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An Experimental Investigation of Alternatives to Expected Utility Using Pricing Data

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Abstract:

Experimental research on decision making under risk has until now always employed choice data in order to evaluate the empirical performance of expected utility and the alternative non-expected utility theories. The present paper performs a similar analysis which relies on pricing data instead of choice data. Since pricing data lead in many cases to a different ordering of lotteries than choices (e.g. the preference reversal phenomenon) our analysis may have fundamental different results than preceding investigations. We elicit three different types of pricing data: willingness-to-pay, willingness-to-accept and certainty equivalents under the Becker-DeGroot-Marschak (BDM) incentive mechanism. One of our main result shows that the comparative performance of the single theories differs significanntly under these three types of pricing data.

Key words: expected utility, non-expected utility, experiments, WTP, WTA, BDM.

JEL-classification: C91, D81.

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1 Introduction

Since its axiomatization by von Neumann and Morgenstern (1944) the expected utility model has been the dominant framework for analyzing decision problems under risk and uncertainty. Starting with the well-known paradox of Allais (1953), however, a large body of experimental evidence has been gathered which indicates that individuals tend to violate the assumptions underlying the expected utility model systematically. This empirical evidence has motivated researchers to develop alternative theories of choice under risk and uncertainty able to accommodate the observed patterns of behavior. Nowadays a large number of alternative theories exist (cf. Starmer (2000), Sugden (2002), and Schmidt (2002) for surveys) and naturally the question arises which theory can accommodate observed choice behavior best.

There exist many experimental studies comparing the empirical performance of the single alternatives, most notable seem to be the investigations of Harless and Camerer (1994) and Hey and Orme (1994). All of these existing studies we are aware of use individual choice data in order to evaluate the alternatives, i.e. individuals have mostly to perform pairwise choices between lotteries or, as in Carbone and Hey (1994), (195) a complete ranking of a set of alternatives. However, apart from choices, the preferences of a decision maker can also be assessed by pricing tasks. Moreover, the main application of utility theories is not only to analyze real-world choice behavior but also real-world pricing behavior, for instance on financial markets. Therefore, it is rather striking that neither the validity of expected utility nor the comparative performance of the single alternatives has been systematically investigated with pricing data and the present paper aims to fill this gap.

One could argue that choice and pricing tasks should in principle generate the same preference ordering for one individual and, therefore, it is irrelevant whether choice or pricing tasks are employed in the investigation. However, there is much evidence that pricing tasks yield, in general, different preferences than choice tasks for the same individual. The most prominent result in this context seems to be the preference reversal phenomenon which was first observed by Lichtenstein and Slovic (1971) and afterwards extensively analyzed in the economics literature. The preference reversal phenomenon employs two lotteries, a safe and a risky one, with roughly the same expected value. The typical pattern observed is that subjects

tend to choose the riskless lottery but assign a higher minimal selling price to the risky one. Thus, the preference reversal phenomenon shows clearly that choice and pricing tasks may yield completely different preference orderings. This leads to the question whether the evidence against expected utility observed with choice tasks remains valid if preferences are assessed with pricing tasks. Moreover, the question arises whether alternative theories which performed very well under choice tasks have to be strongly rejected if pricing tasks are employed or, vice versa, whether some alternative with a poor performance so far emerges as an acceptable descriptive theory for pricing data.

There exist different pricing tasks which can be employed in our analysis. The most prominent concepts are the willingness to pay (WTP), i.e. the maximal buying price for a lottery, and the willingness to accept (WTA), i.e. the minimal buying prices. The empirical literature has clearly shown that both concepts yield in general different results. More precisely, the WTA is in experimental studies in general much higher than the WTP (cf. e.g. Knetsch and Sinden (1984)). This disparity motivated us to use both concepts in our investigation. A third concept which has often been employed in order to elicit certainty equivalents for lotteries is the so called BDM mechanism (cf. Becker, DeGroot and Marschak (1963)). Although this mechanism is closely related to the WTA it may cause different responses. Therefore, we also integrated the BDM in our analysis.

Altogether, our study aims to investigate the empirical performance of expected utility and some of its alternatives by employing three different pricing tasks: WTP, WTA, and the BDM mechanism. Besides the BDM mechanism we also assessed the WTP and WTA with incentive compatible mechanisms, i.e. second-price auctions. The experimental design will be discussed in the next section. Section 3 explains our estimation procedure and presents the five preference functionals employed in the analysis, i.e. risk neutrality, expected utility, the theory of disappointment aversion, and two variants of rank-dependent utility. Section 4 presents our results and, finally, section 6 contains a concluding discussion.

2 Experimental Design

The experiment was conducted at the Centre of Experimental Economics at the University of York with 24 participants. Each participant had to attend five separate occasions, A, B, C, D, and E, but occasion A and B are irrelevant for the present analysis. During five days of one week one of each four different occasions was offered on every single day with varying chronological

order. Consequently, 20 occasions were offered altogether and the participants could choose on which days they attended which occasions.

Each of the occasions lasted between 25 and 40 minutes. The time varied not only between the single occasions but also across the subjects since they were explicitly encouraged to proceed at their own pace. After a subject had completed all five occasions one question of one occasion was selected randomly and played out for real. The average payment to the subjects was £34.17 with £80 being the highest and £0 being the lowest payment.

Table 1: The Lotteries

No.	£0	£10	£30	£40	No.	£0	£10	£30	£40	No.	£0	£10	£30	£40
1	.000	.000	1.000	.000	20	.000	.200	.700	.100	39	.000	.500	.000	.500
2	.750	.000	.250	.000	21	.000	.000	.500	.500	40	.500	.250	.000	.250
3	.300	.600	.100	.000	22	.500	.000	.500	.000	41	.200	.000	.400	.400
4	.000	.600	.100	.300	23	.250	.500	.250	.000	42	.100	.000	.200	.700
5	.000	1.000	.000	.000	24	.000	.500	.000	.500	43	.800	.000	.000	.200
6	.000	.500	.500	.000	25	.500	.250	.000	.250	44	.400	.000	.500	.100
7	.500	.500	.000	.000	26	.000	.250	.500	.250	45	.400	.000	.000	.600
8	.000	.000	.700	.300	27	.000	.000	.750	.250	46	.700	.000	.000	.300
9	.800	.000	.140	.060	28	.250	.250	.500	.000	47	.200	.000	.000	.800
10	.200	.000	.740	.060	29	.200	.000	.000	.800	48	.200	.000	.400	.400
11	.000	.200	.800	.000	30	.800	.000	.000	.200	49	.100	.000	.000	.900
12	.500	.100	.400	.000	31	.320	.600	.000	.080	50	.600	.000	.000	.400
13	.000	.200	.600	.200	32	.020	.600	.000	.380	51	.300	.500	.000	.200
14	.000	.100	.300	.600	33	.700	.000	.000	.300	52	.200	.200	.000	.600
15	.200	.800	.000	.000	34	.350	.000	.500	.150	53	.600	.100	.000	.300
16	.100	.400	.500	.000	35	.850	.000	.000	.150	54	.000	.350	.000	.650
17	.000	.400	.600	.000	36	.150	.000	.000	.850	55	.000	.100	.250	.650
18	.500	.200	.300	.000	37	.830	.000	.000	.170	56	.250	.350	.000	.400
19	.000	.200	.300	.500	38	.230	.000	.600	.170					

On each of the five occasions the subjects were presented the same 56 lotteries pairs. The lotteries were presented as segmented circles on the computer screen. Figure 1 presents an example in which there is a 50% chance of getting £10, a 20% chance of getting £30, and a 30% chance of getting £40. If a subject received a particular lottery as reward he or she had to spin a wheel on the corresponding circle. The amount won was then determined by the segment of the circle in which the arrow on the wheel stopped.

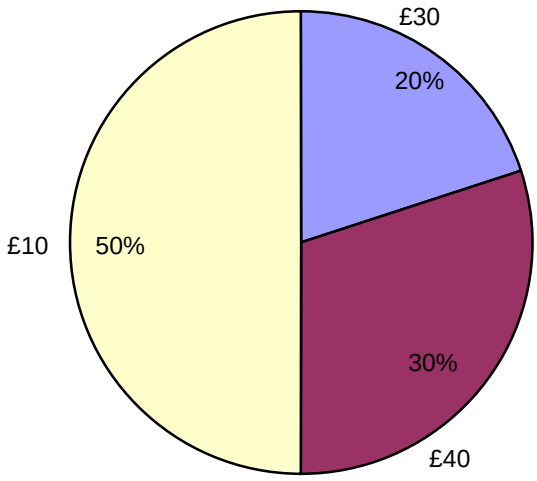

Figure 1: The Presentation of Lotteries

Recall that occasions A and B are irrelevant for the present analysis. In occasions C, D, and E the 56 lotteries appeared in randomized order on screen and subjects were asked for each lottery

- to state their maximal buying price (WTP) in occasion C,
- to state their minimal selling price in occasion D, and
- to state their certainty equivalent under the BDM mechanism in occasion E.

Let us describe the single occasions more detailed now. In occasion C the following question appeared under each lottery: "Submit your bid for this lottery in a second-price sealed-bid auction." That is subjects were asked to assume they did not have the lottery and had to bid to get it. They had to type in their bid and confirm it by pressing the return key. At the beginning of the experimental session subjects received a three-page instruction sheet. Then an audio-tape of these instructions was played which took approximately ten minutes. The instructions explained clearly the rules and the incentive compatibility of second-price sealed-bid auctions. If a question of occasion C was selected for the reward, the subject received a payment of £y where y is the highest amount in the corresponding lottery. Moreover, if the subject submitted the highest bid among all subjects in the group with whom she completed occasion C, he or she would additionally play out the lottery and had to pay the second highest bid.

Occasion D was identical to occasion C except that for each lottery a different question was asked: "Submit your offer for this lottery in a second-price offer auction". That is subjects were asked to assume that they owned the lottery and had to make an offer to dispose of it. Again subjects received a handout and had to listen to an audio-tape of the three-page instructions which explained clearly the rules and the incentive compatibility of the second-price offer

auction. If a question from occasion D was selected for the reward, the subject could play out the corresponding lottery. However, if he or she submitted the lowest offer among all subjects in the group with whom she completed occasion D, he or she received the second lowest offer instead of the lottery.

In occasion E the following question appeared under each lottery: "State the amount of money such that you do not care whether you will receive this amount or the lottery". If a question of occasion E was chosen as reward we employed the standard BDM mechanism: A number z was randomly drawn between zero and y where y is the highest possible prize in the given lottery. If z was greater or equal to the answer, the subject received £z, otherwise she or he could play out the given lottery. Also in occasion E subjects received a handout and had to listen to an audio-tape of the instructions which clearly explained the rules and the incentive compatibility of the BDM mechanism.

4. Estimation procedure and preference functionals

Our estimation procedure is similar to the one used by Hey and Orme (1994) which is motivated by two fundamental observations. First, there is not necessarily one best preference functional for all subjects but the behaviour of different subjects may be explained best by different functionals. Second, subjects make from time to time errors in their responses which demands a stochastic specification of preference functionals for our empirical test. To take into account the first observation we have estimated the models subject by subject. To take into account the second observation we have added an error term to each preference functional. We assume that errors are identically and independently distributed among subjects and questions.

For the estimation we extended our set of four outcomes to nine outcomes as follows. Consider for instance lottery 2 of table 1:

No.	£0	£10	£30	£40
2	.750	.000	.250	.000

We simply add five additional outcomes, i.e. £5, £15, £20, £25, and £30, to our set of outcomes and present lottery 2 as follows:

No.	£0	£5	£10	£15	£20	£25	£30	£35	£40
2	.750	.000	.000	.000	.000	.000	.250	.000	.000

Assume that a particular subject states that her or his certainty equivalent under the BDM mechanism for lottery 2 equal to £10. In this case we can conclude that lottery 2 is strictly preferred to the following two lotteries:

No.	£0	£5	£10	£15	£20	£25	£30	£35	£40
a	1.000	.000	.000	.000	.000	.000	.000	.000	.000
b	.000	1.000	.000	.000	.000	.000	.000	.000	.000

Moreover, she or he will be obviously indifferent between lottery 2 and the following lottery c:

No.	£0	£5	£10	£15	£20	£25	£30	£35	£40
c	.000	.000	1.000	.000	.000	.000	.000	.000	.000

And finally he will strictly prefer all the following lotteries to lottery 2:

No.	£0	£5	£10	£15	£20	£25	£30	£35	£40
d	.000	.000	.000	1.000	.000	.000	.000	.000	.000
e	.000	.000	.000	.000	1.000	.000	.000	.000	.000
f	.000	.000	.000	.000	.000	1.000	.000	.000	.000
g	.000	.000	.000	.000	.000	.000	1.000	.000	.000
h	.000	.000	.000	.000	.000	.000	.000	1.000	.000
i	.000	.000	.000	.000	.000	.000	.000	.000	1.000

We used this procedure for each lottery in all three occasions. This means that we can derive from our pricing data 504 pairwise preference statements for each subject and each occasion. These preference statements are the data basis for our estimation. More precisely, we used the maximum likelihood method to estimate the parameters of the single preference functionals. The estimation was performed by a special program we wrote using the GAUSS software package[1].
An alternative to our approach would be to use the certainty equivalents directly in a simple OLS model. If W is the preference functional and $CE(\mathbf{p})$ the certainty equivalent of lottery $\mathbf{p}$ one could simply take the equation $CE = W^{-1}(W(\mathbf{p}))$ as basis for the estimation. Compared to our method, here the problem occurs that the stated certainty equivalent will in general lie between two of the outcomes used for the estimation which makes interpolation necessary. Therefore, we decided to use our method explained above although it is not obvious whether one method is superior to the other one.

Now we want to present the preference functional used in our analysis. First some notation. Let $\mathbf{x} = \{x_1, x_2, \ldots, x_9\}$ be the extended vector of outcomes as explained above, i.e. (£0, £5, £10, £15,

[1] Our estimation program is available upon request.

£20, £25, £30, £35, £40). Since we used the certainty equivalents to derive pairwise preference statements our data involve always two lotteries which are represented by two probability vectors denoted by $\mathbf{p} = \{p_1, p_2, \ldots, p_9\}$ and $\mathbf{q} = \{q_1, q_2, \ldots, q_9\}$. If W denotes the subject's preference function then $V(\mathbf{p}, \mathbf{q}) := W(\mathbf{p})-W(\mathbf{q})$ will be called the relative evaluation. If a particular subject actually does prefer **p** to **q** then her or his net preference function, $V(\mathbf{p}, \mathbf{q})$ obviously will be positive. On the other hand, if she or he actually prefers **q** to **p** $V(\mathbf{p}, \mathbf{q})$ will be less then zero. Finally, we have $V(\mathbf{p}, \mathbf{q}) = 0$ in the case of indifference.

Altogether subjects' derived preferences are determined by:

$V^*(\mathbf{p}, \mathbf{q}) = V(\mathbf{p}, \mathbf{q}) + \varepsilon$,

where ε is an error term. We assume that ε is symmetric and has a mean of zero.

The first model we have estimated is risk neutrality (RN) given by

RN: $$V^*(\mathbf{p}, \mathbf{q}) = k\sum_{i=1}^{9} r_i x_i + \varepsilon .$$

For RN we have to estimate only the parameter k which is the relative magnitude of subjects' errors. Let us now turn to expected utility (EU) where we have

EU: $$V^*(\mathbf{p}, \mathbf{q}) = \sum_{i=2}^{9} r_i u(x_i) + \varepsilon .$$

For EU we estimated $u(x_i)$, $i = 2, 3, 4, 5, 6, 7, 8, 9$. We normalized $u(x_1)$, i.e. utility of zero, to zero, and the variance of the error term to one. We did the same also for the three alternative theories presented below. Under this procedure a subject who makes relatively small errors will have relatively large values for $u(x_i)$ whereas a subject who makes relatively large errors will have relatively small values for $u(x_i)$.

The third model is the theory of disappointment aversion (DA) introduced by Gul (1991). The main psychological motivation of this theory is the hypothesis that choice behaviour tries to avoid disappointment where disappointment occurs if the actual outcome of the lottery is lower than the certainty equivalent. In our framework, DA is characterized by the following equation (see also Hey and Orme (1994))

$$DA: \quad V^*(\mathbf{p},\mathbf{q}) = \min_{j=0,1,\ldots,8} \left(\frac{\sum_{i=2}^{9-j} p_i u(x_i) + (1-\beta)\sum_{i=2}^{8-j} p_i u(x_i)}{1+\beta\sum_{i=1}^{8-j} p_i} - \frac{\sum_{i=2}^{9-j} q_i u(x_i) + (1-\beta)\sum_{i=2}^{8-j} q_i u(x_i)}{1+\beta\sum_{i=1}^{8-j} q_i} \right) + \varepsilon .$$

For DA we estimated $u(x_i)$, i = 2, 3, 4, 5, 6, 7, 8, 9, and β. The parameter β is Gul's additional parameter which determines the degree of disappointment aversion. If β= 0 DA reduce to EU.

We now turn to rank-dependent utility which is nowadays the most prominent alternative to EU. Note that rank-dependent utility is in our analysis equivalent to cumulative prospect theory since our outcome set does not involve losses. As Hey and Orme (1994) we estimate two variants of rank-dependent utility, one with a power weighting function and one with the weighting function proposed by Quiggin (1982).

For rank-dependence with power function (RP) the weighting function w is given by $w(r) = r^{\gamma}$ and we have

$$\text{RP:} \quad V^*(\mathbf{p}, \mathbf{q}) = \sum_{j=2}^{9} u(x_j) \left\{ \left[\left(\sum_{i=j}^{9} p_i \right)^{\gamma} - \left(\sum_{i=j+1}^{9} p_i \right)^{\gamma} \right] - \left[\left(\sum_{i=j}^{9} q_i \right)^{\gamma} - \left(\sum_{i=j+1}^{9} q_i \right)^{\gamma} \right] \right\} + \varepsilon$$

We have to estimate $u(x_i)$, i = 2, 3, 4, 5, 6, 7, 8, 9, and γ. Note that if γ = 1 RP reduce to EU.

For rank-dependence with ´Quiggin` weighting function (RQ) the weighting function is given by $w(r) = r^{\gamma} / [r^{\gamma} + (1 - r)^{\gamma}]^{1/\gamma}$. This yields

$$\text{RQ:} \quad V^*(\mathbf{p}, \mathbf{q}) =$$

$$= \sum_{j=2}^{9} u(x_j) \left\{ \left[\frac{\left(\sum_{i=j}^{9} p_i \right)^{\gamma}}{\left[\left(\sum_{i=j}^{9} p_i \right)^{\gamma} + \left(1 - \sum_{i=j}^{9} p_i \right)^{\gamma} \right]^{1/\gamma}} - \frac{\left(\sum_{i=j+1}^{9} p_i \right)^{\gamma}}{\left[\left(\sum_{i=j+1}^{9} p_i \right)^{\gamma} + \left(1 - \sum_{i=j+1}^{9} p_i \right)^{\gamma} \right]^{1/\gamma}} \right] - \left[\frac{\left(\sum_{i=j}^{9} q_i \right)^{\gamma}}{\left[\left(\sum_{i=j}^{9} q_i \right)^{\gamma} + \left(1 - \sum_{i=j}^{9} q_i \right)^{\gamma} \right]^{1/\gamma}} - \frac{\left(\sum_{i=j+1}^{9} q_i \right)^{\gamma}}{\left[\left(\sum_{i=j+1}^{9} q_i \right)^{\gamma} + \left(1 - \sum_{i=j+1}^{9} q_i \right)^{\gamma} \right]^{1/\gamma}} \right] \right\} + \varepsilon$$

RQ reduces to EU if γ = 1. In the case of RQ we have to estimate $u(x_i)$ for i = 2, 3, 4, 5, 6, 7, 8, 9 and γ.

5. Results

In our analysis we can distinguish 15 different models given by the combination of the five preference functionals with the three different elicitation methods. Table A1 in the appendix is

concerned with the question which model represents individual preference best and reports for all of the 24 subjects the precise ranking of the models in terms of their goodness of fit (as measured by the Aikike criterion). Since it is difficult to observe a clear structure in this table it supports the hypothesis that "people are different". Nevertheless we calculated the average rankings[2] of all 15 models in order to evaluate their performance. Table 2 lists the single models ordered according to increasing average rank. The first conclusion which emerges from this table is the fact that BDM performs rather well since the models on the first three ranks are all based on BDM. Secondly, it seems to be obvious that RN has a rather poor performance since all models with RN are on the last ranks. The third and possibly the most important conclusion from table 3 is the fact that the performance of a preference functional depends crucially on the employed elicitation method. RQ is for instance, as for choice data analyzed in the study of Hey and Orme (1994), the best preference functional in terms of average rank. However, in the present study this is only true if RQ is combined with BDM. In contrast, combined with WTP or WTA, RQ turns out to be the worst model apart from RN. This clearly shows that there does not exist one "best" preference functional for all tasks but instead for different tasks different preference functional perform better. The last conclusion from table 2 which is also in line with the results of Hey and Orme (1994) is the fact that EU does not seem to perform substantially worse than the alternative preference functionals.

RQ BDM	RP BDM	EU BDM	DA WTP	DA BDM	RP WTP	DA WTA	EU WTP	EU WTA	RP WTA	RQ WTP	RQ WTA	RN BDM	RN WTA	RN WTP
6,083	6,125	6,292	6,417	6,833	7,167	7,542	7,667	7,875	7,917	8,042	8,375	9,375	11,625	12,125

Table 2: Average ranks of the single models

Since the performance of the single preference functionals depends on the employed elicitation method we analyzed in tables 3-5 each elicitation method separately. More precisely, table 3 lists for each preference functional the number of subjects for whom this preference functional is on the first, second, third, fourth, and last rank in terms of fit for WTP. The last row reports the average rank of each preference functional. Tables 4 and 5 contain the same information for WTA and BDM, respectively.

[2] When we calculated the average rankings two models got the same rank if they performed identical. If for example two models have the highest Aikike criterion they both get the first rank and the next model gets rank three. For this reason the average of the average ranks may differ from the rank average.

Tables 3-5 show that RN is for all elicitation methods the worst preference functional in terms of average ranks. For WTP and WTA DA turns out to be best while it performs rather poorly under BDM where RP turns out to be best. Since in DA a reference point plays a prominent role the bad performance of DA under BDM may possibly due to the fact that the reference point receives less attention under BDM as compared to WTP and WTA.

	WTP				
	RN	EU	DA	RQ	RP
1	6	3	6	7	2
2	0	4	8	7	6
3	0	9	3	5	10
4	1	8	4	3	6
5	17	0	3	2	0
Average	3.958	2.592	2.230	2.417	2.833

Table 3: Ranking of the preference functionals under WTP

	WTA				
	RN	EU	DA	RQ	RP
1	2	4	9	4	6
2	2	6	2	9	5
3	1	5	7	5	7
4	1	9	6	4	3
5	18	0	0	2	3
Average	4.292	2.792	2.417	2.625	2.667

Table 4: Ranking of the preference functionals under WTA

	BDM				
	RN	EU	DA	RQ	RP
1	3	3	4	6	10
2	0	8	4	5	8
3	1	6	7	9	6
4	0	7	8	4	0
5	20	0	1	0	0
Average	4.417	2.708	2.917	2.458	1.833

Table 5: Ranking of the preference functionals under BDM

The fact that RP is the best preference functional under BDM but performs rather poorly under WTP reinforces our conclusion from above that the performance of the single preference

functionals depends crucially on the elicitation method. Altogether, tables 3-5 also show that EU does not perform substantially worse than its alternatives.

Finally we are interested in the question which elicitation method is best for the single preference functionals. Corresponding information is provided in tables 6-10. For instance table 6 reports for each elicitation method the number of subjects for which this elicitation method is best, second best, and worst for RN. Tables 7-10 contain the same information for EU, DA, RQ, and RP respectively.

	RN		
	WTP	WTA	BDM
1	5	3	19
2	4	17	0
3	15	4	5
Average	2.417	2.042	1.417

Table 6: Ranking of the elicitation methods under RN

	EU		
	WTP	WTA	BDM
1	8	7	13
2	9	7	5
3	7	10	6
Average	1.958	2.125	1.708

Table 7: Ranking of the elicitation methods under EU

	DA		
	WTP	WTA	BDM
1	9	7	12
2	9	9	4
3	6	8	8
Average	1.875	2.042	1.833

Table 8: Ranking of the elicitation methods under DA

	RQ		
	WTP	WTA	BDM
1	9	7	12
2	7	9	5
3	8	8	7
Average	1.958	2.042	1.792

Table 9: Ranking of the elicitation methods under RQ

	RP		
	WTP	WTA	BDM
1	8	6	13
2	9	9	5
3	7	9	6

Average	1.958	2.125	1.958

Table 10: Ranking of the elicitation methods under RP

It turns out that BDM is always the best elicitation method both in terms of average rank and in terms of number of subjects for which a given elicitation method is best. Additionally, according to these two criteria, WTP is except for RN always better than WTA.

6 Conclusions

In this paper we have analyzed the empirical performance of several preference functional. The main difference with existing studies in the literature is the fact that we used pricing data instead of choice data. Our main results can be summarized as follows:

- The performance of the single preference functionals depends crucially on the elicitation method.
- EU does not perform substantially worse than its alternatives
- DA turns out to be the best preference functional under WTP and WTA while RP is best under BDM.
- BDM seems to be the best elicitation method and WTA the worst.

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Appendix

Rank	I	II	III	IV	V	VI	VII	VIII	IX	X	XI	XII	XIII	XIV	XV
Subject 1	RQ-BDM	EU-BDM	RP-BDM	DA-BDM	RN-BDM	DA-WTP	RP-WTP	EU-WTP	RQ-WTP	RP-WTA	DA-WTA	RQ-WTA	EU-WTA	RN-WTP	RN-WTA
Subject 2	RP-BDM	EU-WTA	RQ-BDM	RQ-WTA	RP-WTA	DA-WTA	EU-BDM	DA-BDM	RP-WTP	DA-WTP	RN-BDM	RQ-WTP	EU-WTP	RN-WTA	RN-WTP
Subject 3	EU-WTA	EU-BDM	DA-BDM	RP-WTA	RP-BDM	RQ-WTA	RQ-BDM	DA-WTA	RN-WTA	RN-BDM	RN-WTP	EU-WTP	RP-WTP	RQ-WTP	DA-WTP
Subject 4	EU-BDM	RQ-BDM	EU-WTA	RQ-WTA	RP-BDM	DA-BDM	DA-WTA	RP-WTA	RN-BDM	RN-WTA	DA-WTP	RP-WTP	RQ-WTP	EU-WTP	RN-WTP
Subject 5	RQ-WTA	RP-WTA	EU-WTA	DA-WTA	RQ-BDM	RP-BDM	EU-BDM	DA-WTP	DA-BDM	RP-WTP	RQ-WTP	EU-WTP	RN-BDM	RN-WTA	RN-WTP
Subject 6	RP-WTA	DA-WTA	RQ-WTA	EU-WTA	RP-WTP	DA-WTP	RQ-WTP	EU-WTP	RP-BDM	DA-BDM	RQ-BDM	EU-BDM	RN-BDM	RN-WTA	RN-WTP
Subject 7	DA-BDM	RP-BDM	RQ-BDM	EU-BDM	RN-BDM	DA-WTA	RN-WTA	RN-WTP	RP-WTA	RQ-WTP	EU-WTP	EU-WTA	DA-WTP	RQ-WTA	RP-WTP
Subject 8	EU-WTA	RQ-WTA	DA-WTA	RP-WTA	RQ-WTP	RP-WTP	EU-WTP	DA-WTP	RN-WTP	RN-WTA	DA-BDM	RP-BDM	RQ-BDM	EU-BDM	RN-BDM
Subject 9	RN-WTP	DA-WTP	EU-WTP	RQ-WTP	RP-WTP	DA-WTA	EU-WTA	RQ-WTA	RP-WTA	RN-WTA	DA-BDM	RQ-BDM	RP-BDM	EU-BDM	RN-BDM
Subject 10	RQ-BDM	EU-BDM	RP-BDM	DA-BDM	RN-BDM	RP-WTA	EU-WTA	DA-WTP	DA-WTA	RP-WTP	RQ-WTA	RN-WTA	EU-WTP	RQ-WTP	RN-WTP
Subject 11	DA-WTP	RP-WTP	RQ-BDM	EU-WTP	RQ-WTP	DA-WTA	RP-WTA	EU-BDM	RP-BDM	DA-BDM	RQ-WTA	EU-WTA	RN-BDM	RN-WTP	RN-WTA
Subject 12	DA-WTP	RQ-WTP	EU-WTP	RP-WTP	RQ-BDM	EU-BDM	DA-BDM	RP-BDM	RQ-WTA	EU-WTA	DA-WTA	RP-WTA	RN-WTA	RN-WTP	RN-BDM
Subject 13	EU-WTP	DA-WTP	RP-WTP	RQ-WTP	RQ-BDM	EU-BDM	RP-BDM	DA-BDM	RN-BDM	DA-WTA	RP-WTA	RQ-WTA	EU-WTA	RN-WTA	RN-WTP
Subject 14	EU-WTP	RP-WTP	RQ-WTP	DA-WTP	DA-WTA	RP-WTA	EU-WTA	RQ-WTA	RP-BDM	RQ-BDM	EU-BDM	DA-BDM	RN-WTA	RN-WTP	RN-BDM
Subject 15	RQ-WTA	RP-WTA	DA-WTA	EU-WTA	RP-WTP	RQ-WTP	DA-WTP	EU-WTP	RQ-BDM	RP-BDM	DA-BDM	EU-BDM	RN-BDM	RN-WTA	RN-WTP
Subject 16	RP-BDM	DA-BDM	RQ-BDM	RP-WTP	EU-BDM	DA-WTP	RQ-WTP	EU-WTP	DA-WTA	RP-WTA	EU-WTA	RQ-WTA	RN-BDM	RN-WTA	RN-WTP
Subject 17	DA-BDM	RQ-BDM	EU-BDM	RP-BDM	RN-BDM	RQ-WTA	RP-WTA	DA-WTA	EU-WTA	RN-WTA	EU-WTP	RQ-WTP	RP-WTP	RN-WTP	DA-WTP
Subject 18	EU-BDM	RQ-BDM	DA-BDM	RP-BDM	RN-BDM	RP-WTP	DA-WTP	RQ-WTP	RQ-WTA	EU-WTP	RP-WTA	EU-WTA	DA-WTA	RN-WTA	RN-WTP
Subject 19	RQ-BDM	EU-BDM	RP-BDM	DA-BDM	RQ-WTP	EU-WTP	RP-WTP	DA-WTP	RN-BDM	RP-WTA	RQ-WTA	EU-WTA	DA-WTA	RN-WTP	RN-WTA
Subject 20	RN-WTP	RN-BDM	RN-WTA	EU-WTP	EU-WTA	EU-BDM	DA-WTP	DA-WTA	DA-BDM	RP-WTP	RP-WTA	RP-BDM	RQ-WTP	RQ-WTA	RQ-BDM
Subject 21	RN-BDM	EU-BDM	DA-BDM	RP-BDM	RQ-BDM	RN-WTA	EU-WTA	RP-WTA	DA-WTA	RQ-WTA	RP-WTP	DA-WTP	EU-WTP	RQ-WTP	RN-WTP
Subject 22	RN-WTP	RN-BDM	EU-WTP	EU-BDM	DA-WTP	DA-WTA	DA-BDM	RP-WTP	RP-BDM	RQ-WTP	RQ-WTA	RQ-BDM	RN-WTA	EU-WTA	RP-WTA
Subject 23	RN-WTP	RQ-WTP	EU-WTP	RP-WTP	DA-WTP	DA-WTA	EU-WTA	RP-WTA	RN-WTA	RQ-WTA	RP-BDM	RQ-BDM	RN-BDM	EU-BDM	DA-BDM
Subject 24	RP-WTP	DA-WTP	RQ-WTP	RQ-BDM	DA-BDM	EU-BDM	RP-BDM	EU-WTP	RN-BDM	DA-WTA	RN-WTA	RQ-WTA	EU-WTA	RP-WTA	RN-WTP

Table A1: Overall rankings