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The Speed of Employer Learning and Job Market Signaling Revisited

Steffen Habermalz

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ABSTRACT

The Speed of Employer Learning and Job Market Signaling Revisited

This paper discusses the claim made in Altonji and Pierret (1997) and Lange (2005) that a high speed of employer learning indicates a low value of job market signaling. The claim is first discussed intuitively in light of Spence’s original model and then evaluated in a simple extension of a model developed in Altonji and Pierret (1997). The analysis provided indicates that, if employer learning is incomplete, a high speed of employer learning is not necessarily indicative of a low value of job market signaling.

JEL Classification: I20, D8, J41

Keywords: employer learning, signaling

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Introduction

Ever since the seminal Nobel Prize winning works of Akerlof (1970), Spence (1973), and Stiglitz (1975) economists have shown great interest in the effects of asymmetric information on economic outcomes. In the field of labor economics there has been an ongoing and vibrant discussion centered on the information asymmetries between hiring firms and prospective workers.

Job Market Signaling (JMS), introduced by Spence (1973), proposes that high-ability workers differentiate themselves from observationally identical workers of lower ability by acquiring an educational signal which is observed by potential employers. If higher ability individuals find it less costly (both in monetary and non-monetary terms) to acquire an educational degree this process will lead to a separating equilibrium in which workers can be differentiated by their signals.

A related approach was introduced by Farber and Gibbons (1996) and further developed by Altonji and Pierret (1997 and 2001). In their models of Employer Learning (EL) they assume that employers statistically discriminate among prospective workers on the basis of a signal (usually education) which is related to the (unobserved) ability of a worker. Models of EL predict that information indicative of a worker’s true productivity but only observed by the econometrician will be increasingly correlated with wages as the worker gains more labor market experience. The model also predicts that the estimated returns to education will decline with labor market experience when such a measure is included in the regression equation. Intuitively this happens because the employer receives (noisy) signals of a worker’s true productivity and learns over time. Thus, actual information on the true productivity of the worker accrues over time and the
educational signal loses value. Altonji and Pierret (1997 and 2001) test this prediction using scores of the Armed Forces Qualification Test (AFQT) administered to participants in the National Longitudinal Survey of Youth 1979 (the measure only observed by the econometrician) and find both hypothesis empirically confirmed. Altonji and Pierret (1997, hereafter AP) also investigate the relationship between the speed of employer learning and the value of Job Market Signaling. The paper develops a simple signaling model in which employers learn very quickly. AP show that, in such a setting, workers only have an incentive to acquire education if the returns are exorbitantly high. They conclude that the value of signaling cannot be very high if employers learn quickly.

Extending the Employer Learning literature Lange (2005) estimates the speed at which employers learn about workers’ true productivities. He concludes that employer learning is rather fast and, partially based on the argument provided by AP, uses this result to downplay the economic significance of JMS.

The contribution of this paper is to provide a different interpretation of results of Lange (2005) and AP and challenge the contention that a high speed of employer learning is indicative of a low value of signaling. The paper proceeds as follows: using insights from Spence (1973), Section 2 of the paper provides a descriptive and intuitive discussion of the signaling process as it pertains to the claims made in Lange (2005) and AP. In the simple quantitative analysis of Section 3 I extend AP’s model by introducing the (realistic) possibility that EL is incomplete. The results of a simulation provide evidence for an important role of JMS even if employer learning is very fast. In accordance with the discussion in Section 2 the results also hint at the possibility that a higher speed of employer learning might increase the value of JMS. Section 3 attempts to reconcile the
contrasting views by discussing the relationship between the speed of EL and the 
*existence* of JMS. Section 4 concludes.

**The Speed of EL and the Value of JMS: An Intuitive Discussion**

Lange (2005) estimates the speed at which employers learn and finds that 
employers are able to reduce their average expectation error concerning the productivity 
of a worker by 50% over the first 3 years. He concludes (probably correctly) that this is 
rather fast. He then argues, partially based on the argument provided in AP, that Job 
Market Signaling is of limited value.

In Spence (1973) employers hire workers according to educational signals that are 
correlated with the workers’ true productivity. In equilibrium the employers’ beliefs 
about the informational content of the educational signals are confirmed. In order to 
achieve equilibrium and react to changes in the productivity/signal relationship it should 
be beneficial for employers to have their beliefs confirmed sooner rather than later. 
Figure 1 schematically illustrates the signaling process. Thus the findings of Lange 
(2005) imply that this process works rather efficiently and that employers need not wait 
long to confirm their hiring practices. It also implies that it does not take them long to 
detect workers that, for whatever reason, obtained the wrong signal and “masquerade” as 
high ability workers. This means that employers would rather learn quickly than slow and 
that the value of the educational signal should be positively correlated with the speed of 
employer learning. It also shows that employers would not value the JMS process if it 
would take a long time for their beliefs to be confirmed since it would be harder to detect 
underperforming workers and would render hiring based on educational signals less
efficient. The value of the signal to employers depends on their ability to select
individuals of a particular productivity, the more efficient this mechanism works, the
better.

Lange (2005) supplements his in-depth mathematical treatment with a graphical
analysis of the relationship between the speed of employer learning and the value of
signaling. Figure 2 reproduces his graph (Figure 3 in Lange (2005)). The figure shows
two average productivity paths, a low one for low ability workers and a higher one for
high ability workers. It also shows two earnings paths (dashed lines) for a low
productivity worker who (wrongly) decides to go to college corresponding to two
different speeds of employer learning. The area between the lower solid line and the
dashed lines corresponds to the return to acquiring the college degree. It is clear from the
graph that a higher speed of employer learning will limit the worker’s return. Lange uses
this argument to show the inverse relationship between the speed of employer learning
and the value of an educational signal. While the graph seems intuitive, a different
interpretation is forwarded here. The return shown is not the return to an educational
signal originating in the JMS model. It is the return to an out-of-equilibrium choice of
schooling. The person shown in the graph is “masquerading” as a high-ability worker.
The JMS provides the means to overcome informational asymmetries by providing an
educational signal which enables employers to separate observationally identical
individuals into ability groups. The earlier individuals with the “wrong” signal can be
detected, the more efficient the process of JMS is, implying that a higher speed of EL is
beneficial. The above applies to workers with signals indicating productivities higher or
lower than their actual productivities. Therefore, a higher speed of EL can be thought of
as decreasing the variance of the employers estimator of workers’ true productivities. It makes the process more efficient. The results provided in Lange (2005) can thus be interpreted as evidence that a higher speed of EL makes JMS more valuable.

**The Speed of EL and the Value of JMS: Extending AP’s Model**

AP’s argument is based on the following model: Assume that there are 2 types of workers, 0 and 1, with productivities \( Y_1 \) and \( Y_0 \) \((Y_1 > Y_0)\). The labor market is competitive so that workers are paid their expected productivity. Individuals choose between one year of schooling or no schooling at all. Schooling costs are higher for type 0. In signaling equilibrium \((1+k) = Y_1/Y_0\) represents the ratio of productivities of the two types of workers. Employers learn nothing for two years and then instantly acquire full information about the productivity of their workers. With zero interest rates this implies that the present value for a \( Y_1 \) type without schooling is

\[
\text{PV}(Y_1, \text{No School}) = 2Y_0 + (T-2)(1+k)Y_0. \quad (1)
\]

The present value of \( Y_1 \) with one year of schooling (no earnings while in school) is equal to

\[
(T-1)(1+k)Y_0
\]

This implies that type \( Y_1 \) will choose school if

\[
(T-1)(1+k)Y_0 > 2Y_0 + (T-2)(1+k)Y_0 \quad \text{or} \quad k > 1.
\]

Type \( Y_1 \) individuals choose schooling only if they are paid twice as much as type \( Y_0 \). Since empirical estimates of the returns to schooling are in the roughly between 5%-
10% AP reject the notion that the signaling value of education plays a significant role in determining the value of education in the labor market if employers learn sufficiently fast about workers’ productivities.

To summarize, in AP’s model a high productivity worker has two choices. He can attend school and, upon graduation, work for a high wage firm. The second possibility is not to attend school and, after a short stint at a low wage firm and upon the revelation of his true productivity, move to a high wage firm. The empirical ramifications of this process are somewhat disconcerting. Taken literally instant and complete revelation of a worker’s true productivity unconditional on her current job would enable a worker to work in the food service industry for a short time before an instantaneous transfer into investment banking. While it is certainly not inconceivable that some workers in low paying jobs have the ability to be investment bankers, it seems very unlikely that employer information acquired in the low-wage job will pave the way. To achieve the same occupational success the worker in AP’s model has to choose between putting in effort and acquiring an educational signal or staying in a low-paying job for a short time. In this environment it is obvious that only a very high wage differential could induce individuals to consider going to school at all and the speed of employer learning would indeed be inversely related to the signaling value of education. The following analysis will show that AP’s model is an extreme case of a more general model that does not imply that JMS is of low value.

AP assume that EL is symmetric and complete. The former implies that the current employers do not have more information than potential employers. The latter
assumes that an employer is able to obtain complete information about a worker’s true productivity. I will maintain the assumption of symmetric learning.

Aside from the pure ability to learn does an employer have an incentive to learn everything about a worker? The answer to this question depends on which talents are important to the firm. In general, it seems safe to assume that an employer is only interested in how much a certain worker fulfills her current job requirement (and maybe the requirements for a certain track). This implies that the firm most likely does not have an incentive to learn about a worker’s ability completely, implying a limit in most cases.

In addition Lange (2005) estimates that even with a high speed of employer learning, and after 40 years in the labor market, employers will only know 93% of the true productivity of a worker. How would such a limit on learning affect the conclusions drawn by AP? We can augment AP’s model by assuming that, after L years (two in AP’s model), the employer will know a fraction \((1-\alpha)\) of the worker’s true productivity. The model also allows for variable learning and schooling parameters. Therefore, a type Y₁ individual who chooses S years of schooling will have lifetime earnings equal to

\[
(T - S) \cdot (1 + k) \cdot Y_0,
\]

where \(T\), as before, is the number of time periods and \(S\) represents the number of years of schooling\(^1\). If the individual chooses no schooling his lifetime earnings are

\[
L \cdot Y_0 + (T - L) \cdot [\alpha \cdot Y_0 + (1 - \alpha) \cdot (1 + k) \cdot Y_0],
\]

Noting the that \(k\) needs to be adjusted for years of education, solving for \(k\) yields

\[
k = \left( \frac{L + (T - L) \cdot \alpha}{(T - S) - (T - L) \cdot (1 - \alpha)} - 1 \right) \cdot \frac{1}{S}
\]

\(^1\) It is assumed that the individual either chooses 0 or \(S\) years of schooling.
Note that AP’s model is a special case in which $S=1$ and $\alpha = 0$. To analyze the model Table 1 shows the average return to schooling necessary to induce an individual to choose schooling for different values of schooling and employer learning. Table 2 shows the minimum alpha (max. amount of EL) necessary to achieve empirically relevant returns to education of 10%.

The simulations in Table 1 show that (given $\alpha=1/3$ and $T=40$) limiting learning reduces the return necessary to induce an individual to attend school to a reasonable range. The results also show that, conditional on attending school, the return to an educational signal increases with the speed of employer learning. Table 2 provides more general results. It displays the alpha necessary to generate an average return to schooling equal to 10%. Note that an alpha=0 implies that employers will have all information at the end of L years. It is a remarkable property of the model that, even if learning only takes one year, employers are allowed to learn between 60 and 75 percent of a workers ability without requiring the return to the educational signal to exceed empirical values. This necessary value far exceeds Lange’s estimate (50% after 3 years) and shows that JMS is potentially valuable even when the speed of employer learning is high.

**The Speed of EL and the Existence of JMS**

One can potentially reconcile the conclusions of this papers with the views expressed in AP and Lange (2005) by examining the relationship between the speed of EL and the *existence* of JMS. Imagine a world in which EL is extremely slow.
Considering the inability of employers to confirm their beliefs (detect out-of-equilibrium choices) under such a regime it is very likely that JMS would not exist. Employers, on the other hand, would value an efficient signaling process highly. Furthermore, there is no room for JMS in a world where employers learn about the true productivity of a worker instantaneously after hiring. Employers would not be willing to pay much for a signal. Observing the speed of EL and the value of JMS in both worlds leads us to believe that there is a negative correlation between the two. However, it does not make sense to discuss this relationship in scenarios in which potentially JMS does not exist. The argument of this paper is that, if JMS exists, one should expect that a higher speed of EL does not imply a low value of JMS. Figure 3 illustrates this.

**Conclusion**

This paper provides evidence that challenges the views expressed in Altonji and Pierret (1997) and Lange (2005) that a high speed of employer learning implies a low value of job market signaling. It was first shown qualitatively that the postulated relationship seems at odds with Spence’s original model. Furthermore, the paper illustrated that, when perceiving employer learning as an imperfect process with a sufficient degree of residual long-term uncertainty, the conclusion of Altonji and Pierret (1997) fails to hold. The main result of the paper is thus that the relationship between the speed of employer learning and the value of job market signaling cannot be determined without further inquiry. Based on the discussion in the paper future work should identify the relationship between the speed of employer learning and the existence of job market signaling in order to cast more light on the issue.
References


Figure 1

Employer’s Conditional Probabilistic Beliefs

Offered Wage Schedule as a Function of Signals and Indices

Hiring, Observation of Relationship between Marginal Product and Signals

Signaling Decisions by Applicants; Maximization of Return Net of Signaling Costs.

Cost of Signal

Source: Spence (1973)
**Table 1: Simulated Average Return to Schooling (%)**  
*(alpha=1/3, t=40)*

<table>
<thead>
<tr>
<th>Years of Education</th>
<th>1</th>
<th>2</th>
<th>3</th>
<th>4</th>
<th>5</th>
<th>6</th>
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<td>12.90</td>
<td>14.81</td>
<td>17.39</td>
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<tr>
<td>L</td>
<td>2</td>
<td>9.52</td>
<td>10.53</td>
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<td>15.38</td>
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<td>e</td>
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<td>9.76</td>
<td>10.81</td>
<td>12.12</td>
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<tr>
<td>a</td>
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<td>10.00</td>
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<td>r</td>
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<td>8.51</td>
<td>9.30</td>
<td>10.26</td>
<td>11.43</td>
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<td>8.00</td>
<td>8.70</td>
<td>9.52</td>
<td>10.53</td>
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<tr>
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<td>7.55</td>
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<td>7.14</td>
<td>7.69</td>
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<tr>
<td>10</td>
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<td>6.45</td>
<td>6.90</td>
<td>7.41</td>
<td>8.00</td>
<td>8.70</td>
</tr>
</tbody>
</table>

**Table 2: Minimum Alpha Necessary**  
*for 10% Average Return to Schooling (t=40)*

<table>
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<tr>
<th>Years of Education</th>
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<th>3</th>
<th>4</th>
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<td>0.18</td>
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<td>0.10</td>
<td>0.13</td>
<td>0.17</td>
<td>0.20</td>
</tr>
</tbody>
</table>
Figure 2

Figure 3) Expected Earnings in the Pure Signaling Model

The solid lines show average earnings profiles for high school and college graduates. The broken lines show expected earnings for workers with productivity of an average high school graduate if they choose to graduate from college. The figure is drawn under the assumption that (i) schooling acts as a pure signal and has therefore no productivity augmenting effects, and (ii) employers do not observe any additional information about individual's productivity.
Figure 3

Value of Job Market Signaling

Speed of Employer

Signaling not possible

Value of Job Market Signaling increases with Speed of Employer Learning

Signaling not needed

?