Chakrabarty, Debajyoti

Working Paper

Poverty traps and growth in a model of endogenous time preference

ZEI working paper, No. B 27-2002

Provided in Cooperation with:
ZEI - Center for European Integration Studies, University of Bonn

Suggested Citation: Chakrabarty, Debajyoti (2002) : Poverty traps and growth in a model of endogenous time preference, ZEI working paper, No. B 27-2002, ZEI, Bonn

This Version is available at:
http://hdl.handle.net/10419/39509

Standard-Nutzungsbedingungen:
Die Dokumente auf EconStor dürfen zu eigenen wissenschaftlichen Zwecken und zum Privatgebrauch gespeichert und kopiert werden.
Sie dürfen die Dokumente nicht für öffentliche oder kommerzielle Zwecke vervielfältigen, öffentlich ausstellen, öffentlich zugänglich machen, vertreiben oder anderweitig nutzen.
Sofern die Verfasser die Dokumente unter Open-Content-Lizenzen (insbesondere CC-Lizenzen) zur Verfügung gestellt haben sollten, gelten abweichend von diesen Nutzungsbedingungen die in der dort genannten Lizenz gewährten Nutzungsrechte.

Terms of use:
Documents in EconStor may be saved and copied for your personal and scholarly purposes.
You are not to copy documents for public or commercial purposes, to exhibit the documents publicly, to make them publicly available on the internet, or to distribute or otherwise use the documents in public.
If the documents have been made available under an Open Content Licence (especially Creative Commons Licences), you may exercise further usage rights as specified in the indicated licence.
Debajyoti Chakrabarty

Poverty Traps and Growth in a Model of Endogenous Time Preference
Poverty traps and Growth in a model of Endogenous Time Preference*

Debajyoti Chakrabarty†

November 2002

Abstract

We study the effect of endogenous time preference in a simple neo-classical model of growth. The variation of time preference causes the economy to have multiple steady states, some of which are similar to poverty traps. The stability properties of these steady states are analyzed. The results are interpreted in light of the growth experiences of developing economies. The model can explain why two economies that have identical production technologies and identical preferences may converge to different levels of income depending on initial conditions.

Keywords: Intertemporal choice, Saving, Growth, Local stability, Poverty traps

JEL classification: D91, E21, C62, O40

---

*I am thankful to Ira Gang, Stephanie Schmitt-Grohe, Juergen von Hagen and Martin Uribe for several helpful comments and discussions. I would also like to acknowledge suggestions made by seminar participants at University of Bonn, University of Essex, Institute for Advanced Studies, Vienna, IZA, Rutgers University, and University of Sydney.

†Center for European Integration Studies (ZEI), University of Bonn, Walter-Flex-Str. 3, 53113 Bonn, Germany, e-mail: dchakrab@uni-bonn.de, phone +49 228 1821, fax +49 228 1809.
1 Introduction

The consumption-saving choices of economic agents are driven by intertemporal utility trade-offs between current and future consumption. Any inter-temporal decision making process can be broken down into basically two components: First, the rate of time preference, i.e., how much importance agents give to the future, and second, the rate of return on savings, i.e., the reward for foregoing current consumption. Economic theory predicts that individuals who give more importance to future would defer consumption of a larger portion their current income to future. The consumption foregone can be utilized for investment in a productive activity which would increase consumption possibilities in the future.

Solow’s ([12]) neo-classical model of growth, which is also the benchmark model for analyzing growth related issues focuses on the second aspect of this economic decision making process. According to the neo-classical model, when an economy is poor, that is, it has very little capital to work with, the rate of return on investment is very high. This induces people to save and invest more, and the economy embarks on the process of growth and development. As societies accumulate more capital the return on investment declines and hence people become less thrifty. The process of accumulation of capital goes on until the society reaches its desired level of capital and output.

An important implication of the neo-classical model is that poorer economies would grow at a more rapid rate than richer economies provided they have access to the same technology. In long run, all economies converge to the same level of capital and output. The initial conditions of an economy do not play any role in determining the long-run level of affluence of an economy. This implication of the neo-classical model is commonly referred to as the convergence hypothesis. Subsequent empirical studies have failed to vindicate the convergence hypothesis, however, there is evidence of convergence among the OECD countries. This phenomenon called club convergence implies that rates of growth rates of economies with similar levels of affluence will tend to converge.

One of the common features of most models of growth is that all individuals give the same amount of importance to the future and that weight is assumed to be an exogenously given parameter called subjective discount factor. Usually it is assumed that the discount factor is less than one, implying that people give less importance to future
consumption in comparison to current consumption. One possible economic rationale behind this assumption may be that there is a chance that an agent may not survive to the future period to reap the benefits of his current savings. However, assuming the discount factor to be same for all agents requires some careful analysis. Treating the discount factor as an exogenously given parameter, makes the preferences of agents separable over time and hence greatly simplifies the analysis of their optimal consumption-savings decisions. This technical simplicity comes at a cost of economic plausibility. Uzawa([13]) and Koopmans([7]) first introduced the possibility of discount factors to be determined endogenously by allowing the preferences of agents to be recursive. Their approach was extended and studied in greater detail by Epstein([4]), Iwai([6]) and Obstfeld([10]). Both Epstein and Obstfeld assumed the discount factor of agents to be decreasing in the level of consumption. This behavioral assumption regarding the discount factors basically implies that agents become more impatient as they grow richer and their level of consumption rises. While they acknowledge that there may be equally compelling reasons to believe that people become more patient as they grow richer, they work with this behavior of discount rates as it ensures a unique steady state which is also stable. They conclude that the long-run level of consumption and output of an economy is unique and independent of the initial conditions, a result very similar to the neo-classical model.

In this paper, we interpret the discount rate as the probability of an agent surviving to the next period. We allow this probability of survival to be determined endogenously. The probability of survival is increasing as the agents current level of consumption increases. Hence, the importance given to the future is influenced by his endowment of wealth and other productive factors. We draw this relationship from the vast literature in development economics which have recorded the effect of malnutrition and undernourishment on the economic behavior of individuals. Individuals who cannot afford certain subsistence level of consumption are trapped in poverty and save very little. On the other hand, there is another section of population called the “middle class” which have recorded significant improvements in their real income in the development experience of countries like India. We attempt to explain these by studying the effect of initial endowment of wealth on the saving investment choice of individuals when the rate of time preference is allowed to vary.

At this point we would like to point out that the basic difference of our paper from
rest of the literature. In our model, an individual’s probability of surviving to a future period is increasing with his current level of consumption. This has the effect of decreasing the rate of time preference as current consumption of an individual rises. This assumption is not only has a certain economic rationale, it also has been found to be true in empirical studies. Ogaki and Atkeson([11]) in their study of panel data on three village districts in India, find that the inter-temporal elasticity of substitution rises with the level of wealth. The rate of time preference is not allowed to differ according to their model. Lawrance([8]) in her study on inter-temporal preferences based on U.S. panel data finds that subjective rate of time preference is about three to five percentage points higher for households with lower incomes than those with higher incomes. Controlling for race and education widens this difference even more. These results suggest one possible explanation for the observed heterogeneity in savings behavior across socioeconomic classes within a society as well as across different societies with different levels of affluence. This kind of behavior also has significant policy implications. Higher rates of time preference may reduce investment in education and thereby induce a negative relation between time preference and long-run income. Also, poor households will give less importance to the future and have a higher marginal propensity to consume which would adversely affect their savings-investment behavior.

A similar theoretical approach as ours was taken by Mantel([9]), where he studies the impact of decreasing rate of time preference on the optimal growth path of an economy. However, Mantel’s primary focus was to study the monotonocity properties of optimal consumption and investment paths.

The paper is organized as follows. The next section describes our model and presents our basic results. Results concerning the steady states are presented in section 3. In section 4 we study the stability properties of the steady states. Section 5 provides a discussion of the results and we conclude in section 6 with some possible research questions.

2 The Model

Consider a closed economy in a one-good world. The good can be used for either consumption or investment. The production of this good requires two kinds of inputs, labor($N$)
and capital ($K$). There are a large number of competitive firms having the same constant returns to scale production technology. The aggregate production function of the economy in every period is described by

$$Y_t = F(K_t, N)$$

Our economy consists of a representative agent who seeks to maximize his lifetime welfare. The agent derives his income from selling productive factors in every period. The agent’s endowment of labor is assumed to be constant in every period. However, the capital can change over time depending on the savings decision of the agent. The agent, given the initial endowment of capital, has to decide his consumption and savings.

At any period $t$ there is a chance that the agent will not survive to the next period $t+1$. The agent’s probability of surviving to the next period depends on his current period consumption. If the agent’s current period consumption is below a certain subsistence level of consumption ($C$), then the agent’s probability of survival is extremely low ($\beta$). As the consumption increases from this subsistence level the probability of survival also increases until consumption rises to a level of basic comfort ($\bar{C}$), where the agent’s probability of survival reaches a maximum ($\bar{\beta}$) and becomes insensitive to the changes in consumption. Thus, the probability of survival ($\rho_{t,t+1}$) from any period $t$ to period $t+1$ is a continuous function of consumption at time $t$ in the following way:

$$\rho_{t,t+1} = \begin{cases} \beta < 1 & \text{if } C_t < C \\ \beta(C_t) & \text{if } C_t \in [C, \bar{C}] \\ \bar{\beta} < 1 & \text{if } C_t > \bar{C} \end{cases}$$

where $\beta'(C_t) > 0$, if $C_t \in [C, \bar{C}]$ and $\beta < \bar{\beta}$. Suppose the agent has to choose a path of consumption and savings at period 0 to maximize his lifetime welfare. The weight given to future consumption will depend on the agent’s probability of surviving to that future date. Let the probability of surviving to period $t$ be denoted by $\rho_{0,t}$. These probabilities are the discount factors of the agent in his intertemporal maximization problem. Let us take note of some properties of the discount factors $\rho_{0,t}$ which will help in simplifying our analysis in future.

(P1) $\rho_{0,0} = 1$, $\rho_{0,t} = \beta(C_0)\beta(C_1)\ldots\beta(C_{t-1})$
The maximization problem faced by the agent is

\[ \max \sum_{t=0}^{\infty} \rho_{0,t} U(C_t) , \]

subject to

\[ K_{t+1} = F(K_t, N) + (1 - \delta)K_t - C_t , \]

and a transversality condition

\[ \lim_{t \to \infty} \rho_{0,t} K_t \geq 0 . \]  

The agent’s period utility function is \( U(C_t) \) and \( \delta \) is the depreciation rate of capital where, \( 0 < \delta < 1 \). At this point we make some assumptions concerning the functions \( U(.) \) and \( \beta(.) \) to ensure that the necessary conditions for maximum are also sufficient.

(A1) \( U(C_t) > 0, U'(C_t) > 0, U''(C_t) < 0. \)

(A2) \( 0 < \beta(C_t) < 1, \beta'(C_t) > 0 \) and \( \beta''(C_t) < 0 \) for \( C_t \in [\underline{C}, \bar{C}] \).

(A3) \( F(0, 0) = 0, F_K(.) > 0, F_{KK}(.) < 0, \lim_{K \to 0} F_K(.) = \infty \)

The Lagrangian for the agent’s problem can be written as

\[ \mathcal{L} = \sum_{t=0}^{\infty} \{ \rho_{0,t} U(C_t) + \tilde{\lambda}_t [F(K_t, N) + (1 - \delta)K_t - C_t - K_{t+1}] \} . \]

The first-order conditions for maximum are

\[ \rho_{0,t} U'(C_t) + \sum_{s=t+1}^{\infty} \frac{\partial \rho_{0,s}}{\partial C_t} U(C_s) = \tilde{\lambda}_t , \]

\[ \tilde{\lambda}_t = \tilde{\lambda}_{t+1} [F_K(K_{t+1}, N) + 1 - \delta] . \]

and the transversality condition holding with equality. Let \( \left( \frac{\tilde{\lambda}_t}{\rho_{0,t}} \right) = \lambda_t \) and \( \sum_{s=t+1}^{\infty} \rho_{t+1,s} U(C_s) = \phi_{t+1} \), where \( \phi_{t+1} \) is the present discounted value of future consumption from period \( t + 1 \) onwards. The first order conditions can now be re-written as
\[ U'(C_t) + \beta'(C_t) \phi_{t+1} = \lambda_t , \]  
\[ \lambda_t = \lambda_{t+1} \beta(C_t) \left[ F_K(K_{t+1}, N) + 1 - \delta \right] , \]  
and
\[ K_{t+1} = F(K_t, N) + (1 - \delta)K_t - C_t . \]  
Note that \( U''(C_t) + \beta''(C_t) \phi_{t+1} < 0 \) since the functions \( U(.) \) and \( \beta(.) \) are concave. Thus the second order condition for maximum is also satisfied. Substituting (3) in (4) we get,
\[ \frac{U'(C_t) + \beta'(C_t) \phi_{t+1}}{\beta(C_t)[U'(C_{t+1}) + \beta'(C_{t+1}) \phi_{t+2}]} = [F_K(K_{t+1}, N) + 1 - \delta] . \]  
Notice that the variable \( \phi_t \), the present discounted value of utilities from period \( t \) onwards, evolves in the following fashion:
\[ \phi_t = U(C_t) + \beta(C_t) \phi_{t+1} \quad \text{for all } t \geq 1 . \]  

**Definition 1** A perfect foresight equilibrium (PFE) of this economy are sequences \( \{C_t\}_{t=0}^\infty, \{K_{t+1}\}_{t=0}^\infty, \{\phi_t\}_{t=1}^\infty \) such that (5), (6), (7) and TC hold for a given \( K_0 \).

Equation (5) is the intertemporal budget constraint of the agent. Equation (6) which is derived from (3) and (4) tells us that the loss in welfare due to foregoing consumption in period \( t \) has to equal the discounted value of gain in welfare from period \( t+1 \) onwards. This condition is commonly referred to as the Fisher equation.

### 3 Steady-state Equilibria

Let us first study the steady state solutions to the difference equations (5), (6), (7). In a steady state \( C_t = C_{t+1} = C, K_t = K_{t+1} = K \) and \( \phi = \frac{U(C)}{1 - \beta(C)} \) for all \( t \). In a steady state, equations (5) and (6) reduce to
\[ C = F(K, N) - \delta K , \]  
\[ \text{(BC)} \]
Equation (RR) is the steady state counterpart of the Fisher’s intertemporal optimum. Equation (BC) gives us the locus of points along which the agent’s consumption and capital stock are constant and satisfy the budget constraint. We are going to restrict our attention to only the positively sloped part of the BC curve\(^1\). The slope of RR curve in consumption-capital plane is given by \(\frac{F_K(K,N)}{\beta(C)}\) which is always positive from our assumptions. We will soon derive the conditions for the existence of a steady state equilibrium. However, assuming those conditions hold, plotting BC and RR curves on consumption-capital plane shows that there could be multiple steady state solutions to the agent’s problem (see Figure 1). We characterize the steady states as two types. A steady state is of type “\(H\)” (or SS\(_{\text{H}}\)) if the slope of RR curve is greater than BC curve and of type “\(L\)” (or SS\(_{\text{L}}\)) otherwise. The existence of various kinds of steady states is characterized in a series of lemmas and propositions. The first lemma provides us with a bound on the steady state levels of capital.

**Lemma 1** In any steady state solution to the agent’s problem the steady state level of capital stock \(K \in [\underline{K}, \overline{K}]\), where \(\underline{K}\) satisfies \(F_K(\cdot, N) + (1 - \delta) \underline{\beta} = 1\) and \(\overline{K}\) satisfies \(F_K(\cdot, N) + (1 - \delta) \overline{\beta} = 1\).

**Proof:** See the appendix. \(\blacksquare\)

The result follows from the steady state equation (RR) and says that the possible steady state capital levels are bounded within an interval which is determined by the minimum and maximum value of the discount factors. However between these bounds there may be more than one steady state equilibrium. The next proposition characterizes the number and type of such equilibria.

**Proposition 1** If the subsistence level of consumption\((\underline{C})\) is equal to zero, then the steady state level of capital is strictly greater than \(\underline{K}\). There exists at least one steady state of

\[\beta(C) [F_K(K, N) + 1 - \delta] = 1. \quad \text{(RR)}\]

\(^1\)The slope of BC curve is \(F_K(K, N) - \delta\). This slope is positive for low values of capital and becomes negative after capital increases beyond the point where \(F_K(K, N) = \delta\). According to RR in a steady state \(F_K(K, N) + 1 - \delta = [\beta(C)]^{-1}\). If \(F_K(K, N) < \delta\) then \(F_K(K, N) + 1 - \delta < 1\), which is a contradiction since \([\beta(C)]^{-1}\) is always greater than one.
type “H”. If there exists “n” steady states of type “H”, then there must be “(n-1)” steady states of type “L”.

**Proof:** See the appendix.

The following lemma establishes a sufficient condition for the existence of at least one steady state of type “L”.

**Lemma 2** Let \( C = 0 \) and \( F_{K}(\overline{K}, N) > \delta \) and \( K^1 \) denote the lowest steady state level of capital. If there exists a \( K' > K^1 \) such that \( \beta^{-1}(\frac{1}{F_{K}(K', N)+1-\delta}) < F(K', N) - \delta K' \); then there exists at least one steady state of type “L” and two steady states of type “H”.

**Proof:** See the appendix.

In the subsequent analysis we are going to assume the requirement of lemma 2 is satisfied and the economy has two steady states of type “H” with an intermediate steady state of type “L”. All the interesting qualitative properties of the model can be studied within such a setup. We first study the local stability properties of the steady states.

### 4 Local equilibria

The stability of the steady states will depend on the behavior of the \( C, K \) and \( \phi \) around steady state. Log-linearization of the first order conditions around steady state yields a system of difference equations in \( \hat{C}_t, \hat{\phi}_t \) and \( \overline{K}_t \) where ‘\(^{\prime}\)’ denotes percentage deviation of the variable from its steady state value. The dynamical system can be expressed as

\[
\begin{bmatrix}
\hat{C}_{t+1} \\
\hat{\phi}_{t+1} \\
\overline{K}_{t+1}
\end{bmatrix}
= M
\begin{bmatrix}
\hat{C}_t \\
\hat{\phi}_t \\
\overline{K}_t
\end{bmatrix},
\]

where

\[
M = \begin{bmatrix}
M_{11} & M_{12} & M_{13} \\
-\beta^{-1}\Delta_2 & \beta^{-1} & 0 \\
s_1 & 0 & \beta^{-1}
\end{bmatrix},
\]
and $\Delta_2$ is a weighted average of the elasticity of the period utility function and the discount factor at the steady state. Details of the derivation of equation (8) and the components of matrix $M$ are provided in the appendix. The roots of the polynomial $\det[M - \mu I]$ are going to determine the local stability properties of any steady state equilibrium. In this context we have the following proposition.

**Proposition 2** Any steady state of type “H” is a saddle path and locally unique. Any steady state of type “L” is locally unstable.

**Proof:** See the appendix. ■

If an economy is endowed with a level of capital stock close to a steady state capital of type “H” then the economy will converge to that steady state level of capital. However the steady states of type “L” are unstable. So far we have assumed that the agent is perfectly informed about the effect of his current consumption on his probability of survival. However, the results will not change he fails to internalize this effect.

**Proposition 3** If the agent fails to internalize the effect of consumption on the probability of survival, the possible steady state equilibria to the agent’s optimization problem and their local stability properties are unaffected.

**Proof:** See the appendix. ■

5 Long run output and Poverty traps

Depending on the initial level of capital, the economy might have three possible steady states. The pair $(K_p, C_p)$ denotes a situation like poverty trap. One the other hand the pair $(K_h, C_h)$ is the high level equilibrium. Both these steady states are locally stable and unique. The pair $(K_u, C_u)$ is the unstable steady state(see Figure 2). This kind of behavior is very similar to Becker, Murphy and Tamura([3]) model with endogenous fertility. In the first part of their paper, human capital was the only accumulable factor. If the initial level of human capital was too low, it resulted in investment in education of children being too expensive as opposed to having more children. If the initial capital stock is sufficiently high then individuals have less children and invest on their education. There was an intermediate unstable steady state. The long run fertility behavior of the economy was dependent on the initial capital stock. In the latter half of their paper
they introduced another accumulable factor in form of physical capital. It is shown that depending on initial level of human capital the economy may have two different growth rates. If the initial endowment of human capital is very low the economy exhibits an under-development equilibrium, in which there is no investment in human capital and there is no growth. If the initial endowment of human capital is above a critical level the economy invests in both the productive assets and shows a steady long run growth. The introduction of human capital accumulation of the kind assumed in Becker, Murphy and Tamura([3]) would result in the possibility of two distinct growth rates in our model also. A detailed discussion of that scenario falls beyond the scope of the present essay.

In our model the causes of an economy falling into a poverty trap are slightly different. If an individual is extremely poor, then he gives less weight to future and hence his saving and investment behavior is adversely effected. The economy may be stuck at a low-level equilibrium as a result of perfectly rational intertemporal decision process. This kind of behavior is called investment in patience by Becker and Mulligan([2]).

The population and hence the labor force is assumed to be constant in our economy. It means that each agent is replaced with another on his death. An alternative interpretation of our set up is that every individual lives for one period and at the end of that period he leaves behind some bequest. This bequest depends on the importance given to the welfare of the future generations. For individuals who are poor this altruistic motive is weaker, and future generations of their dynasty are hence trapped in poverty. This was the motivation behind the Galor and Zierra ([5]) paper. In their model certain individuals are not able to invest in human capital and hence get trapped in poverty because their previous generations didn’t leave any bequest. At this point we should point out that their qualitative results are very similar to what we derive.

So far we have assumed that the subsistence level of consumption (\(C\)) is zero. However, if this level of consumption becomes too high then the steady state level of capital will be at its lowest possible level. The following proposition formalizes impact of subsistence and basic comfort level of consumptions on the steady state equilibria.

**Proposition 4** If the subsistence level of consumption(\(C\)) is greater than the \(F(K, N) - \delta K\) then there exists a steady state equilibrium where \(K = K\) and \(C = F(K, N) - \delta K\). If the level of basic comfort(\(C\)) is less than \(F(K, N) - \delta K\) then there exists a steady state
equilibrium where $K = \overline{K}$ and $C = F(\overline{K}, N) - \delta \overline{K}$. Moreover both the steady states are saddle paths and locally unique.

**Proof:** See the appendix.

If the subsistence level of consumption is very high compared to the initial capital stock of the economy there is little incentive to save and accumulate capital. The economy will find itself stuck at a low level equilibrium with the lowest possible level of capital and output. On the other hand once the probability of survival reaches its maximum possible level the additional incentive to save goes away and the economy is content to be at its highest desirable capital stock $\overline{K}$.

If this economy was a small open economy which could borrow any amount of funds at a given world interest rate, then there would be a unique steady state. The arbitrage opportunities would imply that the world interest rate equals domestic rate return on capital. However, if the economy faces credit rationing then possibility of multiple steady states would arise.

## 6 Conclusion

The traditional theories of development predict that as an economy embarks on growth path the size of its backward sector is going to decline. However experiences in Latin American, African and some Asian countries have shown that the presence of the backward sector has been very persistent. The neo-classical growth model predicts improvement in welfare as the economy accumulates more capital. Those models assume exogenous time preference and hence the possibility of poverty traps completely escape their purview. We have provided an alternative motivation behind an economy getting trapped at a low-level equilibrium.

We show that it may be possible that a economy with very little capital and output shows no growth at all while a richer economy exhibits a positive rate of growth. This occurs because the poorer economy may be trapped in a low level equilibrium while the richer economy shows positive growth in its endeavour to attain a higher level of steady state output. Unlike the neo-classical model history of an economy has an imptant role in the process of development.
An interesting avenue for future research would be to allow the economy to be comprised of heterogeneous individuals in terms of their endowment of capital and study growth related issues in that framework. The endogeneity of time preference might cause the distribution of income to change as an economy embarks on its growth path.

Appendix

Proof of Lemma 1:

In order for the RR equation to be satisfied the marginal product of capital can never fall below $\beta^{-1} + \delta - 1$. This in turn implies that in any steady state equilibria the level of capital has to exceed $\bar{K}$ from the strict concavity of $F(., N)$. A similar argument applies for $\bar{K}$. ■

Proof of Proposition 1:

If $C = 0$, then along the RR curve as $K \to \bar{K}$, $C \to 0$. From the assumptions made about the functions $F(K, N)$ and $\beta(C)$ we know that along the RR curve as $K \to \bar{K}$, $C \to \infty$. Hence there would exist at least one steady state and that steady state is of type “H”. From the nature of the RR curve it follows that there must be one steady state of type “L” between two steady states of type “H”. ■

Proof of Lemma 2:

The existence of a type “H” steady state capital like $K^1$ follows from Proposition 1. If $\beta^{-1}(\frac{1}{F(K', N) + \delta} - \delta) > F(K', N)$ then there is some value of capital for which the RR curve is below the BC curve. Thus there is a steady state of type “L”. The assumption of $F_k(K, N) > \delta$ then guarantees the existence of the second steady state of type “H”. ■

Derivation of Equation 8:

Log-linearization of (5) around a steady state yields

$$\begin{align*}
\tilde{K}_{t+1} &= \beta^{-1} \tilde{K}_t + s_1 \tilde{C}_t, \quad (I)
\end{align*}$$

where ‘$\tilde{}$’ denotes percentage deviation of the variable from its steady state value and $s_1 = -C/K$ at steady state. From (3), we have

$$\begin{align*}
[s_2 \sigma(C) + s_3 \eta_\beta(C) \phi] \tilde{C}_t + s_3 \tilde{\phi}_{t+1} &= \tilde{\lambda}_t,
\end{align*}$$
where \( \sigma(C) = \left( \frac{U''(C) \ C'}{U'(C)} \right) < 0 \) and \( \eta_\beta(C) = \left( \frac{\beta''(C) \ C'}{\beta'(C)} \right) < 0. \) \( s_2 = \left( \frac{U'(C)}{\lambda} \right) \) and \( s_3 = 1 - s_2. \) We write the above equation more compactly as

\[
\Delta_1 \hat{C}_t + s_3 \hat{\phi}_{t+1} = \hat{\lambda}_t ,
\]

where \( \Delta_1 = [s_2\sigma(C) + s_3\eta_\beta(C)\hat{\phi}] < 0, \) from our previous assumptions.

From (4) we have

\[
\hat{\lambda}_t - \hat{\lambda}_{t+1} = \epsilon_\beta(C) \hat{C}_t + \tau_K \eta_F(K, N) \hat{K}_{t+1},
\]

where \( \epsilon_\beta(C) = \left( \frac{\beta'(C) \ C'}{\beta(C)} \right) > 0, \) \( \eta_F(K, N) = \left( \frac{F_{KK}(K, N) \ K}{F_K(K, N)} \right) < 0, \) and \( \tau_K = F_K(K, N)\beta(C) > 0. \)

From (7) we get

\[
\hat{\phi}_t = [(1 - \beta)\epsilon_U(C) + \beta\epsilon_\beta(C)] \hat{C}_t + \beta \hat{\phi}_{t+1} ,
\]

where \( \epsilon_U(C) = \left( \frac{U''(C) \ C'}{U'(C)} \right) > 0. \) We rewrite the above equation as

\[
\hat{\phi}_{t+2} - \hat{\phi}_{t+1} = -\beta^{-1}\Delta_2 \hat{C}_{t+1} + (\beta^{-1} - 1) \hat{\phi}_{t+1} ,
\]

where \( \Delta_2 = (1 - \beta)\epsilon_U(C) + \beta\epsilon_\beta(C) > 0. \) We can now use equations (I)-(V) to write a system of difference equations in \( \hat{C}_t, \hat{\phi}_t \) and \( \hat{K}_t \) where the dynamical system can be expressed as

\[
\begin{bmatrix}
\hat{C}_{t+1} \\
\hat{\phi}_{t+1} \\
\hat{K}_{t+1}
\end{bmatrix} = M
\begin{bmatrix}
\hat{C}_t \\
\hat{\phi}_t \\
\hat{K}_t
\end{bmatrix} ,
\]

where

\[
M = \begin{bmatrix}
M_{11} & M_{12} & M_{13} \\
-\beta^{-1}\Delta_2 & \beta^{-1} & 0 \\
s_1 & 0 & \beta^{-1}
\end{bmatrix} ,
\]
\[ M_{11} = \left( \frac{\epsilon_\beta (2 - \beta^{-1}) + s_1 \tau_K \eta_F - \Delta_1}{s_3 \beta^{-1} \Delta_2 - \Delta_1} \right), \quad M_{12} = \left( \frac{s_3 (\beta^{-1} - 1) \beta^{-1}}{s_3 \beta^{-1} \Delta_2 - \Delta_1} \right), \quad \text{and} \quad M_{13} = \left( \frac{\tau_K \eta_F \beta^{-1}}{s_3 \beta^{-1} \Delta_2 - \Delta_1} \right). \]

**Proof of Proposition 2:**

The roots of the polynomial \( \det[M - \mu I] = 0 \), will determine the behavior of the above system.

\[
\det[M - \mu I] = (\beta^{-1} - \mu)[(M_{11} - \mu)(\beta^{-1} - \mu) + M_{12} \beta^{-1} \Delta_2] - s_1 M_{13} (\beta^{-1} - \mu)
\]

\[
= (\beta^{-1} - \mu)[(M_{11} - \mu)(\beta^{-1} - \mu) - s_1 M_{13}].
\]

Therefore \( \mu_1 = \beta^{-1} \) is one of the roots of the polynomial. The other two roots of \( \det[M - \mu I] \) are the roots of the polynomial,

\[
P(\mu) = \mu^2 - (M_{11} + \beta^{-1}) \mu + (\beta^{-1} M_{11} + M_{12} \beta^{-1} \Delta_2 - s_1 M_{13}).
\]

Now let us consider \( s_3 \). From our definition

\[
s_3 = \frac{\beta'(C) \phi}{U'(C) + \beta'(C) \phi} = \frac{\beta'(C)}{U'(C) \phi + \beta'(C)}. \]

Now using the fact that at steady state

\[
\phi = \frac{U(C)}{1 - \beta(C)} \implies s_3 = \frac{\beta \epsilon_\beta}{(1 - \beta) \epsilon U(C) + \beta \epsilon_\beta(C)} = \frac{\beta \epsilon_\beta}{\Delta_2}.
\]

Therefore, we can write

\[
M_{11} = \left( \frac{\epsilon_\beta + \epsilon_\beta (1 - \beta^{-1}) + s_1 \tau_K \eta_F - \Delta_1}{\epsilon_\beta - \Delta_1} \right), \quad M_{12} = \left( \frac{\epsilon_\beta (\beta^{-1} - 1) \Delta_2^{-1}}{\epsilon_\beta - \Delta_1} \right),
\]

and

\[
M_{13} = \left( \frac{\tau_K \eta_F \beta^{-1}}{\epsilon_\beta - \Delta_1} \right). \]

Now consider the one kind of steady state \( S_{SH} \). In \( S_{SH} \) the slope of the RR curve is greater than the slope of the BC curve. That is

\[
\frac{-F_{KK}(\cdot) \beta(C)^2}{\beta'(C)} > (\beta^{-1} - 1) \implies \frac{s_1 \tau_K \eta_F}{\epsilon_\beta} > (\beta^{-1} - 1)
\]

or \( s_1 \tau_K \eta_F + \epsilon_\beta (1 - \beta^{-1}) > 0 \). Conversely in the other kind of steady state \( S_{SL} \), \( s_1 \tau_K \eta_F + \epsilon_\beta (1 - \beta^{-1}) < 0 \). Therefore for \( S_{SH} \) \( M_{11} > 1 \) and \( P(0) = \beta^{-1} M_{11} + M_{12} \beta^{-1} \Delta_2 - s_1 M_{13} = \)
\( \beta^{-1} > 0 \), if real roots of the polynomial \( P(\mu) \) exist then they must be positive. \( P(1) = 1 - \beta^{-1} - M_{11} + \beta^{-1} = 1 - M_{11} < 0 \). Therefore around \( SS_H \) there exists one eigenroot \( \mu_3 \) which is less than one in absolute value. It is easy to show that the eigenroot \( \mu_2 \) will be greater than one. Hence, \( SS_H \) is a saddle path and the system is locally unique around the steady state. For the second part of the lemma, we split up the analysis of the roots into various cases. Firstly, we note that

\[
M_{11} + \beta^{-1} = \frac{\epsilon_\beta(\beta^{-1} - 1) + \epsilon_\beta(1 - \beta^{-1}) + \eta_\mu \eta_F - \Delta_1(1 + \beta^{-1})}{\epsilon_\beta - \Delta_1} > 0.
\]

**Case 1 (Imaginary roots).** The polynomial \( P(\mu) \) will have imaginary roots if \((M_{11} + \beta^{-1})^2 < 4\beta^{-1} \). The modulus of the imaginary roots will be \( \sqrt{\beta^{-1}} > 1 \).

**Case 2. (Real and distinct roots)** The polynomial \( P(\mu) \) will have real and distinct roots if \((M_{11} + \beta^{-1})^2 > 4\beta^{-1} \). Around \( SS_L \), \( s_1 \tau_K \eta_F + \epsilon_\beta(1 - \beta^{-1}) < 0 \), hence, \( M_{11} < 1 \). Therefore, \( P(0) = \beta^{-1} > 0 \), \( P(1) = 1 - M_{11} > 0 \). The polynomial \( P(\mu) \) attains a minimum at \( \frac{M_{11} + \beta^{-1}}{2} \). Hence the roots will be greater than one in absolute value.

**Case 3. (Real and repeated roots)** The polynomial \( P(\mu) \) will have real and repeated roots if \((M_{11} + \beta^{-1})^2 = 4\beta^{-1} \). This implies that \( M_{11} + \beta^{-1} > 2 \). Hence the roots will be greater than 1.

So \( SS_L \) is a source and the system is locally unstable. ■

**Proof of Proposition 3:**

If the agent does not take into account the effect of current consumption on the probability of survival then the first order conditions for an optimum would have to satisfy

\[
U'(C_t) = \lambda_t, \quad (3')
\]

(4) and (5). The steady state solutions to the agent’s problem would have to satisfy equations (BC) and (RR). Hence the existence of possible steady states is not affected. Log-linearizing the first order conditions around steady state yields the following dynamical system

\[
\begin{bmatrix}
\hat{C}_{t+1} \\
\hat{\phi}_{t+1} \\
\hat{K}_{t+1}
\end{bmatrix} = \begin{bmatrix}
M_{11} & 0 & M_{13} \\
-\beta^{-1}(1 - \beta)\epsilon_U & \beta^{-1} & 0 \\
s_1 & 0 & \beta^{-1}
\end{bmatrix} \begin{bmatrix}
\hat{C}_t \\
\hat{\phi}_t \\
\hat{K}_t
\end{bmatrix}, \quad (10)
\]
where \( M_{11} = \frac{\sigma(C) - \tau_K \eta_F s_1 - \epsilon_b}{\sigma(C)} > 1 \) and \( M_{13} = -\frac{\tau_K \eta_F \beta^{-1}}{\sigma(C)} < 0 \). The roots of the polynomial \( \det[M - \mu I] = 0 \), will determine the behavior of the above system where

\[
det[M - \mu I] = (\beta^{-1} - \mu)[(M_{11} - \mu)(\beta^{-1} - \mu) - s_1 M_{13}] .
\]

Therefore \( \mu_1 = \beta^{-1} \) is one of the roots of the polynomial. The other two roots of \( \det[M - \mu I] \) are the roots of the polynomial,

\[
P(\mu) = \mu^2 - (M_{11} + \beta^{-1})\mu + \beta^{-1}(1 - \epsilon_b/\sigma(C)).
\]

Note that \( 1 - \epsilon_b/\sigma(C) < \frac{\sigma(C) - \tau_K \eta_F s_1 - \epsilon_b}{\sigma(C)} = M_{11} \). The discriminant of the above quadratic equation is \( D = (M_{11} + \beta^{-1})^2 - 4\beta^{-1}(1 - \epsilon_b/\sigma(C)) > (M_{11} + \beta^{-1})^2 - 4\beta^{-1}M_{11} = (M_{11} - \beta^{-1})^2 \geq 0 \). Therefore real roots exist. One of the roots of the polynomial \( P(\mu) \), \( \mu_2 = \frac{M_{11} + \beta^{-1} + \sqrt{D}}{2} > 1 \). In order to show that the third root \( \mu_3 \) is less than one, note that

\[
P(0) = \beta^{-1}(1 - \epsilon_b/\sigma(C)) > 0. \quad P(1) = 1 - \beta^{-1} - M_{11} + \beta^{-1}(1 - \epsilon_b/\sigma(C)) < 0 \text{ if and only if } \tau_K \eta_F s_1 > (\beta^{-1} - 1)\epsilon_b.
\]

So steady states of type “H” are locally stable and steady states of type “L” are unstable. ■

**Proof of Proposition 4:**

From Lemma 1, we know that the steady state capital stock can never be less than \( K \).

The (RR) curve is a vertical line until the subsistence level of consumption is reached.

If \( C > F(K, N) - \delta K \), it implies that the (RR) curve will intersect the (BC) curve at \( C = F(K, N) - \delta K \) and hence \( K = K, \quad C = F(K, N) - \delta K \) will be a steady state equilibrium. Log-linearization of the first order conditions around steady state yields the following dynamical system

\[
\begin{bmatrix}
\dot{C}_{t+1} \\
\dot{\phi}_{t+1} \\
\dot{K}_{t+1}
\end{bmatrix}
= \begin{bmatrix}
M_{11} & 0 & M_{13} \\
-\beta^{-1}(1 - \beta)\epsilon_U & \beta^{-1} & 0 \\
s_1 & 0 & \beta^{-1}
\end{bmatrix}
\begin{bmatrix}
\tilde{C}_t \\
\tilde{\phi}_t \\
\tilde{K}_t
\end{bmatrix},
\]

(11)

where \( M_{11} = \frac{\sigma(C) - \tau_K \eta_F s_1}{\sigma(C)} > 1 \) and \( M_{13} = -\frac{\tau_K \eta_F \beta^{-1}}{\sigma(C)} < 0 \). It is easy to check that that two roots of the polynomial \( \det[M - \mu I] = 0 \) are strictly greater than 1 and one root is strictly less than 1. A similar argument applies for the steady state equilibrium \( K = \overline{K}, \quad C = F(\overline{K}, N) - \delta \overline{K} \). ■
References


2008
B01-08 Euro-Diplomatie durch gemeinsame „Wirtschaftsregierung“  Martin Seidel

2007
B03-07 Löhne und Steuern im Systemwettbewerb der Mitgliedstaaten der Europäischen Union  Martin Seidel
B02-07 Konsolidierung und Reform der Europäischen Union  Martin Seidel
B01-07 The Ratification of European Treaties - Legal and Constitutional Basis of a European Referendum.  Martin Seidel

2006
B03-06 Financial Frictions, Capital Reallocation, and Aggregate Fluctuations  Jürgen von Hagen, Haiping Zhang
B02-06 Financial Openness and Macroeconomic Volatility  Jürgen von Hagen, Haiping Zhang
B01-06 A Welfare Analysis of Capital Account Liberalization  Jürgen von Hagen, Haiping Zhang

2005
B11-05 Das Kompetenz- und Entscheidungssystem des Vertrages von Rom im Wandel seiner Funktion und Verfassung  Martin Seidel
B10-05 Die Schutzklauseln der Beitrittsverträge  Martin Seidel
B09-05 Measuring Tax Burdens in Europe  Guntram B. Wolff
B08-05 Remittances as Investment in the Absence of Altruism  Gabriel González-König
B07-05 Economic Integration in a Multicone World?  Christian Volpe Martincus, Jennifer Pédussel Wu
B06-05 Banking Sector (Under?)Development in Central and Eastern Europe  Jürgen von Hagen, Valeriy Dinger
B05-05 Regulatory Standards Can Lead to Predation  Stefan Lutz
B04-05 Währungspolitik als Sozialpolitik  Martin Seidel
B03-05 Public Education in an Integrated Europe: Studying to Migrate and Teaching to Stay?  Panu Poutvaara
B02-05 Voice of the Diaspora: An Analysis of Migrant Voting Behavior  Jürgen von Hagen, Iulia Traistaru
B01-05 Macroeconomic Adjustment in the New EU Member States  Jürgen von Hagen, Iulia Traistaru

2004
B33-04 The Effects of Transition and Political Instability On Foreign Direct Investment Inflows: Central Europe and the Balkans  Josef C. Brada, Ali M. Kutan, Tamer M. Yigit
B32-04 The Choice of Exchange Rate Regimes in Developing Countries: A Multinomial Panel Analysis  Jürgen von Hagen, Jizhong Zhou
B31-04 Fear of Floating and Fear of Pegging: An Empirical Analysis of De Facto Exchange Rate Regimes in Developing Countries  Jürgen von Hagen, Jizhong Zhou
B30-04 Der Vollzug von Gemeinschaftsrecht über die Mitgliedstaaten und seine Rolle für die EU und den Beitrittsprozess  Martin Seidel
B29-04 Deutschlands Wirtschaft, seine Schulden und die Unzulänglichkeiten der einheitlichen Geldpolitik im Eurosystem  Dieter Spethmann, Otto Steiger
B28-04 Fiscal Crises in U.S. Cities: Structural and Non-structural Causes  Guntram B. Wolff
B27-04 Firm Performance and Privatization in Ukraine  Galyna Grygorenko, Stefan Lutz
B26-04 Analyzing Trade Opening in Ukraine: Effects of a Customs Union with the EU  Oksana Harbuzyn, Stefan Lutz
B25-04 Exchange Rate Risk and Convergence to the Euro  Lucjan T. Orlowski
B24-04 The Endogeneity of Money and the Eurosystem  Otto Steiger
B23-04 Which Lender of Last Resort for the Eurosystem?  Otto Steiger
B21-04 The Effectiveness of Subsidies Revisited: Accounting for Wage and Employment Effects in Business R+D  Volker Reinthaler, Guntram B. Wolff
B20-04 Money Market Pressure and the Determinants of Banking Crises  Jürgen von Hagen, Tai-kuang Ho
B19-04 Die Stellung der Europäischen Zentralbank nach dem Verfassungsvertrag  Martin Seidel
B18-04 Transmission Channels of Business Cycles Synchronization in an Enlarged EMU

Iulia Traistaru

B17-04 Foreign Exchange Regime, the Real Exchange Rate and Current Account Sustainability: The Case of Turkey

Sübidey Togan, Hasan Ersel


Harry P. Bowen, Jennifer Pédussel Wu

B15-04 Do Economic Integration and Fiscal Competition Help to Explain Local Patterns?

Christian Volpe Martincus

B14-04 Euro Adoption and Maastricht Criteria: Rules or Discretion?

Jiri Jonas

B13-04 The Role of Electoral and Party Systems in the Development of Fiscal Institutions in the Central and Eastern European Countries

Sami Yläoutinen

B12-04 Measuring and Explaining Levels of Regional Economic Integration

Jennifer Pédussel Wu

B11-04 Economic Integration and Location of Manufacturing Activities: Evidence from MERCOSUR

Pablo Sanguinetti, Iulia Traistaru, Christian Volpe Martincus

B10-04 Economic Integration and Industry Location in Transition Countries

Laura Resmini


Ayse Y. Evrensel, Ali M. Kutan

B08-04 European Integration, Productivity Growth and Real Convergence

Taner M. Yigit, Ali M. Kutan

B07-04 The Contribution of Income, Social Capital, and Institutions to Human Well-being in Africa

Mina Baliamoune-Lutz, Stefan H. Lutz

B06-04 Rural Urban Inequality in Africa: A Panel Study of the Effects of Trade Liberalization and Financial Deepening

Mina Baliamoune-Lutz, Stefan H. Lutz

B05-04 Money Rules for the Eurozone Candidate Countries

Lucjan T. Orłowski

B04-04 Who is in Favor of Enlargement? Determinants of Support for EU Membership in the Candidate Countries’ Referenda

Orla Doyle, Jan Fidrmuc

B03-04 Over- and Underbidding in Central Bank Open Market Operations Conducted as Fixed Rate Tender

Ulrich Bindseil

B02-04 Total Factor Productivity and Economic Freedom Implications for EU Enlargement

Ronald L. Moomaw, Euy Seok Yang

B01-04 Die neuen Schutzklauseln der Artikel 38 und 39 des Beitragsvertrages: Schutz der alten Mitgliedstaaten vor Störungen durch die neuen Mitgliedstaaten

Martin Seidel

2003

B29-03 Macroeconomic Implications of Low Inflation in the Euro Area

Jürgen von Hagen, Boris Hofmann

B28-03 The Effects of Transition and Political Instability on Foreign Direct Investment: Central Europe and the Balkans

Josef C. Brada, Ali M. Kutan, Taner M. Yigit

B27-03 The Performance of the Euribor Futures Market: Efficiency and the Impact of ECB Policy Announcements (Electronic Version of International Finance)

Kerstin Bernoth, Juergen von Hagen

B26-03 Sovereign Risk Premia in the European Government Bond Market (überarbeitete Version zum Herunterladen)

Kerstin Bernoth, Juergen von Hagen, Ludger Schulknecht

B25-03 How Flexible are Wages in EU Accession Countries?

Anna Iara, Iulia Traistaru

B24-03 Monetary Policy Reaction Functions: ECB versus Bundesbank

Bernd Hayo, Boris Hofmann

B23-03 Economic Integration and Manufacturing Concentration Patterns: Evidence from Mercosur

Iulia Traistaru, Christian Volpe Martincus

B22-03 Reformzwänge innerhalb der EU angesichts der Osterweiterung

Martin Seidel

B21-03 Reputation Flows: Contractual Disputes and the Channels for Inter-Firm Communication

William Pyle

B20-03 Urban Primacy, Gigantism, and International Trade: Evidence from Asia and the Americas

Ronald L. Moomaw, Mohammed A. Alwosabi

B19-03 An Empirical Analysis of Competing Explanations of Urban Primacy Evidence from Asia and the Americas

Ronald L. Moomaw, Mohammed A. Alwosabi
East Germany: Transition with Unification, Experiments and Experiences
Jürgen von Hagen, Rolf R. Strauch, Guntram B. Wolff

Regional Specialization and Employment Dynamics in Transition Countries
Iulia Traistaru, Guntram B. Wolff

Specialization and Growth Patterns in Border Regions of Accession Countries
Laura Resmini

Regional Specialization and Concentration of Industrial Activity in Accession Countries
Iulia Traistaru, Peter Nijkamp, Simonetta Longhi

Does Broad Money Matter for Interest Rate Policy?
Matthias Brückner, Andreas Scharber

The Long and Short of It: Global Liberalization, Poverty and Inequality
Christian E. Weller, Adam Hersch

De Facto and Official Exchange Rate Regimes in Transition Economies
Jürgen von Hagen, Jizhong Zhou

Argentina: The Anatomy of A Crisis
Jiri Jonas

The Eurosystem and the Art of Central Banking
Gunnar Heinsohn, Otto Steiger

National Origins of European Law: Towards an Autonomous System of European Law?
Martin Seidel

Monetary Policy in the Euro Area - Lessons from the First Years
Ali M. Kutan, Su Zhou

Has the Link Between the Spot and Forward Exchange Rates Broken Down? Evidence From Rolling Cointegration Tests
Martin Seidel

Perspektiven der Erweiterung der Europäischen Union
Su Zhou, Ali M. Kutan

Real and Monetary Convergence Within the European Union and Between the European Union and Candidate Countries: A Rolling Cointegration Approach
Josef C. Brada, Ali M. Kutan, Su Zhou

Asymmetric Monetary Policy Effects in EMU
Volker Clausen, Bernd Hayo

The Choice of Exchange Rate Regimes: An Empirical Analysis for Transition Economies
Jürgen von Hagen, Jizhong Zhou

The Euro System and the Federal Reserve System Compared: Facts and Challenges
Karlheinz Ruckriegel, Franz Seitz

Does Inflation Targeting Matter?
Manfred J. M. Neumann, Jürgen von Hagen

Is Kazakhstan Vulnerable to the Dutch Disease?
Karlygash Kuralbayeva, Ali M. Kutan, Michael L. Wyzan

Political Economy of the Nice Treaty: Rebalancing the EU Council. The Future of European Agricultural Policies
Deutsch-Französisches Wirtschaftspolitisches Forum

Investor Panic, IMF Actions, and Emerging Stock Market Returns and Volatility: A Panel Investigation
Bernd Hayo, Ali M. Kutan

Regional Effects of Terrorism on Tourism: Evidence from Three Mediterranean Countries
Konstantinos Drakos, Ali M. Kutan

Monetary Convergence of the EU Candidates to the Euro: A Theoretical Framework and Policy Implications
Lucjan T. Orlowski

Disintegration and Trade
Jarko and Jan Fidrmuc

Migration and Adjustment to Shocks in Transition Economies
Jan Fidrmuc

Strategic Delegation and International Capital Taxation
Matthias Brückner

Balkan and Mediterranean Candidates for European Union Membership: The Convergence of Their Monetary Policy With That of the Europena Central Bank
Josef C. Brada, Ali M. Kutan

An Empirical Inquiry of the Efficiency of Intergovernmental Transfers for Water Projects Based on the WRDA Data
Anna Rubinchik-Pessach

Detrending and the Money-Output Link: International Evidence
R.W. Hafer, Ali M. Kutan
<table>
<thead>
<tr>
<th>Number</th>
<th>Title</th>
<th>Authors</th>
</tr>
</thead>
<tbody>
<tr>
<td>B18-01</td>
<td>Monetary Policy in Unknown Territory. The European Central Bank in the Early Years</td>
<td>Jürgen von Hagen, Matthias Brückner</td>
</tr>
<tr>
<td>B17-01</td>
<td>Executive Authority, the Personal Vote, and Budget Discipline in Latin American and Carribean Countries</td>
<td>Mark Hallerberg, Patrick Marier</td>
</tr>
<tr>
<td>B16-01</td>
<td>Sources of Inflation and Output Fluctuations in Poland and Hungary: Implications for Full Membership in the European Union</td>
<td>Selahattin Dibooglu, Ali M. Kutan</td>
</tr>
<tr>
<td>B15-01</td>
<td>Programs Without Alternative: Public Pensions in the OECD</td>
<td>Christian E. Weller</td>
</tr>
<tr>
<td>B14-01</td>
<td>Formal Fiscal Restraints and Budget Processes As Solutions to a Deficit and Spending Bias in Public Finances - U.S. Experience and Possible Lessons for EMU</td>
<td>Rolf R. Strauch, Jürgen von Hagen</td>
</tr>
<tr>
<td>B13-01</td>
<td>German Public Finances: Recent Experiences and Future Challenges</td>
<td>Jürgen von Hagen, Rolf R. Strauch</td>
</tr>
<tr>
<td>B12-01</td>
<td>The Impact of Eastern Enlargement On EU-Labour Markets. Pensions Reform Between Economic and Political Problems</td>
<td>Deutsch-Französisches Wirtschaftspolitisches Forum</td>
</tr>
<tr>
<td>B11-01</td>
<td>Inflationary Performance in a Monetary Union With Large Wage Setters</td>
<td>Lila Cavallar</td>
</tr>
<tr>
<td>B09-01</td>
<td>Democracy in Transition Economies: Grease or Sand in the Wheels of Growth?</td>
<td>Jan Fidrmuc</td>
</tr>
<tr>
<td>B08-01</td>
<td>The Functioning of Economic Policy Coordination</td>
<td>Jürgen von Hagen, Susanne Mundschken</td>
</tr>
<tr>
<td>B07-01</td>
<td>The Convergence of Monetary Policy Between Candidate Countries and the European Union</td>
<td>Josef C. Brada, Ali M. Kutan</td>
</tr>
<tr>
<td>B06-01</td>
<td>Opposites Attract: The Case of Greek and Turkish Financial Markets</td>
<td>Konstantinos Drakos, Ali M. Kutan</td>
</tr>
<tr>
<td>B05-01</td>
<td>Trade Rules and Global Governance: A Long Term Agenda. The Future of Banking.</td>
<td>Deutsch-Französisches Wirtschaftspolitisches Forum</td>
</tr>
<tr>
<td>B04-01</td>
<td>The Determination of Unemployment Benefits</td>
<td>Rafael di Tella, Robert J. McCulloch</td>
</tr>
<tr>
<td>B03-01</td>
<td>Preferences Over Inflation and Unemployment: Evidence from Surveys of Happiness</td>
<td>Rafael di Tella, Robert J. McCulloch, Andrew J. Oswald</td>
</tr>
<tr>
<td>B02-01</td>
<td>The Konstanz Seminar on Monetary Theory and Policy at Thirty</td>
<td>Michele Fratianni, Jürgen von Hagen</td>
</tr>
<tr>
<td>B01-01</td>
<td>Divided Boards: Partisanship Through Delegated Monetary Policy</td>
<td>Etienne Farvaque, Gael Lagadec</td>
</tr>
<tr>
<td></td>
<td><strong>2000</strong></td>
<td></td>
</tr>
<tr>
<td>B20-00</td>
<td>Breakin-up a Nation, From the Inside</td>
<td>Etienne Farvaque</td>
</tr>
<tr>
<td>B19-00</td>
<td>Income Dynamics and Stability in the Transition Process, general Reflections applied to the Czech Republic</td>
<td>Jens Hölscher</td>
</tr>
<tr>
<td>B18-00</td>
<td>Budget Processes: Theory and Experimental Evidence</td>
<td>Karl-Martin Ehrhart, Roy Gardner, Jürgen von Hagen, Claudia Kesen Martin Seidel</td>
</tr>
<tr>
<td>B17-00</td>
<td>Rückführung der Landwirtschaftspolitik in die Verantwortung der Mitgliedsstaaten? - Rechts- und Verfassungsfragen des Gemeinschaftsrechts</td>
<td>Christa Randzio-Plath, Tomasso Padoa-Schioppa, Jürgen von Hagen, Ralf Hepp</td>
</tr>
<tr>
<td>B16-00</td>
<td>The European Central Bank: Independence and Accountability</td>
<td>Selahattin Dibooglu, Ali M. Kutan</td>
</tr>
<tr>
<td>B15-00</td>
<td>Regional Risk Sharing and Redistribution in the German Federation</td>
<td>Nauro F. Campos</td>
</tr>
<tr>
<td>B14-00</td>
<td>Sources of Real Exchange Rate Fluctuations in Transition Economies: The Case of Poland and Hungary</td>
<td></td>
</tr>
<tr>
<td>B13-00</td>
<td>Back to the Future: The Growth Prospects of Transition Economies Reconsidered</td>
<td></td>
</tr>
<tr>
<td>No.</td>
<td>Title</td>
<td>Author(s)</td>
</tr>
<tr>
<td>-----</td>
<td>----------------------------------------------------------------------</td>
<td>----------------------------------------------------</td>
</tr>
<tr>
<td>B12-00</td>
<td>Rechtsetzung und Rechtsangleichung als Folge der Einheitlichen Europäischen Währung</td>
<td>Martin Seidel</td>
</tr>
<tr>
<td>B11-00</td>
<td>A Dynamic Approach to Inflation Targeting in Transition Economies</td>
<td>Lucjan T. Orlowski</td>
</tr>
<tr>
<td>B10-00</td>
<td>The Importance of Domestic Political Institutions: Why and How Belgium Qualified for EMU</td>
<td>Marc Hallerberg</td>
</tr>
<tr>
<td>B09-00</td>
<td>Rational Institutions Yield Hysteresis</td>
<td>Rafael Di Tella, Robert MacCulloch</td>
</tr>
<tr>
<td>B08-00</td>
<td>The Effectiveness of Self-Protection Policies for Safeguarding Emerging Market Economies from Crises</td>
<td>Kenneth Kletzer</td>
</tr>
<tr>
<td>B07-00</td>
<td>Financial Supervision and Policy Coordination in The EMU</td>
<td>Deutsch-Französisches Wirtschaftspolitisches Forum</td>
</tr>
<tr>
<td>B06-00</td>
<td>The Demand for Money in Austria</td>
<td>Bernd Hayo</td>
</tr>
<tr>
<td>B05-00</td>
<td>Liberalization, Democracy and Economic Performance during Transition</td>
<td>Jan Fidrmuc</td>
</tr>
<tr>
<td>B04-00</td>
<td>A New Political Culture in The EU - Democratic Accountability of the ECB</td>
<td>Christa Randzio-Plath</td>
</tr>
<tr>
<td>B03-00</td>
<td>Integration, Disintegration and Trade in Europe: Evolution of Trade Relations during the 1990’s</td>
<td>Jarko Fidrmuc, Jan Fidrmuc</td>
</tr>
<tr>
<td>B02-00</td>
<td>Inflation Bias and Productivity Shocks in Transition Economies: The Case of the Czech Republic</td>
<td>Josef C. Barda, Arthur E. King, Ali M. Kutan</td>
</tr>
<tr>
<td>B01-00</td>
<td>Monetary Union and Fiscal Federalism</td>
<td>Kenneth Kletzer, Jürgen von Hagen</td>
</tr>
</tbody>
</table>

1999

| B25-99 | Micro and Macro Determinants of Public Support for Market Reforms in Eastern Europe | Bernd Hayo                                         |
| B23-99 | Informal Family Insurance and the Design of the Welfare State          | Rafael Di Tella, Robert MacCulloch                  |
| B22-99 | Partisan Social Happiness                                               | Rafael Di Tella, Robert MacCulloch                  |
| B20-99 | Subnational Government Bailouts in Germany                              | Helmut Seitz                                       |
| B19-99 | The Evolution of Monetary Policy in Transition Economies               | Ali M. Kutan, Josef C. Brada                       |
| B18-99 | Why are Eastern Europe’s Banks not failing when everybody else’s are?  | Christian E. Weller, Bernard Morzuch               |
| B17-99 | Stability of Monetary Unions: Lessons from the Break-Up of Czechoslovakia | Jan Fidrmuc, Julius Horvath and Jarko Fidrmuc     |
| B16-99 | Multinational Banks and Development Finance                             | Christian E. Weller and Mark J. Scher              |
| B15-99 | Financial Crises after Financial Liberalization: Exceptional Circumstances or Structural Weakness? | Bernd Hayo and Birgit Uhlenbrock                   |
| B14-99 | Industry Effects of Monetary Policy in Germany                          | Christian E. Weller and Jürgen von Hagen           |
| B13-99 | Financial Fragility or What Went Right and What Could Go Wrong in Central European Banking? | Mehmet Caner and Lutz Kilian                      |
| B12-99 | Size Distortions of Tests of the Null Hypothesis of Stationarity: Evidence and Implications for Applied Work | Deutsch-Französisches Wirtschaftspolitisches Forum |
| B11-99 | Financial Supervision and Policy Coordination in the EMU               | Christian Weller                                   |
| B10-99 | Financial Liberalization, Multinational Banks and Credit Supply: The Case of Poland | Volker Wieland                                    |
| B09-99 | Monetary Policy, Parameter Uncertainty and Optimal Learning            | Christian Weller                                   |
| B08-99 | The Connection between more Multinational Banks and less Real Credit in Transition Economies | Christian Weller                                  |
Comovement and Catch-up in Productivity across Sectors: Evidence from the OECD
Christopher M. Cornwell and Jens-Uwe Wächter

Productivity Convergence and Economic Growth: A Frontier Production Function Approach
Christopher M. Cornwell and Jens-Uwe Wächter

Tumbling Giant: Germany's Experience with the Maastricht Fiscal Criteria
Jürgen von Hagen and Rolf Strauch

The Finance-Investment Link in a Transition Economy: Evidence for Poland from Panel Data
Christian Weller

The Macroeconomics of Happiness
Rafael Di Tella, Robert MacCulloch and Andrew J. Oswald

The Consequences of Labour Market Flexibility: Panel Evidence Based on Survey Data
Rafael Di Tella and Robert MacCulloch

The Excess Volatility of Foreign Exchange Rates: Statistical Puzzle or Theoretical Artifact?
Robert B.H. Hauswald

Labour Market + Tax Policy in the EMU
Deutsch-Französisches Wirtschaftspolitisches Forum

Can Taxing Foreign Competition Harm the Domestic Industry?
Rafael Reuveny and John Maxwell

Free Trade and Arms Races: Some Thoughts Regarding EU-Russian Trade
Jürgen von Hagen

Fiscal Policy and Intranational Risk-Sharing
Athanasios Orphanides and Volker Wieland

Die Bewertung der "dauerhaft tragbaren öffentlichen Finanzlage"der EU Mitgliedstaaten beim Übergang zur dritten Stufe der EWWU
Rolf Strauch

Exchange Rate Regimes in the Transition Economies: Case Study of the Czech Republic: 1990-1997
Julius Horvath and Jiri Jonas

Der Wettbewerb der Rechts- und politischen Systeme in der Europäischen Union
Martin Seidel

U.S. Monetary Policy and Monetary Policy and the ESCB
Robert L. Hetzel

Money-Output Granger Causality Revisited: An Empirical Analysis of EU Countries (überarbeitete Version zum Herunterladen)
Bernd Hayo

Designing Voluntary Environmental Agreements in Europe: Some Lessons from the U.S. EPA’s 33/50 Program
John W. Maxwell

Monetary Union, Asymmetric Productivity Shocks and Fiscal Insurance: an Analytical Discussion of Welfare Issues
Kenneth Kletzer

Estimating a European Demand for Money (überarbeitete Version zum Herunterladen)
Bernd Hayo

The EMU’s Exchange Rate Policy
Deutsch-Französisches Wirtschaftspolitisches Forum

Central Bank Policy in a More Perfect Financial System
Jürgen von Hagen / Ingo Fender

Trade with Low-Wage Countries and Wage Inequality
Jaleel Ahmad

Budgeting Institutions for Aggregate Fiscal Discipline
Jürgen von Hagen

Macroeconomic Stabilization with a Common Currency: Does European Monetary Unification Create a Need for Fiscal Insurance or Federalism?
Kenneth Kletzer

Tom Lyon / John Mayo

Employment and EMU
Deutsch-Französisches Wirtschaftspolitisches Forum

A Stability Pact for Europe
(a Forum organized by ZEI)