arise in many intellectual tasks. As such, in those cases it is reasonable to think that the agents care about who are their colleagues.

In particular, our purpose is to construct a model combining two kind of problems: the many-to-one matching problems, introduced by Gale and Shapley (1962) and the hedonic coalition formation problems, introduced by Drèze and Greenberg (1980). Hedonic coalition formation models have been used to describe the formation of academic departments, research groups, medical teams and many other real-life examples for groups of workers. Concerning this class of problems, the literature provides some conditions to guarantee the existence of stable allocations. Banerjee et al. (2001) and Bogomolnaia and Jackson (2002) provide conditions over individuals' preference profiles under which stable allocations do exist. Alcalde and Romero-Medina (2006) and Alcalde and Revilla (2004) study conditions on individuals' preferences that guarantee the existence of stable outcomes for coalition formation problems.

Regarding the matching models, the literature provides two sufficient conditions, each of which guarantees the existence of stable matchings. These conditions, called responsiveness and substitutability, are very intuitive restrictions on institutions' preferences over allocations. In particular, each of them guarantees the existence of stable matchings by introducing a kind of separability on the institutions' preferences over groups of individuals to be matched with. No restriction is imposed on individuals' preferences over outcomes.

In this combined setting, we find that obtaining some positive stability results is much harder than we can think at first. One might be tempted to solve our general problem in the following way: Let us assume that institutions' preferences satisfy substitutability, and individuals' preferences fullfil the tops responsiveness condition (in the sense defined by Alcalde and Revilla (2004)). The reader could think that the combination of both properties yields the existence of stable allocations. Nevertheless, this straight conclusion is not true! This kind of wrong straight conclusions arises if we consider to combine other conditions on institutions' preferences, those that yield stable allocations in the classical many-to-one matching problem, and the conditions provided for the coalition formation problem.

A first approach to this problem was introduced by Dutta and Massó (1997). Dutta and Massó obtain two positive results. The first positive result is obtained for a particular case of the model in which only couples are allowed, when some conditions on preferences are combined: togetherness and $group\ substitutability$. They also get some negative results when coalitions of any size are allowed, except for \mathcal{F} -lexicographic preferences. When workers' preferences are \mathcal{F} -lexicographic (the workers only care about the colleagues when the firm is fixed) the model is very close to the classical many-to-one matching in which the co-workers do not appear in the workers' preferences.

The main criticism to the Dutta-Massó approach is that they consider that couples are exogenously given. In this paper we extend their analysis in two ways. First, couples or colleagues groups, are not exogenously given. Second, we do not focus on couples but on groups of individuals. Therefore, we do not restrict ourselves to the case in which groups of colleagues are composed of only two individuals.

In this paper we explore a condition which is sufficient for the existence of stable

allocations. This condition comes from a generalization of Dutta and Massó's Togetherness, we call it Group Togetherness. Finally, we also present a way to avoid some negative results. Dutta and Massó (1997) present a condition called Unanimous Ranking According to Desirability which is applied to the individuals' preferences. In this paper, we propose a different version of this condition over the preferences of individuals and institutions and a positive result is obtained.

Klaus and Klijn (2005), analyze the couples environment and determine a natural domain, the domain of weakly responsive preferences, that guarantees stability. They also develop this approach in other papers considering only couples, but no groups with three or more individuals.

In a recent paper, Pycia (2007), presents a sufficient condition in models with groups of workers when the payoffs for the agents are determined after a second stage of the game, once the matching is formed. Such a second stage can be a bargaining process, a sharing rule or a game.

In a different way to study this problem, Echenique and Yenmez (2007) present a method to obtain the core allocations, if any exists, in a similar framework but without any assumption over preferences. In particular, they propose some new solutions in case that the core is empty.

The rest of the paper is organized as follows. Section 2 introduces the model. Section 3 shows that stronger conditions than those used in the two classical problems, are needed in our combined problem. Sections 4 and 5 present positive results in two different frameworks. Section 6 briefly concludes. The appendix includes two examples without stable allocations that satisfy other conditions.

2 The Model

There is a set $F = \{f^1, \ldots, f^\ell\}$ of firms and a set $W = \{w_1, \ldots, w_n\}$ of workers. Each firm f^j 's preferences are a linear ordering $P(f^j)$ defined over $2^W \cup \{f^j\}$. Thus firms only care about the set of its employees. Workers' preferences are defined over pairs consisting of one firm and a set of workers. Each worker w_i 's preferences are a linear ordering $P(w_i)$ defined over $(F \times W^i) \cup \{w_i\}$, where $W^i = \{S \mid S \subseteq W, w_i \in S\}$. Here,

 $\{w_i\}$ represents an unemployed worker. In this case, we consider that the unemployed worker has no colleagues. A preference profile is a list $P = (P(x))_{x \in W \cup F}$. A coalition configuration is a partition of W.

In this paper a matching problem is a many-to-one matching problem in which each agent cares about the agents matched to the same firm as she is. Then a matching problem is fully described by a set of firms, a set of workers, and a preference profile, i.e. a list $\{F, W, P\}$.

A matching specifies who works where. Formally, a matching μ is a correspondence from $F \cup W$ to itself such that

- 1) for all $f^{j} \in F$, if $\mu(f^{j}) \notin W$, then $\mu(f^{j}) = f^{j}$,
- 2) for all $w_i \in W$, if $\mu(w_i) \notin F$, then $\mu(w_i) = \{w_i\}$, and
- 3) for all $(f^j, w_i) \in F \times W$, $\mu(w_i) = f^j$ if, and only if $w_i \in \mu(f^j)$.

Let M(F, W, P) be the set of all matchings for $\{F, W, P\}$. Given $\mu \in M(F, W, P)$ and $w_i \in W$, we denote by $\mu^2(w_i)$, the set of worker *i*'s colleagues. Here, $f^j = \mu(w_i)$, $\mu^2(w_i) = \mu(f^j)$.

A matching is individually rational if no agent prefers to be unmatched to his assignment at the matching.

A matching $\mu \in M(F, W, P)$ is **Individually Rational (IR) for** $\{\mathbf{F}, \mathbf{W}, \mathbf{P}\}$, if for all $f^j \in F$ and all $w_i \in W$:

1)
$$(\mu(w_i), \mu^2(w_i)) P(w_i) \{w_i\}.$$

2)
$$\mu(f^j) P(f^j) \{f^j\}$$
.

Let $\mathcal{I}(F, W, P)$ be the set of IR matchings for $\{F, W, P\}$.

A wide class of concepts of stability exists in the literature on matching and coalition formation. For our problem, we propose a concept of stability that is very similar to standard concepts of core stability.² Given $\{F, W, P\}$, a matching $\mu \in M(F, W, P)$ is **stable for** $\{F, W, P\}$ if there is no $\widetilde{\mu} \in M(F, W, P)$ and a set $V \subset M(F, W, P)$ is stable for $\{F, W, P\}$ if there is no $\widetilde{\mu} \in M(F, W, P)$ and a set $V \subset M(F, W, P)$ is stable for $\{F, W, P\}$ if there is no $\widetilde{\mu} \in M(F, W, P)$ and a set $V \subset M(F, W, P)$ is stable for $\{F, W, P\}$ if there is no $\widetilde{\mu} \in M(F, W, P)$ and a set $V \subset M(F, W, P)$ is stable for $\{F, W, P\}$ if there is no $\widetilde{\mu} \in M(F, W, P)$ and a set $V \subset M(F, W, P)$ is stable for $\{F, W, P\}$ if there is no $\widetilde{\mu} \in M(F, W, P)$ and a set $V \subset M(F, W, P)$ is stable for $\{F, W, P\}$ if there is no $\widetilde{\mu} \in M(F, W, P)$ and a set $V \subset M(F, W, P)$ is stable for $\{F, W, P\}$ if there is no $\widetilde{\mu} \in M(F, W, P)$ and a set $V \subset M(F, W, P)$ is stable for $\{F, W, P\}$ if there is no $\widetilde{\mu} \in M(F, W, P)$ if $\{F, W, P\}$ if $\{F, W,$

¹To be precise, $\mu^2(w_i)$ is the set of w_i 's colleagues with w_i inclosed. Note that the w_i 's preferences are defined over elements from W^i .

²A deviation by a worker might produce a reaction from her old colleagues (and her new colleagues) who could prefer another firm and group of co-workers. Thus, the standard concept of pairwise stability used in the many-to-one matching problems literature can not be applied to coalition matching problems.

 $F \cup W$ such that:

1)
$$(\widetilde{\mu}(w_i), \widetilde{\mu}^2(w_i)) P(w_i) ((\mu(w_i), \mu^2(w_i)), \text{ for all } w_i \in V.$$

2)
$$\widetilde{\mu}(f^j)P(f^j)\mu(f^j)$$
, for all $f^j \in V$.

3)
$$\widetilde{\mu}(w_i) \in V$$
, for all $w_i \in V$.

4)
$$\widetilde{\mu}(f^j) \subset V$$
, for all $f^j \in V$.

We say that such a **V** blocks μ .³ Let $\mathcal{C}(F, W, P)$ be the set of stable matchings for $\{F, W, P\}$. Obviously, $\mathcal{C}(F, W, P) \subset \mathcal{I}(F, W, P)$.

3 Well-known solutions.

In this section we show that even when two conditions, coalitional substitutability and F-essentiality, are required, a stable matching may not exist. Substitutability is a sufficient condition on firms preferences for the existence of stable matchings in the classical many-to-one matching model (Roth and Sotomayor (1990)). Coalitional substitutability, the counterpart for our model of the property called group substitutability by Dutta and Massó (1997), is stronger than substitutability. F-essentiality is the counterpart for our model of a sufficient condition for the existence of stable coalition formation structures proposed by Alcalde and Romero-Medina (2006). In the coalition formation literature, tops responsiveness (Alcalde and Revilla (2004)), a weaker condition than F-essentiality, is sufficient for stability. Example 6 of the appendix satisfies tops responsiveness and coalitional substitutability and no stable matching exists.

Given a set $S \subset W$, and a firm f^j with preferences $P(f^j)$, let $Ch_{f^j}(S)$ denote the most preferred subset of S for f^j .

Firm f^j 's preference, $P(f^j)$, satisfies **substitutability** if for all $S \subseteq W$, and all $w_i, w_h \in S$, $(i \neq h), w_i \in Ch_{f^j}(S)$ implies $w_i \in Ch_{f^j}(S \setminus \{w_h\})$, with $Ch_{f^j}(S)$ being maximal on S for $P(f^j)$. Our definition below differs from the original notion of substitutability because it states conditions on worker sets rather than on workers. Coalitional substitutability is stronger than substitutability. Let a firm f^j , with

³Notice that 3) and 4) imply that $\widetilde{\mu}^2$ $(w_i) \subset V$; for all $w_i \in V$.

preferences $P(f^j)$, for any $S \subseteq W$, and a partition of S, $\widehat{S} = \{S_1, ..., S_k\}$, let $Ch_{f^j}^*(S) = \{T \subseteq S \mid TP(f^j) \cup_{i \in \mathcal{W}} S_i, \forall \mathcal{W} \subseteq \{1, 2, ...k\}\}$.

Firm f^j 's preference, $P(f^j)$ satisfies **Coalitional Substitutability** if for all $S \subseteq W$, all partition of S, $\widehat{S} = \{S_1, ..., S_k\}$, and all S_l , $S_h \in \widehat{S}$, $(l \neq h)$, as if $S_l \subseteq Ch_{f^j}^*(S)$, then $S_l \subseteq Ch_{f^j}^*(S \setminus S_h)$.

The next example shows as coalitional substitutability is a stronger condition that substitutability.

Example 1: Let the set of workers $S = \{w_1, w_2, w_3, w_4\}$ and the firm f^j with preferences over workers: $\{w_1, w_2, w_4\} P(f^j) \{w_2, w_3, w_4\} P(f^j) \{w_1, w_3, w_4\} P(f^j) \{w_1, w_2\} P(f^j) \{w_2, w_3\} P(f^j) \{w_2, w_4\} P(f^j) \{w_2\} P(f^j) \{w_1, w_3\} P(f^j) \{w_1, w_4\} P(f^j) \{w_3, w_4\} P(f^j) \{w_1\} P(f^j) \{w_3\} P(f^j) \{w_4\} P(f^j) \emptyset$. Consider the partition $\widehat{S} = \{\{w_1, w_3\}, \{w_2\}, \{w_4\}\}$. In such case, $Ch_{f^j}^*(\{w_1, w_2, w_3, w_4\}) = \{w_1, w_3, w_4\}$ and $Ch_{f^j}^*(\{w_1, w_2, w_3\}) = \{w_2\}$. So, coalitional substitutability is not preserved meanwhile $P(f^j)$ satisfies substitutability.

We need to introduce additional restrictions on preferences to reach our objective. We extend the essentiality condition presented by Alcalde and Romero-Medina (2006) to our current framework.

Let $f^j \in F$ and $w_i \in W$. The coalition $T^j \in W^i$, containing worker w_i , is essential relative to f^j for w_i if and only if, for all $T, T' \in W^i$:

1) If
$$T^{j} = \{w_{i}\}$$
, and $T \neq \{w_{i}\}$, then $\{w_{i}\}$ $P(w_{i})$ (f^{j}, T) .

2) If
$$T^j \neq \{w_i\}$$
, then

(a) if
$$T^{j} \nsubseteq T$$
 then $(f^{j}, \{w_{i}\}) P(w_{i}) (f^{j}, T)$, and

(b) if
$$T^j \subseteq T \subset T'$$
, then $(f^j, T) P(w_i) (f^j, T')$.

A preference profile satisfies **F-essentiality** for $\{F, W, P\}$, if and only if for all $w_i \in W$ and all $f^j \in F$, there exists a coalition that is essential for w_i relative to f^j .

For all $w_i \in W$, the coalition whose existence is stated in the condition may differ according to which firm the worker is matched to. In other words, the set of

⁴Dutta and Massó [6] propose a condition on the institutions' preferences called Group Substitutability, but they only apply that condition for groups of at most two agents, i.e. couples.

colleagues that is essential for a worker in general, depends on the firm to which she is assigned.

Coalitional substitutability and F-essentiality are not sufficient to guarantee the existence of a stable matching. This is shown by the following example.

Example 2: Let $F = \{f^1, f^2, f^3\}$ and $W = \{w_1, w_2, w_3\}$. Let P be the preference profile given by the following table, where elements are ranked in descending order of preference and only acceptable partners are listed:

Firms' preferences satisfy coalitional substitutability. Workers' preferences satisfy F-essentiality but not separability.

Claim: there is no stable matching.

- i) No matching μ such that $\mu(f^j) = \{f^j\}$ for all $f^j \in F$ is stable, since $\{w_1, w_3, f^1\}$ blocks it.
- ii) No matching μ' such that $\mu'(f^j) = W$ for some f^j is stable, since for all $f^j \in F$, $\{f^j\} P(f^j) \{w_1, w_2, w_3\}$.
- iii) Let $\mu'' \in \mathcal{I}(F, W, P)$. Then for all $f^j \in F$, $|\mu''(f^j) \cap W| \in \{0, 2\}$, i.e. each firm is assigned two individuals or none. Hence, for all $\mu'' \in \mathcal{C}(F, W, P)$;

$$\mu''(f^j) = \{w_i, w_h\}$$
 for some $f^j \in F$ and

$$\mu^{\prime\prime}\left(f^{k}\right)=\left\{ f^{k}\right\} \text{ for all } f^{k}\in F\diagdown\left\{ f^{j}\right\} .$$

To show that there is no stable matching, we find that no matching having the above structure is stable. So, let us consider the remaining cases:

1)
$$\mu''(f^1) = \{w_1, w_2\}$$
 and $\mu''(f^j) = \{f^j\}$ for all $f^j \neq f^1$.

2)
$$\mu''(f^2) = \{w_1, w_3\}$$
 and $\mu''(f^j) = \{f^j\}$ for all $f^j \neq f^2$.

3)
$$\mu''(f^3) = \{w_1, w_2\}$$
 and $\mu''(f^j) = \{f^j\}$ for all $f^j \neq f^3$.

These matchings are blocked by $\{w_1\}$.

4)
$$\mu''(f^2) = \{w_2, w_3\}$$
 and $\mu''(f^j) = \{f^j\}$ for all $f^j \neq f^2$.

This matching is blocked by $\{w_2\}$.

5)
$$\mu''(f^1) = \{w_2, w_3\}$$
 and $\mu''(f^j) = \{f^j\}$ for all $f^j \neq f^1$.

6)
$$\mu''(f^3) = \{w_1, w_3\}$$
 and $\mu''(f^j) = \{f^j\}$ for all $f^j \neq f^3$.

These matchings are blocked by $\{w_3\}$.

7)
$$\mu''(f^1) = \{w_1, w_3\} \text{ and } \mu''(f^j) = \{f^j\}$$
 for all $f^j \neq f^1$.

This matching is blocked by $\{f^2, w_2, w_3\}$.

8)
$$\mu''\left(f^2\right) = \left\{w_1, w_2\right\}$$
 and $\mu''\left(f^j\right) = \left\{f^j\right\}$ for all $j \neq 2$.

This matching is blocked by $\{f^1, w_1, w_3\}$.

9)
$$\mu''(f^3) = \{w_2, w_3\}$$
 and $\mu''(f^j) = \{f^j\}$ for all $j \neq 3$.

This matching is blocked by $\{f^2, w_1, w_2\}$.

4 Positive result: Group Togetherness.

In this section, we present conditions that ensure the existence of stable matchings when workers only care about an acceptable group of colleagues. In many situations individuals prefer matchings in which they are together to matchings in which they are not (Dutta and Massó (1997)). We present a generalized version of togetherness that applies to settings in which groups may be of any size. Our condition, which is

stronger than F-essentiality, is called Essentiality. The difference between Essentiality and F-essentiality may also be presented as the result of adding a new requirement to F-essentiality: separability. In our framework, separability implies that workers' preferences over firms are independent of their preferences over sets of colleagues.

Let $w_i \in W$. Here, w_i 's preferences are **separable** if for all $S, S' \in W^i$ and all $f^j, f^k \in F$, we have

$$(f^j, S)$$
 $P(w_i)$ $(f^j, S') \iff (f^k, S)$ $P(w_i)$ (f^k, S') and (f^j, S) $P(w_i)$ $(f^k, S) \iff (f^j, S')$ $P(w_i)$ (f^k, S') .

Note that, under separability, the preferences of each worker w_i , $P(w_i)$, induce two binary relations, her preferences over firms (let us denote this relation as P_i^F), and her preferences over colleagues (let us denote this relation as P_i^C). These relations are defined as follows:

1)
$$f^j P_i^F f^k$$
 if $(f^j, S) P(w_i) (f^k, S)$ for all $f^j, f^k \in F$ and all $S \in W^i$, and

2)
$$S P_i^C S'$$
 if $(f^j, S) P(w_i) (f^j, S')$ for all $S, S' \in W^i$ and all $f^j \in F$.

From now on, we assume that workers' preferences are separable.

It is easy to see that coalitional substitutability and separability do not guarantee the existence of a stable matching. This is shown by Example 6 in the appendix. If separability and F-essentiality are imposed, the coalition that is essential for a worker has to be the same whatever firm hires her. This is what motivates the following definition.

Let $P(w_i)$ be a separable and linear ordering for worker w_i . Coalition T_i^e , containing worker w_i , is **essential** for her if and only if her restricted preferences over coalitions are such that, for all $T, T' \subset W^i$:

1) If
$$T_i^e = \{w_i\}$$
, then $\{w_i\}$ P_i^C T_i for all $T \neq \{w_i\}$ and

2) If
$$T_i^e \neq \{w_i\}$$
, then

(a)
$$\{w_i\}$$
 P_i^C T if and only if $T_i^e \nsubseteq T$, and

(b) if
$$T_i^e \subseteq T \subset T'$$
 then $T_i P_i^C T_i'$.

A worker's preferences satisfy *essentiality* whenever there exists a coalition that is essential for her. Note that, under *essentiality*, whatever firm the worker works for, the essential coalition is the same.

To obtain positive results concerning the existence of stable matchings, we need to introduce a further property: *Group Togetherness*. This additional requirement establishes when a particular item on the worker's preferences (the colleagues) is more relevant than the other (the firm) or not. A worker prefers the matchings in which she is matched to an acceptable set of colleagues more than the others. But if she compares two matchings with acceptable sets of colleagues, it does not matter which coalition is better for her. In the last case, the worker only cares about the firm.

Let (f^j, T) , (f^h, T') be such that $T, T' \subset W^i$. Then $P(w_i)$ satisfies **Group** Togetherness (GT) if

1) If
$$\{w_i\}$$
 P_i^C T and $\{w_i\}$ P_i^C T' then (f^j,T) P_i (f^h,T') iff f^j P_i^F f^h .

2) If
$$T P_i^C \{w_i\}$$
 and $T' P_i^C \{w_i\}$ then $(f^j, T) P_i (f^h, T')$ iff $f^j P_i^F f^h$.

3) If
$$T P_i^C \{w_i\}$$
 and $\{w_i\} P_i^C T'$ then $(f^j, T) P_i (f^h, T')$.

To introduce the result in this section we need an algorithm that yields stable matchings under some of the above mentioned conditions: essentiality and group togetherness. In that algorithm, a coalition configuration of workers is obtained in a first part and a matching between those coalitions and firms is obtained in the second part. If there is some workers' coalition that could not find a firm that hires them, this coalition is broken up and a new second part of the algorithm has to be applied. The algorithm and their properties are shown in the following.

We present an algorithm, which can be understood as the conjunction of two well-known algorithms:

The first one is the *ess*-algorithm defined by Alcalde and Romero-Medina (2006) which, when applied to a coalition formation problem in which essentiality is satisfied, produces a stable coalition configuration of workers.

The other is the multistage-deferred-acceptance algorithm defined by Gale and Shapley (1962) for matching problems. It is applied to a matching problem in which the agents are the firms and the coalitions of workers that have been obtained in the previous *ess*-algorithm. These coalitions make offers to the firms as in Dutta and Massó (1997), i.e. if there is any coalition that is not assigned to any firm then a new deferred-acceptance algorithm is applied with this coalition broken up.

Group deferred-acceptance algorithm.

Part 1: Let $\sigma: 2^W \to 2^W$ be the function that associates with each set of workers, $T \subseteq W$, the coalition

$$\sigma(T) = \bigcup_{w_i \in T} \{ S \subseteq W \mid S \text{ is essential for } w_i \}.$$

For each $w_i \in W$, let $S_i^0 = \{w_i\}$.

Stage 1: Let $S_i^1 = \sigma(\{w_i\})$. If $S_i^1 = S_i^0$, the algorithm stops. The outcome is $S_i = S_i^1$. Otherwise, go to stage 2.

Stage k: Let $S_i^k = \sigma\left(S_i^{k-1}\right)$. If $S_i^k = S_i^{k-1}$, the algorithm stops. The outcome is $S_i = S_i^k$. Otherwise, go to stage k+1.

The coalition $T_{w_i}^{\sigma}$ is defined for each worker:

$$T_{w_i}^{\sigma} = \begin{cases} S_i & \text{if } S_i \subseteq S_m \text{ for all } m \in N \text{ such that } m \in S_i. \\ \\ \{w_i\} & \text{otherwise.} \end{cases}$$

Let $T^{\sigma} = (T_{w_i}^{\sigma})_{w_i \in W}$. It is a partition of the set of workers if the coalition formation problem satisfies essentiality (Alcalde and Romero-Medina (2006)).

Part 2: Let the matching problem in which the set of agents on one side is F and on the other one is T^{σ} , the partition obtained in the first part of the algorithm. The algorithm takes as preferences of each element of T^{σ} , the preferences of one worker in each coalition. Let T_q^{σ} be a coalition from T^{σ} , and \widetilde{w}_q be the agent with the lowest subindex in T_q^{σ} . The preferences of T_q^{σ} in the matching problem are the preferences of \widetilde{w}_q but restricted to that the set of colleagues of \widetilde{w}_q would be supersets of T_q^{σ} . Formally: $P\left(T_q^{\sigma}\right) = P\left(\widetilde{w}_q\right)$ defined over $F \times W^{T_q^{\sigma}}$. Denote the matching problem defined in this way as \mathcal{M}^1 .

⁵A family of algorithms can be defined depending on how the worker, whose preferences will be used, is selected. For instance, the worker with the highest subindex can be selected, or someone randomly.

⁶Note that, as separability is required, the algorithm only needs to take the restricted preferences of \widetilde{w}_q over institutions. In other words, the preferences of T_q^{ε} are P_q^F .

Stage 1: Let \mathcal{M}^1 be the many-to-one matching problem. Each coalition of workers, T_q^{σ} , makes offers to their most preferred firms according to \widetilde{w}_q 's preferences. Firms accept the offers if they are acceptable, otherwise reject. Let $\widehat{\mu}^1$ be the resulting matching. Let $\widehat{T}^1 = \{T_q^{\sigma} \mid \widehat{\mu}^1\left(T_q^{\sigma}\right) \in F\}$. If for all $S \in T^{\sigma}$ such that |S| > 1, $S \in \widehat{T}^1$, the algorithm stops. The matching is $\widehat{\mu}^1$.

Otherwise, there is an unmatched coalition of workers from T^{σ} , say T_q^{σ} . Go to stage 2.

Stage 2: Let \mathcal{M}^2 be the many-to-one matching problem that is obtained when such T_q^{σ} breaks up into single workers. Let $E^1 = \{T_q^{\sigma} \mid |T_q^{\sigma}| > 1 \text{ and } \widehat{\mu}^1\left(T_q^{\sigma}\right) \notin F\}$ be the set coalitions that have to be broken up. The set of individuals in the matching problem \mathcal{M}^2 is $\left(T^{\sigma} \setminus E^1\right) \cup \{w_i \mid w_i \in T_q^{\sigma}, \forall T_q^{\sigma} \in E^1\}$. The coalitions that are not accepted by any firm in the first stage are replaced by the workers who are in that coalitions. Apply the deferred-acceptance algorithm with workers or coalitions making offers to \mathcal{M}^2 .

Stage k: Let \mathcal{M}^k be the many-to-one matching problem with the set of firms, F, and the set of individuals: $\widehat{T}^{k-1} \cup \left\{w_i \mid w_i \in T_q^{\sigma}, \, \forall T_q^{\sigma} \in E^{k-1}\right\}$ where $\widehat{T}^{k-1} = \left\{T_q^{\sigma} \mid \widehat{\mu}^{k-1}\left(T_q^{\sigma}\right) \in F\right\}$ is the set of coalitions matched with a firm in the previous stage, and $E^{k-1} = \left\{T_q^{\sigma} \mid \left|T_q^{\sigma}\right| > 1 \text{ and } \widehat{\mu}^{k-1}\left(T_q^{\sigma}\right) \notin F\right\}$ is the set of unmatched coalitions with more that one worker in the previous stage. Consider as preferences for the members of \widehat{T}^{k-1} the preferences of the worker with the lowest subindex in each coalition, and for remaining agents (firms and single workers) their true preferences. Individuals (workers and coalitions) make offers to their most preferred firms, and firms accept (or reject) the offers if they are acceptable (or unacceptable). Let $\widehat{\mu}^k$ be the resulting matching. Let $\widehat{T}^k = \left\{T_q^{\sigma} \mid \widehat{\mu}^k\left(T_q^{\sigma}\right) \in F\right\}$. If for all $S \in T^{\sigma}$ such that |S| > 1, $S \in \widehat{T}^k$, the algorithm stops. The matching is $\widehat{\mu}^k$. Otherwise, go to the stage k+1.

We denote the matching resulting from this algorithm as μ^* , and the the coalition of colleagues assigned to w_i as $T_i^* = \mu^* (\mu^*(w_i))$.

To illustrate this algorithm, consider the following example.

Example 3: Let $F = \{f^1, f^2, f^3\}$ and $W = \{w_1, w_2, w_3, w_4, w_5, w_6\}$, with preferences satisfying GT and coalitional substitutability. Firms' preferences are given in the following table:

$$\frac{f^1}{\{w_2, w_6\}} \quad \frac{f^2}{\{w_1, w_2, w_3\}} \quad \frac{f^3}{\{w_3, w_5, w_6\}} \\
\{w_2, w_5\} \quad \{w_1, w_2\} \quad \{w_3, w_5\} \\
\{w_5, w_6\} \quad \{w_1, w_3\} \quad \{w_5, w_6\} \\
\{w_2\} \quad \{w_2, w_3\} \quad \{w_3, w_6\} \\
\{w_6\} \quad \{w_1\} \quad \{w_3\} \\
\{w_5\} \quad \{w_2\} \quad \{w_5\} \\
\{w_3\} \quad \{w_6\} \\
\{w_4\}$$

Workers' preferences satisfy separability and are such that

$$w_{1}: P_{1}^{C} \quad Ch_{1}(W) = \{w_{1}, w_{2}\}.$$

$$w_{2}: P_{2}^{C} \quad Ch_{2}(W) = \{w_{1}, w_{2}, w_{3}\}.$$

$$w_{3}: P_{3}^{C} \quad Ch_{3}(W) = \{w_{1}, w_{3}\}.$$

$$w_{4}: P_{4}^{C} \quad Ch_{4}(W) = \{w_{4}, w_{5}\}.$$

$$w_{5}: P_{5}^{C} \quad Ch_{5}(W) = \{w_{4}, w_{5}\}.$$

$$w_{6}: P_{6}^{C} \quad Ch_{6}(W) = \{w_{3}, w_{5}, w_{6}\}.$$
for all $w_{i} \in W$; $f^{1}P_{i}^{F}f^{2}P_{i}^{F}f^{3}.$

The algorithm selects the following sets for each worker,

$$T_1^{\sigma} = \{w_1, w_2, w_3\} = T_2^{\sigma} = T_3^{\sigma}.$$

$$T_4^{\sigma} = \{w_4, w_5\} = T_5^{\sigma}.$$

$$T_6^{\sigma} = \{w_6\}.$$

Then the modified deferred-acceptance algorithm is applied.

- T_1^{σ} , T_4^{σ} and T_6^{σ} proposes to f^1 . Firm f^1 only accepts $\{w_6\}$.
- T_1^{σ} and T_4^{σ} propose to f^2 . Firm f^2 only accepts T_1^{σ} .
- T_4^{σ} proposes to f^3 . Firm f^3 rejects T_4^{σ} .

Then T_4^{σ} is broken up and a new deferred-acceptance algorithm's stage is applied

with the sets of workers: T_1^{σ} , T_6^{σ} , $\{w_4\}$, $\{w_5\}$. The resulting matching is given by:

$$\mu^*(f^1) = \{w_5, w_6\}.$$

$$\mu^*(f^2) = \{w_1, w_2, w_3\}.$$

$$\mu^*\left(f^3\right) = \left\{w_4\right\}.$$

The matching μ^* is stable.

Next we show that if workers' preferences satisfy essentiality and GT, the algorithm yields a stable matching. We need two lemmas.

Lemma 1: The Group deferred-acceptance algorithm always terminates.

The ess-algorithm always terminates in finitely many stages (Alcalde and Romero-Medina (2006)) and when firms' preferences satisfy substitutability, the deferred-acceptance algorithm always terminates in a finite number of stages (Gale and Shapley (1962).) Hence, the ess-algorithm produces a partition of the set of workers that will be assigned to a firm later on.

Lemma 2: The Group deferred-acceptance algorithm yields a matching.

In the ess-algorithm, the final stage is a simple deferred-acceptance algorithm in which the workers are replaced by coalitions of colleagues that have been previously formed. It is well known that a matching is obtained (Gale and Shapley (1962)). Here, as no worker can be in two coalitions in the outcome of the ess-algorithm, a matching is obtained.

The main result of this section is the following.

Theorem 1 If firms' preferences satisfy Coalitional Substitutability and workers' preferences satisfy Essentiality and GT, the Group deferred-acceptance algorithm produces a stable matching.

Proof. By lemmas 1 and 2 we only need to prove that the matching is stable. In order to prove stability we show that the matching is IR and that there is no blocking group.

Step 1. The matching belongs to $\mathcal{I}(F, W, P)$: This is so for every firm, by coalitional substitutability. If a firm has hired any group of workers then it does not want

to fire everyone. For every worker who is working with her essential set (or a superset of it), by GT the matching is preferred to be unemployed. For every worker who is not working with her essential set (or a superset) also by GT, the matching is preferred to be unemployed.

- **Step 2.** No group blocks the matching: suppose that there exists (f^j, S) that blocks the matching that results in the algorithm, μ^* . We check that in all possible cases, a contradiction appears.
 - Let $w_i \in S$ and $T_i^e \subseteq S \subset \mu^{*2}(w_i)$. If $f^j = \mu^*(w_i)$, then $\mu^*(f^j) P(f^j) S$ (otherwise f^j does not hire $\mu^*(f^j) \setminus S$). This contradicts the assumption that (f^j, S) blocks μ^* . Thus (f^j, S) does not block μ^* . If $f^j \neq \mu^*(w_i)$, there is $w_j \in T_i^*$ such that $\mu^*(w_j) P(w_j) f^j$, and either $w_j \in T_i^e \subseteq S$ ((f^j, S) does not block μ^*) or $w_j \notin T_i^e$. If $w_j \notin T_i^\sigma$ then as $w_j \in T_i^*$ there are two possibilities:
 - 1) If $T_i^* \subset S$ then $T_i^* P^C(w_i)$ S. Since $w_i \in S$, this contradicts the assumption that (f^j, S) blocks μ^* .
 - 2) If $T_i^* \nsubseteq S$ then there is w_h such that $w_h \in T_i^e \subset S$ and $T_i^* P(w_h) \emptyset P(w_h)S$.

Then w_h does not block μ^* . As $w_h \in S$, this contradicts that (f^j, S) blocks μ^* .

- Let $w_i \in S$, and $T_i^e \nsubseteq S$ and $T_i^e \subseteq \mu^{*2}(w_i)$. Then by GT, a contradiction exists.
- Let $w_i \in S$, and $T_i^e \subset \mu^{*2}(w_i) \subset S$. Then there is $S' \subset \{S \setminus \mu^{*2}(w_i)\}$ and f^j does not hire S' in the algorithm. Then either $\mu(f^j) P(f^j) S$ or $f^j \neq \mu^*(w_i)$. In the last case there is $w_j \in T_i^e \subset S$ such that $\mu^*(w_i) P(w_j) f^j$. It contradicts that (f^j, S) blocks μ^* .

• Let $w_i \in S$, and $T_i^e \nsubseteq \mu^{*2}(w_i)$ then $f^j P(w_i) \mu^*(w_i)$ (otherwise w_i does not block μ^*) but by coalitional substitutability and the ess-algorithm f^j does not prefer to hire w_i . Then either $S = \mu^{*2}(w_i)$ or we reach a contradiction. But if $f^j \neq \mu^*(w_i)$ then there is $w_j \in S$, such that $\mu^*(w_i) P(w_j) f^j$. This contradicts that (f^j, S) blocks μ^* .

Then no (f^j, S) can block, and thus $\mu^* \in \mathcal{C}(F, W, P)$.

In the paper by Alcalde and Revilla (2004), it is shown that a property, called Tops Responsiveness condition (TRC), weaker than essentiality, is sufficient for the non-emptiness of the core in the Coalition Formation Problem. In this framework, it is easy to show that a stable matching may not exist if we require TRC instead of essentiality. Note that the example 6 in the appendix also satisfies separability and coalitional substitutability.

5 Positive result: Common Best Colleague.

Sometimes people are concerned about their own colleagues rather than the firms which hire them in a more absolute way than GT indicates. Think of young researchers who have to choose among some research centers or institutes in which the labor conditions are very similar. The first question for most of them is: If I choose that institute, who are the researchers I can work with? That means that the researchers evaluate a matching in a lexicographic way. First, they consider the group of colleagues. And if they are indifferent, then they consider other features of the institute or center. In this section we consider the case in which the workers have W-lexicographic preferences, as defined here.

The worker w_i 's preferences are W-lexicographic if, for all $S, T \in W^i, S \neq T$ and for all $f^j, f^h \in F$, the following condition is satisfied:

$$(f^j, S)P(w_i)(f^h, T) \Leftrightarrow SP_i^C T.$$

We need other conditions over preferences to ensure stability. Dutta and Massó (1997) show that if the workers' preferences satisfy a condition called Unanimous

Ranking According to Desirability, a stable matching may not exist in their framework. We define a new condition over workers' preferences restricted to colleagues. This condition, if it is also satisfied by firms' preferences, guarantees the existence of stable matchings. We call it Common Best Colleague condition (CBC). A new result is obtained: If the firms' preferences and workers' preferences over colleagues consider the same ranking over workers then a stable matching exists. From now on, we assume that a common ranking over workers exists, and that the set of workers is ordered according to such a ranking. So, the subindex of each workers reflects her position in that ranking. In order to define CBC, we need additional notation.

Let $S,T\subseteq W$ be such that $S\neq T$. Suppose that a ranking over the workers denoted by the subindexes exists. We define Ψ^1 as follows:

$$\Psi^{1}(S,T) = \{w_{i}\}; \text{ such that } w_{i} \in S \setminus T; \text{ and } i = \inf\{h : w_{h} \in S \setminus T\}.$$

Similarly, we denote $\Psi^2(S,T) = \Psi^1(T,S)$. In words: Ψ^1 selects the worker from the first set with the lowest subindex that is not in the other set. Note that if $S \subset T$, $S \setminus T = \emptyset$. Then $\Psi^1(S,T) = \emptyset$. And similarly for $\Psi^2(S,T)$ when $T \subset S$.

Then, we can compare two sets only by looking at the two workers with the lowest subindex from each set that are not in the other set. This allows us to present a property that explains how the agents can compare two sets of workers if a complete ranking over workers is commonly assumed.

In words: if w_i 's preferences satisfy Common Best Colleague condition, w_i chooses between two groups of colleagues, S and T, that group containing the agent with the lower subindex who is not in the other set. And if S is a subset of T, w_i chooses T if there is any agent in $T \setminus S$ who is below w_i in the ranking.⁷

A worker's (say w_i) preferences satisfy the Common Best Colleague Condition (CBC) if for all $S, T \in W^i$ and $S, T \neq \emptyset$:

- 1) If $S \setminus T \neq \emptyset$, $T \setminus S \neq \emptyset$, and $\Psi^{1}(S,T)$ has a lower subindex than $\Psi^{2}(S,T)$, then $S P_{i}^{C} T$.
- 2) If $S \subset T$ and there is $w_k \in T \setminus S$ such that k < i, then $T P_i^C S$.

⁷Note that w_i only compares S and T if w_i belongs to both sets. Then w_i is not a member of $\Psi^1(S,T)$ or $\Psi^2(S,T)$.

The following examples show the preferences of a worker when CBC is satisfied.

Example 4: Let $S = \{w_1, w_2, w_3, w_5\}$ and $T = \{w_1, w_3, w_4, w_6\}$. Let be a ranking denoted by the subindexes. Here, $S \setminus T = \{w_2, w_5\}$ and $T \setminus S = \{w_4, w_6\}$. In this case: $\Psi^1(S,T) = \{w_2\}$ and $\Psi^2(S,T) = \Psi^1(T,S) = \{w_4\}$, respectively. So, if every worker's preferences satisfies CBC, $S P_i^C T$, for each worker in $S \cup T. \spadesuit$

Example 5: Let $S = \{w_1, w_2, w_3, w_5\}$ and $T = \{w_1, w_3\}$. Here, $\Psi^1(S, T) = \{w_2\}$ and $\Psi^2(S, T) = \Psi^1(T, S) = \emptyset$. Assume that CBC is satisfied by the preferences of all the agents. So, $S P_3^C T$ because w_2 has a higher subindex than w_3 . But it is possible that $T P_1^C S$, because w_2 has a lower position in the ranking than $w_1. \spadesuit$

We say that CBC is fulfilled in a matching problem if every worker satisfies CBC with the same ranking. It can be shown that if the workers' preferences satisfy CBC and we only require Coalitional Substitutability for the firms' preferences a stable matching may not exist (Example 7 in the appendix).

However, a positive result can be obtained if the CBC requirements are extended to the firms' preferences. As CBC has been defined for workers we define CBC for firms.

A firm's (say f^j) preferences satisfy the Common Best Colleague Condition (CBC) if for all $S, T \subseteq W$:

If
$$S \setminus T \neq \emptyset$$
, $T \setminus S \neq \emptyset$, and $\Psi^{1}(S,T)$ has a lower subindex than $\Psi^{2}(S,T)$, then $S P(f^{j})$ T .

If $S \subset T$ nothing is required for the firms' preferences.

In order to prove the existence of stable matchings we need an algorithm that selects a stable matching when it is applied. We call this algorithm, CBC algorithm. We can think of a real life situation in which a leader, a worker who obtains the first position in the common ranking, exists. The leader may be a researcher who proposes to other researchers form a research group, and that looks for a University or an Institute (we call it firm) that hires the whole group. If everyone (University and researchers) agree the contract is signed and these agents are retired from the algorithm. Otherwise, the leader tries to form a new group. Each stage in the algorithm, reflecting the process in which each leader tries to form a group and find

a center that hires them, has 3 steps.

To present the CBC algorithm we need additional notation. Let $\Phi_i(F, W)$ be the set of possible pairs of a firm and a set of coworkers for agent w_i when the set of firms is F and the set of workers is W. Formally, $\Phi_i(F, W) = \{(f^j, S) \in F \times W^i\} \cup \{w_i\}$. Then each element from $\Phi_i(F, W)$ is a pair of one firm and a set of workers that includes w_i or w_i remaining alone. For notational convenience we consider the last element as a pair (f^0, w_i) where $f^0 = \emptyset$.

The **CBC** algorithm, is defined as follows:

Stage 1: Let $F_1 = F$ and $T_1 = W$.

- Step 1: Let w_1 , the worker with the lowest subindex in T_1 , be the leader. Let $D_1^1 = \Phi_1(F_1, W_1)$.
- Step 2: Let $(\widetilde{f}_1, \widetilde{S}_1) \in \Phi_1(F_1, W_1)$ be such that $(\widetilde{f}_1, \widetilde{S}_1) P(w_1) (f^j, T)$, for all $(f^j, T) \in F \times W^1$. So $(\widetilde{f}_1, \widetilde{S}_1)$ is the preferred pair from the set of possible pairs of firm and set of coworkers for the leader. From now on, $(\widetilde{f}_1, \widetilde{S}_1)$ is called the **proposal.**
 - Case a) If for all worker and firm included in the proposal, the proposal is preferred to remaining unmatched, then the set of workers \widetilde{S}_1 is matched with the firm \widetilde{f}_1 . The remaining individuals and firms, $F_2 = F \setminus \left\{ \widetilde{f}_1 \right\}$ and $T_2 = W \setminus \widetilde{S}_1$, go to stage 2.8
 - Case b) If there is one agent included in the proposal for them this proposal is worse than remaining unmatched, then the proposal is rejected. The set of possible pairs for the leader is reduced in that element take $\Phi_1(F, W) \setminus (\widetilde{f}_1, \widetilde{S}_1)$ as the new set of possible pairs for w_1 and a new round in step 2 begins.
- **Stage t:** Let $(\widetilde{f}_{t-1}, \widetilde{S}_{t-1})$ be the proposal accepted at stage t-1. Let $F_t = F_{t-1} \setminus \{\widetilde{f}_{t-1}\}$ and $T_t = T_{t-1} \setminus \widetilde{S}_{t-1}$.

⁸Note that $(\widetilde{f}, \widetilde{S})$ may be (\emptyset, w_1) . In such a case, w_1 prefers to remain unemployed and is removed from the algorithm, and a new stage begins without her.

Step 1: Let w_i , the worker with the lowest subindex in T_t , be the leader. Let $D_t^1 = \Phi_i(F_t, T_t)$.

Step 2: Let $(\widetilde{f}_t, \widetilde{S}_t)$ be the leader's most preferred pair from $D_t^{k,9}$

Case a)
$$(\widetilde{f}_t, \widetilde{S}_t) P(w_h) \{w_h\}$$
, for all $w_h \in \widetilde{S}_t$, and $(\widetilde{f}_t, \widetilde{S}_t) P(\widetilde{f}_t) \{\widetilde{f}_t\}$.
Then $\mu(\widetilde{f}_t) = \widetilde{S}_t$. Let $F_{t+1} = F_t \setminus \{\widetilde{f}_t\}$ and $T_{t+1} = T_t \setminus \widetilde{S}_t$, if $F_{t+1} \neq \emptyset$ and $T_{t+1} \neq \emptyset$ go to the stage $t+1$.

Case b) $\left\{\widetilde{f}_{t}\right\}P(\widetilde{f}_{t})\left(\widetilde{f}_{t},\widetilde{S}_{t}\right)$ or there is a worker w_{h} such that $\left\{w_{h}\right\}P\left(w_{h}\right)\left(\widetilde{f}_{t},\widetilde{S}_{t}\right)$. Then $D_{t}^{k+1}=D_{t}^{k}\setminus\left(\widetilde{f}_{t},\widetilde{S}_{t}\right)$ and repeat the Step 2 again.

The algorithm terminates when there are no remaining workers or firms. The remaining firms or workers are left unmatched.

The following example illustrates the algorithm.

⁹The superindex k denotes the number of interactions for the Step 3 in each Stage t.

Example 6: Let $F = \{f^1, f^2, f^3\}$, and $W = \{w_1, w_2, w_3, w_4\}$, with preferences satisfying CBC and workers' preferences satisfying separability. Preferences are given by the following table:

| $ \begin{array}{cccccccccccccccccccccccccccccccccccc$ | -) |
|---|----|
| | |
| $(\mathfrak{c}_3 (\ldots \ldots \ldots)) \qquad (\mathfrak{c}_1 (\ldots \ldots)) \qquad (\mathfrak{c}_3 (\ldots \ldots \ldots)) \qquad (\mathfrak{c}_1 (\ldots \ldots \ldots))$ | .) |
| $ (f^3, \{w_1, w_2, w_3\}) \qquad (f^1, \{w_1, w_2\}) \qquad (f^3, \{w_1, w_2, w_3\}) \qquad (f^1, \{w_1, w_2, w_3, w_4\}) $ | |
| $(f^1, \{w_1, w_2\})$ $\{w_2\}$ $(f^1, \{w_1, w_2, w_3, w_4\})$ $(f^3, \{w_1, w_2, w_4\})$ | |
| $(f^2, \{w_1, w_2\})$ $(f^2, \{w_1, w_2, w_3\})$ $(f^2, \{w_1, w_2, w_3, w_4\})$ $(f^2, \{w_1, w_2, w_4\})$ | |
| $(f^3, \{w_1, w_2\})$ $(f^3, \{w_1, w_2, w_3\})$ $(f^3, \{w_1, w_2, w_3, w_4\})$ $(f^1, \{w_1, w_2, w_4\})$ | |
| $(f^1, \{w_1, w_3\})$ $(f^1, \{w_1, w_2, w_3\})$ $(f^1, \{w_1, w_3\})$ $(f^3, \{w_1, w_3, w_4\})$ | |
| $ (f^2, \{w_1, w_3\}) \qquad (f^2, \{w_1, w_2, w_3, w_4\}) \qquad (f^2, \{w_1, w_3\}) \qquad (f^2, \{w_1, w_3, w_4\}) $ | |
| $ (f^3, \{w_1, w_3\}) \qquad (f^3, \{w_1, w_2, w_3, w_4\}) \qquad (f^3, \{w_1, w_3\}) \qquad (f^1, \{w_1, w_3, w_4\}) $ | |
| $\{w_1\}$ $(f^1, \{w_1, w_2, w_3, w_4\})$ $(f^1, \{w_1, w_3, w_4\})$ $(f^3, \{w_1, w_4\})$ | |
| $(f^2, \{w_1, w_2, w_4\}) \qquad (f^2, \{w_1, w_3, w_4\}) \qquad (f^2, \{w_1, w_4\})$ | |
| $ (f^3, \{w_1, w_2, w_4\}) \qquad (f^3, \{w_1, w_3, w_4\}) \qquad (f^1, \{w_1, w_4\}) $ | |
| $ (f^1, \{w_1, w_2, w_4\}) \qquad (f^1, \{w_2, w_3\}) \qquad (f^3, \{w_2, w_3, w_4\}) $ | |
| $(f^2, \{w_2\})$ $(f^2, \{w_2, w_3\})$ $(f^2, \{w_2, w_3, w_4\})$ | |
| $ (f^3, \{w_2, w_3\}) \qquad (f^1, \{w_2, w_3, w_4\}) $ | |
| $ (f^1, \{w_2, w_3, w_4\}) \qquad (f^3, \{w_2, w_4\}) $ | |
| $ (f^2, \{w_2, w_3, w_4\}) \qquad (f^2, \{w_2, w_4\}) $ | |
| $(f^3, \{w_2, w_3, w_4\})$ $(f^1, \{w_2, w_4\})$ | |
| $(f^1, \{w_3, w_4\})$ $(f^3, \{w_3, w_4\})$ | |
| $(f^2, \{w_3, w_4\})$ $(f^2, \{w_3, w_4\})$ $(f^1, \{w_2, w_4\})$ | |
| $egin{array}{ll} \left(f^3, \{w_3, w_4\} ight) & \left(f^1, \{w_3, w_4\} ight) \ \left(f^1, \{w_3\} ight) & \left(f^3, \{w_4\} ight) \end{array}$ | |
| $(f^2, \{w_3\}) \qquad \qquad (f^2, \{w_4\}) \qquad \qquad (f^2, \{w_4\})$ | |
| $\begin{pmatrix} f, \{w_3\} \end{pmatrix} \begin{pmatrix} f, \{w_4\} \end{pmatrix} \begin{pmatrix} f^1, \{w_4\} \end{pmatrix}$ | |
| $(f, \{w_3\})$ $(f, \{w_4\})$ $\{w_3\}$ | |
| $\lfloor w_3 \rfloor$ $\lfloor w_4 \rfloor$ | |
| | |

$$\frac{f^1}{\{w_1, w_2, w_3\}} \quad \frac{f^2}{\{w_1, w_2\}} \quad \frac{f^3}{\{w_1\}}$$

$$\{f^1\} \quad \{w_1\} \quad \{w_1, w_2\} \quad \{w_1, w_2\}$$

$$\{w_1, w_2\} \quad \{f^2\} \quad \{w_1, w_3\}$$

$$\vdots \quad \vdots \quad \{w_1, w_2, w_3\}$$

$$\vdots \quad \{w_1, w_2, w_4\}$$

$$\{w_2\} \quad \{w_3\}$$

$$\{w_2, w_3\} \quad \{w_4\}$$

$$\{w_2, w_4\}$$

$$\{w_1, w_2, w_3, w_4\}$$

$$\{w_1, w_2, w_3, w_4\}$$

$$\{w_2, w_3, w_4\}$$

$$\{f^3\} \quad \{w_3, w_4\}$$

$$\{w_2, w_3, w_4\}$$

The CBC algorithm works as follows:

Stage 1: Let $T_1 = W$ and $F_1 = F$.

- **Step 1:** The leader is w_1 . The possible pairs set for w_1 is $D_1^1 = (F \times W^1) \cup \{w_1\}$.
- Step 2: First round: w_1 proposes $(\widetilde{f}_1, \widetilde{S}_1) = (f^1, \{w_1, w_2, w_3\}) \in D_1^1$. The proposal is IR for w_3 and for f^1 , but not for w_2 . It is rejected. Let $D_1^2 = D_1^1 \setminus \{(f^1, \{w_1, w_2, w_3\})\}$.
 - **Second round:** w_1 proposes $(\widetilde{f}_1, \widetilde{S}_1) = (f^2, \{w_1, w_2, w_3\}) \in D_1^2$. The proposal is IR for w_3 , but not for w_2 and f^2 . It is rejected. Let $D_1^3 = D_1^2 \setminus \{(f^2, \{w_1, w_2, w_3\})\}$.
 - **Third round:** w_1 proposes $\left(\widetilde{f}_1, \widetilde{S}_1\right) = \left(f^3, \{w_1, w_2, w_3\}\right) \in D_1^3$. The proposal is IR for w_3 and f^3 , but not for w_2 . It is rejected. Let $D_1^4 = D_1^3 \setminus \left\{ \left(f^3, \{w_1, w_2, w_3\}\right) \right\}$.
 - Fourth round: w_1 proposes $(\widetilde{f}_1, \widetilde{S}_1) = (f^1, \{w_1, w_2\}) \in D_1^4$. The proposal is IR for w_2 , but not for f^1 . It is rejected. Let $D_1^5 = D_1^4 \setminus \{(f^1, \{w_1, w_2\})\}$.

Fifth round: w_1 proposes $(\widetilde{f}_1, \widetilde{S}_1) = (f^2, \{w_1, w_2\}) \in D_1^5$. The proposal is IR for w_2 and f^2 . It is accepted. Then $\mu(f^2) = \{w_1, w_2\}$. The remaining agents sets are $F_2 = F_1 \setminus \{f^2\} = \{f^1, f^3\}$ and $T_2 = T_1 \setminus \{w_1, w_2\} = \{w_3, w_4\}$.

Stage 2: Let $F_2 = \{f^1, f^3\}$ and $T_2 = \{w_3, w_4\}$.

- **Step 1:** The leader is w_3 . The possible pairs set for w_3 is $D_2^1 = \Phi_3(F_2, T_2) = \{(f^1, \{w_3, w_4\}), (f^3, \{w_3, w_4\}), (f^1, \{w_3\}), (f^3, \{w_3\}), (f^0, \{w_3\})\}.$
- **Step 2: First round:** w_3 proposes $(f^1, \{w_3, w_4\}) \in D_2^1$. The proposal is IR for w_4 , but not for f^1 . It is rejected. Let $D_2^2 = D_2^1 \setminus \{(f^1, \{w_3, w_4\})\} = \{(f^3, \{w_3, w_4\}), (f^1, \{w_3\}), (f^3, \{w_3\}), (f^0, \{w_3\})\}.$
 - **Second round:** w_3 proposes $(f^3, \{w_3, w_4\}) \in D_2^2$. The proposal is not IR for f^3 . It is rejected. Let $D_2^3 = D_2^2 \setminus \{(f^3, \{w_3, w_4\})\} = \{(f^1, \{w_3\}), (f^3, \{w_3\}), (f^0, \{w_3\})\}$.
 - **Third round:** w_3 proposes $(f^1, \{w_3\}) \in D_2^3$. The proposal is not IR for f^1 . It is rejected. Let $D_2^4 = D_2^3 \setminus \{(f^1, \{w_3\})\} = \{(f^3, \{w_3\}), (f^0, \{w_3\})\}$.
 - **Fourth round:** w_3 proposes $(f^3, \{w_3\}) \in D_2^4$. The proposal is IR for f^3 . It is accepted. Then $\mu(f^3) = \{w_3\}$. The remaining agents sets are $F_3 = F_2 \setminus \{f^3\} = \{f^1\}$ and $T_3 = T_2 \setminus \{w_3\} = \{w_4\}$.

Stage 3: Let $F_3 = \{f^1\}$ and $T_3 = \{w_4\}$.

- **Step 1:** The leader is w_4 . The possible pairs set for w_4 is $D_3^1 = \Phi_4(F_3, T_3) = \{(f^1, \{w_4\}), (f^0, \{w_4\})\}.$
- Step 2: w_4 proposes $(f^1, \{w_4\}) \in D_3^1$. The proposal is not IR for f^1 . It is rejected. Let $D_3^2 = D_3^1 \setminus \{(f^1, \{w_4\})\} = (f^0, \{w_4\})$. Then the leader at this moment, w_4 , must be excluded. $\mu(w_4) = \{w_4\}$. And $F_4 = F_3$, $T_4 = T_3 \setminus \{w_4\} = \emptyset$.

As the set of remaining workers is empty, the algorithm terminates in the previous stage. The remaining firms are unmatched. $\mu\left(f^{1}\right) = \left\{f^{1}\right\}$.

The matching is:

$$\mu(f^{1}) = \{f^{1}\}.$$

$$\mu(f^{2}) = \{w_{1}, w_{2}\}.$$

$$\mu(f^{3}) = \{w_{3}\}.$$

$$\mu(w_{4}) = \{w_{4}\}.$$

It is stable.♦

In order to prove the Theorem 2 we need the following lemmas.

Lemma 3: The CBC algorithm always terminates in a finite number of stages. And a matching is obtained.

As the number of workers and firms is finite, the number of possible pairs for each worker is finite too. If every IR matching is rejected by a worker, the unemployment alternative appears and it is accepted. Then each leader is assigned in a finite number of steps. As the number of workers is finite the algorithm terminates in at most n stages. As the workers are assigned to one firm or left alone, a matching is obtained.

Lemma 4: The CBC algorithm selects an IR matching.

Every pair of a firm and coworkers, is assigned only if it is acceptable for everyone. Then the matching is IR.

Lemma 5: There is no group of workers and firms that blocks the matchings obtained in the CBC algorithm.

Proof. The algorithm assigns to w_1 her best pair (say (f^j, S)) that is acceptable for every agent included in (f^j, S) . Then w_1 cannot be in a blocking group. No individual that is matched together with w_1 , as his preferences satisfy CBC, prefers a matching without w_1 . There exists an exception: to be unemployed. But this means that the matching assigned by the algorithm is not IR, and the previous lemma excludes that possibility. The firm matched with w_1 , as its preferences satisfy CBC, cannot prefer a group of workers without w_1 . Except if the preferred group is a subset of the group that is matched to the firm. But, in such a case, as we said before, the workers in the subset prefer to be with w_1 . Then every agent that goes out from the algorithm in the first stage, does not block. As the remaining agents only can form a blocking group among them, the same argument applies to the matching problem

defined in the second stage. Then there is no group that can improve the matching for every member.

The conclusions of the previous lemmas allow us to present the next Theorem, whose proof is straightforward from the above results.

Theorem 2 If workers' and firms' preferences satisfy CBC with the same ranking and the workers' preferences are W-lexicographic then a stable matching always exists.

6 Conclusions

In this paper we present many-to-one matching problems with preferences over coworkers as a combination of two well known models: many-to-one matching models and hedonic coalition formation problems. We find that some extensions of sufficient conditions over the preferences' domain, that guarantees the existence of stable matchings in such models, are not enough in this combined model. However there exists some sufficient conditions for the existence of the core. These positive results, although limited, can be understood as the description of the preferences in particular real-life situations.

A Appendix

We present some examples without stable matchings that satisfy some conditions over the agents' preferences.

First, it is easy to show that a stable matching may not exist if we require Tops Responsiveness instead of Essentiality. Note that this example 6 also satisfies Separability and Coalitional Substitutability.

Example 7: Suppose $F = \{f^1, f^2\}$ and $W = \{w_1, w_2, w_3\}$. Let P be the preference profile given by the following table:

$$\frac{f^1}{\{w_1, w_2\}} \frac{f^2}{\{w_1, w_3\}} \\ \{w_1, w_3\} \quad \{w_2, w_3\} \\ \{w_2, w_3\} \quad \{w_1, w_2\} \\ \{w_1\} \quad \{w_1\} \\ \{w_2\} \quad \{w_2\} \\ \{w_3\} \quad \{w_3\}$$

$$\frac{w_1 : P_1^C}{\{w_1, w_2\}} \frac{w_2 : P_2^C}{\{w_2, w_3\}} \frac{w_3 : P_3^C}{\{w_1, w_2, w_3\}} \\ \{w_1, w_2, w_3\} \quad \{w_1, w_2, w_3\} \quad \{w_1, w_3\} \\ \{w_1, w_3\} \quad \{w_1, w_2, w_3\} \quad \{w_1, w_3\} \\ \{w_1\} \quad \{w_2\} \quad \{w_3\} \\$$
 for all $w_i \in \{w_1, w_2, w_3\} \quad f^1 P_i^F f^2$.

Claim: There is no stable matching in such a problem.

We can check every possible matching:

The trivial solution in which no worker is hired: It is not stable because any firm wants to hire any worker and this worker would accept. If some firm f^i hires $\{w_1, w_2, w_3\}$: then it is not IR for the firm.

If some firm f^i hires only one worker: both, worker and firm, prefer that another worker will be hired.

If f^1 hires $\{w_1, w_2\}$: $\{f^2, w_2, w_3\}$ blocks.

If f^1 hires $\{w_1, w_3\}$: $\{f^1, w_1, w_2\}$ blocks.

If f^1 hires $\{w_2, w_3\}$: $\{f^1, w_1, w_3\}$ blocks.

If f^2 hires $\{w_2, w_3\}$: $\{f^2, w_1, w_3\}$ and $\{f^1, w_1, w_3\}$ block.

If f^2 hires $\{w_1, w_3\}$: $\{f^1, w_1, w_3\}$ and $\{f^1, w_1, w_2\}$ block. If f^2 hires $\{w_1, w_2\}$: $\{f^1, w_1, w_2\}$ blocks. So there is no stable matching in this problem. $^{10} \spadesuit$

Second, in the section 5 we say that if the workers' preferences satisfy CBC and we only require Coalitional Substitutability for the firms' preferences a stable matching may not exist. The following example points out this fact.

Example 8: Consider this coalition-matching problem: $F = \{f^1, f^2, f^3\}$ and $W = \{w_1, w_2, w_3\}$. Let P be the preferences profile given by the following table:

$$\frac{f^{1}}{\{w_{3}\}} \quad \frac{f^{2}}{\{w_{1}, w_{3}\}} \quad \frac{f^{3}}{\{w_{1}\}} \\
\{w_{1}, w_{2}\} \quad \{w_{2}, w_{3}\} \quad \{f^{3}\} \\
\{w_{1}\} \quad \{w_{1}\} \\
\{w_{2}\} \quad \{w_{2}\} \\
\{f^{1}\} \quad \{w_{3}\} \\
\{f^{2}\}$$

$$w_{1} : \begin{cases} \left\{ f^{1} \right\} P_{1}^{F} \left\{ f^{3} \right\} P_{1}^{F} \left\{ f^{2} \right\}. \\ \left\{ w_{1}, w_{2} \right\} P_{1}^{C} \left\{ w_{1} \right\} P_{1}^{C} \left\{ w_{1}, w_{3} \right\} P_{1}^{C} \left\{ w_{1}, w_{2}, w_{3} \right\}. \end{cases}$$

$$w_{2} : \begin{cases} \left\{ f^{1} \right\} P_{2}^{F} \emptyset. \\ \left\{ w_{1}, w_{2} \right\} P_{2}^{C} \left\{ w_{1}, w_{2}, w_{3} \right\} P_{2}^{C} \left\{ w_{2}, w_{3} \right\} P_{2}^{C} \left\{ w_{2} \right\}. \end{cases}$$

$$w_{3} : \begin{cases} \left\{ f^{1} \right\} P_{3}^{F} \left\{ f^{2} \right\} P_{3}^{F} \left\{ f^{3} \right\}. \\ \left\{ w_{1}, w_{2}, w_{3} \right\} P_{3}^{C} \left\{ w_{1}, w_{3} \right\} P_{3}^{C} \left\{ w_{2}, w_{3} \right\} P_{3}^{C} \left\{ w_{3} \right\}. \end{cases}$$

The workers' preferences satisfy CBC and GT. The firms' preferences only satisfy Coalitional Substitutability.

<u>Claim</u>: There is no stable matching. It is easy to check that the three workers cannot be in the same firm because w_1 would prefer to work alone and f^3 will always hire her. Each worker working for a different firm is a matching that would be blocked

$$\left\{ f^1, w_1, w_2 \right\} P_1 \left\{ f^2, w_1, w_2 \right\} P_1 \left\{ f^1, w_1, w_2, w_3 \right\} P_1 \left\{ f^2, w_1, w_2, w_3 \right\} P_1 \left\{ f^1, w_1, w_3 \right\} P_1 \left\{ f^2, w_1, w_3 \right\} P_1 \left\{ f^1, w_1 \right\} P_1 \left\{ f^2, w_1 \right\} P_1 \dots$$

Analogously for w_2 and w_3 .

¹⁰The preference ordering for the agents would be, for w_1 :

by
$$\{f^1, w_1, w_2\}.$$

Only matchings with two workers hired by a firm are allowed. There exists only three kinds of IR matchings that fulfill that condition. And the possible blocking groups for each type are:

all matching that includes: are blocked by

$$\{f^1, w_1, w_2\}$$
 $\{f^1, w_3\}$
 $\{f^2, w_1, w_3\}$ $\{f^1, w_1, w_2\}$ and $\{f^3, w_1\}$
 $\{f^2, w_2, w_3\}$ $\{f^1, w_1, w_2\}$

References

- [1] Alcalde, J., Revilla, P., 2004. "Researching with whom? Stability and Manipulation." *J. Math Econ.* **40**, 869-887.
- [2] Alcalde, J., Romero-Medina, A., 2006. "Coalition Formation and Stability." Soc. Choice Welfare 27, 365-375.
- [3] Banerjee, S., Konishi, H., Sönmez, T., 2001. "Core in a simple coalition formation game." Soc. Choice Welfare 18, 135-513.
- [4] Bogomolnaia, A., Jackson, M., 2002. "The stability of hedonic coalition structures." *Games Econ. Behav.* **38**, 201-230.
- [5] Drèze, J., Greenberg, J., 1980. "Hedonic coalitions: Optimality and Stability." *Econometrica* 48, 987-1003.
- [6] Dutta, B., Massó, J., 1997. "Stability of matchings when workers have preferences over colleagues." J. Econ. Theory 75, 464-475.
- [7] Echenique, F., Yenmez, M., 2007. "A Solution to Matching with Preferences over Colleagues." *Games Econ. Behav.* **59**, 46-71.
- [8] Gale, D., Shapley, L.S., 1962. "College admissions and the stability of marriage." American Mathematical Monthly 69, 9-15.
- [9] Klaus, B., Klijn, F., 2005. "Stable Matchings and Preferences of Couples." J. Econ. Theory 121, 75-106.
- [10] Pycia, M., 2007. "Many-to-One Matching with Complementarities and Peer Effects", mimeo.
- [11] Roth, A. E., Sotomayor, M., 1990. Two-sided matching: A study in gametheoretic modeling and analysis, Econometric Society Monograph Series, Cambridge University Press, New York.

NOTE DI LAVORO DELLA FONDAZIONE ENI ENRICO MATTEI

Fondazione Eni Enrico Mattei Working Paper Series

Our Note di Lavoro are available on the Internet at the following addresses:

http://www.feem.it/Feem/Pub/Publications/WPapers/default.htm http://www.ssrn.com/link/feem.html http://www.repec.org http://agecon.lib.umn.edu http://www.bepress.com/feem/

NOTE DI LAVORO PUBLISHED IN 2007

| NRM | 1.2007 | Rinaldo Brau, Alessandro Lanza, and Francesco Pigliaru: How Fast are Small Tourism Countries Growing? The 1980-2003 Evidence |
|--|--|--|
| PRCG | 2.2007 | C.V. Fiorio, M. Florio, S. Salini and P. Ferrari: Consumers' Attitudes on Services of General Interest in the EU: |
| | | Accessibility, Price and Quality 2000-2004 |
| PRCG | 3.2007 | Cesare Dosi and Michele Moretto: Concession Bidding Rules and Investment Time Flexibility |
| IEM | 4.2007 | Chiara Longo, Matteo Manera, Anil Markandya and Elisa Scarpa: Evaluating the Empirical Performance of |
| | | Alternative Econometric Models for Oil Price Forecasting |
| PRCG | 5.2007 | Bernardo Bortolotti, William Megginson and Scott B. Smart: The Rise of Accelerated Seasoned Equity Underwritings |
| CCMP | 6.2007 | Valentina Bosetti and Massimo Tavoni: Uncertain R&D, Backstop Technology and GHGs Stabilization |
| CCMP | 7.2007 | Robert Küster, Ingo Ellersdorfer, Ulrich Fahl (lxxxi): A CGE-Analysis of Energy Policies Considering Labor |
| | | Market Imperfections and Technology Specifications |
| CCMP | 8.2007 | Mònica Serrano (lxxxi): The Production and Consumption Accounting Principles as a Guideline for Designing |
| | | Environmental Tax Policy |
| CCMP | 9.2007 | Erwin L. Corong (lxxxi): Economic and Poverty Impacts of a Voluntary Carbon Reduction for a Small |
| | | <u>Liberalized Developing Economy: The Case of the Philippines</u> |
| CCMP | 10.2007 | Valentina Bosetti, Emanuele Massetti, and Massimo Tavoni: The WITCH Model. Structure, Baseline, Solutions |
| SIEV | 11.2007 | Margherita Turvani, Aline Chiabai, Anna Alberini and Stefania Tonin: Public Policies for Contaminated Site |
| | | Cleanup: The Opinions of the Italian Public |
| CCMP | 12.2007 | M. Berrittella, A. Certa, M. Enea and P. Zito: An Analytic Hierarchy Process for The Evaluation of Transport |
| | | Policies to Reduce Climate Change Impacts |
| NRM | 13.2007 | Francesco Bosello, Barbara Buchner, Jacopo Crimi, Carlo Giupponi and Andrea Povellato: The Kyoto |
| | | Protocol and the Effect of Existing and Planned Measures in the Agricultural and Forestry Sector in the EU25 |
| NRM | 14.2007 | Francesco Bosello, Carlo Giupponi and Andrea Povellato: A Review of Recent Studies on Cost Effectiveness of |
| CCL | 15 2005 | GHG Mitigation Measures in the European Agro-Forestry Sector |
| CCMP | 15.2007 | Massimo Tavoni, Brent Sohngen, and Valentina Bosetti: Forestry and the Carbon Market Response to Stabilize |
| ETA | 16.2007 | Climate Evil Anginh and Avign Priise Climate Change and the Stability of Water Allegation Agreements |
| EIA | 10.2007 | Erik Ansink and Arjan Ruijs: Climate Change and the Stability of Water Allocation Agreements |
| ETA | 17 2007 | Evancois Guadouf and Stanhana Hallagatte, Compact or Spread Out Cities, Urban Planning Toyotion, and the |
| ETA | 17.2007 | François Gusdorf and Stéphane Hallegatte: Compact or Spread-Out Cities: Urban Planning, Taxation, and the |
| | | Vulnerability to Transportation Shocks |
| NRM | 18.2007 | Vulnerability to Transportation Shocks Giovanni Bella: A Bug's Life: Competition Among Species Towards the Environment |
| | | Vulnerability to Transportation Shocks |
| NRM | 18.2007 | <u>Vulnerability to Transportation Shocks</u> Giovanni Bella: A Bug's Life: Competition Among Species Towards the Environment Valeria Termini and Laura Cavallo: "Spot, Bilateral and Futures Trading in Electricity Markets. Implications for |
| NRM IEM | 18.2007 19.2007 | <u>Vulnerability to Transportation Shocks</u> Giovanni Bella: A Bug's Life: Competition Among Species Towards the Environment Valeria Termini and Laura Cavallo: "Spot, Bilateral and Futures Trading in Electricity Markets. Implications for Stability" |
| NRM IEM | 18.2007 19.2007 | Vulnerability to Transportation Shocks Giovanni Bella: A Bug's Life: Competition Among Species Towards the Environment Valeria Termini and Laura Cavallo: "Spot, Bilateral and Futures Trading in Electricity Markets. Implications for Stability" Stéphane Hallegatte and Michael Ghil: Endogenous Business Cycles and the Economic Response to Exogenous |
| NRM IEM ETA CTN | 18.2007 19.2007 20.2007 | Vulnerability to Transportation Shocks Giovanni Bella: A Bug's Life: Competition Among Species Towards the Environment Valeria Termini and Laura Cavallo: "Spot, Bilateral and Futures Trading in Electricity Markets. Implications for Stability" Stéphane Hallegatte and Michael Ghil: Endogenous Business Cycles and the Economic Response to Exogenous Shocks Thierry Bréchet, François Gerard and Henry Tulkens: Climate Coalitions: A Theoretical and Computational Appraisal |
| NRM IEM ETA | 18.2007 19.2007 20.2007 | Vulnerability to Transportation Shocks Giovanni Bella: A Bug's Life: Competition Among Species Towards the Environment Valeria Termini and Laura Cavallo: "Spot, Bilateral and Futures Trading in Electricity Markets. Implications for Stability" Stéphane Hallegatte and Michael Ghil: Endogenous Business Cycles and the Economic Response to Exogenous Shocks Thierry Bréchet, François Gerard and Henry Tulkens: Climate Coalitions: A Theoretical and Computational Appraisal Claudia Kettner, Angela Köppl, Stefan P. Schleicher and Gregor Thenius: Stringency and Distribution in the |
| NRM IEM ETA CTN CCMP | 18.2007 19.2007 20.2007 21.2007 22.2007 | Vulnerability to Transportation Shocks Giovanni Bella: A Bug's Life: Competition Among Species Towards the Environment Valeria Termini and Laura Cavallo: "Spot, Bilateral and Futures Trading in Electricity Markets. Implications for Stability" Stéphane Hallegatte and Michael Ghil: Endogenous Business Cycles and the Economic Response to Exogenous Shocks Thierry Bréchet, François Gerard and Henry Tulkens: Climate Coalitions: A Theoretical and Computational Appraisal Claudia Kettner, Angela Köppl, Stefan P. Schleicher and Gregor Thenius: Stringency and Distribution in the EU Emissions Trading Scheme –The 2005 Evidence |
| NRM IEM ETA CTN | 18.2007 19.2007 20.2007 21.2007 | Vulnerability to Transportation Shocks Giovanni Bella: A Bug's Life: Competition Among Species Towards the Environment Valeria Termini and Laura Cavallo: "Spot, Bilateral and Futures Trading in Electricity Markets. Implications for Stability" Stéphane Hallegatte and Michael Ghil: Endogenous Business Cycles and the Economic Response to Exogenous Shocks Thierry Bréchet, François Gerard and Henry Tulkens: Climate Coalitions: A Theoretical and Computational Appraisal Claudia Kettner, Angela Köppl, Stefan P. Schleicher and Gregor Thenius: Stringency and Distribution in the EU Emissions Trading Scheme –The 2005 Evidence Hongyu Ding, Arjan Ruijs and Ekko C. van Ierland: Designing a Decision Support System for Marine Reserves |
| NRM IEM ETA CTN CCMP NRM | 18.2007 19.2007 20.2007 21.2007 22.2007 23.2007 | Vulnerability to Transportation Shocks Giovanni Bella: A Bug's Life: Competition Among Species Towards the Environment Valeria Termini and Laura Cavallo: "Spot, Bilateral and Futures Trading in Electricity Markets. Implications for Stability" Stéphane Hallegatte and Michael Ghil: Endogenous Business Cycles and the Economic Response to Exogenous Shocks Thierry Bréchet, François Gerard and Henry Tulkens: Climate Coalitions: A Theoretical and Computational Appraisal Claudia Kettner, Angela Köppl, Stefan P. Schleicher and Gregor Thenius: Stringency and Distribution in the EU Emissions Trading Scheme –The 2005 Evidence Hongyu Ding, Arjan Ruijs and Ekko C. van Ierland: Designing a Decision Support System for Marine Reserves Management: An Economic Analysis for the Dutch North Sea |
| NRM IEM ETA CTN CCMP | 18.2007 19.2007 20.2007 21.2007 22.2007 | Vulnerability to Transportation Shocks Giovanni Bella: A Bug's Life: Competition Among Species Towards the Environment Valeria Termini and Laura Cavallo: "Spot, Bilateral and Futures Trading in Electricity Markets. Implications for Stability" Stéphane Hallegatte and Michael Ghil: Endogenous Business Cycles and the Economic Response to Exogenous Shocks Thierry Bréchet, François Gerard and Henry Tulkens: Climate Coalitions: A Theoretical and Computational Appraisal Claudia Kettner, Angela Köppl, Stefan P. Schleicher and Gregor Thenius: Stringency and Distribution in the EU Emissions Trading Scheme –The 2005 Evidence Hongyu Ding, Arjan Ruijs and Ekko C. van Ierland: Designing a Decision Support System for Marine Reserves Management: An Economic Analysis for the Dutch North Sea Massimiliano Mazzanti, Anna Montini and Roberto Zoboli: Economic Dynamics, Emission Trends and the EKC |
| NRM IEM ETA CTN CCMP NRM CCMP | 18.2007 19.2007 20.2007 21.2007 22.2007 23.2007 24.2007 | Vulnerability to Transportation Shocks Giovanni Bella: A Bug's Life: Competition Among Species Towards the Environment Valeria Termini and Laura Cavallo: "Spot, Bilateral and Futures Trading in Electricity Markets. Implications for Stability" Stéphane Hallegatte and Michael Ghil: Endogenous Business Cycles and the Economic Response to Exogenous Shocks Thierry Bréchet, François Gerard and Henry Tulkens: Climate Coalitions: A Theoretical and Computational Appraisal Claudia Kettner, Angela Köppl, Stefan P. Schleicher and Gregor Thenius: Stringency and Distribution in the EU Emissions Trading Scheme –The 2005 Evidence Hongyu Ding, Arjan Ruijs and Ekko C. van Ierland: Designing a Decision Support System for Marine Reserves Management: An Economic Analysis for the Dutch North Sea Massimiliano Mazzanti, Anna Montini and Roberto Zoboli: Economic Dynamics, Emission Trends and the EKC Hypothesis New Evidence Using NAMEA and Provincial Panel Data for Italy |
| NRM IEM ETA CTN CCMP NRM | 18.2007 19.2007 20.2007 21.2007 22.2007 23.2007 | Vulnerability to Transportation Shocks Giovanni Bella: A Bug's Life: Competition Among Species Towards the Environment Valeria Termini and Laura Cavallo: "Spot, Bilateral and Futures Trading in Electricity Markets. Implications for Stability" Stéphane Hallegatte and Michael Ghil: Endogenous Business Cycles and the Economic Response to Exogenous Shocks Thierry Bréchet, François Gerard and Henry Tulkens: Climate Coalitions: A Theoretical and Computational Appraisal Claudia Kettner, Angela Köppl, Stefan P. Schleicher and Gregor Thenius: Stringency and Distribution in the EU Emissions Trading Scheme –The 2005 Evidence Hongyu Ding, Arjan Ruijs and Ekko C. van Ierland: Designing a Decision Support System for Marine Reserves Management: An Economic Analysis for the Dutch North Sea Massimiliano Mazzanti, Anna Montini and Roberto Zoboli: Economic Dynamics, Emission Trends and the EKC Hypothesis New Evidence Using NAMEA and Provincial Panel Data for Italy Joan Canton: Redealing the Cards: How the Presence of an Eco-Industry Modifies the Political Economy of |
| NRM IEM ETA CTN CCMP NRM CCMP ETA | 18.2007 19.2007 20.2007 21.2007 22.2007 23.2007 24.2007 | Vulnerability to Transportation Shocks Giovanni Bella: A Bug's Life: Competition Among Species Towards the Environment Valeria Termini and Laura Cavallo: "Spot, Bilateral and Futures Trading in Electricity Markets. Implications for Stability" Stéphane Hallegatte and Michael Ghil: Endogenous Business Cycles and the Economic Response to Exogenous Shocks Thierry Bréchet, François Gerard and Henry Tulkens: Climate Coalitions: A Theoretical and Computational Appraisal Claudia Kettner, Angela Köppl, Stefan P. Schleicher and Gregor Thenius: Stringency and Distribution in the EU Emissions Trading Scheme —The 2005 Evidence Hongyu Ding, Arjan Ruijs and Ekko C. van Ierland: Designing a Decision Support System for Marine Reserves Management: An Economic Analysis for the Dutch North Sea Massimiliano Mazzanti, Anna Montini and Roberto Zoboli: Economic Dynamics, Emission Trends and the EKC Hypothesis New Evidence Using NAMEA and Provincial Panel Data for Italy Joan Canton: Redealing the Cards: How the Presence of an Eco-Industry Modifies the Political Economy of Environmental Policies |
| NRM IEM ETA CTN CCMP NRM CCMP ETA ETA | 18.2007 19.2007 20.2007 21.2007 22.2007 23.2007 24.2007 25.2007 | Vulnerability to Transportation Shocks Giovanni Bella: A Bug's Life: Competition Among Species Towards the Environment Valeria Termini and Laura Cavallo: "Spot, Bilateral and Futures Trading in Electricity Markets. Implications for Stability" Stéphane Hallegatte and Michael Ghil: Endogenous Business Cycles and the Economic Response to Exogenous Shocks Thierry Bréchet, François Gerard and Henry Tulkens: Climate Coalitions: A Theoretical and Computational Appraisal Claudia Kettner, Angela Köppl, Stefan P. Schleicher and Gregor Thenius: Stringency and Distribution in the EU Emissions Trading Scheme –The 2005 Evidence Hongyu Ding, Arjan Ruijs and Ekko C. van Ierland: Designing a Decision Support System for Marine Reserves Management: An Economic Analysis for the Dutch North Sea Massimiliano Mazzanti, Anna Montini and Roberto Zoboli: Economic Dynamics, Emission Trends and the EKC Hypothesis New Evidence Using NAMEA and Provincial Panel Data for Italy Joan Canton: Redealing the Cards: How the Presence of an Eco-Industry Modifies the Political Economy of Environmental Policies Joan Canton: Environmental Taxation and International Eco-Industries |
| NRM IEM ETA CTN CCMP NRM CCMP ETA | 18.2007 19.2007 20.2007 21.2007 22.2007 23.2007 24.2007 | Vulnerability to Transportation Shocks Giovanni Bella: A Bug's Life: Competition Among Species Towards the Environment Valeria Termini and Laura Cavallo: "Spot, Bilateral and Futures Trading in Electricity Markets. Implications for Stability" Stéphane Hallegatte and Michael Ghil: Endogenous Business Cycles and the Economic Response to Exogenous Shocks Thierry Bréchet, François Gerard and Henry Tulkens: Climate Coalitions: A Theoretical and Computational Appraisal Claudia Kettner, Angela Köppl, Stefan P. Schleicher and Gregor Thenius: Stringency and Distribution in the EU Emissions Trading Scheme —The 2005 Evidence Hongyu Ding, Arjan Ruijs and Ekko C. van Ierland: Designing a Decision Support System for Marine Reserves Management: An Economic Analysis for the Dutch North Sea Massimiliano Mazzanti, Anna Montini and Roberto Zoboli: Economic Dynamics, Emission Trends and the EKC Hypothesis New Evidence Using NAMEA and Provincial Panel Data for Italy Joan Canton: Redealing the Cards: How the Presence of an Eco-Industry Modifies the Political Economy of Environmental Policies Joan Canton: Environmental Taxation and International Eco-Industries Oscar Cacho and Leslie Lipper (Ixxxii): Abatement and Transaction Costs of Carbon-Sink Projects Involving |
| NRM IEM ETA CTN CCMP NRM CCMP ETA ETA CCMP | 18.2007 19.2007 20.2007 21.2007 22.2007 23.2007 24.2007 25.2007 26.2007 27.2007 | Vulnerability to Transportation Shocks Giovanni Bella: A Bug's Life: Competition Among Species Towards the Environment Valeria Termini and Laura Cavallo: "Spot, Bilateral and Futures Trading in Electricity Markets. Implications for Stability" Stéphane Hallegatte and Michael Ghil: Endogenous Business Cycles and the Economic Response to Exogenous Shocks Thierry Bréchet, François Gerard and Henry Tulkens: Climate Coalitions: A Theoretical and Computational Appraisal Claudia Kettner, Angela Köppl, Stefan P. Schleicher and Gregor Thenius: Stringency and Distribution in the EU Emissions Trading Scheme —The 2005 Evidence Hongyu Ding, Arjan Ruijs and Ekko C. van Ierland: Designing a Decision Support System for Marine Reserves Management: An Economic Analysis for the Dutch North Sea Massimiliano Mazzanti, Anna Montini and Roberto Zoboli: Economic Dynamics, Emission Trends and the EKC Hypothesis New Evidence Using NAMEA and Provincial Panel Data for Italy Joan Canton: Redealing the Cards: How the Presence of an Eco-Industry Modifies the Political Economy of Environmental Policies Joan Canton: Environmental Taxation and International Eco-Industries Oscar Cacho and Leslie Lipper (Ixxxii): Abatement and Transaction Costs of Carbon-Sink Projects Involving Smallholders |
| NRM IEM ETA CTN CCMP NRM CCMP ETA ETA | 18.2007 19.2007 20.2007 21.2007 22.2007 23.2007 24.2007 25.2007 | Vulnerability to Transportation Shocks Giovanni Bella: A Bug's Life: Competition Among Species Towards the Environment Valeria Termini and Laura Cavallo: "Spot, Bilateral and Futures Trading in Electricity Markets. Implications for Stability" Stéphane Hallegatte and Michael Ghil: Endogenous Business Cycles and the Economic Response to Exogenous Shocks Thierry Bréchet, François Gerard and Henry Tulkens: Climate Coalitions: A Theoretical and Computational Appraisal Claudia Kettner, Angela Köppl, Stefan P. Schleicher and Gregor Thenius: Stringency and Distribution in the EU Emissions Trading Scheme –The 2005 Evidence Hongyu Ding, Arjan Ruijs and Ekko C. van Ierland: Designing a Decision Support System for Marine Reserves Management: An Economic Analysis for the Dutch North Sea Massimiliano Mazzanti, Anna Montini and Roberto Zoboli: Economic Dynamics, Emission Trends and the EKC Hypothesis New Evidence Using NAMEA and Provincial Panel Data for Italy Joan Canton: Redealing the Cards: How the Presence of an Eco-Industry Modifies the Political Economy of Environmental Policies Joan Canton: Environmental Taxation and International Eco-Industries Oscar Cacho and Leslie Lipper (lxxxii): Abatement and Transaction Costs of Carbon-Sink Projects Involving Smallholders A. Caparrós, E. Cerdá, P. Ovando and P. Campos (lxxxii): Carbon Sequestration with Reforestations and |
| NRM IEM ETA CTN CCMP NRM CCMP ETA ETA CCMP | 18.2007 19.2007 20.2007 21.2007 22.2007 23.2007 24.2007 25.2007 26.2007 27.2007 | Vulnerability to Transportation Shocks Giovanni Bella: A Bug's Life: Competition Among Species Towards the Environment Valeria Termini and Laura Cavallo: "Spot, Bilateral and Futures Trading in Electricity Markets. Implications for Stability" Stéphane Hallegatte and Michael Ghil: Endogenous Business Cycles and the Economic Response to Exogenous Shocks Thierry Bréchet, François Gerard and Henry Tulkens: Climate Coalitions: A Theoretical and Computational Appraisal Claudia Kettner, Angela Köppl, Stefan P. Schleicher and Gregor Thenius: Stringency and Distribution in the EU Emissions Trading Scheme –The 2005 Evidence Hongyu Ding, Arjan Ruijs and Ekko C. van Ierland: Designing a Decision Support System for Marine Reserves Management: An Economic Analysis for the Dutch North Sea Massimiliano Mazzanti, Anna Montini and Roberto Zoboli: Economic Dynamics, Emission Trends and the EKC Hypothesis New Evidence Using NAMEA and Provincial Panel Data for Italy Joan Canton: Redealing the Cards: How the Presence of an Eco-Industry Modifies the Political Economy of Environmental Policies Joan Canton: Environmental Taxation and International Eco-Industries Oscar Cacho and Leslie Lipper (Ixxxii): Abatement and Transaction Costs of Carbon-Sink Projects Involving Smallholders A. Caparrós, E. Cerdá, P. Ovando and P. Campos (Ixxxii): Carbon Sequestration with Reforestations and Biodiversity-Scenic Values |
| NRM IEM ETA CTN CCMP NRM CCMP ETA ETA CCMP | 18.2007 19.2007 20.2007 21.2007 22.2007 23.2007 24.2007 25.2007 26.2007 27.2007 | Vulnerability to Transportation Shocks Giovanni Bella: A Bug's Life: Competition Among Species Towards the Environment Valeria Termini and Laura Cavallo: "Spot, Bilateral and Futures Trading in Electricity Markets. Implications for Stability" Stéphane Hallegatte and Michael Ghil: Endogenous Business Cycles and the Economic Response to Exogenous Shocks Thierry Bréchet, François Gerard and Henry Tulkens: Climate Coalitions: A Theoretical and Computational Appraisal Claudia Kettner, Angela Köppl, Stefan P. Schleicher and Gregor Thenius: Stringency and Distribution in the EU Emissions Trading Scheme –The 2005 Evidence Hongyu Ding, Arjan Ruijs and Ekko C. van Ierland: Designing a Decision Support System for Marine Reserves Management: An Economic Analysis for the Dutch North Sea Massimiliano Mazzanti, Anna Montini and Roberto Zoboli: Economic Dynamics, Emission Trends and the EKC Hypothesis New Evidence Using NAMEA and Provincial Panel Data for Italy Joan Canton: Redealing the Cards: How the Presence of an Eco-Industry Modifies the Political Economy of Environmental Policies Joan Canton: Environmental Taxation and International Eco-Industries Oscar Cacho and Leslie Lipper (lxxxii): Abatement and Transaction Costs of Carbon-Sink Projects Involving Smallholders A. Caparrós, E. Cerdá, P. Ovando and P. Campos (lxxxii): Carbon Sequestration with Reforestations and |

| CCMP | 30.2007 | Raul Ponce-Hernandez (lxxxii): A Modelling Framework for Addressing the Synergies between Global |
|--------|-----------------|--|
| | | Conventions through Land Use Changes: Carbon Sequestration, Biodiversity Conservation, Prevention of Land Degradation and Food Security in Agricultural and Forested Lands in Developing Countries |
| ETA | 31.2007 | Michele Moretto and Gianpaolo Rossini: Are Workers' Enterprises Entry Policies Conventional |
| KTHC | 32.2007 | Giacomo Degli Antoni: Do Social Relations Affect Economic Welfare? A Microeconomic Empirical Analysis |
| CCMP | 33.2007 | Reyer Gerlagh and Onno Kuik: Carbon Leakage with International Technology Spillovers |
| CCMP | 34.2007 | Richard S.J. Tol: The Impact of a Carbon Tax on International Tourism |
| CCMP | 35.2007 | Reyer Gerlagh, Snorre Kverndokk and Knut Einar Rosendahl: Optimal Timing of Environmental Policy; |
| | | Interaction Between Environmental Taxes and Innovation Externalitie |
| SIEV | 36.2007 | Anna Alberini and Alberto Longo: Valuing the Cultural Monuments of Armenia: Bayesian Updating of Prior Beliefs in Contingent Valuation |
| CCMP | 37.2007 | Roeland Bracke, Tom Verbeke and Veerle Dejonckheere: What Distinguishes EMAS Participants? An Exploration of Company Characteristics |
| CCMP | 38.2007 | E. Tzouvelekas, D. Vouvaki and A. Xepapadeas: Total Factor Productivity Growth and the Environment: A Case for Green Growth Accounting |
| CCMP | 39.2007 | Klaus Keller, Louise I. Miltich, Alexander Robinson and Richard S.J. Tol: How Overconfident are Current Projections of Anthropogenic Carbon Dioxide Emissions? |
| CCMP | 40.2007 | Massimiliano Mazzanti and Roberto Zoboli: Environmental Efficiency, Emission Trends and Labour Productivity: Trade-Off or Joint Dynamics? Empirical Evidence Using NAMEA Panel Data |
| PRCG | 41.2007 | Veronica Ronchi: Populism and Neopopulism in Latin America: Clientelism, Trade Union Organisation and Electoral Support in Mexico and Argentina in the '90s |
| PRCG | 42.2007 | Veronica Ronchi: The Neoliberal Myth in Latin America: The Cases of Mexico and Argentina in the '90s |
| | | · |
| CCMP | 43.2007 | David Anthoff, Cameron Hepburn and Richard S.J. Tol: Equity Weighting and the Marginal Damage Costs of |
| ETA | 44.2007 | Climate Change Bouwe R. Dijkstra and Dirk T.G. Rübbelke: Group Rewards and Individual Sanctions in Environmental Policy |
| | | |
| KTHC | 45.2007 | Benno Torgler: Trust in International Organizations: An Empirical Investigation Focusing on the United Nations |
| CCMP | 46.2007 | Enrica De Cian, Elisa Lanzi and Roberto Roson: The Impact of Temperature Change on Energy Demand: A |
| CCMP | 47.2007 | <u>Dynamic Panel Analysis</u> Edwin van der Werf: <u>Production Functions for Climate Policy Modeling</u> : An Empirical Analysis |
| KTHC | 48.2007 | Francesco Lancia and Giovanni Prarolo: A Politico-Economic Model of Aging, Technology Adoption and |
| | | <u>Growth</u> |
| NRM | 49.2007 | Giulia Minoia: Gender Issue and Water Management in the Mediterranean Basin, Middle East and North Africa |
| KTHC | 50.2007 | Susanna Mancinelli and Massimiliano Mazzanti: SME Performance, Innovation and Networking Evidence on |
| CCMP | 51.2007 | Complementarities for a Local Economic System Kelly C. de Bruin, Rob B. Dellink and Richard S.J. Tol: AD-DICE: An Implementation of Adaptation in the DICE |
| NRM | 52.2007 | Model Frank van Kouwen, Carel Dieperink, Paul P. Schot and Martin J. Wassen: Interactive Problem Structuring with |
| CCMP | 53.2007 | ICZM Stakeholders Valeria Costantini and Francesco Crespi: Environmental Regulation and the Export Dynamics of Energy |
| CCMP | 54.2007 | Technologies Barbara Buchner, Michela Catenacci and Alessandra Sgobbi: Governance and Environmental Policy |
| CCMP | 55.2007 | Integration in Europe: What Can We learn from the EU Emission Trading Scheme? David Anthoff and Richard S.J. Tol: On International Equity Weights and National Decision Making on Climate |
| | | Change |
| CCMP | 56.2007 | Edwin van der Werf and Sonja Peterson: Modeling Linkages Between Climate Policy and Land Use: An Overview |
| CCMP | 57.2007 | Fabien Prieur: The Environmental Kuznets Curve in a World of Irreversibility |
| KTHC | 58.2007 | Roberto Antonietti and Giulio Cainelli: Production Outsourcing, Organizational Governance and Firm's |
| | | Technological Performance: Evidence from Italy |
| SIEV | 59.2007 | Marco Percolo: Urban Transport Policies and the Environment: Evidence from Italy |
| ETA | 60.2007 | Henk Folmer and Pierre von Mouche: Linking of Repeated Games. When Does It Lead to More Cooperation |
| GGI (D | <1.200 5 | and Pareto Improvements? |
| CCMP | 61.2007 | Arthur Riedacker (Ixxxi): A Global Land Use and Biomass Approach to Reduce Greenhouse Gas Emissions, Fossil Fuel Use and to Preserve Biodiversity |
| CCMP | 62.2007 | Jordi Roca and Mònica Serrano: Atmospheric Pollution and Consumption Patterns in Spain: An Input-Output Approach |
| CCMP | 63.2007 | Derek W. Bunn and Carlo Fezzi (lxxxi): Interaction of European Carbon Trading and Energy Prices |
| CTN | 64.2007 | Benjamin Golub and Matthew O. Jackson (lxxxiii): Naïve Learning in Social Networks: Convergence, Influence and Wisdom of Crowds |
| CTN | 65.2007 | Jacob K. Goeree, Arno Riedl and Aljaž Ule (lxxxiii): In Search of Stars: Network Formation among Heterogeneous Agents |
| CTN | 66.2007 | Gönül Doğan, M.A.L.M. van Assen, Arnout van de Rijt, and Vincent Buskens (lxxxiii): The Stability of Exchange Networks |
| CTN | 67.2007 | Ben Zissimos (lxxxiii): Why are Trade Agreements Regional? |
| CTN | 68.2007 | Jacques Drèze, Michel Le Breton, Alexei Savvateev and Shlomo Weber (lxxxiii): «Almost» Subsidy-free Spatial |
| C-111 | 55.2507 | Pricing in a Multi-dimensional Setting |
| CTN | 69.2007 | Ana Babus (lxxxiii): The Formation of Financial Networks |

| CTN | 70.2007 | Andrea Galeotti and Sanjeev Goyal (Ixxxiii): A Theory of Strategic Diffusion |
|------|---------|---|
| IEM | 71.2007 | Francesco Bosello, Enrica De Cian and Roberto Roson: Climate Change, Energy Demand and Market Power in |
| | | a General Equilibrium Model of the World Economy |
| ETA | 72.2007 | Gastón Giordana and Marc Willinger: Fixed Instruments to Cope with Stock Externalities An Experimental |
| | | <u>Evaluation</u> |
| KTHC | 73.2007 | Oguzhan Dincer and Eric Uslaner: Trust and Growth |
| CCMP | 74.2007 | Fei Teng and Alun Gu: Climate Change: National and Local Policy Opportunities in China |
| KTHC | 75.2007 | Massimiano Bucchi and Valeria Papponetti: Research Evaluation as a Policy Design Tool: Mapping |
| | | Approaches across a Set of Case Studies |
| SIEV | 76.2007 | Paolo Figini, Massimiliano Castellani and Laura Vici: Estimating Tourist Externalities on Residents: A Choice |
| | | Modeling Approach to the Case of Rimini |
| IEM | 77.2007 | Irene Valsecchi: Experts and Non-experts |
| CCMP | 78.2007 | Giuseppe Di Vita: Legal Families and Environmental Protection: is there a Causal Relationship? |
| KTHC | 79.2007 | Roberto Antonietti and Giulio Cainelli: Spatial Agglomeration, Technology and Outsourcing of Knowledge |
| | | Intensive Business Services Empirical Insights from Italy |
| KTHC | 80.2007 | Iacopo Grassi: The Music Market in the Age of Download |
| ETA | 81.2007 | Carlo Carraro and Alessandra Sgobbi: Modelling Negotiated Decision Making: a Multilateral, Multiple Issues, |
| | | Non-Cooperative Bargaining Model with Uncertainty |
| CCMP | 82.2007 | Valentina Bosetti, Carlo Carraro, Emanuele Massetti and Massimo Tavoni: <u>International Energy R&D</u> |
| | | Spillovers and the Economics of Greenhouse Gas Atmospheric Stabilization |
| CCMP | 83.2007 | Sjak Smulders and Edwin van der Werf. Climate Policy and the Optimal Extraction of High- and Low-Carbon |
| | | Fossil Fuels |
| SIEV | 84.2007 | Benno Torgler, Bruno S. Frey and Clevo Wilson: Environmental and Pro-Social Norms: Evidence from 30 |
| | | <u>Countries</u> |
| KTHC | 85.2007 | Elena Bellini, Ugo Gasparino, Barbara Del Corpo and William Malizia: Impact of Cultural Tourism upon |
| | | <u>Urban Economies: An Econometric Exercise</u> |
| NRM | 86.2007 | David Tomberlin and Garth Holloway: Trip-Level Analysis of Efficiency Changes in Oregon's Deepwater |
| | | <u>Trawl Fishery</u> |
| CTN | 87.2007 | Pablo Revilla: Many-to-One Matching when Colleagues Matter |

(lxxxi) This paper was presented at the EAERE-FEEM-VIU Summer School on "Computable General Equilibrium Modeling in Environmental and Resource Economics", held in Venice from June 25th to July 1st, 2006 and supported by the Marie Curie Series of Conferences "European Summer School in Resource and Environmental Economics".

(lxxxii) This paper was presented at the Workshop on "Climate Mitigation Measures in the Agro-Forestry Sector and Biodiversity Futures", Trieste, 16-17 October 2006 and jointly organised by The Ecological and Environmental Economics - EEE Programme, The Abdus Salam International Centre for Theoretical Physics - ICTP, UNESCO Man and the Biosphere Programme - MAB, and The International Institute for Applied Systems Analysis - IIASA.

(lxxxiii) This paper was presented at the 12th Coalition Theory Network Workshop organised by the Center for Operation Research and Econometrics (CORE) of the Université Catholique de Louvain, held in Louvain-la-Neuve, Belgium on 18-20 January 2007.

| 2007 SERIES | | |
|-------------|---|--|
| CCMP | Climate Change Modelling and Policy (Editor: Marzio Galeotti) | |
| SIEV | Sustainability Indicators and Environmental Valuation (Editor: Anil Markandya) | |
| NRM | Natural Resources Management (Editor: Carlo Giupponi) | |
| KTHC | Knowledge, Technology, Human Capital (Editor: Gianmarco Ottaviano) | |
| IEM | International Energy Markets (Editor: Matteo Manera) | |
| CSRM | Corporate Social Responsibility and Sustainable Management (Editor: Giulio Sapelli) | |
| PRCG | Privatisation Regulation Corporate Governance (Editor: Bernardo Bortolotti) | |
| ETA | Economic Theory and Applications (Editor: Carlo Carraro) | |
| CTN | Coalition Theory Network | |