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Demand and innovation: theory and evidence

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\textbf{Abstract}

While the extant innovation literature has provided extensive evidence of the so-called “demand-pull” effect, the possible diverse impact of demand evolution on product vs process innovation activities has not been yet investigated. This paper develops a formal model predicting a larger inducing impact of past sales in fostering product rather than process innovation. This prediction is then tested through a dynamic microeconometric model, controlling for R&D persistence, sample selection, observed and unobservable individual firm effects and time and sectoral peculiarities. Results are consistent with the model and suggest that an expansionary economic policy may benefit the diffusion of new products or even the emergence of entire new sectors.

\textbf{JEL codes:} O31

\textbf{Keywords:} technological change, R&D, demand-pull innovation, dynamic two tobit.

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1 Introduction

Back in the Sixties and the Seventies, a vivid debate has occurred between the supporters of the technology-push approach and those underlining the crucial role of demand (demand-pull approach) in fostering and shaping innovation. While the former (see Rosenberg, 1976, 1982; Freeman, 1982) focused on scientific and technological opportunities as necessary preconditions for a strongly path-dependent technological progress, the latter (Schmookler, 1962, 1966; Meyers and Marquis, 1969) pointed out that market conditions were at least as much as important in creating the right incentives for innovation.

Analytically, the technology-push perspective calls for identifying innovation as an autoregressive process, where the essential role of previous knowledge is captured together with the cumulative, localized and persistent nature of technology (see Atkinson and Stiglitz, 1969; Ruttan, 1997; Antonelli, 1998) and where the specific sectoral technological opportunities are properly taken into account (see Malerba and Orsenigo, 1996; Malerba, 2005; Klepper and Thompson, 2006).

Indeed, starting from the Eighties, innovation scholars have agreed that the technology-push and the demand-pull perspectives should be seen as complementary, since innovation is driven both by the intrinsic nature of science and technology and by market forces, primarily demand evolution (see Nelson and Winter, 1982; Dosi, 1988; Pavitt, 2005; Toselli, 2017; Di Stefano et al., 2012).

This paper will focus on the role of demand in differently affecting the incentives for product vs process innovation, albeit the proposed empirical test will fully take into account both the cumulative and persistent nature of innovation (represented by the an AR(1) specification of R&D investment, see Section 3) and the role of sectoral peculiarities (captured by sectoral dummies, see Section 3).

Indeed, there are different arguments supporting the view that rising demand may induce an increase in firms’ innovation efforts (see Schmookler, 1962, 1966): firstly, increasing sales allow the financing of expensive R&D and innovation activities (see Hall et al., 1999; O’Sullivan, 2005); secondly, the introduction of innovation is strongly subject to uncertainty, which is reduced by optimistic demand conditions (see Fontana and Guerzoni, 2008); thirdly, appropriability and potential profitability of innovation rise with market size (see Schumpeter, 1942; Kamien and Schwartz, 1982).

Previous literature has provided evidence supporting the demand-pull hypothesis both at the aggregate, sectoral and at the microeconomic (firm) level. The empirical debate started with the seminal contribution of Schmookler (1966), who - using US sectoral data - showed that the more investment there was in a user industry at a given time, the more patented capital goods innovation one observed in the supplying industry some time later. Scherer (1982) confirmed Schmookler’s results, after checking for seven technology class dummies in the US; however, the consideration of differences in technological opportunities (a way to take into account the
technology-push argument, see above) gave rise to a large increase in the fitness of his regressions, compared with the original ones put forward by Schmookler. Shifting the attention from patents to R&D investment (an ex-ante proxy of innovation, overcoming a possible objection of endogeneity\(^1\)) and using data on 46 Dutch sectors, Kleinknecht and Verspagen (1990) found evidence of a significant relationship between demand growth and R&D growth. Indeed, the endogeneity and reverse causality problems in the relationship between demand and innovation may also affect the link between aggregate demand evolution and technological change at the macroeconomic level; however, Geroski and Walters (1995) - using macroeconomic time series for the UK - found significant evidence that output caused innovation and patents, but no evidence of the reverse effect. Most recent studies have focused on the level of the firm, using microdata. For instance, using Community Innovation Survey (CIS) data from about 8,000 Dutch firms, Brouwer and Kleinknecht (1996) found that demand growth induces an increase in innovation output, measured both in terms of products new to the firm and products new to the sector. In a later study, the same authors (Brouwer and Kleinknecht, 1999) - using a panel of 441 Dutch firms - found a further confirmation of the demand-pull hypothesis. More recently, Piva and Vivarelli (2007) - using a longitudinal dataset of 216 Italian firms and controlling for the path-dependent nature of R&D - found a significant role of sales in fostering R&D, although this demand-pull effect turned out to be more or less effective according to different firm’s characteristics.

However, previous theoretical and empirical analyses failed to fully investigate whether the demand-pull driver is more or less effective in inducing product vs process innovation. This is an interesting theoretical issue, since process and product innovation have different impacts, with the former more linked to productivity gains while the latter enlarging markets or even creating new ones. Therefore, the two kinds of innovations involve different macro- and micro-economic implications and so it is relevant to know which of the two is more likely to be accelerated by an increase in demand. Moreover, to disentangle the demand-pull effect between process and product innovation may be of some interest for policy makers, as well (see Nemet, 2009; Peters et al., 2012). For instance, if demand is more important for product innovation and diffusion rather than for process innovation, governments may indeed play a role in promoting an economic policy combining a Keynesian perspective (increasing demand) with a Schumpeterian one (promoting those strands of demand fostering the introduction and diffusion of new products in emerging and high-tech sectors).

\(^1\)Since there is generally a lag between innovation and final patenting, the time span - detected by Schmookler - between investment (sales) in the user industry and patenting in the supplying industry might actually correspond to a simultaneous occurrence of innovation and increasing sales within the firms in the supplying industry. Therefore, a key methodological problem may arise: it can be rightly argued that innovative activity itself increases demand because of the accelerator effects associated with decreasing prices due to process innovation and/or increasing market share due to product innovation. Thus, the high correlations between demand and innovative evolution discovered by Schmookler might be affected by an endogeneity problem and actually pointing to a reverse causality between innovation and demand. If R&D expenditures are used instead of patents (as in the present study), this problem does not arise, since R&D expenditures will give raise to innovation in a later period.
This paper will try to fill this gap in the extant literature. Intuitively, process innovation are basically cost-cutting and so - although positively affected by demand evolution - they should be profitable in any case, while product innovation should be promoted and introduced only when demand perspectives are particularly promising. The second section of this paper will feature a formal model developing this intuition and indeed predicting a larger inducing impact of past sales in fostering product rather than process innovation. This theoretical prediction will be tested in Section 3, using a unique longitudinal micro-dataset. Section 4 will briefly conclude and discuss some policy implications.

2 The model

We consider an industry model, where \( n_f \) firms compete by offering a standard product. They can reduce their marginal production costs for that product by means of process innovation and can also invest in product innovation. Upon successful product innovation they add a horizontally and vertically differentiated product to their product range and produce this new product in addition to the standard one. It is assumed that the new product is a (partial) substitute of the old product. Two periods, \( t = 1, 2 \) are considered, where at \( t = 1 \) firms first engage in Cournot competition based on their current marginal production costs for the standard product \( c^s_{i,1}, i = 1, \ldots, n \) and then determine their investment in process and product innovation activities. At \( t = 2 \) firms engage again in Cournot competition based on their new production costs, and in case of a successful innovation at \( t = 1 \) on the extended product range. Firms choose product and process innovation effort in order to maximize expected profit in period \( t = 2 \) net of effort costs and in their optimization rely on naive expectations about the costs and product range of their competitors. In particular, firm \( i \) assumes that none of the competitors introduces a new product in \( t = 0 \) and also that \( c^s_{j,2} = c^s_{j,1} \) for all \( j \neq i \).

The inverse demand function for the standard product is given by

\[
p^s_t = \alpha - \beta \sum_{j=1}^n q^s_{j,t}, \quad \beta > 0,
\]

if no other product is offered, with \( q^s_{i,t} \) denoting the firms’ output quantity in period \( t = 1, 2 \). The parameter \( \alpha > 0 \) captures the strength of demand on the considered market. In case a new product is introduced in period \( t = 1 \), then in \( t = 2 \) the inverse demand system is

\[
\begin{align*}
p^s_2 &= \alpha - \beta \sum_{j=1}^n q^s_{j,2} - \gamma q^n_{i,2} \\
p^n_2 &= \alpha + \theta - \beta q^n_{i,2} - \gamma \sum_{j=1}^n q^s_{j,2},
\end{align*}
\]

where \( q^n_{i,2} \) denotes the output quantity the innovating firm \( i \) chooses for the new product, \( \gamma \in [0, \beta] \) governs the degree of horizontal differentiation between the standard and the new product and \( \theta \geq 0 \) determines the degree of vertical differentiation. Marginal production costs
for the new product are denoted by $c_{i,2}^s$. We assume that a firm’s efficiency in the production process for the new product is closely related to that firm’s efficiency in producing the standard product, which implies that, comparing costs across firms, $c_{i,2}^s$ should be closely correlated to $c_{i,1}^s$. Hence, we assume that $c_{i,2}^s = \xi c_{i,1}^s$ for some $\xi > 1$.\footnote{For reasons of simplicity it is assumed here that cost reductions due to process innovation for the standard product carried out in period $t = 1$ do not have an instantaneous effect on the production costs of the simultaneously introduced new product.}

Process innovation effort by firm $i$, denoted by $x_{i,1}$ reduces marginal production costs for the establishment product. In particular, we assume that

$$c_{i,2}^s = \text{Max}[c_{i,1}^s - \delta x_{i,1}, 0]$$

and the costs of process innovation are given by $\chi(x_{i,1}) = \frac{a}{2}x_{i,1}^2$. The parameter $\eta$ is assumed to be sufficiently large to guarantee that the optimal process innovation effort satisfies $x_{i,1} \leq \frac{c_{i,1}}{\delta}$ for all $i$.

The probability for a successful product innovation is given by $\min[a, y_{i,1}]$ with $a > 0$ and $y_{i,1}$ denoting the product innovation effort. Analogous to process innovation we also assume quadratic costs of product innovation given by $\zeta(y_{i,1}) = \frac{\eta}{2}y_{i,1}^2$.

Standard calculations yield that the quantity of firm $i$ in the Cournot equilibrium at $t = 1$ is given by\footnote{In what follows we restrict attention to cases where all firms produce positive quantities in the Cournot equilibrium.}

$$Q_{i,1}^s = \frac{\alpha - n(c_{i,1}^s - \delta x_{i,1}) + C_{-i,1}^s}{\beta(n + 1)}, \quad \pi_{i,2}^n = \frac{(\alpha - n(c_{i,1}^s - \delta x_{i,1}) + C_{-i,1}^s)^2}{\beta(n + 1)^2}. \quad (3)$$

Under the condition that the new product is introduced by firm $i$ the quantities in the Cournot equilibrium are

$$q_{i,2}^{s, I} = \frac{2\alpha(\beta^2 - \gamma^2) + (n + 1)\gamma(\alpha \gamma - (\alpha + \theta)) - (2n\beta^2 - (n - 1)\gamma^2)(c_{i,1}^s - \delta x_{i,1}) + 2(\beta^2 - \gamma^2)C_{-i,1} + (n + 1)\beta \gamma c_{i,1}^s}{2\beta(\beta^2 - \gamma^2)(n + 1)}$$

$$q_{i,2}^{n, I} = \frac{\beta(\alpha + \theta) - \alpha \gamma - \beta \gamma c_{i,1}^s + \gamma(c_{i,1}^s - \delta x_{i,1})}{2(\beta^2 - \gamma^2)}. \quad (4)$$

The expected profit of the firm under this condition is given by

$$\pi_{i,2}^I = q_{i,2}^{s, I}(p_{2}^s - c_{i,1}^s + \delta x_{i,1}) + q_{i,2}^{n, I}(p_{2}^n - \xi c_{i,1}^s),$$

where $p_{2}^s, p_{2}^n$ are determined according to (1). Overall, firm $i$ chooses its innovation activities
in period $t = 1$ such that the following expected profit function is maximized:

$$\pi_i(x_{i,1}, y_{i,1}) = (1 - \min[a_{y_{i,1}}, 1])\pi_{i,1}^{NI} + \min[a_{y_{i,1}}, 1]\pi_{i,1}^I - \chi(x_{i,1}) - \zeta(y_{i,1})$$

For the extreme cases where the effectiveness of either process innovation or product innovation activities are zero the optimal innovation profiles can be characterized analytically.

**Proposition 1** If no product innovation is possible, i.e. $a = 0$, then the optimal profile of innovation activities is given by

$$x_{i,1}^* = \frac{2\delta n(n+1)}{\beta \eta(n+1)^2 - 2\delta^2 n^2} q_{i,1}^{*s}, \quad y_{i,1}^* = 0.$$ 

If no process innovation is possible, i.e. $\delta = 0$, then the optimal profile of innovation activities is given by

$$x_{i,1}^* = 0, \quad y_{i,1}^* = \frac{a(\beta^2 - \gamma^2)}{\kappa \beta}(q_{i,2}^{n,I})^2.$$ 

The Proposition (the proof of which is provided in Appendix A3) shows that in industries dominated by process innovation we should expect a linear relationship between past sales and innovation expenditures, whereas for product innovators incentives for engaging in such activities are positively related to the firm’s expected sales of the new product. Since the strength of demand affects sales of the standard as well as the new product, this relationship suggests a positive relationship also between past sales and product innovation expenditures.

To obtain a testable outcome in terms of a possible diversified effect of the demand-pull over the incentive to spend in innovation activities separately for product and process innovation (see next section), in what follows we consider the elasticity of innovation expenditures with respect to past sales if the dynamics of sales is triggered by a variation the strength of demand $\alpha$.\(^4\) More formally, we define

$$\epsilon_{i,\text{proc}} = \frac{\partial x_{i,1}^*}{\partial q_{i,1}^{*s}} \frac{q_{i,1}^{*s}}{x_{i,1}^*} = \frac{\partial x_{i,1}^*}{\partial \alpha} / \frac{\partial q_{i,1}^{*s}}{\partial \alpha} \frac{q_{i,1}^{*s}}{x_{i,1}^*}$$

and

$$\epsilon_{i,\text{prod}} = \frac{\partial y_{i,1}^*}{\partial q_{i,1}^{*s}} \frac{q_{i,1}^{*s}}{y_{i,1}^*} = \frac{\partial y_{i,1}^*}{\partial \alpha} / \frac{\partial q_{i,1}^{*s}}{\partial \alpha} \frac{q_{i,1}^{*s}}{y_{i,1}^*}$$

From Proposition 1 we obtain immediately that the elasticity of process innovation expenditures for the special case without product innovation is given by $\epsilon_{i,\text{proc}} = 1$, whereas in the

\(^4\)Alternatively, one could consider the elasticity of innovation expenditures with respect to past sales if the dynamics of sales of firm $i$ is triggered by a variation of its competitiveness, expressed by the marginal costs $c_{i,1}^f$. We have carried out the entire analysis also for elasticities based on a variation of the parameter $c_{i,1}^f$ and there are no qualitative differences between the results obtained in that case and the ones reported below.
absence of process innovation the elasticity of product innovation expenditures can be calculated as

$$
\epsilon_{prod}^i = \frac{2\left(\alpha - nc_{i,1}^s + C^s_{-i,1}\right)}{\alpha + \frac{\beta - \gamma}{\beta - \gamma} \xi_{i,1} - \beta - \gamma c_{i,1}^s}.
$$

(5)

Clearly, also this elasticity is positive and whether it is smaller or larger than the elasticity of process innovation in principle depends on the characteristics of the considered market and of firm $i$. However, several general observations can be made. Taking into account that $\xi > 1$, it follows that in a market in which (first period) production costs for the standard product are symmetric across firms, i.e. $C^s_{-i,1} = (n-1)c_{i,1}^s$, the elasticity of product innovation with respect to past sales is larger than one, and therefore larger than the elasticity of process innovation, if the vertical differentiation of the new product is small, i.e. if $\theta$ is close to zero. The elasticity of product innovation of firm $i$ decreases for an increasing degree of vertical differentiation of the new product $\theta$. Also an increase of the marginal production costs of the firm, $c_{i,1}^s$, induces a decrease of the elasticity of product innovation with respect to past sales as long as degree of horizontal differentiation between the standard and the new product is sufficiently high, i.e. $\beta - \gamma$ is not too small.

The intuition for these observations follows from the expressions for optimal product and process innovation efforts given in Proposition 1. Since process innovation reduces unit costs for the standard product, the incentives to invest are proportional to past sales, which are the estimator for future sales. Expected profits resulting from the introduction of a new product are convex in the market size, such that size of the product innovation expenditures, which increase the probability to be able to introduce the new product, is convex in the strength of demand. Hence, the elasticity of investment with respect to past sales tends to be larger for product than for process innovation.

To get more detailed insights into the factors that determine the sizes of these two elasticities and to deal also with the the general case, in which firm $i$ engages in both product and process innovation we rely on a numerical analysis.\(^5\)

In Figure 1 we show the two elasticities for varying strength of demand $\alpha$.\(^6\) It can be clearly seen that not only both elasticities are positive, but also the elasticity of product innovation expenditures with respect to past sales is larger than that of process innovation activities. The gap between the elasticities becomes larger as the strength of demand increases. Hence, this figure confirms our conclusions based on the extreme cases covered in Proposition 1 and suggests

\(^5\)Indeed, for the case with both types of innovative activities an analytical characterization of the relationship between past sales and innovation expenditures is no longer possible.

\(^6\)The parameter setting used in this illustration is $n = 5, \beta = 0.2, \gamma = 0.1, \theta = 0.15, \delta = 0.1, n = 0.7, \eta = 25, \kappa = 40, C^s_{-i,1} = 0.8, c_{i,1}^s = 0.2, \xi = 1.5$. This setting has been chosen to generate equilibrium outcomes that are compatible with empirically plausible stylized facts. In particular, under this parameter setting the Lerner Index for the standard product in equilibrium is $(p^*_i - c_{i,1}^s)/p^*_i = 0.4$ and the R&D intensity is about 11%, where R&D activities are approximately evenly distributed between product and process innovation. Hence, we consider a rather innovative oligopolistic industry, in which firms have substantial market power.
that the elasticity of product innovation is indeed larger than that of process innovation also for firms that simultaneously engage in both type of innovation activities.

To check the robustness of these findings, in Figure 2 we explore how the elasticities of the two types of innovation activities depend on different key model parameters. With respect to the strength of demand we now always assume that the reservation price parameter is given by $\alpha = 1$. In the two panels in the first row the effect of changes in the effectiveness of product and process innovation is considered, in the two panels in the second row the parameters for horizontal and vertical product differentiation between the new and the standard product are varied and in the third row we explore the effect of changing the slope of the inverse demand function and the production costs of firm $i$.

It can be clearly seen that the effectiveness of product and process innovation has almost no influence on the elasticity of product and process innovation activities with respect to past sales. The degree of horizontal and vertical differentiation of the new from the standard product has some influence. In particular, as predicted also in our analytical considerations above, the elasticity of product innovation activities becomes smaller the more strongly vertically differentiated the new product is. Intuitively, such an increase in differentiation increases the product innovation expenditures of the firm without increasing the sales or profits of the firm in period $t = 1$. In such a scenario, where the fraction of period 1 profits spent for innovation is particularly high, the change of innovation expenditures induced by an increase of $\alpha$ is relatively small compared to the total innovation expenditures. Therefore the elasticity of expenditures with respect to past sales is relatively small. Whether an increase in the degree of horizontal differentiation, i.e. a decrease of $\gamma$, increases or decreases the expected profit of product innovation depends on the degree of vertical differentiation. For small values of $\theta$ this expected profit goes up, whereas for large values of $\theta$ the expected profit from a new product
Figure 2: Elasticity of product innovation (solid line) and process innovation (dashed) expenditures for a variation of the effectiveness of product innovation (a), effectiveness of process innovation (b), degree of horizontal differentiation (c), vertical differentiation (d), slope of the inverse demand (e) and marginal production costs of the considered firm (f).
introduction becomes larger the lower the degree of horizontal differentiation of the new product is. Hence, it depends on the size of $\theta$ whether the elasticity of product innovation expenditures increases or decreases with $\gamma$. For the default parameter setting depicted in Figure 2, the degree of vertical differentiation is sufficiently strong such that the elasticity decreases with $\gamma$. We have verified numerically that this relationship indeed turns around if $\theta$ is smaller. However, in any case the elasticity of product innovation is larger than that of process innovation. Due to essentially the same arguments just discussed with respect to changes of $\gamma$ also the monotonicity of the elasticity with respect to $\beta$ depends on the size of $\theta$. For the default scenario the elasticity is increasing in $\beta$, whereas it is decreasing for small values of $\theta$.

If we vary production costs of the considered firm, $c_{i,1}$, then this has the strongest effect on the elasticities of innovation expenditures among all parameter variations. The elasticity of product innovation decreases substantially as $c_{i,1}$ increases, but for the elasticity of process innovation for firm $i$ to be larger than that of product innovation the firm’s production costs have to be close to $c_{i,1} = 0.3$, which is 50% higher than the average costs in the industry. For such a large cost value the firm’s profit on the established market are so low that the ratio of R&D expenditures to profit would be close to 0.3, which seems to be a rather extreme value. Hence, also in this respect the observation that product innovation investments react more sensitively to demand variations than process innovation investments is confirmed for the empirically relevant parameter range.

Comparing the results from our numerical analysis for firms engaging in product and process innovation with our discussion of the analytical expression (5) shows that the insights obtained for firms engaging either only in product or only in process innovation are qualitatively identical to those for firms simultaneously investing in both activities. The interplay between these activities does hardly affect the elasticity of product respectively process innovation with respect to past sales.

On the whole, key predictions of our theoretical model are that the elasticities of both types of innovation activities with respect to past sales are positive and that, with the exception of firms characterized by particularly high R&D intensities, we expect that the elasticity of product innovation expenditures is larger than that of process innovation expenditures. Recalling the discussion in Section 1, our model predicts a positive and significant impact of the demand-pull over the expenditures addressed to both product and process innovation. However, this effect is expected as significantly larger in the case of product rather than process innovation.

3 The empirical evidence

The unique database used in this study is based on the Encuesta Sobre Estrategias Empresariales (ESEE), a survey on business strategies which has been run yearly since 1990 by the SEPI foundation, on behalf of the Spanish Ministry of Industry. This survey comprises extensive information on about 2,000 companies, with a focus on innovation activity. Based on
longitudinal data, the survey is characterized by the systematic tracking of changes in firms’
characteristics (such as changes of legal status, mergers, splitting, acquisitions, etc.), in order
to check the information provided by the firms and to preserve their reliability and consistency
over time.

The adopted sampling procedure in designing the ESEE ensures representativeness for each
two-digit NACE-CLIO manufacturing sector, following both exhaustive (firms with more than
200 employees, equal to 715 in 1990) and random sampling criteria (specifically, in 1990 a
sample of 1,473 firms employing between 10 and 200 employees was built, using a stratified,
proportional, restricted and systematic sampling method with a random start). Furthermore
- in order to guarantee a persistent level of representativeness and to preserve the inference
properties - start-up companies have been incorporated in the survey year by year, according
to the same random sampling criteria.\(^7\)

In this study, we consider ESEE data for the period 1991 to 2012. The original longitudinal
dataset - once taken into account missing information and the occurrence of mergers and ac-
quisions - comprised 36,032 observations. Then, given the purpose of this study, we restricted
our attention to the firms engaged in process and/or product innovation, ending up with an
unbalanced panel of 13,815 observations.

The proposed specification tests the demand-pull hypothesis through the link between current
R&D expenditures and our key regressor (sales) lagged one period. As far as the technol-
gy-push hypothesis is concerned (see Section 1), the role of firm’s knowledge stock and the per-
sistent nature of technological change are taken into account by the inclusion of the lagged
dependent variable. Controls include: 1) firm’s size (measured through employment) - since
larger firms are more likely to have their own R&D department performing formalized R&D ac-
tivities and should be less constrained in financing costly and uncertain R&D investments (see
Cohen and Levin, 1989; Cohen, 2010; Cohen and Klepper, 1996; Olivari, 2016); 2) firm’s age,
since more experienced incumbents are more likely to massively invest in R&D (see Huergo
and Jaumandreu, 2004; Artés, 2009); 3) company’s belonging to a business group (dummy
variable), since firms taking part to a business group have more opportunities to share the
uncertainty implied by innovation activities (see Filatotchev et al., 2003); 4) year and sectoral
dummies, the latter taking into account sector-specific technological opportunities (see Section
1). Therefore, our econometric test will be based on the following specification:

\[
y_{i,t} = c + \beta_1 \ln R&D_{i,t-1} + \beta_2 \ln Sales_{i,t-1} + \beta_3 \ln Emp_{i,t} + \beta_4 \ln Age_{i,t} + \beta_5 \text{Group}_{i,t} + (\delta_i + \epsilon_{i,t}). \tag{6}
\]

where \(\delta_i\) is the time-invariant unobserved individual effect and \(\epsilon_{i,t}\) is the idiosyncratic error

However, as common in innovation studies, the explanation of R&D expenditures has to

\(^7\)Many studies have used ESEE as a reliable data source and provide evidence of its representativeness (see,
for instance, González et al., 2005; López, 2008).
take into account both the persistent (dynamic) nature of such expenditures (see Section 1) through the inclusion of the lagged dependent variable and the occurrence of sample selection in between those firms engaging in R&D and those that are inactive (see Crepon et al., 1998; Mohnen and Hall, 2013). Therefore, eq.1 should be split into a binary selection equation - where the choice to engage in R&D is investigated - and a main equation where the intensity of R&D investment is explained. The resulting simultaneous two-equation model has been tested through a dynamic type-2 tobit estimator, recently proposed by Raymond et al. (2010); formal details about this estimator are discussed in the Appendix A1.8

Taking into account what discussed in Section 1 and what put forward through the model illustrated in the previous section, we expect: 1) consistently with the technology-push approach, overall persistence in R&D expenditures (that is a positive and significant coefficient in all the estimates); 2) consistently with the demand-pull approach, an overall support of demand as a driver of innovation (that is a positive and significant coefficient in all the estimates); 3) however, consistently with our model, the magnitude of this latter effect is expected to be larger for the product-only innovators rather than for the process-only innovators (that is a coefficient larger and possibly more significant in the case of companies exclusively devoted to product innovation); 4) consistently with the extant literature (see above) a confirmation of the positive links between company’s size, age and group belonging on the one side and R&D investment on the other side (that is positive and significant coefficients: $\beta_3$, $\beta_4$ and $\beta_5$).

Table 1 reports the econometric results for the whole sample and separately for those firms only engaged in process innovation and those only engaged in product innovation.

As can be seen, the lagged dependent variable is positive and highly significant (99% level of confidence) all over the different estimates and both in the selection and in the main equation; this is a further proof of the path-dependent and auto-regressive nature of the R&D investment and it is fully consistent with the technology-push hypothesis.

Also consistent with the extant literature are the outcomes concerning the role of firm’s size, age and group belonging in spurring innovation, at least as far as the main equation and the entire sample are concerned.

Turning our attention to the main focus of this work and looking at the entire sample, the demand-pull hypothesis appears to be supported at least as the main equation is concerned: while past sales positively (but not significantly) affect the decision to invest in R&D, they significantly (at 99% of statistical confidence) increase the amount spent in R&D expenditures. However, consistently with the prediction of our model (see previous section), this latter effect is obviously larger in the case of the firms only engaged in product innovation (elasticity equal to 0.277), rather than in their counterparts only engaged in process innovation (elasticity equal to 0.129). Moreover, the coefficient is significant at the 99% level of confidence in the product-only case and only at the 95% level in the process-only one. Finally, the statistical significance of

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8Descriptive statistics are also provided in the Appendix A2 (Table A1).
Table 1: Results from the dynamic type 2 tobit estimates

<table>
<thead>
<tr>
<th>Selection Equation</th>
<th>Total</th>
<th>Only Process</th>
<th>Only Product</th>
</tr>
</thead>
<tbody>
<tr>
<td>R&amp;D dummy t-1</td>
<td>1.806*** (0.066)</td>
<td>2.038*** (0.082)</td>
<td>2.312*** (0.143)</td>
</tr>
<tr>
<td>Ln Sales t-1</td>
<td>0.040 (0.046)</td>
<td>0.014 (0.058)</td>
<td>0.043 (0.093)</td>
</tr>
<tr>
<td>Ln emp t-1</td>
<td>0.242*** (0.057)</td>
<td>0.285*** (0.071)</td>
<td>0.126 (0.110)</td>
</tr>
<tr>
<td>Ln Age</td>
<td>0.067 (0.044)</td>
<td>0.050 (0.052)</td>
<td>0.177** (0.082)</td>
</tr>
<tr>
<td>Group</td>
<td>-0.003 (0.079)</td>
<td>0.075 (0.095)</td>
<td>0.050 (0.152)</td>
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<tr>
<td>Constant</td>
<td>-3.251*** (0.324)</td>
<td>-3.164*** (0.371)</td>
<td>-2.238*** (0.633)</td>
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<td>N of Obs</td>
<td>13,875</td>
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<tr>
<th>Main Equation</th>
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<tr>
<td>ln(R&amp;D exp.) t-1</td>
<td>0.225*** (0.014)</td>
<td>0.314*** (0.021)</td>
<td>0.320*** (0.024)</td>
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<tr>
<td>Ln Sales t-1</td>
<td>0.271*** (0.039)</td>
<td>0.129** (0.053)</td>
<td>0.277*** (0.066)</td>
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<tr>
<td>Ln emp t-1</td>
<td>0.313*** (0.047)</td>
<td>0.446*** (0.064)</td>
<td>0.233*** (0.080)</td>
</tr>
<tr>
<td>Ln Age</td>
<td>0.075** (0.037)</td>
<td>0.038 (0.048)</td>
<td>-0.032 (0.058)</td>
</tr>
<tr>
<td>Group</td>
<td>0.197*** (0.055)</td>
<td>0.079 (0.080)</td>
<td>0.217** (0.089)</td>
</tr>
<tr>
<td>Constant</td>
<td>-2.109*** (0.267)</td>
<td>-1.816*** (0.357)</td>
<td>-1.668*** (0.407)</td>
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<td>N of Obs</td>
<td>7,853</td>
<td>3,037</td>
<td>1,508</td>
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<th>Extra Parameters</th>
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<tbody>
<tr>
<td>In.con. (R&amp;D dummy)</td>
<td>0.567*** (0.090)</td>
<td>0.507*** (0.107)</td>
<td>0.366** (0.160)</td>
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<tr>
<td>In.con. (Ln R&amp;D)</td>
<td>0.098*** (0.012)</td>
<td>0.091*** (0.016)</td>
<td>0.053*** (0.019)</td>
</tr>
<tr>
<td>ρ_{u1u2}</td>
<td>0.147** (0.071)</td>
<td>0.149* (0.081)</td>
<td>-0.129 (0.135)</td>
</tr>
<tr>
<td>ρ_{ε1t1}</td>
<td>0.456*** (0.052)</td>
<td>0.575*** (0.072)</td>
<td>0.676*** (0.118)</td>
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<tr>
<td>σ_{u1}</td>
<td>-0.669*** (0.105)</td>
<td>-0.654*** (0.151)</td>
<td>-0.796** (0.347)</td>
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<tr>
<td>σ_{u2}</td>
<td>-0.520*** (0.043)</td>
<td>-0.567*** (0.073)</td>
<td>-0.674*** (0.084)</td>
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<tr>
<td>σ_{ε2}</td>
<td>-0.055*** (0.016)</td>
<td>-0.034 (0.025)</td>
<td>-0.142*** (0.032)</td>
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</tbody>
</table>

Notes: Standard errors in brackets.
***, ** and * indicate significance at 1%, 5% and 10% level, respectively. All regressions include time and industries dummies (results available upon request).

the difference between the two estimated coefficients account at 90% (t-statistics equal to 1.75).
Taken together, these outcomes offer a considerable support to the prediction of our model: indeed, the demand-pull effect is overall important, but stronger when product innovation is involved.
4 Conclusion

Consistently with the most updated view put forward by innovation scholars, this study provides further evidence that both the technology-push and the demand-pull hypotheses play an important role in explaining innovation activities, here represented by the R&D expenditures. However, the extant literature does not provide any clue about the possible diverse impact of demand evolution on product vs process innovation activities. This paper fills this gap and proposes a formal model where past sales foster both product and process innovation expenditures, but with the product elasticity systematically larger than the process one.

This theoretical prediction is tested through a dynamic microeconometric model controlling for R&D persistence, sample selection, observed and unobservable individual firm effects and time and sectoral peculiarities. Results are consistent with the model and reveal a larger impact of past sales over the product innovative expenditures rather than the process ones.

This outcome has an important policy implication. Indeed, policy makers should be aware that the demand-pull leverage is particularly crucial for product innovation. Therefore, if the diffusion of new products or even the emergence of entire new sectors are assumed as targets, a tailored expansionary policy might be seen as a proper and effective strategy.
Appendix

A1) The econometric methodology

The econometric test put forward in this study is based on a new estimator proposed by (Raymond et al., 2010). In particular, we test the role of past sales on both the conditional firms binary choice whether to engage in R&D activity or not, and the subsequent decision concerning how much to invest in R&D. Using a notation similar to Raymond et al. (2010, p. 499), we thus have:

\[ d_{i,t} = 1[\theta d_{t-1} + \delta' Z_{i,t} + \alpha_{1i} + \epsilon_{1i,t} > 0], \tag{7} \]

\[ y_{i,t} = \begin{cases} \delta y_{i,t} + \beta' X_{i,t} + \alpha_{2i} + \epsilon_{2i,t} & \text{if } d_{i,t} = 1 \\ 0 & \text{if } d_{i,t} = 0 \end{cases}, \tag{8} \]

Equation 7 is the selection equation and it models the discrete strategic decision of firm \( i \) to invest in R&D activities (or not) as a function of its past R&D decision (\( d_{t-1} \)), a battery of exogenous explanatory variables (\( Z_{i,t} \)), time-invariant unobserved individual effects (\( \alpha_{1i} \)) and an idiosyncratic error term (\( \epsilon_{1i,t} \)). The main equation 7 represents the subsequent decision of the innovative firm \( i \) (conditional on: \( d_{i,t} = 1 \)) on how much to invest in R&D as a function of its past R&D expenditures (\( y_{i,t} \)), its characteristics (\( X_{i,t} \)), time-invariant unobserved individual fixed effects (\( \alpha_{2i} \)) and an idiosyncratic error term (\( \epsilon_{2i,t} \)) independent of \( X_{i,t} \). The simultaneous estimation of the two dynamic eqs. 7 and 8 has to take into account three key methodological problems: firstly, the occurrence of sample selection; secondly, the presence of unobserved firm’s specific individual effects; thirdly, the possible correlation between the initial conditions and the individual effects, since the first observation referring to a dynamic variable is also determined by the same data generation process.

Indeed, (Raymond et al., 2010) propose an estimator that jointly solves these problems; in particular, the individual error terms, (\( \alpha_{1i} \)) and \( \alpha_{2i} \), are assumed to have a joint distribution and a random-effects approach is put forward. Moreover, the problem associated with the initial conditions is taken into account assuming that the unobserved firm-specific effects depend on the initial conditions and on the exogenous variables:\(^{10}\)

\[ a_{1i} = b_{1i}^0 + b_{1i}^1 d_{i0} + b_{1i}^2 Z_i + u_{1i}, \tag{9} \]

\[ a_{2i} = b_{2i}^0 + b_{2i}^1 y_{i0} + b_{2i}^2 X_i + u_{2i}, \tag{10} \]

\(^9\)The focus of (Raymond et al., 2010) is the analysis of persistence both in the binary decision to engage in R&D activity and in the subsequent decision about how much to spend in R&D.

\(^{10}\)As qualified by (Raymond et al., 2010, p. 500), this solution - dealing with this specific aspect of the adopted model - was originally put forward by (Wooldridge, 2005).
where $b_0^1$ and $b_0^2$ are constants, $d_{i0}$ and $\gamma_{i0}$ are the initial values of the dependent variables and $Z_i$ and $X_i$ are (Mundlak, 1978) within-means of $Z_{it}$ and $X_{it}$. Moreover, the vectors ($\epsilon_{1i,t}$, $\epsilon_{2i,t}$) and ($u_{1i}$ and $u_{2i}$) are assumed to be independently and identically (both over time and across individuals) normally distributed with means 0 and covariance matrices, equal to:

$$
\Omega_{\epsilon_{1,2}} = \begin{pmatrix}
1 & \rho_{\epsilon_{1,2}} \sigma_{\epsilon_{2}} \\
\rho_{\epsilon_{1,2}} \sigma_{\epsilon_{2}} & \sigma_{\epsilon_{2}}
\end{pmatrix}
$$

and

$$
\Omega_{u_{1,2}} = \begin{pmatrix}
1 & \rho_{u_{1,2}} \sigma_{u_{2}} \\
\rho_{u_{1,2}} \sigma_{u_{2}} & \sigma_{u_{2}}^2
\end{pmatrix}
$$

Therefore, the resulting likelihood function of a given firm $i$, starting from $t = 1$ and conditional on the covariates and the initial conditions, can be written as:

$$
L_i = \int_{-\infty}^{+\infty} \int_{-\infty}^{+\infty} \prod_{t=1}^{T} L_{it}(d_{it}, \gamma_{it} \mid d_{i0}, d_{i,t-1}, Z_i, \gamma_{i0}, \gamma_{i,t-1}, X_i, u_{1i}, u_{2i}) g(u_{1i}, u_{2i}) du_{1i} du_{2i}
$$

where $\prod_{t=1}^{T} L_{it}(d_{it}, \gamma_{it} \mid d_{i0}, d_{i,t-1}, Z_i, \gamma_{i,t-1}, X_i, u_{1i}, u_{2i})$ is the likelihood function, once the individual firm-specific effects have been integrated out and can be treated as fixed; while $g(u_{1i}, u_{2i})$ is the bivariate normal density function of ($u_{1i}, u_{2i}$)

Furthermore, to properly take into account sample selection, equations 7 and 8 are jointly estimated through a conditional maximum likelihood estimator and are correlated through the individual effects ($\rho_{u_{1,2}} \neq 0$) and the idiosyncratic error terms ($\rho_{\epsilon_{1,2}} \neq 0$). In particular, the 'overall' correlation between the two equations turns out to be:

$$
\rho_{\text{tot}} = \frac{\rho_{u_{1,2}} \sigma_{u_{1}} \sigma_{u_{2}} + \rho_{\epsilon_{1,2}} \sigma_{\epsilon_{2}}}{\sqrt{(\sigma_{u_{1}}^2 + 1)(\sigma_{u_{2}}^2 + \sigma_{\epsilon_{2}}^2)}}
$$
A2) Descriptive statistics

<table>
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<th>Total Sample</th>
<th>Only Proc.</th>
<th>Only Prod.</th>
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<tr>
<td>R&amp;D dummy</td>
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<td>0.42</td>
<td>0.63</td>
</tr>
<tr>
<td>(0.50)</td>
<td>(0.49)</td>
<td>(0.48)</td>
<td></td>
</tr>
<tr>
<td>ln(R&amp;D exp.)</td>
<td>2.98</td>
<td>2.08</td>
<td>3.18</td>
</tr>
<tr>
<td>(3.01)</td>
<td>(2.78)</td>
<td>(2.86)</td>
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</tr>
<tr>
<td>R&amp;D dummy t-1</td>
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<td>0.42</td>
<td>0.60</td>
</tr>
<tr>
<td>(0.50)</td>
<td>(0.49)</td>
<td>(0.49)</td>
<td></td>
</tr>
<tr>
<td>ln(R&amp;D exp.) t-1</td>
<td>2.93</td>
<td>2.10</td>
<td>3.03</td>
</tr>
<tr>
<td>(3.02)</td>
<td>(2.80)</td>
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<tr>
<td>Ln Sales t-1</td>
<td>9.08</td>
<td>8.81</td>
<td>8.73</td>
</tr>
<tr>
<td>(1.94)</td>
<td>(1.89)</td>
<td>(1.88)</td>
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<tr>
<td>Ln emp t-1</td>
<td>4.60</td>
<td>4.39</td>
<td>4.31</td>
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<tr>
<td>(1.48)</td>
<td>(1.42)</td>
<td>(1.42)</td>
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<td>Ln Age</td>
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<td>(0.83)</td>
<td>(0.84)</td>
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<td></td>
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<tr>
<td>Group</td>
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<td>0.35</td>
</tr>
<tr>
<td>(0.49)</td>
<td>(0.48)</td>
<td>(0.48)</td>
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<tr>
<td>N</td>
<td>13,815</td>
<td>7,226</td>
<td>2,383</td>
</tr>
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</table>

A3) Proof of Proposition 1

Assume first that $a = 0$. Under this assumption the firm’s objective function reduces to

$$\pi_i(x_{i,1}, y_{i,1}) = \pi_{i,2}^{NI} - \xi(x_{i,1}) - \zeta(y_{i,1})$$

and therefore obviously $y_{i,1} = 0$ is optimal. Maximizing with respect to $x_{i,1}$ we obtain the first order condition

$$\frac{\partial \pi_i}{\partial x_{i,1}} = \frac{2n\delta}{n + 1} \left( q_{i,1}^{*s} + \frac{\delta n}{\beta(n + 1)} x_{i,1} \right) - \eta x_{i,1} = 0$$

Solving for $x_{i,1}$ yields the expression for $x_{i,1}^{*s}$ in the first part of the Proposition.

Considering the case where $\delta = 0$, it follows directly that $x_{i,1}^{*s} = 0$. The first order condition with respect to $y_{i,1}$ is given by

$$\frac{\partial \pi_i}{\partial y_{i,1}} = a \Delta \pi_i^{NI} - \kappa y_{i,1} = 0,$$

where $\Delta \pi_i^{2} = \pi_{i,2}^{I} - \pi_{i,2}^{NI}$. Using (2),(3) and (4) it is easy to check that for $x_{i,1} = 0$ we have

$$q_{i,1}^{*s,NI} = q_{i,1}^{*s} = q_{i,2}^{*I} + \frac{\gamma}{\beta} q_{i,2}^{nI}.$$  \hspace{1cm} (13)
Considering the best reply quantities of the competitors of firm $i$, it is easy to see that the above equality implies that the competitors’ output is identical in the cases with and without product innovation by firm $i$, i.e.

$$
\sum_{j \neq i} q_{s,j}^s = \sum_{j \neq i} q_{s,j}^{s,NI} = \frac{(n-1)\alpha + (n-1)c_{i,1}^s - 2C_{i,1}^s}{\beta(n+1)}.
$$

Together, these observations directly imply that $p_1^s = p_2^{s,NI} = p_2^s$.

Therefore, the difference in profit for firm $i$ between the scenarios without and with product innovation can be rewritten as

$$
\Delta \pi_{i,2} = (q_{s,i,2}^s - q_{s,i,2}^{s,NI})(p_1^s - c_{i,1}^s) + q_{n,i,2}^{n,I}(p_2^{n,I} - c_{i,2}^n) = q_{i,2}^{n,I} \left(-\frac{\gamma}{\beta}(p_1^s - c_{i,1}^s) + (p_2^{n,I} - \xi c_{i,1}^s)\right) = \frac{(\beta^2 - \gamma^2)}{\beta}(q_{i,2}^{n,I})^2.
$$

The last equality above follows from the first order conditions of the firm with respect to $q_{s,i,1}^s$ and $q_{n,i,2}^{n,I}$ which imply $(p_1^s - c_{i,1}^s) = \beta q_{i,1}^s$ and $p_2^{n,I} - \xi c_{i,1}^s = \gamma q_{i,2}^s + \beta q_{i,2}^{n,I}$ and (13). □
References


