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Bank Efficiency and Interest Rate Pass-Through: Evidence from Czech Loan Products

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Abstract:

An important component of monetary policy transmission is the pass-through from financial market interest rates, directly influenced or targeted by central banks, to the rates that banks charge firms and households. Yet the available evidence on the strength and speed of the pass-through is mixed and varies across countries, time periods, and even individual banks. We examine the pass-through mechanism using a unique data set of Czech loan and deposit products and focus on bank-level determinants of pricing policies, especially cost efficiency, which we estimate employing both stochastic frontier and data envelopment analysis. Our main results are threefold: First, the long-term pass-through was close to complete for most products before the financial crisis, but has weakened considerably afterward. Second, banks that provide high rates for deposits usually charge high loan markups. Third, cost-efficient banks tend to delay responses to changes in the market rate, smoothing loan rates for their clients.

Keywords: Monetary transmission, cost efficiency, bank pricing policies, stochastic frontier analysis, data envelopment analysis

JEL: E43, E58, G21

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1 Introduction

To understand the process of monetary policy transmission in their country well, central bankers need to know how financial market interest rates pass through to client rates corresponding to various loan and deposit products offered by commercial banks. With more widespread availability of bank- and product-level data in recent years, researchers have begun to explore the determinants of the pass-through mechanism at the level of individual banks (for example, de Graeve et al., 2007; Gambacorta, 2008), which yields more granulated information for policy makers. Nevertheless, the empirical examinations of interest rate pass-through often produce different results depending on the country or time period under investigation, and hence recommendations cannot be easily carried from one examined country to another. The role of the late 2000s financial crisis on the pass-through mechanism is especially unclear, with some studies suggesting little change in transmission (Illes & Lombardi, 2013), some significant distortion in pass-through (Hristov et al., 2014), and some changes in transmission only for certain products (Hansen & Welz, 2011).

Using a unique data set for the Czech Republic, we provide a comprehensive study of the interest rate pass-through before and after the fall of Lehman Brothers and explore the relationships between the pricing policies of individual banks and bank characteristics. To be specific, we focus on the role of banks' cost efficiency, which has been shown for some developed countries to be associated with the pass-through mechanism (Schlüter et al., 2012). Our analysis consists of three main steps. First, we estimate the interest rate pass-through for each product both before and after the crisis. Each product category is paired with a corresponding financial market interest rate according to the term structure. For the estimation we use the mean group estimator (Pesaran & Smith, 1995) and pooled mean group estimator (Pesaran et al., 1999), which take into account bank-level heterogeneity in pricing policies.

Second, we estimate cost efficiency scores for each bank both before and after the crisis. To our knowledge, we provide the first examination of changes in the cost efficiency of Czech banks after the crisis and employ both stochastic frontier analysis and data envelopment analysis. Third, we extract pass-through coefficients for individual banks, focusing on the strength of the long-term pass-through (the equilibrium response of bank rates to changes in the corresponding market rate), the mean adjustment lag between the short and the long term, and the spread (markup) between the bank and market rates. We then relate these coefficients to the characteristics of each bank. In contrast to previous studies that examine heterogeneity in pricing policies, we use weighted least squares estimation where more precise estimates of the pass-through coefficients for individual banks get more weight.

Our results suggest that the financial crisis changed the pass-through mechanism dramatically. Before the crisis the long-term pass-through was close to complete for most products, but after 2008 it weakened for all product categories but mortgages. Moreover, average spreads between bank and market rates increased a lot and banks started to change their rates more frequently. Both before and after the crisis we find evidence of significant heterogeneity in bank pricing policies in the short run, but less so in the long run, which is consistent with the results of Gambacorta (2008) and Horvath & Podpiera (2012). Concerning the determinants of pricing policies, we find that the pass-through mechanism for deposit products influences the given bank's pass-through for loan products. To be specific, large markups in loan rates over the corresponding market rates are associated with large spreads between deposit rates and market rates. In other words, banks that offer attractive deposit rates usually charge high loan markups, which reflects more risk taking. Finally, we find that cost-efficient banks tend to respond to changes in the market rates with longer lags, thus smoothing loan rates, which is in line with Schlüter et al. (2012). We fail to find any strong relationship between banks' cost efficiency and loan markups.

The remainder of the paper is structured as follows: Section 2 discusses some of the related literature on the topic. Section 3 briefly describes the main features of the data set used for the estimation. Section 4 presents the analysis of the pass-through mechanism before and after the crisis. Section 5 describes the stochastic frontier and data envelopment analysis approaches. Section 6 explores the determinants of bank-level pass-through coefficients. Section 7 concludes the paper. Appendix A presents several robustness checks of our main results, while Appendix B shows supplementary information related to the estimation of cost efficiency.

2 Related Literature

The authoritative literature survey by de Bondt (2005) concludes that most empirical studies on the topic report that the pass-through of market interest rates to bank lending rates is incomplete in the short run and that the speed of adjustment between the rates varies across countries. On the other hand, in the long-run the interest rate pass-through is typically found to be close to complete. The existing studies take into account various bank products, separating corporate loans from household loans (Hansen & Welz, 2011) and differentiating between the loan amount of corporate loans and between mortgages and consumer loans (Hristov et al., 2014). For example, studies like Rocha (2012), Belke et al. (2013), and Aristei & Gallo (2014) find more complete long-run pass-through for corporate loans than for household loans.

Holton & Rodriguez d'Acri (2015) report the extent of pass-through to be weaker for smaller corporate loans than for larger corporate loans in the euro area during the late 2000s crisis. Another study of pass-through during the crisis period, Hansen & Welz (2011), finds impaired long-term pass-through in Sweden specifically for loans with a long interest rate fixation. In contrast, Illes et al. (2015) use weighted average cost of funds as a proxy for European market rates and find that the pass-through mechanism

remained stable throughout the crisis. Moreover, Rocha (2012) analyzes the interest pass-through for deposit rates in Portugal and reports that the long-term pass-through is incomplete and the adjustment of deposit rates is faster for rate decreases than for rate increases. A similar result is obtained by Belke *et al.* (2013) for the euro area lending rates.

While the previously discussed stream of the literature focuses on the general question whether the interest rate pass-through mechanism works and what the speed of adjustment is, several recent studies have tried to explain what bank characteristics (or banking sector characteristics) explain the heterogeneity in interest rate pass-through across banks (or countries): see, for example, Sander & Kleimeier (2006), de Graeve et al. (2007), Gambacorta (2008), or more recent studies by Stanisławska (2014) and Holton & Rodriguez d'Acri (2015). A wide range of bank-level factors including liquidity, capital adequacy, or relationship banking have been explored as potential determinants of the interest rate pass-through mechanism. Gambacorta (2008) and de Graeve et al. (2007) conclude that well-capitalized and liquid banks are less sensitive to market interest rate changes. Nevertheless, these findings apparently do not hold for Polish banks (Stanisławska, 2014), which highlights the heterogeneity of results found in the literature and the need of more empirical research on the pass-through mechanism in post-transition countries.

One of the frequently investigated bank-level characteristics is cost efficiency. The usual proxies for cost efficiency involve simple accounting-based ratios, such as the total-costs-to-total-assets ratio, total-costs-to-total-revenues ratio, and cost-income ratio (Koetter et al., 2006; de Graeve et al., 2007). Bauer et al. (1998), however, argue that these financial ratios do not sufficiently capture banks' efficiency as they are driven by price differences and other exogenous factors. Schlüter et al. (2012) employ stochastic frontier analysis for cost efficiency estimation in their examination of interest rate pass-through in the German banking sector. Their findings suggest that more cost efficient

banks can be expected to offer more competitive lending rates in comparison to less efficient banks. Although there are studies estimating the cost efficiency of Czech banks using stochastic frontiers (Pruteanu-Podpiera et al., 2007; Irsova & Havranek, 2011) or deterministic frontiers (Havranek & Irsova, 2013), these scores have not been used as a determinant of bank-specific interest rate pass-through for the Czech Republic. Moreover, we are not aware of any other study focusing on an emerging or post-transition economy that would relate interest rate pass-through to properly computed measures of efficiency.

Several studies have estimated the interest rate pass-through mechanism in the Czech banking sector. Egert et al. (2007) investigate pass-through in several countries of Central and Eastern Europe during the period 1994–2005. They find insignificant pass-through for household loans but nearly full pass-through for long-term non-financial companies' loans. In contrast, Tieman (2004), examining the 1995–2004 period, suggests that the long-run pass-through in the Czech Republic is incomplete. Horvath & Podpiera (2012) examine the link between the money market rate and bank interest rate during the period 2004–2008 and find well-functioning, although not full, pass-through for both mortgages and corporate rates in the long run. They also investigate interest rate pass-through heterogeneity on the bank level, finding evidence that banks with a stable pool of deposits smooth interest rates and require a higher spread as compensation. Nevertheless, the above-mentioned studies do not use frontier approaches to capture and control for cost efficiency and do not examine the potential changes in pass-through related to the financial crisis.

3 Data

The computations in this paper are based on bank-level data and data on money market rates covering the period between January 2004 and December 2013, where the starting date is given by the availability of most bank-specific data that we need for the analysis. The main data set covers 52 banks and is obtained from the Czech National Bank's internal databases. For the analysis of interest rate pass-through we use monetary statistics data regarding the interest rates charged on new loans and paid on deposits; for the analysis of cost efficiency and determinants of banks' pricing policies we use a regulatory data set which consists of data from bank balance sheets, income statements, and capital adequacy information. The money market data include Czech interbank interest rates, interest rate swaps, and Czech government bond rates obtained from Bloomberg.

The bank-level data on new loans display a monthly frequency, and loans in foreign currencies are excluded from the computations. We follow Horvath & Podpiera (2012) in the differentiation of several loan product categories and summarize them in Table 1. With respect to the product type of a loan, we assume four basic categories: small corporate loans up to CZK 30 million and large corporate loans above CZK 30 million provided to firms, and mortgages and consumer loans provided to households. Corporate loans are further divided with respect to the interest rate fixation to the following categories: "floating interest rate loans" represented by loans with truly floating rates and those with the interest rate fixation up to 1 year; and second, "fixed interest rate loans" with interest rate fixation of more than 1 year. To analyze the interest rate pass-through mechanism from market rates to bank deposit rates, we additionally collect information on bank deposits and distinguish overnight deposits from term deposits.

The bank-level information used for the computation of efficiency scores results in a highly unbalanced data set. Table B1 in Appendix B shows the summary statistics of the variables that we use to estimate the stochastic frontier. The definition of output and input prices employed in the cost function follows the intermediation approach explained by (Berger & Humphrey, 1997). We assume three distinct types of outputs: commercial loans, inter-bank loans, and securities; three inputs: fixed assets, borrowed funds, and labor; and one netput: equity capital. Total costs are defined as the sum

Table 1: Categories of bank products

Firm rates	
Small loans, floating	Commercial loans up to CZK 30M, interest rate floating or fixed up to 1 year
Small loans, fixed	Commercial loans up to CZK 30M, interest rate fixed more than 1 year
Large loans, floating	Commercial loans larger than CZK 30M, interest rate floating or fixed up to 1 year
Large loans, fixed	Commercial loans larger than CZK 30M, interest rate fixed more than 1 year
Household rates	
Mortgages	Loans for house or apartment purchase
Consumer loans	Loans for household spending on (mostly) durable goods
$Deposit\ rates$	
Overnight deposits	Deposits from clients with a withdrawal term up to 1 day
Term deposits	Deposits from clients with a withdrawal term more than 1 day

of interest and non-interest expenses. The cost function further includes a time trend and inefficiency covariates, some of which also serve as potential determinants of interest rate pass-through (see Table 2 for more details).

The inefficiency covariates cover individual bank-specific characteristics. Among these characteristics we include profitability ratios such as the return on assets and return on equity, the liquidity ratio measuring the share of liquid assets in banks' balance sheet (quick assets to total assets), leverage of banks (equity over assets), and three ratios computed from regulatory data describing the resiliency of banks by the share of regulatory capital in risk-weighed assets (capital adequacy ratio), credit risk in the banks balance sheet by the share of non-performing loans in the bank balance sheet (credit risk to total assets), and the share of risky assets in the bank balance sheet (risk-weighted to total assets).

Table B3 in Appendix B shows the summary statistics of the variables used to estimate the deterministic frontier scores of different banks. Since the computation of the deterministic frontier requires the panel data to be fully balanced, deterministic estimation only employs a sub-sample of the entire data set used for stochastic estimation and thus serves as a mere robustness check in our analysis. To conduct both frontier analyzes we are able to exploit data on 35 Czech banks in total, but this number gets smaller for individual frontier analyzes of pre- and post-crisis periods.

Table 2: Determinants of pricing policies

Variable	Definition
Bank size Capital adequacy Cost efficiency Credit risk Deposits Liquidity	Assets of <i>i</i> -th bank/median bank assets Regulatory capital/risk-weighted assets Frontier estimates from Section 5 Non-performing loans/total assets Deposits/liabilities Quick assets/total assets

The money market data that we use in the paper consist of the yields of instruments that are relevant to banks' decision making concerning the setting of interest rates on their products (see Table 3 in the following section). The short-term market interest rates are represented by the CZEONIA reference interest rate and by Czech money market benchmark rates PRIBORs with maturities up to one year. While CZEONIA is the average interest rate of unsecured overnight deposits placed by banks on the market on a given date, PRIBOR is the average quotation of reference banks for the sale of deposits. CZEONIA would be the preferred rate for our analysis, but it is only available for overnight deposits and not for longer maturities. Long-term market interest rates are represented by Czech interest rate swaps and yields on Czech government bonds with maturities up to 10 years.

4 Pass-Through Estimation

We employ the error-correction model framework to examine how financial market interest rates are passed through to the rates that banks charge borrowers and the rates that the banks pay to depositors. The framework assumes a long-term equilibrium relationship between the market rate and the bank rate: the bank sets its rate according to its cost of funds, determined by the corresponding market rate, and adds a markup. The long-term relationship is important and determines the ultimate strength of the pass-through mechanism. Nevertheless, it is also important to look at the immediate

(short-term) reaction of bank rates to changes in the market rate and the adjustment process between the short and long run. The error-correction model allows us to make inference regarding all these aspects of interest rate pass-through.

Because we work with product- and bank-level data, we estimate the model using dynamic heterogeneous panel techniques; our most flexible estimator is the mean group estimator (Pesaran & Smith, 1995), which allows each regression coefficient to vary across banks. Pesaran & Smith (1995) show that the traditional panel estimators, such as fixed effects, which restrict all coefficients but intercepts to be equal across panels, may easily yield inconsistent results. The mean group estimator can be described in the following way:

$$\Delta bank \ rate_{i,t}^k = \alpha_i^k \Delta market \ rate_t^k + \beta_i^k \Delta bank \ rate_{i,t-1}^k$$

$$+ \gamma_i^k (bank \ rate_{i,t-1}^k - \delta_i^k market \ rate_{t-1}^k - \mu_i^k) + \epsilon_{i,t}^k,$$

$$(1)$$

where $\Delta bank \ rate_{i,t}^k = bank \ rate_{i,t}^k - bank \ rate_{i,t-1}^k$ stands for the change in bank i's rate on product k between months t-1 and t (due to data limitations we use the maximum of one lag in all estimations of the pass-through mechanism), $\Delta market \ rate_t^k$ is the change in the corresponding financial market interest rate in period t for product k, α^k measures the short-term pass-through of the market rate to bank i's rate for product k, $\Delta bank \ rate_{i,t-1}^k$ is the change in the bank rate in the previous month, β_i^k captures persistence in bank rate changes, δ_i^k denotes the long-term equilibrium pass-through coefficient, μ_i^k is the mean markup (spread) over the market rate, γ_i^k denotes the speed of adjustment, and $\epsilon_{i,t}^k$ is a disturbance term. The mean adjustment lag at which the market rates are fully passed through to the bank rates can be computed as $(\delta - \alpha)/\gamma$ (Hendry, 1995).

The mean group estimator is very flexible, but Pesaran *et al.* (1999) show that a compromise between traditional estimators (restricting all slope coefficients to be equal) and

the mean group estimator can represent the preferred choice under certain conditions. They introduce the so-called pooled mean group estimator, which allows the short-run coefficients to vary across panels, but restricts the long-term equilibrium relationship to be the same for all banks. The pooled mean group estimator is often more efficient than the mean group estimator, and the advantage gets significant when the number of panels in the data set is relatively small, which is the case of Czech data. We specify the pooled mean group estimator as follows:

$$\Delta bank \ rate_{i,t}^{k} = \alpha_{i}^{k} \Delta market \ rate_{t}^{k} + \beta_{i}^{k} \Delta bank \ rate_{i,t-1}^{k}$$

$$+ \gamma_{i}^{k} (bank \ rate_{i,t-1}^{k} - \delta^{k} market \ rate_{t-1}^{k} - \mu^{k}) + \epsilon_{i,t}^{k}.$$

$$(2)$$

An important step in the estimation of the pass-through mechanism is the selection of the financial market interest rate corresponding to each product rate. The market rates serve as the cost of funds for the banks, and it is intuitive to assume that term structure will play a crucial role in determining the association between different market and product rates. For example, for loans with floating rates we expect market rates with short maturities to serve as the corresponding cost of funds. In contrast, mortgage rates should be associated with the rates of return of instruments with several-year maturities, such as ten-year government bonds. Following previous literature on the interest rate pass-through (for example, Schlüter *et al.*, 2012), we evaluate the correlations between market and product rates and choose the market rate with the highest correlation for each product rate. It is worth noting that our main results presented later in this paper hold irrespective of the financial market rate used as a reference for each product category (the market rates are highly correlated with each other).

The correlations, computed as mean values across individual banks' correlation coefficients, are shown in Table 3: the results are intuitive. Regarding small loans (under CZK 30 million) provided to non-financial companies with either flexible rates or fixed rates for up to one year, we find that the most prospective cost of fund is the 6-month

Table 3: Correlations between product rates and financial market rates

	CZEON	IA 1N	A PRIBOR	3M P	RIBOR	6M PRIE	BOR	1Y PRIBOR	
Firm rates									
Small loans, floating	0.517		0.537		0.541 0.544		544	0.542	
Small loans, fixed	0.0	79	0.116		0.142	0.173		0.190	
Large loans, floating	0.6	660	0.698		0.709	0.716		0.715	
Large loans, fixed	0.1	.99	0.208		0.216		.223	0.227	
Household rates									
Mortgages	0.2	280	0.295		0.300	0.	.305	0.309	
Consumer loans	-0.0	018	-0.012		-0.010	-0.	.009	-0.010	
Deposit rates									
Overnight deposits	0.2	202	0.202		0.201	0	.199	0.196	
Term deposits	0.4	191	0.514		0.524	0.	524	0.520	
	IRS1	IRS2	IRS3	IRS5	IRS10	YTM2	YTM	5 YTM10	
Firm rates									
Small loans, floating	0.529	0.518	0.509	0.493	0.479	0.527	0.51	7 0.472	
Small loans, fixed	0.131	0.151	0.154	0.145	0.135	0.146	0.22	1 0.273	
Large loans, floating	0.689	0.664	0.644	0.610	0.577	0.673	0.63	9 0.572	
Large loans, fixed	0.208	0.218	0.226	0.230	0.235	0.218	0.25	7 0.276	
Household rates									
Mortgages	0.297	0.310	0.323	0.332	0.341	0.316	0.36	7 0.379	
Consumer loans	-0.022	-0.023	-0.021	-0.017	-0.010	-0.018	-0.00	3 0.010	
Deposit rates									
Overnight deposits	0.197	0.187	0.179	0.170	0.163	0.192	0.16	9 0.140	
Term deposits	0.497	0.468	0.449	0.420	0.393	0.477	0.44	4 0.392	

Notes: Averaged over the banks in the sample; the largest correlations for each product category are shown in bold. CZEONIA = Czech Overnight Index Average; the weighted average of the interest rates of unsecured overnight deposits placed by banks on the interbank market. PRIBOR = Prague Interbank Offer Rate; the average rate at which banks are willing to lend to each other. IRS = interest rate swaps. YTM = yield on Czech government bonds.

PRIBOR rate (the correlation coefficient is 0.544). In contrast, for small loans with rates fixed for a longer period than one year the market rate with the highest correlation is the rate on the 10-year Czech government bond (but the correlation is lower than in the previous case: only 0.273). The results are very similar when we consider large loans (above CZK 30 million) instead of small loans. The 6-month PRIBOR rate is the corresponding rate for loans with floating or short fixed rates, and the correlation reaches 0.716. For longer fixations the most prospective cost of funds is captured by the yield on the 10-year government bond (correlation 0.276).

Concerning household products, we find that mortgage rates are associated the most with the yields of the 10-year government bond, which is again intuitive; the correlation reaches 0.379. In contrast, we fail to find any financial market rate that would show a statistically significant correlation with the rate on consumer loans. The largest correlation is again with the rate on the 10-year government bond, but the correlation coefficient of 0.01 is negligible. It follows that using Czech data we cannot pursue a reasonable analysis of the pass-through of market rates to consumer loans; rates on consumer loan rates seem to be driven by other factors than market interest rates. Next, we turn to deposit rates. Rates on overnight deposits are correlated the most with the 1-month PRIBOR rate (the correlation is 0.202), while the mean rate on term deposits is driven by the 6-month PRIBOR rate (correlation 0.524). These results are consistent with a similar correlation analysis for Czech data presented in Kucharcukova et al. (2013).

Because our intention is to use the error-correction model framework, we need to make sure that our time series are indeed non-stationary and that the product rates are cointegrated with the corresponding market rates. To test non-stationarity we employ Fisher's unit root test (Maddala & Wu, 1999), which allows for the examination of unbalanced panel data; the results suggest that for each of the product rates in our sample and the corresponding market rates with the largest correlation coefficients we cannot reject the null hypothesis of non-stationarity. Next, to test cointegration we resort to Pedroni (1999) residual test, which can also handle unbalanced panel data. We reject the null hypothesis of no cointegration for each pair of product and market interest rates with the exception of consumer loans—but we have already noted that the correlation between the rate on consumer loans and any of the financial market rates is negligible; therefore, we will not evaluate the pass-through mechanism for consumer loan rates.

To choose between the mean group estimator and the pooled mean group estimator we employ the Hausman test and evaluate whether the assumption of homogeneity of the long-term coefficients holds across banks. The hypothesis cannot be rejected at the 5% level, and we thus opt for the pooled mean group estimator, which is more efficient, and report the corresponding results in the main body of the manuscript. In Appendix A we present the results of the mean group estimator (Table A1 and Table A2), from which we would draw similar conclusions. While we prefer the pooled mean group estimator for the evaluation of the pass-through mechanism, the mean group estimator is necessary for the next step of our analysis (determinants of pricing policies), because for that we need to extract bank-level coefficients for each aspect of interest rate pass-through, including the long-term equilibrium relationship, which is restricted to be the same across banks by the pooled mean group estimator.

Table 4 shows the results of the pooled mean group estimator for interest rate pass-through in the Czech banking system for the period 2004:01–2008:08; that is, from the start of our data sample to the onset of the financial crisis (the sub-prime mortgage crisis had not affected the Czech economy much before Lehman Brothers fell, but our main results hold even if we define the beginning of the crisis as summer 2007 or, alternatively, the start of 2009). The table shows almost complete long-term pass-through for most products—the long-term coefficients tend to be close to one, indicating that financial market rates are fully transmitted to the rates that banks charge their clients. The only exceptions in this respect are mortgages and overnight deposits, where the pass-through is far from complete (45% for mortgages and 28% for overnight deposits). These findings point to a well-functioning transmission mechanism before the financial crisis.

The estimated error-correction parameters are in all cases negative and statistically significant, which suggests that the error correction model is specified well: if the bank rate exceeds the rate that would correspond to the long-term equilibrium with respect to the corresponding financial market rate, the bank rate decreases in the next period, and vice versa. The parameter can also be thought of as the speed of adjustment between the short-term reaction and the long-term equilibrium. The speed of adjustment is relatively

Table 4: Interest rate pass-through before the crisis

	Firm rates				Households	Deposit rates	
	Small loans, floating	Small loans, fixed	Large loans, floating	Large loans, fixed	Mortgages	Overnight deposits	Term deposits
Long-term PT	0.970*** (0.0279)	1.343**** (0.152)	1.133**** (0.0359)	0.896 [*] (0.543)	0.453*** (0.0423)	0.282*** (0.0207)	0.905*** (0.0123)
Error corr.	-0.653**** (0.0931)	-0.451 ^{***} (0.109)	-0.546**** (0.0745)	-0.889 ^{**} (0.38)	-0.378*** (0.0831)	-0.317**** (0.0727)	-0.307**** (0.049)
Short-term PT	0.381 ^{**} (0.194)	0.822 (0.585)	0.943 ^{**} (0.412)	-3.716** (1.827)	0.0448 (0.0494)	0.168** (0.0652)	0.282**** (0.0474)
Persistence	-0.116 ^{**} (0.0474)	-0.193**** (0.0669)	-0.140**** (0.045)	-0.0926 (0.296)	0.0723 (0.0666)	-0.121**** (0.0415)	-0.0742^* (0.0395)
Spread	1.319**** (0.193)	1.284**** (0.416)	0.573**** (0.156)	1.599**** (0.221)	1.161**** (0.281)	0.0957 (0.0817)	-0.105**** (0.032)
Adjustment lag	0.9	1.2	0.3	$\dot{5}.2$	1.1	0.4	$\stackrel{\circ}{2}$
Observations	849	427	693	48	888	1623	1551

Notes: Estimated for the period 2004:01–2008:08 by the pooled mean group estimator (Pesaran et al., 1999); standard errors are shown in parentheses. The mean adjustment lag is computed as (short-term PT minus long-term PT)/(error correction) and is denominated in months. PT stands for pass-through. * denotes statistical significance at the 10% level, ** at the 5% level, and *** at the 1% level.

Table 5: Interest rate pass-through after the crisis

	Firm rates				Households	Deposit rates	
	Small loans, floating	Small loans, fixed	Large loans, floating	Large loans, fixed	Mortgages	Overnight deposits	Term deposits
Long-term PT	0.842*** (0.0371)	0.792 ^{***} (0.17)	0.870*** (0.0342)	0.696*** (0.259)	0.842*** (0.06)	0.0515*** (0.0073)	0.279*** (0.0295)
Error corr.	-0.541*** (0.0927)	-0.607*** (0.14)	-0.860**** (0.305)	-1.379*** (0.196)	-0.098*** (0.0374)	-0.178**** (0.0337)	-0.089*** (0.0125)
Short-term PT	0.216 (0.352)	0.32 (0.499)	-1.737 (2.762)	0.542 (1.132)	0.0334 (0.0299)	0.0589 (0.0447)	0.277*** (0.048)
Persistence	-0.227*** (0.0544)	-0.0407 (0.053)	-0.085 (0.0733)	-0.125 (0.217)	-0.00745 (0.0613)	-0.170**** (0.0351)	-0.0328 (0.0661)
Spread	1.463**** (0.238)	3.324**** (1.123)	2.294**** (0.854)	5.515**** (0.223)	0.105*** (0.0402)	0.0891*** (0.0213)	0.0693*** (0.0155)
Adjustment lag	1.2	0.8	3	0.1	8.3	0.0213)	0.0133)
Observations	930	354	742	44	1081	1966	1869

Notes: Estimated for the period 2008:09–2013:12 by the pooled mean group estimator (Pesaran et al., 1999); standard errors are shown in parentheses. The mean adjustment lag is computed as (short-term PT minus long-term PT)/(error correction) and is denominated in months. PT stands for pass-through. * denotes statistical significance at the 10% level, ** at the 5% level, and *** at the 1% level.

homogeneous across bank products, with slightly smaller values for household-related products compared with firm-related products. The short-run reaction of bank rates to changes in the market rate varies a lot across products and signals incomplete short-term pass-through for all products but large loans with a floating rate.

Our results also suggest that the spread (markup) between the market rate and bank rate differs a lot across products. The spread is statistically insignificant or negative for deposits, which is intuitive as banks tend to set deposit rates that are lower than their alternative costs of funding (in recent years there have been exceptions in the Czech bank sector in this respect, and we will comment on this issue when discussing the results computed for the post-crisis period). For loan products, the spread tends to be the smallest for loans with collateral (mortgages) and large loans with floating rate. Small loans display larger spreads, as do large loans with a fixed rate, but for the latter product we only have a few observations in the data, since few banks provide loans above CZK 30 million with a fixed rate regularly. Finally, we compute the mean adjustment lag as $(short-term\ PT\ minus\ long-term\ PT)/(error\ correction)$. With the exception of large loans with a fixed rate, our results point to a relatively fast adjustment from the short-run reaction to the long-term equilibrium: between 1 and 2 months. We conclude that before the financial crisis market interest rates were fully passed through to the rates that bank charge firms within 2 months following a change in the market rate.

The conclusions change dramatically when we consider interest rate pass-through in the post-crisis period (2008:09–2013:12), as shown in Table 5. We observe a decrease in the long-term pass-through coefficients for all bank products with the exception of mortgages (in Section 6 we will evaluate the statistical significance of this decrease). For mortgages, in contrast, the pass-through coefficient almost doubles. Moreover, the short-term reaction of bank rates to changes in the market rate now becomes insignificant for all products but term deposits, which also suggests a weaker transmission. The error correction coefficients are still negative and statistically significant in all cases, but we

observe faster adjustment for deposit rates and slower adjustment for mortgages. Spreads (markups) increase dramatically from the situation before the crisis, again with the exception of mortgages. Concerning adjustment lags, we do not observe any systematic changes with respect to the previous estimation; the most important difference is the long adjustment lag of more than 8 months for mortgages, which indicates that while the relationship between mortgage rates and their reference market rates strengthened, it now takes much longer for mortgage rates to fully react to changes in the market rate.

In general, our results are consistent with the notion that banks tightened their lending standards considerably after the financial crisis. The increased aversion to risk is reflected by higher markups on loans, and banks tend to react less to changes in financial market rates, both in the short and the long run. The increased spreads for deposit products may be associated with the entry of new smaller banks to the Czech market in the years following the financial crisis; their aggressive approach often includes offering rates far above the corresponding financial market benchmarks in order to lure clients away from large established banks. The pass-through to mortgage rates improved significantly, which might also reflect increased competition in the Czech market. The tightening of credit standards for loans without collateral could have driven banks to try to increase their market share in the mortgage market, which has been characterized by low delinquency rates (CNB, 2014).

5 Cost Efficiency

Operational efficiency can theoretically represent one of the most important determinants of bank's pricing policy. Multiple studies on interest rate pass-through take this bank characteristic into account but only consider the traditional accounting ratios as proxies for efficiency (see, for example, Maudos & Fernandez de Guevara, 2004; de Graeve et al., 2007; Gambacorta, 2008). Following Schlüter et al. (2012), we employ frontier

analysis tools to estimate cost efficiency and use it to examine heterogeneity in interest rate pass-through. Frontier efficiency is a relative measure telling us how close a specific bank's cost is to what the best-practice bank's cost would be if both were producing the same output under the same conditions. Because the frontier efficiency scores are deprived of market price effects and other exogenous factors that may influence the observed performance of banks, we consider frontier efficiency to be more suitable for the ranking of institutions than the traditional accounting ratios.

The most common frontier tools used to estimate banking efficiency are the statistical stochastic frontier approach (SFA) and the deterministic data envelopment analysis (DEA). Some of the advantages of SFA over DEA are that SFA accounts for statistical noise and can be used to conduct the conventional tests of hypotheses, while DEA lacks parameters suitable for economic interpretation. DEA can also be influenced by outliers to a larger extent than SFA. On the other hand, in SFA one needs to specify the assumed distribution of the inefficiency term and the functional form for the production function. To capture cost efficiency more comprehensively and check the robustness of our results, we evaluate the efficiency scores of the Czech banking sector using both the SFA and DEA approaches.

The stochastic frontier approach was developed independently by Aigner et al. (1977) and Meeusen & van den Broeck (1977). The general idea of the method is that banks behave according to a given production function that captures how they maximize their output generated by inputs, accounting for the presence of inefficiencies and random shocks. We follow Kumbhakar & Lozano-Vivas (2000), who rewrites the production function to its cost analogy. The cost function captures a cost-minimizing bank controlling for the amount of every input used to produce a given output (which implies that the functional form needs to fulfill the properties of linear homogeneity and concavity in input prices, and monotonicity in input prices and output). Therefore, our preferred cost

minimization model is defined following a transcendental logarithmic functional form as:

$$\ln \frac{C}{w_1} = \beta_0 + \sum_{j=1}^3 \beta_j^y \ln y_j + \sum_{k=2}^3 \beta_k^w \ln \frac{w_k}{w_1} + \frac{1}{2} \sum_{j=1}^3 \sum_{n=1}^3 \beta_{jn}^y \ln y_j \ln y_n + \frac{1}{2} \sum_{k=2}^3 \sum_{m=2}^3 \beta_{km}^w \ln \frac{w_k}{w_1} \ln \frac{w_m}{w_1} + \sum_{j=1}^3 \sum_{k=2}^3 \beta_{jk}^{yw} \ln y_j \ln \frac{w_k}{w_1} + \sum_{g} \beta_g^{cov} covariates_g + v + u,$$

$$(3)$$

where, in line with Table B1 in Appendix B, C are the operating costs, w_k is the price of the k-th input, and y_j stands for the j-th output (for simplicity, bank and time subscripts are omitted from the equation). To account for correct functional properties, we normalize costs and prices by w_1 . Because we want to estimate bank-specific inefficiecies, we need to separate inefficiency u and random shocks v. Thus, we impose additional assumptions into computation: for i-th bank at time t, $u_i \stackrel{iid}{\sim} N^+(\mu, \sigma_u^2)$ truncated at 0 and $v_{it} \stackrel{iid}{\sim} N(0, \sigma_v^2)$ are independent of each other as well as of other regressors. Specification (3) is thus estimated by the maximum likelihood method. Since we also assume the shape of the frontier to be the same for all banks, we include bank-specific variables covariates (see Section 3) and equity capital as regressors into the frontier.

The detailed results of the models we estimate can be found in Table B2 in Appendix B. Our preferred econometric model is a panel estimation of the time-varying decay model using the translog functional form. As a robustness check we also provide estimation results for cross-sectional models with Cobb-Douglas and translog functional forms including the mean-conditional model with bank-specific variables *covariates* explaining the mean inefficiency term μ . A complementary robustness check to our preferred stochastic model is the deterministic DEA model.

The concept of data envelopment analysis was formally developed by Charnes *et al.* (1978). This approach calculates efficiency scores from the cost minimization problem, where banks minimize costs with respect to a piecewise linear convex frontier that en-

velopes input and output data. We follow the specification introduced by Cooper *et al.* (2006):

min
$$\theta_I$$

$$s.t. \quad \sum_{i=1}^n \lambda_i x_{ki} - \theta_I x_{kI} \le 0 \quad \forall k, \quad \sum_{i=1}^n \lambda_i y_{ji} - y_{jI} \ge 0 \quad \forall j, \quad \lambda_i \ge 0 \quad \forall i,$$

where θ is the technical efficiency score, λ_i are dual variables, y_{ji} stands for the j-th output of i-th bank, x_{ki} is the k-th input of i-th bank. We use the original model of Charnes-Cooper, which assumes constant returns to scale (all the banks in the sample are subject to the same regulatory background). The input-oriented DEA model roughly corresponds to cost minimization: improvement in efficiency happens through proportional expansion of output quantities without quantitatively changing the inputs used. The solution to the optimization problem would be defined as the solution to the optimization problem of $min\sum_{k=1}^{m} w_{kI}x_{kI}^*$ for a technical efficiency program defined in (4), and economic efficiency would be defined as $\sum_{k=1}^{m} (w_{ki}x_{ki}^*)/(w_{ki}x_{ki})$.

DEA applied for panel data must be necessarily estimated using a balanced panel. Since we have to adjust our data set for DEA estimation (the original data set is heavily unbalanced), the DEA efficiency scores only serve as a robustness check to the baseline SFA estimates (summary statistics in Table B3 of annual data used for DEA and summary statistics in Table B1 of annualized data used for SFA are fairly similar). Figure B1 also shows that values of both efficiency scores exhibit a similar trend throughout the time period we examine, although SFA suggests more improvement in cost efficiency after the financial crisis.

The probability distributions of efficiency scores estimated by both preferred frontier models, DEA and SFA, in Figure B2 provide a further insight on the estimated values; nevertheless, we are more interested in the relative ranking of banks. As indicated by Table B4, the correlation between frontier measures is strong but the correlation between

accounting proxies for efficiency and their frontier alternatives is relatively weak. We conclude that simple accounting ratios constitute poor proxies for bank cost efficiency and therefore employ efficiency scores in the analysis of bank-level determinants of pricing policies.

6 Determinants of Pricing Policies

In this section we explore heterogeneity in the price-setting behavior of individual banks by linking the pass-through coefficients estimated at the bank and product level to the characteristics of the banks. The first step of the analysis involves the collection of coefficients from Section 4—because we need bank-level coefficients for both the short-and long-run relationships, we use the results of the mean group estimator, which allows all the coefficients to vary across individual banks. We focus on three coefficients: the strength of the long-term pass-through, the mean adjustment lag after which the response of bank rates to changes in the market rate reaches its long-term equilibrium, and the spread (markup) between the bank and market rate. We do not investigate short-term pass-through coefficients because these are statistically insignificant in many cases.

An important aspect of methodology not addressed by previous studies on the determinants of interest rate pass-through is that we take into account the precision of the pass-through coefficients estimated for individual banks. Estimates for some banks, especially those with shorter time series, are relatively imprecise, and we need to give such observations less weight in our regressions to reflect the uncertainty surrounding these estimates (a similar approach is frequently used, for example, in meta-analyses, where the dependent variable captures estimates of the effect in question taken from various studies; see, for example Havranek, 2015; Havranek & Irsova, 2011). The mean adjustment lag is not directly estimated by the mean group estimator; instead, it is a nonlinear combination of three coefficient estimates. To compute the approximate stan-

dard error for the adjustment lag we therefore employ the delta method, also frequently used in meta-analysis.

To investigate the bank-level differences in the strength of the long-term pass-through we estimate the following regression:

$$long-term \ PT_{ijk}/SE_{ijk} = \alpha_0 + \alpha_1 efficiency_{ij}/SE_{ijk} + \alpha_2 liquidity_{ij}/SE_{ijk}$$

$$+ \alpha_3 capital \ adequacy_{ij}/SE_{ijk} + \alpha_4 credit \ risk_{ij}/SE_{ijk}$$

$$+ \alpha_5 bank \ size_{ij}/SE_{ijk} + \alpha_6 deposits_{ij}/SE_{ijk}$$

$$+ \alpha_7 post-crisis_j/SE_{ijk} + \alpha_8 deposits \ LTPT_{ij}/SE_{ijk}$$

$$+ \sum_{k=1}^{4} \alpha_9^k product_k + \epsilon_{ijk},$$

$$(5)$$

where SE_{ijk} denotes the standard error of the estimate of the long-term pass-through for bank i, period j, and product k. The definition of bank-level characteristics liquidity, capital adequacy, credit risk, bank size, and deposits is available in Section 3: these are standard control variables used for the explanation of heterogeneity in bank pricing policies in several studies (see, for example, de Graeve et al., 2007; Horvath & Podpiera, 2012). The efficiency variable is estimated according to the approach described in Section 5; in our baseline estimation we use efficiency scores obtained employing the stochastic frontier analysis, but use scores from data envelopment analysis as a robustness check.

To increase the number of degrees of freedom in our regressions, we include estimates of the pass-through coefficients both before and after the financial crisis (denoted by period j, which equals 0 for pre-crisis periods and 1 for post-crisis periods). The corresponding dummy variable (post-crisis) controls for changes in the strength of the long-term pass-through since the crisis. We also include among the explanatory variables the long-term pass-through coefficients for overnight deposits estimated for each bank: because deposits serve as a source of financing for loans, the way market rates are passed

through to deposit rates for each bank may influence the pass-through mechanisms for loan products as well. Finally, in Section 4 we estimate the pass-through coefficients separately for various loan products, so in (5) we add a set of dummy variables corresponding to each loan category. Standard errors in all regressions in this section are clustered at the bank level to reflect that most of our explanatory variables are defined at the bank level—if we omitted clustering we would exaggerate the precision of our estimates.

We specify a similar weighted-least-squares regression for the mean adjustment lag:

adjustment
$$lag_{ijk}/SE_{ijk} = \alpha_0 + \alpha_1 efficiency_{ij}/SE_{ijk} + \alpha_2 liquidity_{ij}/SE_{ijk}$$

 $+ \alpha_3 capital \ adequacy_{ij}/SE_{ijk} + \alpha_4 credit \ risk_{ij}/SE_{ijk}$
 $+ \alpha_5 bank \ size_{ij}/SE_{ijk} + \alpha_6 deposits_{ij}/SE_{ijk}$ (6)
 $+ \alpha_7 post\text{-}crisis_j/SE_{ijk} + \alpha_8 deposits \ adj. \ lag_{ij}/SE_{ijk}$
 $+ \sum_{k=1}^4 \alpha_9^k product_k + \epsilon_{ijk},$

where SE_{ijk} denotes the standard error of the estimate of the adjustment lag for bank i, period j, and product k (the standard error is approximate and estimated using the delta method). Similarly to the previous case we include the corresponding pass-through coefficient for deposits.

Finally, we estimate an analogous regression for spread:

$$spread\ (markup)_{ijk}/SE_{ijk} = \alpha_0 + \alpha_1 efficiency_{ij}/SE_{ijk} + \alpha_2 liquidity_{ij}/SE_{ijk}$$

$$+ \alpha_3 cap.\ adequacy_{ij}/SE_{ijk} + \alpha_4 credit\ risk_{ij}/SE_{ijk}$$

$$+ \alpha_5 bank\ size_{ij}/SE_{ijk} + \alpha_6 deposits_{ij}/SE_{ijk}$$

$$+ \alpha_7 post\text{-}crisis_j/SE_{ijk} + \alpha_8 deposits\ spread_{ij}/SE_{ijk}$$

$$+ \sum_{k=1}^4 \alpha_9^k product_k + \epsilon_{ijk},$$

$$(7)$$

where SE_{ijk} denotes the standard error of the estimate of the spread for bank i, period j, and product k. The variable deposits spread denotes the mean spread between the deposit rate and the corresponding market rate for each bank. Our hypothesis is that banks that offer larger spreads on deposits (more attractive rates for depositors) tend to engage in riskier behavior and provide loan products with a higher markup.

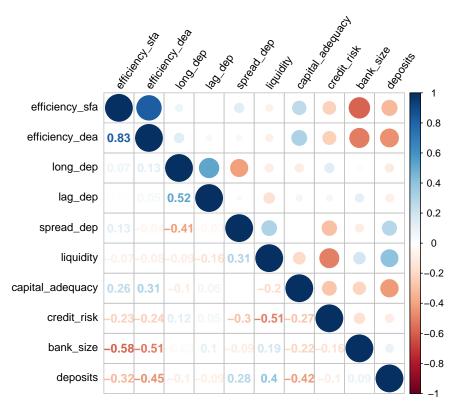


Figure 1: Correlations between bank-level characteristics

Notes: Efficiency_sfa stands for banks' efficiency scores estimated using the Stochastic Frontier Analysis method; efficiency_dea stands for scores obtained using Data Envelopment Analysis. Long_dep, lag_dep, and spread_dep denote for each bank the mean strength of the long-term pass-through to deposit rates, adjustment lag for deposit rates, and spread for deposit rates, respectively.

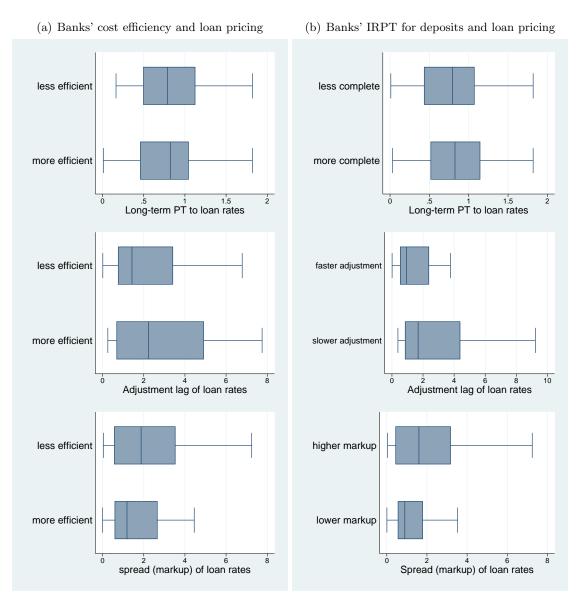
Figure 1 shows correlation coefficients between the individual explanatory variables. We observe the largest correlations between the two alternative efficiency measures, 0.83 (but note that the two measures are never included in the same regression). The high correlation suggests that both the stochastic frontier analysis and data envelopment

analysis yield similar rankings of banks according to cost efficiency. Next, the efficiency measures are negatively correlated with bank size (the coefficients range from -0.5 to -0.6), which suggests less cost efficiency for large banks, consistent with our results from Section 5. Also less efficient are banks that show a higher share of deposits over total liabilities. Credit risk is negatively correlated with liquidity: more liquid banks display lower credit risk scores. Moreover, banks with a higher share of deposits tend to score worse in terms of capital adequacy, which is also intuitive. In addition, Figure 1 suggests that strong long-term pass-through for deposits is often associated with long mean adjustment lags and low spreads.

Figure 2 visualizes relationships between the interest rate pass-through coefficients for loan products and the bank level characteristics that we focus on in this paper. The left-hand panel of the figure shows the impact of banks' cost efficiency on the strength long-term pass-through (the first panel from the top), adjustment lag between the short and the long term (bottom panel), and the spread between bank loan rates and the corresponding market rates. We divide the banks in our sample to two groups according to efficiency scores computed using stochastic frontier analysis: the banks with scores below the median score are label "less efficient," the banks with scores above the median value are "more efficient." Concerning the long-term pass-through coefficients, we observe that the distribution is approximately the same for both less and more efficient banks. In other words, banks' cost efficiency does not matter for the strength of long-term interest rate pass-through.

In contrast, banks' cost efficiency seems to matter for the mean adjustment lag. Although both efficient and inefficient banks sometimes display fast adjustment between the short-run response and the long-run equilibrium, large values of the adjustment lag are much more often associated with more efficient banks. In addition, the mean adjustment lag for more efficient banks is about twice as large as the mean lag for banks that are less efficient. More efficient banks tend to react to changes in the financial market

Figure 2: Selected determinants of pass-through to loan rates



Notes: IRPT = interest rate pass-through. Banks are divided to two groups by comparing their corresponding values to the median. The variables on the horizontal axes are winsorized using the 5% threshold for both tails.

interest rates more slowly, thus smoothing loan rates for their clients. Concerning the spread between the bank and market rates, the left-bottom panel of the figure suggests that less efficient banks usually charge higher markups. This finding is intuitive, because banks operating more efficiently can afford to lower the rates they charge in an effort to reap a larger share of the market. So far, our preliminary results for the relation between cost efficiency and pass-through coefficients are fully in line with Schlüter *et al.* (2012), who use German product-level data.

The right-hand part of Figure 2 contains evidence of the relation between pass-through coefficients for loan products and pass-through coefficients for deposits for individual banks. Because deposits serve as a source of financing for loans provided by banks, we hypothesize that the pass-through mechanism for loans should be associated with that for deposits: more complete long-term pass-through from market rates to deposit should translate to more complete long-term pass-through for loans, longer adjustment lag for deposits should be associated with longer lags for loans, and banks that provide high spreads on deposits with respect to the corresponding financial market rate should charge higher markups on loan products. In each panel we divide banks to two groups according to their pass-through behavior for deposits. For example, in the top panel there are two groups: the banks with long-term pass-through smaller than median long term pass-through and the banks with long-term pass-through exceeding the median. Nevertheless, we observe little relation between the equilibrium strength of pass-through for deposits and loans.

The mean adjustment lag, on the other hand, seems to be often similar for loan and deposit products. Values of the adjustment lag for loan products larger than four months only occur for banks that also display slow adjustment of deposit rates to changes in the market rate. While there are some exceptions (slow adjustment for deposits sometimes occurs simultaneously with fast transmission for loans), the mean adjustment lag corresponding to loan products is about twice as large for banks displaying slow

adjustment of deposit rates than for banks with fast adjustment of deposit rates. Finally, the bottom panel of the figure shows that high spreads for deposit rates are associated with high markups for loan rates, which might suggest that banks engaged in risky lending behavior tend to offer attractive rates for depositors.

Table 6: Determinants of interest rate pass-through, SFA used

Response variable:	Long-term PT		Adjusm	nent lag	Spread (markup)	
Efficiency (SFA)	0.177	(2.229)	26.84***	(8.274)	2.302	(5.762)
Liquidity	-3.478 *	(1.737)	-58.60***	(15.85)	9.791	(8.593)
Capital adequacy	4.345^{**}	(1.653)	27.77	(17.35)	-7.327	(5.910)
Credit risk	1.372	(1.747)	-25.70^{*}	(13.21)	2.642	(5.511)
Bank size	0.0255	(0.0373)	0.743^{***}	(0.236)	0.0332	(0.120)
Deposits	3.422^{***}	(0.573)	29.47^{***}	(7.511)	-4.602	(2.940)
Post-crisis	-0.964**	(0.457)	-10.90***	(2.943)	2.714^{**}	(1.240)
Deposits LTPT	-0.486	(0.326)		,		,
Deposits adj. lag			0.00378	(0.0336)		
Deposits spread					3.466^{***}	(0.507)
Mortgages	-0.399	(0.299)	2.720	(2.374)	-1.190	(1.018)
Large loans, fixed	-0.0796	(0.211)	0.542	(3.196)	-0.734	(0.811)
Large loans, floating	0.190	(0.251)	-4.666*	(2.542)	0.415	(0.779)
Small loans, fixed	0.338	(0.213)	0.233	(4.250)	1.413	(1.356)
Constant	-1.821	(2.052)	-1.712	(15.68)	1.155	(6.394)
\mathbb{R}^2	0.85		0.88		0.67	
Observations	83		83		84	

Notes: Standard errors, reported in parentheses, are clustered at the bank level. The regressions are estimated using weighted least squares with the precision of pass-through estimates (the inverse of the estimates' standard errors) taken as the weight. The dependent variable is winsorized using the 5% threshold for both tails. SFA = stochastic frontier analysis. LTPT = long-term pass-through. * denotes statistical significance at the 10% level, ** at the 5% level, and *** at the 1% level.

The problem of Figure 2 is that the displayed relationships do not control for other potential determinants of heterogeneity in bank prices policies, such as liquidity position, capital adequacy, or bank size (de Graeve et al., 2007). To take this issue into account and investigate the aforementioned relationships more formally, we present regression analysis of the determinants of the three pass-through coefficients in Table 6 (where efficiency scores are estimated using stochastic frontier analysis) and Table 7 (efficiency scores estimated using data envelopment analysis). Some of the estimated pass-through coefficients are implausible, which is due to relatively small number of observations

Table 7: Determinants of interest rate pass-through, DEA used

Response variable:	Long-term PT		Adjusm	ent lag	Spread (markup)	
Efficiency (DEA)	6.918	(4.944)	97.43**	(38.20)	-23.81	(18.47)
Liquidity	-3.581**	(1.555)	-51.22***	(17.20)	8.890	(6.722)
Capital adequacy	4.253^{***}	(1.286)	6.422	(13.62)	-8.627^{*}	(4.411)
Credit risk	1.728	(1.519)	-25.40^{*}	(13.90)	-0.114	(4.720)
Bank size	0.0519^{**}	(0.0209)	0.677^{**}	(0.265)	-0.107	(0.103)
Deposits	4.017^{***}	(0.509)	29.68***	(9.262)	-6.568**	(2.456)
Post-crisis	-1.008***	(0.305)	-9.703***	(2.528)	2.707^{***}	(0.769)
Deposits LTPT	-0.440	(0.321)				
Deposits adj. lag			0.0249	(0.0337)		
Deposits spread					3.842^{***}	(0.498)
Mortgages	-0.106	(0.270)	4.483	(3.079)	-1.798^*	(1.014)
Large loans, fixed	0.0545	(0.208)	-0.519	(3.497)	-1.164	(0.975)
Large loans, floating	0.296	(0.235)	-4.103	(2.723)	0.311	(0.791)
Small loans, fixed	0.587^{**}	(0.261)	1.794	(4.401)	0.609	(1.184)
Constant	-7.751*	(4.467)	-64.29	(40.18)	24.10	(16.42)
\mathbb{R}^2	0.86		0.87		0.70	
Observations	83		83		84	

Notes: Standard errors, reported in parentheses, are clustered at the bank level. The regressions are estimated using weighted least squares with the precision of pass-through estimates (the inverse of the estimates' standard errors) taken as the weight. The dependent variable is winsorized using the 5% threshold for both tails. DEA = data envelopment analysis. LTPT = long-term pass-through. * denotes statistical significance at the 10% level, ** at the 5% level, and *** at the 1% level.

available for some banks. Instead of removing these outliers or using a robust regression technique that does not allow for clustering of standard errors, such as in Horvath & Podpiera (2012), we winsorize the observations at the 5% from each tail: in other words, we replace the values of the 5% of the smallest observations with the value of the 5% percentile in the data and the values of the 5% of the largest observations with the value of the 95% percentile in the data (a similar approach is used in the weighted-least-squares setting by Havranek *et al.*, 2015). Table A3 and Table A4 in Appendix A show that changing the threshold level to 1% does not alter our main results.

Our results corroborate profound changes in the interest rate pass-through mechanism during the crisis, which we have already discussed in Section 4. The dummy variable corresponding to the post-crisis period is statistically significant in all specifications at the 5% level. The pass-through of financial market rates to bank loan rates

weakens dramatically: when bank-level characteristics are controlled for, the estimated change in the long-term pass-through coefficient approaches one, which would translate an almost complete pass-through before the crisis to no significant pass-through after the crisis for an average loan product. Moreover, adjustment lags shorten after the crisis, which suggests that although the long-term relationship between market and bank rates get weaker, the adjustment between the short and long run reaction get faster: banks change their rates more frequently. Spreads (markups) increase after the crisis, which reflects elevated risk aversion of individual banks.

Our findings concerning the impact of the financial crisis contrast with the results of Illes & Lombardi (2013), who find little changes in the interest rate pass-through for major economies. Hristov et al. (2014), on the other hand, using fresher data, show that the pass-through has become significantly distorted in the euro area since 2008, which is consistent with our results for the same period and Czech data. Hansen & Welz (2011) examine Swedish data and report results in between those of Illes & Lombardi (2013) and Hristov et al. (2014): in Sweden the crisis has not affected interest rate pass-through for products with short maturities, but has distorted pass-through to lending rates at longer maturities.

Concerning the effect of banks' cost efficiency, we fail to confirm the intuition and observation from Figure 2 that more efficient banks tend to charge lower markups. The relationship does not hold when other bank-specific characteristics are controlled for, and it does not matter for the results whether efficiency scores are computed using stochastic frontier analysis or data envelopment analysis. Our results also show no relation between cost efficiency and long-term pass-through. In contrast, the regression analysis confirms the notion that more efficient banks tend to exhibit longer adjustment lags, changing rates less frequently, and thus smoothing the rates for their clients. The result, which holds for both stochastic frontier analysis and data envelopment analysis, is in line with the findings of Schlüter et al. (2012), the only other study (to our knowledge) that

examines determinants of pricing policies using non-simplified measures of cost efficiency.

Our results show that the pass-through mechanism for deposits at the bank level is important for loan rate markups, but not for the adjustment lag or the strength of long-term pass-through. Higher spreads for deposit rates are associated with higher markups for loan rates, which suggests that banks offering generous deposit products tend to engage in risky lending behavior. Concerning our control variables, we find that more liquid banks tend to exhibit weaker and faster interest rate pass-through, which is consistent with the results of de Graeve et al. (2007) for the Belgian banking sector. In contrast to de Graeve et al. (2007), however, we find that banks with excess capital usually show stronger long-term pass-through. Moreover, our results suggest that larger banks exhibit longer adjustment lags on average: it seems to be easier for large banks not to react to changes in the market rates so often and to smooth loan rates for their clients. Finally, consistent with Horvath & Podpiera (2012) and Gambacorta (2008), we find that banks with a greater degree of relationship banking (proxied by the share of deposits over total liabilities) is associated with smoother setting of loan rates.

7 Concluding Remarks

We explore the interest rate pass-through mechanism in the Czech banking sector using product-level data for both before and after the financial crisis. We find strong and almost complete long-term pass-through from financial market rates to the rates that banks charge their clients before the crisis, but document a substantial deterioration of pass-through after the crisis (with the exception of mortgage rates). This result is consistent with the findings of Hristov et al. (2014) for the euro area, who show that the pass-through mechanism has became significantly distorted after 2008. Next, we find a relationship between bank pricing policies for deposits and loans: banks that offer large spreads between the deposit rate and the corresponding money market rate tend

to charge high loan markups to their clients. We are not aware of any previous study examining this particular relationship, but the results are in line with anecdotal evidence, as banks offering generous deposit rates tend to be involved in the riskier segment of the loan market. Finally, our results suggest that banks' cost efficiency is not significantly related to loan markups, which contrasts the results of Schlüter *et al.* (2012) for German banks. Similarly to Schlüter *et al.* (2012), however, we find that more cost-efficient banks tend to smooth loan rates.

The two most closely related studies to ours are Horvath & Podpiera (2012), who study the interest-rate pass through using Czech data, and Schlüter et al. (2012), who, to our knowledge, present the only available analysis that relates the strength and speed of pass-through to properly computed efficiency scores. In contrast to Schlüter et al. (2012), we use statistical techniques suited for heterogeneous panels: the mean group estimator (Pesaran & Smith, 1995) and pooled mean group estimator (Pesaran et al., 1999), and employ both stochastic frontier analysis and data envelopment analysis to compute efficiency scores. In contrast to Horvath & Podpiera (2012), we use efficiency scores instead of simple accounting ratios as a proxy for cost efficiency and cluster standard errors at the bank level when examining the determinants of pricing policies. Due to data limitations and omission of clustering, Horvath & Podpiera (2012) effectively work with less than 15 degrees of freedom in their main analysis, but report standard errors corresponding to about 40 degrees of freedom, which is likely to exaggerate the statistical significance of their results. Indeed, our results differ from theirs to a large extent. In contrast to both papers, we examine pass-through both before and after the crisis and use weighted least squares estimation in which the precision of the bank-level pass-through coefficients is taken as the weight.

Our focus in this paper is the change in interest rate pass-through during the crisis, the effect of banks' cost efficiency on bank pricing policies, and the relation between pass-through to deposit rates and pass-through to loan rates. There are many further aspects of the interest rate pass-through that can be analyzed but that we do not address. For example, van Leuvensteijn et al. (2013) show that bank competition decreases spreads, and Becker et al. (2012) document asymmetries in the pass-through mechanism (depending on whether financial market rates increase or decrease). We leave the examination of these relationships in the Czech banking sector for future research when more data are available, especially hikes in the monetary policy rate after the crisis.

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Appendix A: Robustness Checks

Table A1: Interest rate pass-through before the crisis, mean group estimator

		Firm	rates	Households	Deposit rates		
	Small loans, floating	Small loans, fixed	Large loans, floating	Large loans, fixed	Mortgages	Overnight deposits	Term deposits
Long-term PT	0.774*** (0.137)	1.103 (0.703)	1.199*** (0.464)	0.793*** (0.25)	0.637*** (0.0895)	0.196*** (0.0712)	0.642*** (0.0823)
Error corr.	-0.821*** (0.102)	-0.552 ^{***} (0.111)	-0.646**** (0.0752)	-0.896** (0.369)	-0.432**** (0.0881)	-0.529**** (0.0869)	-0.397**** (0.0466)
Short-term PT	0.103 (0.39)	0.855 (0.677)	0.908 ^{**} (0.46)	-3.593 ^{**} (1.569)	0.0491 (0.0502)	0.161**** (0.0571)	0.258^{***} (0.0445)
Persistence	-0.0435 (0.0452)	-0.156** (0.0718)	-0.0843* (0.0456)	-0.0898 (0.296)	0.0741 (0.0611)	-0.0353 (0.039)	-0.0751** (0.0363)
Spread	2.435**** (0.713)	2.074*** (1.03)	1.322**** (0.362)	1.661 [*] (0.995)	1.060**** (0.296)	0.269 (0.168)	0.00727 (0.0673)
Adjustment lag	0.8	0.4	0.5	4.9	1.4	0.1	ì
Observations	849	427	693	48	888	1623	1551

Notes: Estimated for the period 2004:01–2008:08 by the mean group estimator (Pesaran & Smith, 1995); standard errors are shown in parentheses. The mean adjustment lag is computed as (short-term PT minus long-term PT)/(error correction) and is denominated in months. PT stands for pass-through. * denotes statistical significance at the 10% level, ** at the 5% level, and *** at the 1% level.

Table A2: Interest rate pass-through after the crisis, mean group estimator

		Firm	rates	Households	Deposit rates		
	Small loans, floating	Small loans, fixed	Large loans, floating	Large loans, fixed	Mortgages	Overnight deposits	Term deposits
Long-term PT	0.795*** (0.0603)	0.516** (0.223)	0.707*** (0.266)	0.506 (0.377)	0.504*** (0.122)	0.187*** (0.0444)	0.348*** (0.0641)
Error corr.	-0.635*** (0.103)	-0.915*** (0.133)	-0.824*** (0.131)	-1.439*** (0.137)	-0.152**** (0.0363)	-0.318**** (0.0541)	-0.153*** (0.0235)
Short-term PT	0.205 (0.384)	0.225 (0.512)	-0.111 (0.919)	0.604 (0.602)	0.0349 (0.0316)	0.111** (0.0487)	0.294*** (0.0505)
Persistence	-0.183*** (0.0533)	0.045 (0.0636)	-0.0627 (0.0442)	-0.0865 (0.157)	0.0137 (0.0592)	-0.121**** (0.0289)	-0.0285 (0.0585)
Spread	1.772 ^{***} (0.301)	5.526**** (1.296)	2.579^{***} (0.539)	7.048^{***} (2.595)	0.387**** (0.0987)	0.112*** (0.0417)	0.0975^{**} (0.0478)
Adjustment lag	0.9	0.3	1	-0.1	3.1	0.2	0.4
Observations	930	354	742	44	1081	1966	1869

Notes: Estimated for the period 2008:09–2013:12 by the mean group estimator (Pesaran & Smith, 1995); standard errors are shown in parentheses. The mean adjustment lag is computed as (short-term PT minus long-term PT)/(error correction) and is denominated in months. PT stands for pass-through. * denotes statistical significance at the 10% level, ** at the 5% level, and *** at the 1% level.

Table A3: Determinants of interest rate pass-through, SFA used, winsorized at 1%

Response variable:	Long-term PT		Adjusm	ent lag	Spread (markup)		
Efficiency (SFA)	2.145	(6.554)	32.07**	(11.58)	0.798	(8.962)	
Liquidity	-11.97^{**}	(5.467)	-93.50***	(27.69)	17.86	(12.72)	
Capital adequacy	13.31^{**}	(4.975)	34.54	(24.57)	-15.43	(10.42)	
Credit risk	1.354	(4.724)	-46.31*	(23.81)	4.392	(7.333)	
Bank size	0.0234	(0.110)	0.700^{**}	(0.299)	-0.000758	(0.205)	
Deposits	11.40^{***}	(1.915)	46.08^{***}	(11.66)	-7.615	(4.822)	
Post-crisis	-2.297	(1.418)	-14.96***	(4.478)	5.605^{**}	(2.341)	
Deposits LTPT	-2.449^*	(1.192)					
Deposits adj. lag			0.0546	(0.0526)			
Deposits spread					3.997^{***}	(0.723)	
Mortgages	-0.529	(0.830)	2.688	(3.432)	-1.733	(1.223)	
Large loans, fixed	1.164^*	(0.643)	2.154	(4.249)	-0.844	(1.024)	
Large loans, floating	1.016	(0.847)	-6.736^*	(3.838)	0.310	(0.868)	
Small loans, fixed	1.023	(0.634)	1.166	(7.510)	1.500	(1.578)	
Constant	-6.462	(5.806)	6.441	(26.13)	1.526	(9.284)	
R^2	0.89		0.90		0.66		
Observations	83		83		84		

Notes: Standard errors, reported in parentheses, are clustered at the bank level. The regressions are estimated using weighted least squares with the precision of pass-through estimates (the inverse of the estimates' standard errors) taken as the weight. The dependent variable is winsorized using the 1% threshold for both tails. SFA = stochastic frontier analysis. LTPT = long-term pass-through. * denotes statistical significance at the 10% level, ** at the 5% level, and *** at the 1% level.

Table A4: Determinants of interest rate pass-through, DEA used, winsorized at 1%

Response variable:	Long-term PT		Adjusm	Adjusment lag		Spread (markup)	
Efficiency (DEA)	22.10	(14.44)	129.5**	(48.54)	-40.95	(27.92)	
Liquidity	-12.06**	(4.879)	-83.80***	(29.48)	15.41	(9.206)	
Capital adequacy	12.29***	(3.938)	11.92	(18.39)	-16.05**	(7.118)	
Credit risk	1.975	(4.122)	$\textbf{-44.05}^*$	(23.60)	0.254	(6.010)	
Bank size	0.0807	(0.0585)	0.693^{**}	(0.296)	-0.191	(0.161)	
Deposits	12.98^{***}	(1.805)	48.04***	(14.47)	-10.16**	(4.007)	
Post-crisis	-2.320**	(0.982)	-13.88***	(3.793)	5.390***	(1.431)	
Deposits LTPT	-2.274^*	(1.156)					
Deposits adj. lag			0.0777	(0.0523)			
Deposits spread					4.442^{***}	(0.735)	
Mortgages	0.261	(0.751)	5.184	(4.249)	-2.539**	(1.220)	
Large loans, fixed	1.519^{**}	(0.610)	0.945	(4.729)	-1.427	(1.271)	
Large loans, floating	1.274	(0.845)	-6.245	(4.229)	0.129	(0.895)	
Small loans, fixed	1.739^{**}	(0.779)	3.579	(7.594)	0.279	(1.341)	
Constant	-24.19*	(12.83)	-81.45	(55.87)	38.77	(24.46)	
\mathbb{R}^2	0.90		0.90		0.71		
Observations	83		83		84		

Notes: Standard errors, reported in parentheses, are clustered at the bank level. The regressions are estimated using weighted least squares with the precision of pass-through estimates (the inverse of the estimates' standard errors) taken as the weight. The dependent variable is winsorized using the 1% threshold for both tails. DEA = data envelopment analysis. LTPT = long-term pass-through. * denotes statistical significance at the 10% level, ** at the 5% level, and *** at the 1% level.

Appendix B: Details of Efficiency Analysis

Table B1: Summary statistics of variables for stochastic frontier efficiency estimation

Variable	Label	Description	Obs.	Mean	SD	Min	Max
inputs	x_1	fixed assets = tangible and	4,508	1,231	3,346	0	19,600
	x_2	intangible assets borrowed funds = total interest-bearing financial	4,459	89,200	158,000	0	855,000
	x_3	liabilities number of full time employ- ees	4,540	1,009	2,293	2	11,197
input prices	w_1	price of fixed assets = de- preciation on fixed assets and other administrative ex- penses divided by fixed assets	4,508	5	12	0	301
	w_2	price of borrowed funds = interest expenses divided by borrowed funds	4,343	0.02	0.01	0	0.15
	w_3	price of labor = personnel expenses divided by number of full time employees	4,538	1.18	0.88	0	19.17
outputs	y_1	commercial loans	4,348	49,600	82,500	0	457,000
_	y_2	interbank loans	4,348	24,000	46,200	1	314,000
	y_3	investment assets	4,085	26,500	62,900	0	403,000
heterogeneity	cov	expected inefficiency covariates captured in Section 3					
	z	equity capital	4,549	7,708	16,000	-488	$96,\!100$

Notes: All variables except for x_3 , w_1 , and w_2 in CZK million; w_1 and w_2 in %. Reported variables are annualized. Unbalanced panel of 52 banks over the period of 2003-2013.

Table B2: Stochastic frontier estimation

	CS TL Cond.	CS TL Mean-cond.	Panel CD	Panel TL	Panel TL Cond
$\ln y_1$	-2.578** (-16.21)	$-1.869^{**} (-15.01)$	0.458** (46.07)	-0.678** (-5.35)	-0.649** (-3.92)
$\ln y_2$	-0.458** (-3.23)	-1.213 (-9.96)	0.0883** (19.80)	0.722** (10.64)	0.663** (11.02)
$\ln y_3$	1.376*** (15.18)	1.395 (14.52)	0.0488** (13.57)	$ \begin{array}{c} -0.0135 \\ (-0.24) \\ ** \end{array} $	-0.111 (-2.27)
$\ln(w_2/w_1)$	2.286 (8.51)	1.542**	0.502**	3.580 (28.51)	3.754 (30.15)
$\ln(w_3/w_1)$	-2.027^{**}	(5.90) -1.233**	(67.52) 0.337**	-2.282**	-2.670**
$\ln y_1 \ln y_2$	(-6.60) -0.0281 **	(-4.30) -0.0248 **	(37.67)	(-15.10) -0.0556 **	(-19.28) -0.0266
$\ln y_1 \ln y_3$	$(-4.74) \\ -0.0255$ **	(-4.64) -0.0331 **		(-16.51) -0.0222 **	(-8.45) -0.0115
$\ln y_2 \ln y_3$	$(-6.88) \\ -0.0168$ **	$(-10.40) \\ -0.0095$ *		(-10.42) -0.0002	(-5.40) -0.0001
$1/2 \ln y_1^2$	(-4.13) ** 0.164	$(-2.49) ** \\ 0.145$		(-0.11) 0.0910 **	(-0.08) 0.0595
$1/2 \ln y_2^2$	$(12.98) \\ 0.0382 **$	(12.68) 0.0389 **		(11.54) 0.0362**	(6.26) 0.0199
$\frac{1}{2 \ln y_3^2}$	$(8.87) \\ 0.0472 **$	$(8.09) \\ 0.0661 **$		(14.85) 0.0337**	(9.81) 0.0243
	(18.95)	(33.37)		(20.30) -0.162**	(16.42) -0.225**
$\ln(w_2/w_1)\ln(w_3/w_1)$	-0.0634 (-2.34) **	0.0211 (0.88)		(-18.59)	(-20.14)
$1/2\ln(w_2/w_1)^2$	0.0877 (3.20)	-0.0553 (-2.18)		0.185 (25.00) **	0.274 (22.28) **
$1/2\ln(w_3/w_1)^2$	0.0651 (1.99) **	0.0234 (0.83) **		0.158 (15.02)	0.208 (17.27)
$\ln y_1 \ln(w_2/w_1)$	-0.106° (-8.86)	-0.0816 (-7.40) **		$ \begin{array}{c} -0.0842 \\ (-16.86) \\ ** \end{array} $	-0.0705 (-10.75)
$\ln y_2 \ln(w_2/w_1)$	$ \begin{array}{c} -0.0836 \\ (-7.12) \\ ** \end{array} $	$ \begin{array}{c} -0.151 \\ (-13.89) \\ ** \end{array} $		0.0121 (2.92) **	0.0360 (7.46)
$\ln y_3 \ln(w_2/w_1)$	$ \begin{array}{c} 0.142 \\ (19.59) \end{array} $	$\begin{pmatrix} 0.162 \\ (20.81) \end{pmatrix}$		0.0104 (3.35)	0.0067 (2.11)
$\ln y_1 \ln(w_3/w_1)$	0.132 ^{**} (9.21)	$0.0876^{\uparrow\uparrow}$ (7.16)		0.0637 ^{**} (9.53)	$0.0725^{\uparrow\uparrow}$ (10.21)
$\ln y_2 \ln(w_3/w_1)$	0.0686** (5.17)	0.115 ^{**} (9.86)		-0.0232^{**} (-4.26)	-0.0459** (-8.82)
$\ln y_3 \ln(w_3/w_1)$	$-0.105^{**} (-12.73)$	$-0.123^{**} (-14.70)$		0.0043 (1.01)	0.007^{\dagger} (1.78)
time trend	-0.0045^{**} (-6.03)	()		0.0033** (11.41)	0.00275 (7.59
time trend squared	0.00002^* (2.54)			(11.41)	(1.03)
equity over assets	-1.146^{**}				-0.197
return on assets	(-5.89) -0.0250^*				0.0265 (2.70)
return on equity	(-2.04) -0.0036 **				(3.70) -0.00247**
quick to total assets	(-3.77) 0.0052 **				(-5.90 0.00527 ^{**}
capital adequacy ratio	(7.24) 0.0007				$(14.69 \\ 0.00171$
credit risk to total assets	$0.74) \\ 0.0045$ *				(3.05
risk-weighted to total assets	$(2.38) \\ 0.0021 \\ (1.18)$				-0.000
equity	(1.18)		-0.0168*		(-1.40
constant	31.31**	27.45**	(-2.51) 3.125 **	23.02**	25.13**
	(16.52)	(17.87)	(19.05)	(15.71)	(14.97)
time trend		$-0.0172^{**} (-5.77)$			
time trend squared		$ \begin{array}{c} 0.0001 \\ (2.76) \\ ** \end{array} $			
equity over assets		$1.023^{**} (3.26)_{**}$			
return on assets		$ \begin{array}{c} 0.336 \\ (9.98) \\ ** \end{array} $			
return on equity		$\begin{pmatrix} -0.0509 \\ (-13.62) \\ ** \end{pmatrix}$			
quick to total assets		$\begin{array}{c} -0.0073 \\ (-3.51) \\ ** \end{array}$	ata ata		
constant (μ)		1.037** (9.44)	1.140** (6.87)	0.851** (6.03)	0.993 ^{**} (8.80)
inverse logit of γ		3.765**	2.720**	2.704**	3.020**
$\ln \sigma^2$		$(20.83) \\ -0.971**$	$(8.12) \\ -0.557^{\dagger}$	(7.76) -1.037 **	(8.99) -1.321**
η		(-10.18)	(-1.78) 0.0001	(-3.19) 0.0025**	(-4.14 0.0027
			(1.02)	(10.75)	(10.91)
$\ln \sigma_u^2$	$-1.595^{**} (-28.36)$				
$\ln \sigma_v^2$	-3.720** (-36.38)				
σ_u	0.450	0.608	0.733	0.576	0.504
$\begin{array}{l} \sigma_v \\ \sigma^2 = \sigma_u^2 + \sigma_v^2 \\ \gamma = \sigma_u^2/\sigma^2 \end{array}$	0.156	0.093	$0.188 \\ 0.573$	0.149 0.354	0.111 0.267
$a_1 = a_2 / a_2$			0.938	0.937	0.953

Observations 2, 307 5, 174 5, 208 2,307 S, 174 5, 208 2,307 S, 208 2,307 Note: Dependent variable $\ln(\cos t/w_1)$. Cross-sectional (CS) normal/truncated-normal models and panel time-varying decay models using Cobb-Douglas (CD) and translog (TL) functional form with and without bank-specific terms inside the production function and the function of μ . Highlighted column is a prefered model chosen for computation of SFA efficiency. Maximum-likelihood computed using heteroscedasticity robust z-statistics (in parentheses).

† p < 0.10, * p < 0.05, ** p < 0.01

Figure B1: The development of the estimated frontier efficiencies during 2004–2013

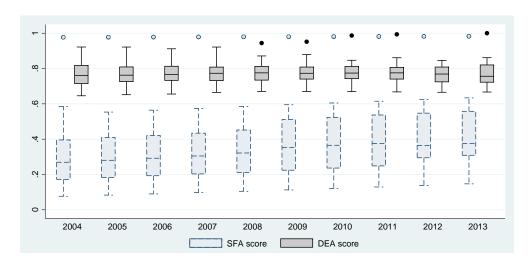


Figure B2: The kernel density function of estimated frontier efficiencies

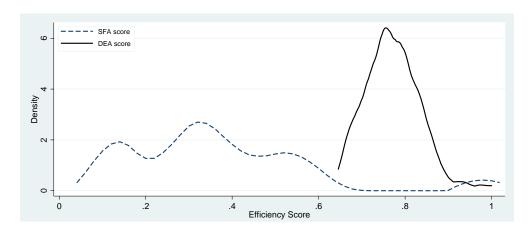


Table B3: Summary statistics of variables for deterministic frontier efficiency estimation

Variable	Label	Description	Obs.	Mean	SD	Min	Max
costs	C	total operating costs	300	4,715	6,850	50	33,900
inputs	x_1	fixed assets = tangible and	300	1,595	3,815	0	18,900
	x_2	intangible assets borrowed funds = total interest-bearing financial liabilities	300	114,000	176,000	336	817,000
	x_3	number of full time employ-	300	1,310	2,581	13	11,187
input costs	c_1	expenditures on fixed assets = depreciation on fixed assets and other administrative expenses	300	1,609	2,713	0	13,600
	c_2	expenditures on borrowed funds = interest expenses	300	1,865	2,374	3	16,800
	c_3	expenditures on labor = personnel expenses	300	1,242	2,243	14	14,700
outputs	y_1	commercial loans	300	63,400	93,600	157	457,000
_	y_2	interbank loans	300	27,900	46,800	10	282,000
	y_3	investment assets	300	32,000	$70,\!500$	0	394,000

Notes: All variables except for x_3 in CZK million. Reported variables are annualized. Balanced panel of 30 banks over the period of 2004-2013.

Table B4: Correlations between frontier efficiencies and traditional efficiency measures

	SFA	DEA	CIR	CAR	ROA	ROE
Pearson correlation						
SFA efficiency	1					
DEA efficiency	0.86	1				
Cost to income ratio	0.02	-0.04	1			
Cost to assets ratio	-0.06	-0.08	0.65	1		
Return on assets	-0.34	-0.29	-0.69	-0.32	1	
Return on equity	-0.37	-0.31	-0.41	-0.34	0.70	1
$Spearman\ correlation$						
SFA efficiency	1					
DEA efficiency	0.90	1				
Cost to income ratio	0.12	0.13	1			
Cost to assets ratio	-0.07	-0.05	0.47	1		
Return on assets	-0.50	-0.43	-0.40	-0.10	1	
Return on equity	-0.41	-0.36	-0.18	-0.20	0.75	1

Notes: Pearson simple correlation and Spearman rank-order correlation between different measures of cost efficiency.

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