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Working Paper
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WIFO Working Papers, No. 164

Provided in Cooperation with:
Austrian Institute of Economic Research (WIFO), Vienna

Suggested Citation: Egger, Peter; Pfaffermayr, Michael (2001) : Distance, Trade and FDI: A Hausman-Taylor SUR Approach, WIFO Working Papers, No. 164, Austrian Institute of Economic Research (WIFO), Vienna

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DISTANCE, TRADE AND FDI: A HAUSMAN-TAYLOR SUR APPROACH

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WIFO Working Papers, No. 164
November 2001
Distance, Trade, and FDI: A Hausman-Taylor SUR Approach

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October 9, 2001

Abstract

This paper analyzes the effects of distance as a common determinant of exports and FDI in a three factors New Trade Theory model assuming that distance affects both pure trade costs and plant set-up costs. Exports and FDI are not necessarily substitutes with respect to distance since the predicted sign depends on its importance for fixed plant set-up costs relative to transportation costs. For the empirical specification, we suggest that the impact of of time-invariant variables such as distance is most appropriately analyzed in a Hausman-Taylor SUR model. In our application, outward FDI is negatively affected by distance while its effect on exports is insignificant. Exports and outward FDI are complementary with respect to the time-invariant unobserved factors and also with respect to the majority of the exogenous observed determinants.

Key words: Multinationals; New trade theory; Panel econometrics

JEL classification: C33; F12; F23

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1 Introduction

The role of transport costs has become one of the most deeply analyzed topics in theoretical and empirical economics of international trade, with the gravity model of trade as the most prominent example. In the late eighties, the New Trade Theory and more recently also the endowment-based models of trade and multinationals suggest gravity models for the analysis of both trade and FDI. In these models both the bilateral volume of trade and multinational activity (in terms of foreign affiliate sales or FDI) are determined by the same explanatory factors constituting the proximity-concentration trade-off: (relative and absolute) factor endowments, fixed costs of setting up a foreign plant, and transportation costs. From this perspective, one expects a negative impact of transportation costs on trade and a positive one on horizontal multinational activity (FDI). Hence, outward FDI and exports are substitutes with respect to transportation costs.

In the empirical literature on bilateral trade and FDI, distance is the most frequently used proxy of transportation costs and known for its robust negative impact on both. However, the proximity-concentration trade-off suggests a positive impact of trade costs on FDI, and the association of distance with pure trade costs is questionable from this point of view. The empirical analysis of the determinants of bilateral multinational sales and FDI has mainly built on the above mentioned proximity-concentration trade-off models. But implicitly, most traditional gravity models assume a relation between distance and pure trade costs alone, ignoring its direct relevance for MNE activity as well. If distance exerts an impact on both, we should like to thank Karolina Ekholm, Gianmarco Ottaviano, the participants of the CEPR workshop "Foreign Direct Investment and the Multinational Corporation", Barcelona 2001, and the participants of the 3rd annual meeting of the European Trade Study Group, Brussels 2001.

Gravity models on FDI (affiliate sales) have been estimated by Markusen & Maskus (1999) and Carr et al. (2001). Graham (1996) and Brenton et al. (1999) analyze the relationship between exports and FDI running gravity regressions for both. Markusen & Maskus (1999, p. 13) mention that "... distance increases the costs of both trade (suggesting a substitution toward investment) but also investment." However, they do not
the theoretically expected effect on exports and outward FDI is ambiguous.

We model distance as an impediment to both trade and FDI. Our theoretical model of trade and horizontal multinationals assumes that the impact of distance depends on its relative importance for fixed plant set-up costs versus pure trade costs. The simulations indicate that exports and outward FDI may either be substitutive or complementary with respect to distance. From an econometric point of view, the presence of common determinants like distance requests an adequate bivariate specification, which so far has not been presented. We suggest a seemingly unrelated regression (SUR) framework, which explicitly accounts for the common determinants and which is more efficient. Specifically, we set-up a SUR Hausman-Taylor model (HTM-SUR), which has not been used previously. Controlling for bilateral (random) heterogeneity of export and outward FDI relationships, this model provides parameter estimates of time-invariant variables such as distance. In contrast to the traditional random effects model, it also eliminates the bias in parameter estimates stemming from endogenous unobserved effects.

Our empirical results are widely in accordance with the theoretical model. Controlling for bilateral random effects, we find that distance significantly reduces bilateral outward FDI, whereas its effect on exports is much smaller in absolute size and insignificant. Moreover, the correlation of the random effects indicates a significant complementary relationship between exports and outward FDI with respect to the common, unobserved, time-invariant, bilateral determinants.

The paper proceeds as follows. The next section sets out the theoretical hypotheses providing simulations of a three-factors model on trade and MNE activity. Section 3 presents the econometric model and discusses the HTM-SUR approach. Section 4 summarizes the estimation results and the last section concludes.
2 Theoretical Background

We base the theoretical set-up on a three-factors model and introduce distance as a determinant of both trade costs and plant set-up costs at a possibly different intensity. The demand side comprises a single, horizontally differentiated good which is produced either by foreign or domestic exporters or MNEs. In general, the horizontal MNEs do not engage in goods trade and both exporters and MNEs serve their home market with home production. In contrast to Markusen & Venables (2000), MNEs are not footloose, rather they are headquartered in one country where they also run a plant to serve the domestic market. Both location and the scope of activity of firms are endogenously determined resulting in a simultaneous two-way exports and outward FDI pattern for a large subset in the endowment space.⁴

Factor markets: Both exports and outward FDI depend on factor endowments, trade costs and fixed costs of setting up a plant abroad. Three factors (low-skilled labor, \( L \), high-skilled labor, \( H \), and physical capital, \( K \)) are used in goods production. Without any loss of generality we assume that invention of a blueprint necessitates only \( H \) as an input, and plant set-up requires \( K \) exclusively. For simplicity, we rescale the input coefficients for both the invention of blueprints and for plant set-up to one.

In the following, \( n_i \) (\( m_i \)) refers to the number of exporters (MNEs) located in country \( i \). \( x_{ii} \) is the production for a firm’s home market, whereas \( x_{ij} \) denotes a firm’s exports from country \( i \) to \( j \). Similar to Markusen & Venables (2000), \( x_{ij} \) includes iceberg trade costs. Factor market clearing requires:

\[
L_i = a_{Lx}(w_i)[(n_i + m_i + m_j)x_{ii} + n_ix_{ij}] \\
H_i = a_{Hx}(w_i)[(n_i + m_i + m_j)x_{ii} + n_ix_{ij}] + n_i + m_i \\
K_i = a_{Kx}(w_i)[(n_i + m_i + m_j)x_{ii} + n_ix_{ij}] + n_i + (2 + \gamma)m_i,
\]

where \( a_{Lx}(w_i) \), \( a_{Hx}(w_i) \), and \( a_{Kx}(w_i) \), are input coefficients for the production of

⁴Note that in Markusen & Venables (1998, 2000) mixed equilibria only exist for knife-edge cases or very small and implausible subsets of the endowment space.
one unit of output, all depending on the vector of domestic factor rewards \((w_i)\). To capture our main hypothesis, we assume that distance \((\delta)\) simultaneously increases pure trade costs \((t)\) and set-up costs for a foreign plant \((1 + \gamma)\). We define trade costs as country-specific iceberg transportation costs \((t = t_0 + \delta)\). Setting up a second plant abroad requires higher fixed costs than operating a domestic plant and serving the foreign country via exports \((\gamma = \gamma_0 + \rho \delta)\). Similar to trade costs, plant set-up costs are iceberg costs, where \(\gamma\) measures the amount of physical capital, which is lost in the case of setting up a foreign affiliate. We assume that distance increases this cost (e.g. because of differences in the cultural, political or the economic environment, etc.). In any case, a MNE has to send \(1 + \gamma_0 + \rho \delta\) units of capital in order to provide one unit of capital, which is necessary to set-up production facilities abroad.

**Demand side:** Formally and as usual, demand is derived from a CES Dixit & Stiglitz (1977) utility function:

\[
x_{ii} = p_{ii}^{-\varepsilon} s_i^{\varepsilon-1} E_i \quad ; \quad x_{ij} = p_{ii}^{-\varepsilon} t_j^{1-\varepsilon} s_j^{\varepsilon-1} E_j
\]  

(2)

where \(\varepsilon\) is the elasticity of substitution, \(E_i\) denotes domestic factor income and \(s_i\) is the price aggregator defined as (see Markusen & Venables, 2000)

\[
s_i = [(n_i + m_i + m_j)p_{ii}^{1-\varepsilon} + n_j(t_i p_{jj})^{1-\varepsilon}]^{1/(1-\varepsilon)}.
\]  

(3)

According to our empirical measurement of exports and outward FDI we focus on real figures. In particular, we measure country \(i\)'s real exports by \(n_ix_{ij}\). Empirically, this corresponds to the shipment of exports at f.o.b., which is most closely related to the production of goods for export. In contrast, the stock of FDI excludes the capital lost due to distance in (or before) the process of setting up the foreign plant. Consequently, country \(i\)'s real outward FDI is defined as \(m_i(1 + \gamma)\).

\(5\)Note that there are restrictions on the factor endowments in order to come up with positive factor rewards and a mixed equilibrium with both \(m_i, m_j, n_i, n_j \geq 0\) (see Egger & Pfaffermayr, 2000).
**Zero profit conditions:** Free entry results in zero profits for both exporters (superscript $x$) and MNEs (superscript $m$):

\[
\pi^x_i = p_i x_{ii} + p_{ii} x_{ij} - d_i x_{ii} - d_{ij} x_{ij} - w_{H_i} - w_{K_i}
\]

\[
\pi^m_i = p_i y_{ii} + p_{jj} y_{ij} - d_i y_{ii} - d_{ij} y_{ij} - w_{H_i} - (2 + \gamma) w_{K_i}
\]

with $d_i = a_{Lx_i} w_{L_i} + a_{Hx_i} w_{H_i} + a_{Kx_i} w_{K_i}$. Implicitly, these two conditions represent the proximity-concentration trade-off for given factor rewards.

**Balance of Payments:** The balance of payments guarantees that goods trade flows are balanced by both trade in invisibles and capital flows across borders, which we interpret as FDI. Headquarter services and FDI do not enter the balance of payments separately. Rather the sum of the two is included, which corresponds to the profits of the affiliates of the MNEs.

\[
n_i p_{ii} x_{ij} + (1 - \theta) p_{jj} x_{jj} = n_j p_{jj} x_{ji} + (1 - \theta) p_{ii} x_{ij}
\]

**Simulation results:** The above model cannot be solved analytically due to the nonlinearities induced by iceberg transportation costs. Hence, we solve the model numerically for particular parameter values considering only interior solutions (see the Appendix for more details).

> Table 1 <

Table 1 summarizes the results of comparative static analysis of real exports and outward FDI with respect to changes in the exogenous determinants of the empirical gravity model below. The bilateral sum of GDP (a proxy for the size of the bilateral economic factor space: $G = GDP_i + GDP_j$) and the similarity of country size measured in terms of GDP ($S = 1 - (GDP_i/G)^2 - (GDP_j/G)^2$) exhibits the same positive impact as in other New Trade Theory gravity models for trade (see Helpman & Krugman, 1985, Helpman, 1987, Bergstrand, 1990, etc.). The present model suggests that FDI does not depend on the similarity of country size, rather it is positively related to relative country size measured by $g = GDP_i/GDP_j$. The
reason lies in the absence of the home market bias for MNE sales (and therefore FDI) at a given distance.

Outward FDI and exports are substitutive with respect to changes in the relative endowment with physical capital \((k = K_i/K_j)\). A larger endowment in \(K_i\) c.p. increases the number of country \(i\)'s MNEs and its FDI, resulting in a reduction in the number of exporters and also of aggregate exports. Outward FDI and exports are complementary with respect to changes in relative human capital endowments \((h = H_i/H_j)\). An increase in \(h\) fosters a country's comparative advantage in the brand invention. According to the Dixit & Stiglitz (1977) love-for-variety preferences, the home market bias associated with transport costs is less pronounced for a high degree of product diversity, so that exports and outward FDI increase simultaneously with \(h\). In contrast, a rise in \(l = L_i/L_j\) generates a comparative advantage in goods production, which increases real exports but reduces real outward FDI.

> Figure 1 <

The impact of distance on exports and outward FDI depends on the parameter \(\rho\), which tells us how important distance is for fixed plant set-up costs relative to trade costs (see also Figure 1). An increase in \(\rho\) implies that distance affects plant set-up costs more severely. Consequently, exports are falling and outward FDI is rising with distance at low values of \(\rho\). For medium \(\rho\), distance exhibits a negative impact on both exports and outward FDI, and if \(\rho\) is sufficiently high, the relationship again changes to a substitutive one with exports increasing and outward FDI falling. Hence, the impact of distance on exports and FDI remains an empirical issue, which is investigated below.

3 Econometric Model

The theoretical model suggests that (outward) FDI is determined by bilateral overall country size \((G)\), relative country size \((g)\), relative factor endowments \((k, h, l)\), and distance \((D)\), which measures both country-specific transport costs and fixed foreign
plant set-up costs. Additionally, exporter and importer specific viability of contracts (V) and rule of law (R) enter the econometric model proxying other aspects of trade costs and FDI costs, which are unaffected by distance. Noteworthy, exports are determined by the same factors, but in contrast to FDI they are a function of similarity in country size (S) instead of g.

Formally, we specify a system of two equations (exports and outward FDI) with fixed time effects ($\lambda^E_t$, $\lambda^F_t$) and bilateral effects ($\mu^E_{ij}$, $\mu^F_{ij}$), the latter capturing all unobserved determinants of bilateral trade and FDI, respectively. Given the large number of bilateral relations, we treat the bilateral effects as random, which - in contrast to a fixed effects framework - allows us to estimate the parameter of the time-invariant distance variable.\(^6\)

\[
E_{ijt} = \beta^E_0 + \gamma^E_1 D_{ij} + \beta^E_1 G_{ijt} + \beta^E_2 S_{ijt} + \beta^E_3 k_{ijt} + \beta^E_4 h_{ijt} + \beta^E_5 l_{ijt} + \mu^E_{ij} + \varepsilon^E_{ijt} \tag{6}
\]

\[
F_{ijt} = \beta^F_0 + \gamma^F_1 D_{ij} + \beta^F_1 G_{ijt} + \beta^F_2 g_{ijt} + \beta^F_3 k_{ijt} + \beta^F_4 h_{ijt} + \beta^F_5 l_{ijt} + \mu^F_{ij} + \varepsilon^F_{ijt} \tag{7}
\]

with $u^E_{ijt} = \mu^E_{ij} + \varepsilon^E_{ijt}$ and $u^F_{ijt} = \mu^F_{ij} + \varepsilon^F_{ijt}$. Following Baltagi's (1995) notation, the random effects are distributed according to $\mu \sim N(0, \Sigma_\mu)$, and the remainder error $\varepsilon \sim N(0, \Sigma_\varepsilon)$. $\mu$ and $\varepsilon$ are $(NT \times 2)$ column vectors with

\[
E \begin{pmatrix} \mu^j \\ \varepsilon^j \end{pmatrix} = \begin{pmatrix} \mu^j \end{pmatrix}' \begin{pmatrix} \varepsilon^j \end{pmatrix}' = \begin{bmatrix} \sigma^2_{\mu^j} I_N & 0 \\ 0 & \sigma^2_{\varepsilon^j} I_{NT} \end{bmatrix}; \quad j, l = E, F. \tag{8}
\]

$N$ is the number of bilateral relations and $NT$ denotes the total number of observations. $\Sigma_\mu = \begin{bmatrix} \sigma^2_{\mu^j} \end{bmatrix}$ is the variance covariance matrix corresponding to the cross-sectional, bilateral unobserved effects, whereas $\Sigma_\varepsilon = \begin{bmatrix} \sigma^2_{\varepsilon^j} \end{bmatrix}$ is the variance covariance matrix of the remainder error term. Each error component fulfills the standard Zellner (1962) assumption. For estimation, one has to transform the system of equations by premultiplying it with (see Baltagi, 1980)

\[
\Omega^{-1/2} = \Sigma_1^{-1/2} \otimes P + \Sigma_2^{-1/2} \otimes Q. \tag{9}
\]

\(^6\)The fixed effects estimator wipes out all time-invariant variation.
\[ P = I_N \otimes J_T / T, \quad Q = I_{NT} - P, \quad I_N \text{ and } I_{NT} \text{ denote identity matrices of dimension } N \text{ and } NT, \text{ respectively, and } J_T \text{ is a } T \times T \text{ matrix of ones.} \]

\[ \Sigma_1 \text{ is the usual combined error term (see Baltagi, 1995). In this way one obtains homoskedastic and independent errors, so that the transformed model can be estimated by OLS (HTM-SUR). Following Amemiya (1971), one estimates the variance components } \Sigma_1 \text{ by } U'QU/N(T-1) \text{ and } \Sigma_1 \text{ by } \hat{U}'\hat{P}\hat{U}/N, \text{ where } U \text{ denotes the } NT \times 2 \text{ matrix of the Within-type residuals and } \hat{U} \text{ are the time averages of the second stage residuals from the 2SLS regression in the spirit of Hausman & Taylor (1981).} \]

This second stage 2SLS regression should remove the possible correlation between the right-hand-side variables and the error term. The presence of such a correlation (which can be tested by the familiar Hausman test, 1978) generates an endogeneity problem, rendering the traditional REM or REM-SUR estimates inconsistent. In order to obtain consistent parameter estimates for both the time-variant variables and especially the time-invariant distance, we follow Hausman & Taylor (1981) and Cornwell et al. (1992) and use the various dimensions of variation in the panel for the construction of proper instruments and estimate the model by 2SLS to overcome this endogeneity problem. Thereby, one has to distinguish between variables, which are not correlated with the unobserved effects (doubly exogenous variables) and variables which are correlated with the unobserved effects (singly exogenous variables).9

The matrix of time-variant explanatory variables consists of 2 subsets: \[ X = \begin{bmatrix} X_1 \mid X_2 \end{bmatrix}, \quad X_1 \text{ is assumed to be doubly exogenous, and } X_2 \text{ is singly exogenous (i.e. correlated with } \mu_{ij}) \text{. Time-invariant distance (D) is likewise assumed to be singly exogenous. There is no way to decide a priori which group an explanatory variable belongs to. Rather, this has to be done on the grounds of plausible a priori hypotheses and checked in a sensitivity analysis. The appropriateness of the decision can be tested by an over-identification test in the spirit of Hausman & Taylor (1981).} \]

\[ D \]

---

7 This holds only true for balanced panel data, but it simply generalizes to the unbalanced case, which is relevant in our application.

8 The latter explicitly refer to the estimation of simultaneous equations with panel data.

9 We do not consider the problem of endogeneity in the sense that an explanatory variable is correlated with the remainder error term (\( \varepsilon \)).
very likely *singly exogenous*, since in the present specification, the random bilateral 
effects reflect the time-invariant bilateral propensity to export (to invest abroad) like 
geographic and cultural proximity, etc., which are very likely correlated also with 
distance between any two countries. Additionally, variables correlated with absolute 
bilateral size like $G$ are likely *singly exogenous*. Moreover, in our application it turns 
out that relative endowments ($k$, $h$, $l$) should also be treated as *singly exogenous*. 
Interestingly, we find that the relative country size ($g$) and the similarity index for 
country size ($S$) do not face this correlation problem. The main advantage of the 
Cornwell et al. (1992) approach is the possible isolation of the effect of $D$ from 
the other time-invariant unobserved effects, which is impossible in a fixed effects 
framework.

The correlation of the error components of the two equations (exports and out-
ward FDI) has a useful economic interpretation. Using a cross-sectional gravity 
model, Graham (1996) argues that the correlation of the residuals from a FDI and 
an exports regression reflects their interrelationship with respect to unobserved de-
terminants after controlling for common exogenous influences.\textsuperscript{10} This can be done 
more appropriately with the present set-up. The off-diagonal elements of $\Sigma_{\mu}$ (i.e. 
$\sigma_{\mu jl}^2$ for $i \neq l$) form a natural measure of substitution/complementarity with respect 
to the unobserved constant effects.\textsuperscript{11}

\section{Data and Estimation Results}

We run regressions on bilateral exports and outward stocks of FDI from OECD coun-
tries to other economies (including OECD and non-OECD countries) covering the 

\textsuperscript{10}Of course, complementarity/substitution can also be analyzed with respect to changes in com-
mon exogenous determinants. Complementarity would then be associated with identical signs in 
the respective coefficient in the two equations.

\textsuperscript{11}As compared to Graham (1996), the problem gets even more severe, when the residual of one 
of the two equations is used as an explanatory variable in the other one (compare Brenton et al., 
1999).
of International Trade; IMF, Direction of Foreign Trade; and the Vienna Institute of International Economic Studies, hereafter WIIW) are converted by export price (IMF, International Financial Statistics; OECD, Economic Outlook; and WIIW) and exchange rate indices (IMF, International Financial Statistics; and WIIW) to obtain real values with 1995 as the base year. Outward FDI stock data in current prices and dollars were taken from the OECD International Direct Investment Statistics Yearbook. We consider the reported book values of foreign assets as a rough approximation of depreciated initial values and convert them to real values by the use of investment deflators (OECD National Accounts, Volume 1) in combination with the exchange rate indices for all countries, in order to derive a proxy of real stocks of bilateral outward FDI.\(^{12}\) Nominal GDP in USD (OECD, Economic Outlook and National Accounts Volume 1; IMF, International Financial Statistics; and WIIW) are also converted to real numbers using GDP deflators (same sources as GDP) and exchange rate indices. Population numbers are collected from OECD (Economic Outlook and National Accounts Volume 1), IMF (International Financial Statistics) and WIIW.

The relation between exporter and importer endowment with low-skilled workers \((l_{ijt})\) is approximated by the relation of people with only primary education. The exporter-to-importer relation in the endowment with human capital \((h_{ijt})\) is approximated by the respective ratio of the sum of persons with secondary and tertiary school enrolment (OECD Education Statistics 1985-1992, Education at a Glance, several years, and the UNESCO Statistical Yearbook). Capital stocks are estimated by the perpetual inventory method assuming the initial period’s (1978) capital stock as

\[
K_{1978} = 2 \cdot (I_{1976} + I_{1977} + I_{1978} + I_{1979} + I_{1980}),
\]  

where \(I_t\) is the gross fixed capital formation. Additionally, we assume a constant and identical depreciation rate of 7 percent in order to come up with real capital

\(^{12}\)These stocks serve in the foreign affiliates production abroad. We assume that foreign capital services are proportional to this stock.
stocks in the other years as
\[ K_t = 0.93 \cdot K_{t-1} + I_t. \]  

Two economic freedom variables are included for the exporters and the importers each, which are provided by Economic Freedom Network (Economic Freedom of the World) and account for legal structure and property rights (Area V of the database) and international exchange (part of Area VI of the respective database). These variables are based on (zero-to-ten) ratings and can be interpreted as export and FDI impeding or enforcing determinants other than distance. The corresponding variables are viability of contracts \((V_{it}, V_{jt})\), and rule of law \((R_{it}, R_{jt})\).

All variables are in logs. The panel covers the period 1986 to 1997 and is unbalanced, mainly due to the availability of bilateral data on FDI. After removing all bilateral relations with less than three observations over time, we come up with 1682 observations.

> Table 2 <

Table 2 presents the regression results for the three different panel estimators on both the export and the FDI equation. In all specifications time effects are significant. Specifications E1 and F1 show the consistent but inefficient Within estimator results, which do not provide a parameter estimate for distance. In accordance with New Trade theory and the above model, bilateral exports increase with bilateral sum of GDP \((G)\) and similarity in terms of GDP \((S)\), whereas bilateral stocks of outward FDI are an increasing function of \(G\) and relative GDP \((g)\). Exports and outward FDI are complements with respect to changes in relative human capital endowments \((h)\). In contrast to theory the impact is negative, indicating that enrollment figures are possibly only weak proxies for human capital stocks. In line with the model, exports and outward FDI are substitutes with respect to a change in the endowment with low-skilled labor. This is also consistent with the vertical model of FDI in the spirit of Helpman (1984).\textsuperscript{13} Interestingly, a change of the economic free-

\textsuperscript{13}In contrast to the horizontal model, the vertical set-up allows for a full separation of headquarter services from production facilities.
dom variables, which can be interpreted as cost measures of international economic relations in a broad sense (affecting both transport costs and plant set-up costs independently of distance), does not exhibit a unified impact: exporter viability of contracts affects exports negatively, but the other freedom variables exert a positive impact on exports. Neither of them exhibits a significant influence on outward FDI.

In order to obtain an estimate of the distance variable, we first run a traditional Hausman-Taylor (1981) model (HTM) treating $D$, $G$, $h k$, and $l$ as singly exogenous (i.e. correlated with the unobserved effects) and the remaining ones as doubly exogenous variables.\footnote{As indicated by the Hausman test, the REM is rejected and there is no way to obtain consistent GLS estimates for both the time-variant variables and distance.} Distance exerts a significant negative impact on outward FDI, whereas in our application the impact on exports is much smaller in absolute terms and could not be estimated precisely. This result deviates to some degree from previous contributions. However, we have to bear in mind that our country sample mainly comprises developed countries, where distance is known to exert a smaller impact on trade flows.\footnote{Oguledo & MacPhee (1994) cannot detect any significant impact of distance on US bilateral trade flows. The coefficient for EU bilateral trade is -0.5 and that for developed countries’ trade is -0.8 and significant.} Additionally, the bilateral effects absorb some of the impact, which previous models may have erroneously attributed to distance. Whereas Liu et al. (1997) report an insignificant impact of distance on inward FDI into China, our results are principally in accordance with Martín & Velázquez (1997), who find a negatively significant impact of distance (-0.457) on bilateral intra-OECD FDI. Carr et al. (2001) estimate an even more important effect of distance (-1.48) on the volume of real affiliate sales of US MNEs and foreign headquartered plants in the US. Braunerhjelm & Ekholm (1998) provide firm-level evidence and likewise find that distance exerts a stronger negative impact on foreign affiliate production than on exports.

The HTM is successful in terms of both the test for over-identification and the canonical correlations. The former indicates that this approach provides consistent and more efficient estimates since the difference to the Within model is too narrow
in order to reject the HTM. The latter is the geometric mean of the canonical correlations measuring the average correlation between the set of instruments and the endogenous variables (see Bowden & Turkington, 1986, and Baltagi & Khantiahkom, 1990). Compared to the overall fit, the set of instruments seems highly relevant, yielding average canonical correlation coefficients of 0.61 in specification E2 and 0.67 in specification F2.

The HTM-SUR additionally accounts for the correlation of the error components and is even closer to the consistent Within model than the traditional HTM. It additionally allows to estimate the parameters more efficiently. The corresponding error component matrix estimates are

\[
\hat{\Sigma}_\mu = \begin{bmatrix}
1.4245 & 2.9112 \\
2.9112 & 12.5990
\end{bmatrix} \quad \hat{\Sigma}_e = \begin{bmatrix}
.0227 & .0021 \\
.0021 & .2256
\end{bmatrix}.
\]

The off-diagonal element of \( \hat{\Sigma}_\mu \) in (12) represents an estimate of the covariance between the random bilateral exporter and FDI effects. The positive sign indicates a complementary relationship between the two after controlling for common and observed exogenous determinants. The corresponding correlation coefficient amounts to 0.69. The correlation between the remainder errors is of negligible size (0.03). The respective correlation coefficient of the \( \hat{\Sigma}_1 \) matrix, which combines both components, is highly significant following a Honda test.\(^{16}\) The test statistic is 33.82 and follows a standard normal distribution. Hence, the simple HTM (E2, F2) is rejected in favor of the HTM-SUR (E3, F3).

5 Conclusions

This paper analyzes the impact of distance on both bilateral exports and outward FDI. In a three factors proximity-concentration set-up of trade and MNE activity, our simulations indicate that distance affects both exports and outward FDI in a

\(^{16}\)This test is based on the square root of the familiar Breusch-Pagan test of the hypothesis that the cross-equation correlation is zero (see Baltagi, 1995, p. 62 and p. 104, and Greene, 1993, p. 493).
non-trivial way. However, if distance is extremely important for plant set-up costs, it may also increase exports. In the general equilibrium context, the direct negative effect on exports may be outweighed by an indirect one induced by the pronounced reduction of stocks of outward FDI. Hence, the overall effect remains an empirical question, and exports and horizontal outward FDI could be either substitutes or complements with respect to distance depending on its importance for the two.

Empirically, we suggest a methodology of analyzing the relationship between exports and stocks of outward FDI, which is different from previous research. According to the recent theory on trade and MNEs, exports and FDI face common determinants. We therefore use a Hausman-Taylor SUR set-up. This allows to simultaneously control for the influence of common exogenous determinants and estimate the direct relationship between exports and outward FDI in terms of unobserved, time-invariant bilateral effects. This approach gives consistent parameter estimates and is superior to the corresponding fixed effects model. Especially, it yields parameter estimates for time-invariant variables such as distance when controlling for bilateral heterogeneity. Our estimation results are widely in accordance with the theoretical hypotheses. In particular, we find that distance exerts a significant, negative impact on bilateral stocks of outward FDI, whereas the effect on exports is much smaller in absolute size and insignificant. Moreover, exports and outward FDI are complementary with respect to the unobserved time-invariant determinants.

From the perspective of our model of horizontal MNEs, the strong negative effect of distance on outward FDI suggests that fixed plant set-up costs are relatively stronger affected by distance than exports. Another explanation would be that the observed FDI is predominantly vertical implying that MNEs at large scale engage in (intermediate and final) goods trade, which in turn is negatively affected by trade costs related to distance. Although this issue cannot be resolved by the aggregated data at hand, it seems not reasonable regarding our country sample, which consists mainly of the OECD countries. In these similarly endowed countries, horizontal MNEs should dominate.
6 References


7 Appendix: Simulation Details

For simplicity, we use a Cobb-Douglas technology for goods production to derive the input coefficients:

\[
a_{Lx_i}(w) = \left( \frac{w_{H_i} a}{w_{L_i} b} \right)^b \left( \frac{w_{K_i} a}{w_{L_i} c} \right)^c
\]

\[
a_{Hx_i}(w) = \left( \frac{w_{L_i} b}{w_{H_i} a} \right)^a \left( \frac{w_{K_i} b}{w_{H_i} c} \right)^c
\]

\[
a_{Kx_i}(w) = \left( \frac{w_{L_i} c}{w_{K_i} a} \right)^a \left( \frac{w_{H_i} c}{w_{K_i} b} \right)^b
\]

and similarly for country \( j \) assuming constant returns to scale \((a + b + c = 1)\) and identical technology parameters across countries. We define unit costs by

\[
d_i = a_{Lx_i} w_{L_i} + a_{Hx_i} w_{H_i} + a_{Kx_i} w_{K_i},
\]

\[
d_j = a_{Lx_j} w_{L_j} + a_{Hx_j} w_{H_j} + a_{Kx_j} w_{K_j},
\]
set $w_{Lj} = 1$ and simulate the following 11 conditions in order to derive results for the remaining 11 variables ($w_{Li}$, $w_{Ki}$, $w_{Kj}$, $w_{Hi}$, $x_{ii}$, $x_{jj}$, $n_i$, $n_j$, $m_i$, $m_j$):

\begin{align*}
\frac{L_i}{a_{Lxi}} - (n_i + m_i + m_j)x_{ii} - n_i x_{jj} t^{1-\varepsilon} \left( \frac{d_i}{d_j} \right)^{-\varepsilon} &= 0 \\
\frac{L_j}{a_{Lxj}} - (n_j + m_i + m_j)x_{jj} - n_j x_{ii} t^{1-\varepsilon} \left( \frac{d_i}{d_j} \right)^{\varepsilon} &= 0
\end{align*}

\begin{align*}
H_i - \frac{a_{Hxi} L_i}{a_{Lxi}} - n_i - m_i &= 0 \\
H_j - \frac{a_{Hxj} L_j}{a_{Lxj}} - n_j - m_j &= 0
\end{align*}

\begin{align*}
K_i - \frac{a_{Kxi} L_i}{a_{Lxi}} - n_i - (2 + \gamma)m_i &= 0 \\
K_j - \frac{a_{Kxj} L_j}{a_{Lxj}} - n_j - (2 + \gamma)m_j &= 0
\end{align*}

\begin{align*}
x_{ii} + x_{jj} t^{1-\varepsilon} \left( \frac{d_i}{d_j} \right)^{-\varepsilon} - (\varepsilon - 1) (w_{Hi} + w_{Ki}) &= 0 \\
x_{jj} + x_{ii} t^{1-\varepsilon} \left( \frac{d_i}{d_j} \right)^{\varepsilon} - (\varepsilon - 1) (w_{Hj} + w_{Kj}) &= 0
\end{align*}

\begin{align*}
x_{ii} + x_{jj} \frac{d_i}{d_j} - (\varepsilon - 1) (w_{Hi} + (2 + \gamma) w_{Ki}) &= 0 \\
x_{jj} + x_{ii} \frac{d_i}{d_j} - (\varepsilon - 1) (w_{Hj} + (2 + \gamma) w_{Kj}) &= 0
\end{align*}

\begin{align*}
x_{jj} \left( n_i t^{1-\varepsilon} \left( \frac{d_i}{d_j} \right)^{1-\varepsilon} + \frac{m_i}{\varepsilon} \right) - x_{ii} \left( n_j t^{1-\varepsilon} \left( \frac{d_i}{d_j} \right)^{\varepsilon} + \frac{d_i}{d_j} m_j \right) &= 0
\end{align*}

For our simulations, we set the world endowments (labelled by ”\~{\text{\textregistered}}”) at $\tilde{L} = 100$, $\tilde{H} = 120$, and $\tilde{K} = 250$. For the Cobb-Douglas coefficients we assume $a = 0.6$, $b = 0.01$, $c = 0.39$ without any loss of generality. Moreover, $\varepsilon = 2$, $t_0 = 1.13$, $\gamma_0 = 0.5$, $0 \leq \delta \leq 0.024$ and $1 \leq \rho \leq 25$. 

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Figure 1a: Exports and a Change in Distance

![Graph showing the relationship between distance and exports for different values of ρ.]

Figure 1b: Outward FDI and a Change in Distance

![Graph showing the relationship between distance and outward FDI for different values of ρ.]

Table 1: The Comparative Statics for Exports and FDI

<table>
<thead>
<tr>
<th></th>
<th>Exports (E)</th>
<th>FDI (F)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Relative bilateral GDP</td>
<td>+</td>
<td></td>
</tr>
<tr>
<td>Sum of bilateral GDP</td>
<td>+</td>
<td>+</td>
</tr>
<tr>
<td>Similarity in country size</td>
<td>+</td>
<td></td>
</tr>
<tr>
<td>Relative physical capital endowment</td>
<td>-</td>
<td>+</td>
</tr>
<tr>
<td>Relative human capital endowment</td>
<td>+</td>
<td>+</td>
</tr>
<tr>
<td>Relative labor endowment</td>
<td>+</td>
<td>-</td>
</tr>
<tr>
<td>Distance:</td>
<td></td>
<td></td>
</tr>
<tr>
<td>high $\rho$</td>
<td>+</td>
<td>-</td>
</tr>
<tr>
<td>medium $\rho$</td>
<td>-</td>
<td>-</td>
</tr>
<tr>
<td>low $\rho$</td>
<td>-</td>
<td>+</td>
</tr>
</tbody>
</table>
Table 2: Panel Regression Results for Bilateral Exports (Real Figures and Variables in Logs)

<table>
<thead>
<tr>
<th>Independent Variables</th>
<th>Real bilateral exports</th>
<th>Real bilateral stocks of outward FDI</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>Within Hausman-Taylor</td>
<td>Hausman-Taylor</td>
</tr>
<tr>
<td>Distance</td>
<td>-0.234 (-0.205)</td>
<td>-0.033 (0.202)</td>
</tr>
<tr>
<td>Relative bilateral GDP</td>
<td>-0.834 (0.511)</td>
<td>0.853 (1.349)</td>
</tr>
<tr>
<td>Sum of bilateral GDP</td>
<td>2.533 (***)</td>
<td>2.340 (***)</td>
</tr>
<tr>
<td>Similarity in country size</td>
<td>0.783 (***)</td>
<td>1.107 (0.107)</td>
</tr>
<tr>
<td>Relative physical capital endowment</td>
<td>-0.237 (0.084)</td>
<td>-0.298 (0.082)</td>
</tr>
<tr>
<td>Relative human capital endowment</td>
<td>-0.106 (0.052)</td>
<td>-0.115 (0.053)</td>
</tr>
<tr>
<td>Relative labor endowment</td>
<td>0.193 (0.046)</td>
<td>0.175 (0.045)</td>
</tr>
<tr>
<td>Exporter viability of contracts</td>
<td>-0.248 (0.098)</td>
<td>-0.316 (0.106)</td>
</tr>
<tr>
<td>Importer viability of contracts</td>
<td>0.391 (0.033)</td>
<td>0.049 (0.033)</td>
</tr>
<tr>
<td>Exporter rule of law</td>
<td>0.168 (0.075)</td>
<td>0.232 (0.078)</td>
</tr>
<tr>
<td>Importer rule of law</td>
<td>0.107 (0.049)</td>
<td>-0.016 (0.051)</td>
</tr>
<tr>
<td>Constant</td>
<td>-49.216 (***)</td>
<td>-40.560 (1.438)</td>
</tr>
</tbody>
</table>

Observations 1682 1682 1682 1682 1682 1682
R^2 0.99 0.98 0.99 0.97 0.97 0.97
Time effects: F(11, 1386) 1.73 *) 1.41 1.47 5.77 (***) 6.67 (***) 6.45 (***)
Bilateral effects: F(275, 1386) 110.62 (***) | | 87.08 (***) | |
Hausman test: χ^2(20) 163.60 (***) | | 118.83 (***) | |
Overidentification: χ^2(?) 2.57 | | 1.96 | |
Canonical correlations 0.61 0.62 0.62 0.67 0.67 0.78

1) Standard errors in parentheses. *** significant at 1%; ** significant at 5%; * significant at 10%;