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Working Paper
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The Impact of Mass Migration on the Israeli Labor Market

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August 1997

Funding from the Falk Institute is gratefully acknowledged. Data were provided by the Social Sciences Data Archive at the Hebrew University of Jerusalem. Vadim Marmer provided outstanding research assistance. I thank Joshua Angrist, Moshe Buchinsky, Jennifer Hunt, Lawrence Katz, and seminar participants at Hebrew University, Tel Aviv University, the Bank of Israel, Brown, Yale, Boston College, MIT, Harvard, Princeton, PAA, and the NBER for helpful comments.
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Abstract

Mass migration from the former Soviet Union increased the Israeli population by 12% in the first half of the 1990s. This exodus was precipitated by the lifting of emigration restrictions in an unstable USSR and by the open immigration policy of Israel toward Soviet Jews, who faced more restrictive entry policies elsewhere. I use this natural experiment to study the impact of immigration on the labor market outcomes of native Israelis. OLS yields significant reductions in wages and small reductions in employment. However, OLS is biased if the distribution of immigrants across occupations in Israel was not exogenous to relative wage and employment conditions. I instrument for the entry of Russians into an occupation in Israel, using information on their former occupations in the USSR. There is a significant positive correlation between the former presence of the immigrants in an occupation in the USSR and their presence in that occupation in Israel. But the previous occupational choices of Russians abroad were independent of Israeli wage and employment growth subsequent to their migration. IV estimates indicate that immigration did not have an adverse impact on native Israeli labor market outcomes.

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JEL Classification: J6, J31, J2
I. Introduction

Since the beginning of the decade, Israel has experienced an immigration of massive proportions from the former Soviet Union. Approximately 700,000 immigrants from the FSU have come to the country since 1989, increasing the population by over seven percent in the space of just two years, and by twelve percent in the first half of the 1990s. The aim of this paper is to use this natural experiment to analyze the impact of immigration on the receiving labor market. In particular, the goal is to determine whether there have been adverse effects on the labor market outcomes of the "native" Israeli population.¹

There has been much research recently into the question of how immigration affects the labor market outcomes of natives. In the simplest supply and demand model of the labor market, immigration causes an outward shift in the labor supply curve.² Assuming imperfectly elastic labor supply and demand curves, equilibrium wages will fall, and equilibrium employment will rise, but by less than the size of the immigration. Immigrants will therefore displace some natives in employment. However, despite the popular belief that immigrants have a large adverse impact on the wages and employment opportunities of the native-born population, the research in this area is not largely supportive of that

¹ The terms "Israelis" and "natives" will be used to refer to veteran Israelis, whether born in Israel or abroad. The terms "Russians" and "immigrants" will be used to refer to the recent immigrants from Russia and other parts of the Soviet Union.

² Immigration may also cause an outward shift in the labor demand curve, but this is typically assumed to be of a smaller magnitude, particularly in the short run or by sector. In a model of wage differentials, if immigrants and natives have different skill distributions, but similar consumption bundles, immigration shifts the relative supply curves of certain groups of workers, with little or no change in the relative demand curves. This textbook model assumes that workers are perfect substitutes. Native workers who are, in fact, gross complements with immigrant labor should experience a rise in both wages and employment as a result of immigration.
conclusion. Estimated employment effects are quite weak, and there is not a consensus as to the size of immigration's impact on wages. Most studies have found that a 10% increase in the fraction of immigrants in the population reduces native wages by 1% at most.

Previous empirical work has followed three major approaches. Studies exploiting geographic variation correlate variation in immigration and changes in native outcomes across cities (Altonji and Card, 1991; Goldin, 1994; LaLonde and Topel, 1991; Pischke and Velling, 1994). Factor proportions analyses calculate the changes in the supply of different skill groups implied by immigration and combine them with estimates of labor demand elasticities to gauge the change in native wages (Borjas, Freeman, and Katz, 1992, 1996, and 1997; Jaeger, 1996). This approach yields more sizeable effects of immigration than the geographic approach. Finally, studies of natural experiments analyze migrations induced by political factors in the sending country (Card, 1990; Hunt, 1992; Carrington and DeLima, 1996). These studies have not found a significant effect of immigration on native outcomes.

In this paper, I provide new evidence on immigration’s impact on the host labor market, using an approach that combines use of a natural experiment with a novel

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3 See Friedberg and Hunt (1995) for a review of the literature.

4 Aspects of some of the empirical approaches would suggest that these estimated elasticities probably overstate the true effect, although recent work by Borjas, Freeman, and Katz (1996) argues that the impact is in fact understated in much of the literature, due to factor price equalization.

5 Empirical research on the Russian mass migration to Israel has focussed on the labor market adjustment of the new immigrants themselves, rather than their impact on native outcomes (Beenstock and Ben Menahem, 1995; Eckstein and Shachar, 1995; Flug and Kasir, 1993; Flug, Kasir and Ofer, 1992; and Weiss and Gotlibovsky, 1995). Theoretical research has explored the potential effects of this wave on macroeconomic variables such as growth, aggregate unemployment, and the aggregate returns to labor and capital (Beenstock and Fisher, 1996; Brezis and Krugman, 1996; Flug, Hercowitz, and Levi, 1994; Hercowitz and Meridor, 1991 and 1993; Hercowitz, Kantor and Meridor,
instrumental variable which exploits detailed data on immigrants’ occupations in their country of origin.\(^6\) My results support the view that immigrants do not adversely affect the earnings or employment opportunities of native workers.

There are four reasons the Russian migration to Israel makes a particularly interesting case study of immigration’s impact on the receiving labor market. First, this wave of immigration was large and concentrated. In 1990 alone, Russian immigration lead to population growth of four percent in Israel, with an average annual rate of 1.4% sustained over the seven-year period 1989-95. No immigration to the United States or Western Europe has been comparable in magnitude. At the peak of mass migration to the United States at the beginning of the century, the rate of population growth due to immigration was one percent per year, and U.S. immigration is still considered an important issue by economists and policymakers at its current rate of only about 0.35% per year.

Second, this case provides an exogenous source of variation for studying the effects of immigration on the labor market. The migration was precipitated by the lifting of emigration restrictions in the Soviet Union. Due to the unstable political and economic climate in the former USSR, the majority of the Jewish community chose to emigrate. They chose to leave because of conditions in the FSU, and, in most cases, they went to Israel simply because it was their only option.\(^7\) The migration was therefore exogenous to economic conditions in Israel and the immigrants freer of the self-selection which generally

\(^{1993;\text{Weiss and Ben David, 1994).}}\)

\(^6\) Equivalent data are not available for the United States.

\(^7\) At around the same time, the United States changed its immigration laws, making it more difficult for Russians to enter the United States.
arises as an important issue in studies of immigration.

Third, Israel is a very small country. For most purposes, it may be considered to be a single labor market. The inability of many studies to detect an impact of immigration on labor market outcomes in the United States and Europe may be due to a diffusion of immigration’s local effects through factor price equalization with a large unaffected geographic area. In Israel, this problem is not present.

The final reason this case is of particular interest is the unusual skill composition of the new immigrants from Russia. Virtually all of the existing literature in this area has studied inflows of workers less-skilled than the average native. The Russian immigrants to Israel are highly educated and have come with a good deal of labor market experience. While the short-run impact may be the same, the reaction of the labor market in the long run to an inflow of highly-educated immigrants may be different from its reaction to one with less human capital.\(^8\)

The next section of the paper provides some background on the evolution of immigration and labor market conditions in Israel. Section III provides a theoretical framework for analyzing the impact of immigration on the earnings of native workers. The econometric framework for the empirical analysis is laid out in Section IV, and the data and variables used are described in Section V. Section VI reports the empirical findings, and the final section concludes.

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\(^8\) For example, since many immigrants lack the language skills needed to work in their professions upon arrival, it may be that they initially compete with less-skilled natives for blue-collar jobs. As they assimilate, they may move out of that sector and begin to compete at the high-skill end of the labor market. For this reason, the impact in certain (low skill) sectors may dissipate, and in other (high skill) sectors may occur only with a lag, but display more persistence. That persistence will be mitigated, to the extent that the concentration of highly educated labor (e.g., medical doctors, engineers, etc.) attracts capital in the long run. Research on this pattern must await the long run.
II. Background

Beginning with the pre-State waves of migration and culminating in the mass migrations from Europe and the Arab World following Independence in 1948, Israel has been a country characterized by a high level of immigration. Currently, approximately half of the population is foreign-born. Immigration to Israel in the period 1980-95 is presented in Figure One. Through most of the 1980s, approximately one thousand immigrants arrived per month. At the end of 1989, immigration rose sharply, with the beginning of the mass migration from Russia. At the peak of the wave, 36,000 Russians immigrated to Israel in a single month. Between 1989 and 1995, 610,100 immigrants arrived from the FSU, increasing the size of the Israeli population by 13.6%.

Casual empirical observation suggests that the changes in wages which occurred in Israel over this period are consistent with a large increase in labor supply. Figure Two displays the time-series of real wages for 1980-94. With the exception of the recession of 1982 and the hyperinflation and stabilization of 1984-85, real wages grew rapidly through the 1980s. Beginning in 1989, however, the real wage began a three-year decline, followed by stagnation for the rest of the period.

The quarterly aggregate unemployment rate is displayed in Figure Three. The high rates at the beginning of the 1990s are consistent with the arrival of large numbers of immigrants. However, the timing indicates that the increase was at least partly due to other causes. The rise in unemployment began in mid-1988, preceding the immigration by more than a year. It is also notable that by 1995, the unemployment rate had already fallen to a

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level lower than at the beginning of the mass migration.

While these wage and unemployment patterns are suggestive, caution must be taken in their interpretation. First, the aggregate real wage and unemployment rate series in Figures Two and Three are composites of the respective averages for the new immigrants and the native population. Since new immigrants earn less and have higher unemployment rates than natives, the changes in these labor market variables could partly reflect a change in the composition of the labor force, rather than any impact of immigration on the labor market outcomes of natives. Estimates of the wage and unemployment rate gaps between natives and the new immigrants, however, point to this composition effect being quite small. In the empirical analysis below, the problem of distinguishing composition from impact effects will be eliminated through the use of microdata on native Israelis alone.

A second caveat to drawing conclusions from simple time-series is that the Russian immigration was by no means the only major macroeconomic event in Israel during this time period. Other major events included the Palestinian uprising (or "Intifada"), which began in 1987, the Persian Gulf War in 1991, and the signing of the Oslo peace accords in 1993. For this reason, any analysis will obviously require sources of variation other than time. The analysis below will focus on changes in relative wages and employment across occupations, exploiting the fact that the occupational composition of the Russian immigrants is different from that of the native Israeli population.

III. Theory

\footnotesize
Before examining the data, it is useful to consider what impact conventional models predict immigration will have on the labor market outcomes of natives. Theory also provides insight into the conditions under which the empirical researcher will or will not be able to detect that impact.

Taking the most restrictive case first, consider a closed economy model, with no international flows of goods or capital, in which production takes place using capital and labor. If there is only one type of labor, then an influx of immigrants will reduce the capital-labor ratio and thus lower the wage. In a model with more than one type of labor, the effect of immigration on natives' labor market outcomes will depend on the degree of substitutability between immigrant and native workers. Immigrants will raise the wages of workers with whom they are complements in production or gross complements (i.e., substitutes in production for whom the scale effect exceeds the substitution effect). Immigrants will lower the wages of workers with whom they are gross substitutes. This negative effect will be magnified if immigrants are prepared to work for less than natives.

If labor supply is perfectly inelastic, immigration will not affect native employment. If, however, labor supply and labor demand are both imperfectly elastic, native employment will move in the same direction as wages, and the change in wages will be smaller than in the former case.

In an open economy model, compensating international flows of factors of production or of goods embodying them (as in Heckscher-Ohlin) will offset any changes in wages or returns to capital caused by immigration, so that such effects will only exist in disequilibrium. In equilibrium, factor prices will be equalized across countries. In this case, immigration will not yield cross-country differences in wages, and it would be fruitless to
look across countries to learn the effect of immigration on the labor market.\textsuperscript{11} The degree of factor price equalization (FPE) will depend upon the freedom with which goods and factors can flow to arbitrage price differentials.

Many studies exploit geographic variation in immigration within a country to search for evidence of immigration’s impact. Analogously to the cross-country setting, whether an uneven distribution of immigrants across cities will result in cross-sectional differences in labor market conditions depends on the degree to which FPE holds within the country. There are fewer barriers to trade and factor flows across regions than across countries, so that FPE is more likely to hold within countries than between them. In the presence of full domestic FPE and the absence of international FPE, immigration will affect the aggregate wage of a country, but not the relative wages of cities in that country. Immigration’s impact will not be observable along the geographic dimension because any incipient local effects will be diffused by the migration of native workers out of the high-immigration cities, by capital inflows into them, or by inter-city trade.

In this paper, I use a new approach to detecting the impact of immigration on native labor market outcomes. Because movement across occupations is not as free as movement across locations, FPE poses less of a problem in an analysis using cross-occupation variation than in one using cross-city variation. People are free to move from one city to another in search of better earnings opportunities. Occupational mobility is more restricted and often requires a large investment in retraining, greatly reducing the speed and extent to which workers respond to changes in the occupational wage structure. Equilibrium may only be

\textsuperscript{11} Immigration will lead to growth in the tradables sector, with the country’s relatively high labor endowment reflected in the export of relatively labor-intensive goods.
restored by the changing occupational choices of new labor market entrants. Disequilibrium across occupations will therefore be more persistent than disequilibrium across local labor markets, and the impact of immigration more readily apparent.

A. A Simple Model of the Labor Market

Consider a model of the labor market in a closed economy. There are two periods, 0 and 1, indexed by $t$. There are $J$ occupations, indexed by $j$. Employment of native workers in occupation $j$ at time $t$ is denoted by $N_{jt}$. Assume that between periods 0 and 1, immigration occurs. Employment of immigrant workers is denoted by $R_{jt}$, with $R_{j0}$ equal to zero by definition. Total employment in an occupation, $E_{jt}$, is equal to $N_{jt} + R_{jt}$. Finally, define $r_{jt}$ as $R_{jt}/N_{jt}$, the ratio of immigrant to native workers.

The labor market has a constant elasticity labor demand function of the form:

$$\ln(E_{jt}^D) = \ln(S_j) + \eta \ln(W_{jt})$$  \hspace{1cm} (1)

where $S_j$ is a demand shifter, capturing the fact that some occupations have higher levels of employment than others, for reasons unrelated to wages. For example, there is less demand in the economy for piano tuners than for teachers. Assume that the labor market is in equilibrium in period 0, so that wages are equalized across all occupations, with $W_{j0} = W_0$ for all $j$. Since in period 0, $E_{j0} = N_{j0}$, labor market equilibrium is given by:

$$\ln(N_{j0}) = \ln(S_j) + \eta \ln(W_0)$$  \hspace{1cm} (2)

In period 1, labor market equilibrium is given by:

$$\ln(N_{j1} + R_{j1}) = \ln(S_j) + \eta \ln(W_{j1})$$  \hspace{1cm} (3)

Assume that, because of the existence of occupation-specific human capital or because labor market re-equilibration happens only slowly, in the short run, workers do not switch
occupations in response to changes in relative wages, so that \( N_{j0} = N_{j1} = N_j \).\(^{12}\) Substituting equation (2) into equation (3) and rearranging terms yields:

\[
\ln(W_{j1}) = \frac{1}{\eta} \ln((N_j + R_{j1})/N_j) + \ln(W_0) \tag{4}
\]

\[
\ln(W_{j1}) \equiv \left( \frac{1}{\eta} \right) (R_{j1}/N_j) + \ln(W_0) \tag{5}
\]

\[
\ln(W_{j1}) \equiv \text{constant} + \left( \frac{1}{\eta} \right) \eta_{j1} \tag{6}
\]

Since the elasticity of labor demand \( \eta < 0 \), the wage in a given occupation will be negatively related to the presence of immigrants in that occupation.

**B. A Labor Market Model with Inter-Occupation Wage Differentials**

The above model assumes that wages are equalized in the initial equilibrium. An alternative assumption is that there exist equilibrium occupational wage differences, due, for example, to compensating differentials. In this case, \( W_{j0} = W_0 D_j \), with \( D_j \) defining the occupation fixed-effect on wages. In period 0, labor market equilibrium is given by:

\[
\ln(N_j) = \ln(S_j) + \eta \ln(W_0) + \eta \ln(D_j) \tag{7}
\]

Labor market equilibrium in period 1 is as given in equation (3). Substituting equation (7) into equation (3) and replacing \( \ln(W_0) \) with \( \ln(W_{j0}) - \ln(D_j) \):

\[
\ln(N_j + R_{j1}) = \ln(N_j) - \eta (\ln(W_{j0}) - \ln(D_j)) - \eta \ln(D_j) + \eta \ln(W_{j1}) \tag{8}
\]

\[
\ln(W_{j1}) - \ln(W_{j0}) = \frac{1}{\eta} \ln((N_j + R_{j1})/N_j) \tag{9}
\]

\[
\ln(W_{j1}) - \ln(W_{j0}) \equiv \left( \frac{1}{\eta} \right) \eta_{j1} \tag{10}
\]

Wage growth within an occupation will be negatively related to the proportionate inflow of immigrants to that occupation. Therefore, variation in the influx of immigrants across

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\(^{12}\) This assumption is relaxed in the empirical work.
occupations can be used to measure the effect of immigration on native earnings. Depending on the importance of fixed inter-occupation wage differentials, one can compare the level or change in earnings with the level or change in immigration.

A key assumption of the preceding models is that the distribution of native and immigrant workers across occupations is exogenous to wages. The implications of relaxing that assumption are laid out in the section on empirical methodology.

IV. Estimation Framework

A. Individual-Level Analysis

The most direct approach to estimating the effect of immigration on the earnings of native workers is to estimate an individual-level earnings function, including a measure of immigration as one of the independent variables:

\[ w_{ijt} = \alpha_t + \sum_{k=1}^{J} \delta_k \text{occ}_j + \gamma \text{Instal} + \beta X_{it} + \text{error} \]

where \( w_{ijt} \) is the log earnings of individual \( i \) in occupation \( j \) at time \( t \), \( X_{it} \) is a vector of control variables, such as schooling, labor market experience, etc., \( \alpha \) is a year dummy, \( \text{occ}_j \) are a set of \( J \) occupation dummy variables, and \( r_{it} \) is the ratio of immigrant to native workers in the individual’s occupation.

By pooling data from multiple time periods, this specification implicitly estimates the change in wages associated with a change in the presence of immigrants in an individual’s occupation. The vector of coefficients on the occupation dummy variables (\( \delta_k \)) capture inter-occupation wage differentials which do not vary with time. The year dummy (\( \alpha \)) captures average wage growth which does not vary with occupation. Therefore \( \gamma \), the coefficient on
r, reflects the difference in wage growth experienced by natives in occupations with larger or smaller inflows of immigrants. Put in other words, \( \alpha \) and \( \delta \) capture the "main effects" of year and occupation, while \( \gamma \) captures their interaction in a particular form. In the present case, \( \gamma \) will reflect the degree to which native wage growth in an Israeli occupation between 1989 and 1994 varied with the extent of Russian immigration into that occupation over the same time period. This individual-level regression is thus comparable to a changes regression at the group level, rather than to a levels regression.

B. Occupation-Level Analysis

1. The Cross-Sectional Approach

In many existing studies of immigration, the unit of observation is not the individual native worker, but rather a more aggregated unit, such as the city or region. For this reason, as well as to enable an analysis of employment and to highlight certain features of the data, it is useful to conduct the analysis at the group level as well as at the individual level. The unit of observation will be the 2-digit occupation. To study the impact of immigration on native wages and employment at the group level, the most basic approach is to regress the labor market outcome of interest on the presence of immigrants, i.e., the ratio or share of immigrants in the relevant population. In the case of wages, the regression specification is:

\[
W_j = \alpha + X_j \beta + \gamma r_j + \epsilon_j \tag{12}
\]

where \( W_j \) is the average native log wage in occupation \( j \), \( X_j \) is a vector of occupation-specific factors which could affect the level of wages (for example, the average age and education of the workers in the occupation, the industry mix of employment, etc.), and \( r_j \) is the relative
number of workers in the occupation who are immigrants.

A potential problem with this approach is endogeneity. Immigrants may in fact depress wages, meaning that $\gamma < 0$. However, if the distribution of immigrants across occupations is not independent of $\varepsilon$, the unobserved determinants of wages, then the conditional correlation of wages and immigrant density will confound the two directions of causality, and the estimate of $\gamma$ will be biased. If immigrants choose occupations offering higher wages (i.e., occupations with high $\varepsilon$'s), the estimate of $\gamma$ will be biased upward, leading to an underestimate of immigration’s negative impact on wages. If, on the other hand, immigrants are confined to low paying occupations, the estimate of $\gamma$ will be biased downward, leading to an overestimate of immigration’s effect.

This endogeneity problem would seem to be quite serious when considering geographic variation in immigration, since local wages are likely to be an important factor influencing immigrants’ locational choices. Endogeneity is probably less of a problem along the occupational dimension, as immigrants cannot freely choose to enter any occupation, but are limited by their qualifications, skills, etc. At least in the short run, before they can undertake new training, immigrants’ occupational choice may be relatively independent of occupational wages.

2. The Multiple Cross-Section Approach

If immigrants do choose occupations on the basis of their wage levels, but not their wage growth, an endogeneity problem present in the first approach can be circumvented by using more than one cross-section of data. In this approach, the change in wages over time
is regressed on the inflow of immigrants over time:\(^{13}\)

\[
(W_{j,t} - W_{j,t-k}) = (\alpha_t - \alpha_{t-k}) + (X_{j,t} - X_{j,t-k})\beta + \gamma(r_{j,t} - r_{j,t-k}) + (\varepsilon_{j,t} - \varepsilon_{j,t-k})
\]  

(13)

The estimated value of \(\gamma\) will measure the impact of immigrant inflows on wage growth, and will not reflect any simultaneous causality in the other direction. This approach has the benefit of differencing out any observable or unobservable fixed effects in wage levels. If, however, immigrant flows are not independent of occupational wage growth, the problem of endogeneity will still be present in the differenced estimation.

3. The Instrumental Variables Approach

When both the single and multiple cross-section approaches suffer from endogeneity bias, it becomes necessary to use an instrumental variables approach. In order to identify the parameter of interest, \(\gamma\), a source of independent variation in immigration must be found. In the multiple cross-section setting, the instrument must be correlated with the inflow of immigrants into an occupation but uncorrelated with the unobserved component of wage growth in that occupation subsequent to their arrival, except through its correlation with immigration.

A source of exogenous variation in the entry of Russian immigrants into occupations in Israel may be found in the immigrants’ previous occupational distribution abroad. Because workers have occupation-specific human capital, their earnings will tend to be highest\(^{14}\) in the occupation in which they have the most training and experience. For this reason, as

\(^{13}\) Note that in the case in which the immigration occurs between time \(t-k\) and time \(t\), \(r_{j,t-k}\) equals zero, so that the variable measuring immigration is the same as in the single cross-section specification.

\(^{14}\) relative to the occupational mean
well as because their previous occupational choices revealed something about their preferences, immigrants will tend to seek work in their former occupations. Thus, if the immigrant wave contained a large number of former engineers, we would expect the labor supply shock to engineering in Israel to be large, relative to the shock to other occupations. This source of variation is independent of the wages of engineers in Israel, relative to wages in other occupations. An immigrant’s previous occupation in Russia was chosen on the basis of labor market conditions in Russia and his individual preferences. It preceded the immigrant’s encounter with labor market conditions in Israel.\textsuperscript{15}

The labor market assimilation of immigrants takes time, and it is known that immigrants often experience occupational downgrading upon their initial arrival in the host country. Some immigrants remain in these lower occupations permanently. With time, and subject to imperfect human capital transferability, others move back into their former professions. Yet others enter a new occupation. The relative prevalence of these three patterns is not crucial here. For the purpose of identifying an instrument, the previous occupational distribution of the immigrants need only be correlated with their occupational distribution in Israel and uncorrelated with the Israeli wage structure subsequent to their arrival.

Let \( P_{jt} \) be the number of Russian immigrants in Israel at time \( t \) who worked in occupation \( j \) in Russia. \( P_{jt} \) will serve as the instrumental variable for \( R_{jt} \), the number of Russian immigrants in Israel at time \( t \) who work in occupation \( j \) in Israel. Since in the

\textsuperscript{15} The fact that the mass migration was a surprise to both the Russians immigrants and to the Israelis strengthens the independence of the Russians’ occupational choices and Israeli labor market conditions. This point will be discussed in more detail in the section on the data used to construct the instrument.
specifications above, the independent variable, $r_r = R_r / N_r$, is in the form of a ratio, $P_r$ must also be scaled by the size of the occupation. In order to allow for the possible endogeneity of $N_r$ as well as $R_r$, the variable used to instrument for $r_r$ will be $p_r$, defined as $P_r / N_{r0}$, where $N_{r0}$ is native employment before the immigration. Both $p_{r0}$ and $r_{r0}$ are equal to zero by definition.

V. Data and Variables

A. The Instrument

In contrast to the United States, which has no such data, in Israel, there exist several panel surveys of new immigrants. The most recent Immigrant Employment Survey (IES) surveys a large sample of new immigrants who arrived in Israel in 1990. The dataset includes information on conditions before migration (previous occupation, education, training, language skills, etc.) as well as current labor market information at several points in time. The information on the immigrants’ former occupation in Russia is the variable which will serve as an identifying instrument in the analysis below.

The fact that these immigrants were among the earliest arrival cohorts of the mass migration strengthens the argument that the instrumental variable constructed on the basis of this group is independent of labor market conditions in Israel. To the extent that information about those conditions filtered back to the FSU, informing potential subsequent immigrants about relative earnings in Israel and causing selection in migration, this group of immigrants arrived early enough that this need not be a concern. Information about the Israeli labor market simply was not available in Russia at the time these immigrants left. In addition, the emigrants who left first were the ones most eager to flee, the group for whom
concern about the unstable situation in Russia was sufficiently strong that the decision to emigrate was immediate. Even if detailed information about job opportunities in Israel had been readily available, it is very unlikely that it would have lead to selective emigration among this group.

Figure Four shows the distribution of new Russian immigrants to Israel across occupations in Israel in 1994 and across occupations in Russia preceding migration. Each observation is denoted by its 2-digit occupation code. A list of these codes is provided in an appendix. The relatively flat line on the graph is given by the fitted values from an OLS regression of the number of Russians by occupation in Israel on the number of Russians by occupation abroad. This regression yields a coefficient of .283 (standard error = .075) with an $R^2$ of 0.14.

If no Russians switched occupations following migration, all points would lie along the 45-degree line. The points most vertically distant from the line represent occupations to and from which the Russians disproportionately switched. The most important former occupations of Russians were engineer, manager, physician, and teacher. In contrast, the most important occupations of Russians in Israel are service worker, welder, and housemaid. These occupations also had the most outflows and inflows, respectively.

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16 Specifically, it graphs the number of Russians employed in the occupation in Israel in the 1994 LFS against the number of Russians formerly employed in the occupation in the USSR in the IES, scaled to have the same total. Figure Five presents the same graph, telescoped in on the smaller occupations.

17 The correlation coefficient between R and P is therefore 0.37. Among the occupations with low R and P, shown in Table Five, the correlation coefficient is 0.6. However, the OLS regression line shown in Figure Five is the same as in Figure Four, i.e., based on the full sample.
B. Microdata on Israelis

The primary data source used in the analysis below is the microdata of the Israel Income Surveys (IS) and Labor Force Surveys (LFS) of 1989 and 1994, the last year preceding the mass migration from Russia and the most current year available, respectively. The IS is conducted on the fourth rotation group of the LFS, which is a household survey similar to the U.S. Current Population Survey.18

Table One presents descriptive statistics for native Israelis and new Russian immigrants in the 1994 IS and LFS microdata. The sample used includes all employees aged 25-65 who are not self-employed.19 The reason for excluding those under the age of 25 is that in these data, for military security reasons, all individuals aged 18-24 are coded as being aged 22. Unfortunately, this makes it difficult to study new labor market entrants, a group that could be particularly vulnerable to labor market competition from new immigrants.

New Russian immigrants comprise 13% of this sample. On average, the Russians are one year older and have one more year of schooling than the Israelis.20 The average new Russian immigrant had been in Israel 3.1 years at the time of the survey. Among "native" Israelis, 39.2% are foreign-born, having arrived in Israel 31.5 years earlier on average.

18 The sampling frame of the IS includes only urban residents, and the variable definitions are often coarser than in the LFS data. The LFS is therefore superior to the IS for data other than earnings information, such as the distribution of new immigrants across occupations, the characteristics of workers by occupation and skill group, etc. The 1989 LFS contains 92,469 observations, of which 13,529 are IS observations, and the 1994 LFS contains 102,688 observations, of which 15,399 are IS observations.

19 The income data for the self-employed are not highly reliable.

20 The age difference between Russians and Israelis is 3.5 years if the sample is not restricted by age.
Turning to labor market variables, Russians are more likely than Israelis to work full-time. The average hourly wage of Israelis (calculated by dividing average monthly income from salaried work by weeks worked multiplied by average weekly hours) is 24.28 1994 NIS. Russians earn about 45% less, with average hourly earnings of 13.46 1994 NIS. This large differential is consistent with other studies of new immigrants’ labor market outcomes, relative to those of natives. The bottom panel of Table One shows the breakdown of Israelis and Russians by 1-digit occupation and industry. Russians are more likely than native Israelis to be in skilled or unskilled blue-collar jobs and in services. They are less likely to be managers or clerks. With respect to industry, Russians are overrepresented in manufacturing and underrepresented in the public sector, relative to Israelis.

VI. Results

A. Individual-Level Analysis

1. Ordinary Least Squares

Table Two presents OLS estimates of the effect of immigration on the wages of native Israelis, as specified in equation (11). The unit of observation is the individual native worker, with the sample including employed natives between the ages of 25-65 who are not self-employed. The data are the pooled 1989 and 1994 Income Survey microdata.

The dependent variable in the regression is the log of hourly earnings. The explanatory variables include a piecewise linear function of years of schooling, a quartic in

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21 The 1994 exchange rate was roughly 3 NIS (New Israeli Shekels) to the U.S. dollar.
experience and dummy variables for sex, Arab ethnicity, Asian-African origin, immigrant status (and its interaction with years since migration), 1-digit industry, and 2-digit occupation. All of the control variables are also interacted with a year dummy (which also enters separately), except for the set of occupation dummies, which are time-invariant. The time-varying industry dummies capture changes in demand conditions, e.g., a positive shock to the construction industry during this period of high immigration.

The final independent variable in the equation, $r$, measures the presence of Russians in the individual’s occupation. By definition, for observations in 1989, $r = 0$. For observations in 1994, the value of $r$ is computed by 2-digit occupation using the 1994 Labor Force Survey, and equals the number of Russians employed in the occupation divided by the number of native Israelis employed in the occupation. The estimated coefficient on $r$ is $-0.324$ (s.e. of $0.103$). This implies that a 10% increase in employment due to an influx of Russians is associated with a 3.8% fall in the hourly earnings of Israelis in that occupation.\footnote{This magnitude is quite close to the estimated coefficient of $-0.262$ found in the equivalent specification by Altonji and Card (1991) in their cross-city study of immigration to the United States in the 1970s [but 1/3 of their IV coeff of $-1.2$].} This estimated effect is stronger than most found in the literature. However, because OLS may yield biased results, we turn to IV estimation.

2. Instrumental Variables

Individual-level instrumental variables estimates of the impact of immigration on native wages are presented in Table Three. Each row of the table presents the results of a different regression. $\ln(w)$ denotes the log of individual hourly wages, $r$ measures the presence of immigrants currently working in the native’s occupation, and $p$ measures the
presence of immigrants formerly working in the native’s occupation.\textsuperscript{23}

The first row of Table Three presents the first-stage equation for the two-stage least squares estimation, regressing $r$ on $p$ and the full set of control variables used in Table Two. Note that although $r$ and $p$ are occupation-level variables, this is an individual-level regression, since $X$ varies at the individual level. There is a significant positive relationship between $r$ and $p$. The coefficient on $p$ is $0.187$ (s.e. $0.041$) and the $R^2$ is $0.76$. Note that if there were no change in native employment by occupation over the five-year period, and if Russians did not change occupations following migration, this coefficient would equal one.

The second row of Table Three shows the reduced-form equation of log wages on $p$. Somewhat surprisingly, the point estimate of the coefficient is positive, but it is not statistically significant.\textsuperscript{24} Finally, row three shows the effect of $r$ on log wages, when $r$ is instrumented with $p$, using 2SLS. The estimated coefficient, which had been significantly negative using OLS, is positive and insignificant in the instrumented estimation (coefficient of $0.718$, s.e. of $0.421$).\textsuperscript{25} While IV cannot reject the null hypothesis that $\gamma = 0$, IV clearly rejects the OLS point-estimate of $\gamma$ (with $t = 2.5$).

The contrast between the OLS and IV estimates at the individual-level indicate that the distribution of Russian immigrants across occupations in Israel was not independent of the unobserved determinants of wages in those occupations, and that as a result, OLS

\textsuperscript{23} The variables referred to are defined above in section IV.B.3.

\textsuperscript{24} A positive effect of immigration on native wages would be consistent with complementarity between immigrant and native workers within an occupation. In fact, there is substantial anecdotal evidence supporting such an effect, for example, in hi-tech firms and in medicine. Russian workers fill entry-level positions, pushing incumbent Israelis “up the ladder” into more senior supervisory roles.

\textsuperscript{25} Variations in the sample-selection rules and in the particular set of control variables used sometimes yield $t$-statistics of over two, with similar point estimates.
yields biased estimates of immigration’s impact on native wages. The conclusion of the individual-level estimation is thus that the influx of Russians to a given occupation in Israel does not appear to have adversely affected the wage growth of natives working in that occupation.

**B. Occupation-Level Analysis of Wages**

As mentioned earlier, most of the literature studying immigration’s impact on the receiving labor market has analyzed data at a level more aggregated than that of the individual. In order to compare individual- and group-level results, and because the source of variation in the instrument is at the occupation level, I now conduct a parallel analysis on occupation-level data.

There are two versions of this analysis, varying in their treatment of the control variables. The first version conducts the analysis on mean occupational wage and immigration variables, not conditioning on any covariates. The second version uses occupational differentials which are conditioned on the covariates used in the individual-level analysis.

**1. Unconditional Analysis**

Table Four assesses the impact of immigration on native wages using occupation-level data which have not been corrected for any correlation with control variables such as education, experience, etc. Each column has a different dependent variable, and each row has a different independent variable, so that each number in the table is a coefficient from a different regression.
i. Levels

The first column of Table Four shows the first-stage equation, in which \( r \) is regressed on \( p \). This regression measures the strength of the relationship between the labor supply shock to an occupation that would be implied by the former occupational distribution of the immigrants and the actual ratio of Russians to native Israelis observed in the occupation ex-post. The estimated coefficient on \( p \) is .204 (s.e. of .102), quite close to the estimate obtained in the individual-level data.

The relationship between \( r \) and \( p \) is shown graphically in Figure Six. The relatively flat line in the figure shows the predicted value of \( r \) from an OLS regression of \( r \) on \( p \). The vertical distance of a given point from the 45-degree line shows the extent to which \( r \) deviates from \( p \) for that occupation. Although the immigrant flow contained many engineers and doctors (relative to the size of those occupations in Israel), many of those people did not wind up working in those occupations in Israel. The occupations with the highest values of \( r \) are unskilled workers.

The second column of Table Four evaluates the effect of immigrants on the level of log wages in 1994. The uninstrumented weighted least-squares\(^{26}\) regression in the first row yields a coefficient of -1.49 (s.e. .343), indicating a very strong negative relationship between the presence of immigrants in an occupation and the wages of native Israelis in that occupation. The data and regression line are shown graphically in Figure Seven.

Because OLS may be biased, we again turn to IV. The reduced form equation in the

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\(^{26}\) The regressions are weighted by 1994 Israeli employment.
second row of Table Four yields a significant positive relationship between log wages and $p$ (1.08, s.e. .256), which can be seen in Figure Eight. The weighted 2SLS estimate in the final row is not statistically significant (coefficient of 8.25, s.e. 6.40), so that the bottom line of the occupation-level levels analysis is, again, that immigration does not appear to reduce wages. The difference between the OLS and IV results here indicates that the negative relationship between immigration and native wages in OLS is due not to an adverse impact of immigration on native wages, but rather to the fact that immigrants went disproportionately into low-paying occupations.

ii. Changes

For the reasons discussed in the section on empirical methodology above, an evaluation of the effect of changes in immigrant presence on changes in wages may be preferred to a levels analysis. The final column of Table Four shows the results of regressions in which the dependent variable is the change in the log occupational wage of native Israelis 1989-94.

Figure Nine shows the data and results of the uninstrumented regression of the change in log hourly earnings on $r$. The regression yields a strong negative coefficient of -.578 (s.e. .190), indicating that a 10% increase in employment due to an influx of immigrants is associated with a 7.8% drop in native wages. This result is clearly not driven by outliers. It is somewhat stronger than the estimated effect of -.324 found in the individual-level analysis. It is noteworthy that the coefficient in the changes equation is weaker than the coefficient in the levels equation. This provides further evidence that the negative cross-sectional correlation between immigration and native wages reflects the fact
that Russians went into low-paying occupations, rather than any adverse impact of immigration on native wages.

This is confirmed in IV estimation. The reduced form equation of the change in the log wage on $p$ yields an insignificant positive coefficient (seen in Figure Ten). The weighted-2SLS coefficient in the final row, showing the effect of $r$ on the change in the log wage, when $r$ is instrumented with $p$, is also positive but not statistically significant. IV cannot reject the null hypothesis of $\gamma = 0$, but IV does reject the OLS point-estimate (with $t = 3.1$).

The conclusion of the occupation-level analysis, when the variables are not conditioned on any controls, is that we cannot reject the hypothesis that immigration had no effect on native wages or wage growth. These findings are qualitatively the same as those of the individual-level estimation.

2. Conditional Analysis

The analysis of the previous section can be repeated using variables which have been purged of correlation with the vector of control variables, $X$. The conditional variables are calculated by regressing the variable of interest on the full vector of control variables, $X$, in the individual-level data, and using the coefficients on the occupation dummies as the variables in the occupation-level analysis. Table Five shows this analysis. The results are not qualitatively different from the unconditional analysis. Both the level and growth of wages are found to be lower in occupations with a high ratio of Russian workers. In terms of size, the negative effect of $r$ on wages and wage growth becomes stronger, but this effect is again insignificant in the instrumented estimation.
3. Discussion

There is a negative cross-sectional relationship between native wages and the presence of Russian immigrants in an occupation. This is consistent with immigrants having had an adverse impact on native pay. However, if immigrants' entry into occupations was not independent of wages, OLS is biased. One approach to obtaining unbiased estimates is first-differencing. The relationship between native wage growth over the period when the immigrants arrived and immigrant entry into an occupation shows a weaker negative relationship between immigration and wages than exists in the cross-section. This implies that some of the cross-sectional relationship is due to the fact that immigrants entered low wage occupations, rather than being fully attributable to a depressing effect of immigration on wages. However, because the changes relationship could also be tainted by endogeneity, instrumental variables is used, with the result that the OLS point estimate is rejected. Immigration is found to have an insignificant positive correlation with native wages. This implies that the negative relationships found by OLS were due entirely to immigrants entering low wage,\textsuperscript{27} low wage-growth occupations and not to any adverse impact of the immigration on native wages.

C. Occupation-Level Analysis of Employment

Having found that immigration did not lower the wages of natives, it is interesting to investigate whether there was an impact in the employment dimension. Evidence of native displacement would provide support for the argument that the lack of a wage effect was

\textsuperscript{27} This is confirmed in regressions of 1994 immigrant employment on 1989 native wages, which yield statistically significant negative coefficients.
due to offsetting movements of native workers out of those occupations into which the immigrants flowed.

In Table Six, native employment growth in an occupation, defined as $N_{j,t} - N_{j,t-k}$, is regressed on the entry of new immigrants into that occupation, $R_{j,t} - R_{j,t-k}$. In this data, $R_{j,t-k}$ equals zero, so the change in the number of natives employed in an occupation from 1989 to 1994 is simply regressed on the number of Russians employed in the occupation in 1994.

Each number in Table Six is a coefficient from a different regression. The top row of the table shows unweighted and weighted least-squares regression coefficients. Both are negative, but small and statistically insignificant. The point estimates imply that, at most, for every six new Russian workers, one native worker left the occupation. The relationship between $\Delta N$ and $R$ is shown graphically in Figure Eleven. The line through the data shows the predicted value of $\Delta N$ from the unweighted OLS regression.

Just as in the wage analysis, however, OLS may be biased. $R$ may be positively correlated with the error term because both native and immigrant workers are drawn to occupations with good characteristics. This would lead to upward bias in the OLS coefficient and an underestimate of immigration's adverse employment impact. Alternatively, $R$ may be negatively correlated with the error term, if Russians can only get work in occupations with undesirable characteristics. To get around this bias, we again use 2SLS estimation, instrumenting for $R$ with $P$.

The first column of Table Six shows the first-stage equation, regressing $R$ on $P$, i.e., the number of Russians employed in each occupation in Israel on the number who were employed in each occupation in Russia. The estimated coefficient on $P$ is .283 (s.e. .075). As previously shown in Figure Four, the correlation between the two variables is quite
strong, with a correlation coefficient of .37 (i.e., $R^2$ of .14).

Figure Twelve plots the change in native employment, $\Delta N$, on the number of Russians in the occupation abroad, $P$. The OLS reduced-form regression line has a statistically insignificant positive slope (shown in the second row of Table Six). The 2SLS estimates in the bottom row of Table Six are positive and statistically insignificant. Although all estimates are insignificant, the 2SLS point estimates have reversed the sign of OLS.

The conclusions of the employment analysis are therefore similar in spirit to those of the wage analysis. OLS shows a negative (if insignificant) relation between native employment growth and immigrant entry. Because of the potential endogeneity of immigrant entry into an occupation, it is unclear whether we can conclude that natives were displaced by immigrants. Instrumenting for the native inflow with the immigrants' occupational distribution abroad shows that the negative OLS relationship is not in fact due to displacement of natives by immigrants, but rather to the fact that immigrants went into contracting occupations. This is consistent with the evidence given above that immigrants went into low wage, low wage-growth occupations. The entry of immigrants into "bad" jobs may be attributed to their inferior Hebrew-language skills and the imperfect transferability of their human capital only five years following immigration. It is also consistent with ranking or discrimination in the labor market.

These results indicate that it was not native outflows which prevented wages from falling in occupations with heavy immigrant inflows. An alternative explanation—such as highly elastic labor demand, an inflexible labor market, or a change in the composition of native employment—will have to be found. Note that demand expansion is not a
satisfactory explanation of these results, since it is unlikely that demand expanded in proportion with labor supply across occupations.
VII. Conclusion

The recent mass migration to Israel from the former Soviet Union provides a natural experiment for the study of immigration’s impact on the labor market outcomes of natives. An analysis of microdata on the earnings of native Israelis before and after the migration, using OLS estimation, indicates that natives in occupations which received more immigrants experienced lower earnings growth over the period 1989-94. A 10% increase in occupational employment due to immigration is associated with a 3.8% decrease in the real hourly earnings of natives in that occupation. An analysis of occupation-level wage data yields even stronger effects of between 7% and 10%. There is, at most, weak evidence of a negative impact on native employment levels.

Because the distribution of immigrants across occupations may not have been independent of relative labor market conditions across occupations, an instrumental variables approach is used to reestimate the relationship between immigration and native wages and employment. There is a significant positive correlation between the occupations which the Russian immigrants held abroad and the occupations they hold in Israel. The occupational distribution of the Russians in Russia was exogenous to wage and employment growth in Israel following their migration. The former occupational distribution of the immigrants can therefore be used as a source of exogenous variation in their occupational distribution in Israel. When previous occupations are used to instrument for current occupations, two-stage least squares yields estimates which reject the OLS point-estimates for wage growth and are not significantly different from zero for employment. We cannot reject the hypothesis that the mass migration of Russians to Israel did not affect the earnings or employment of native Israelis, and the point estimates are inconsistent with a negative
impact. These findings imply that the negative relationships found using OLS are due entirely to immigrants entering occupations with low wages, low wage growth, and contracting employment, rather than to any adverse impact of the immigrants on native labor market outcomes.
References


APPENDIX:
2-Digit Occupation Codes

00 professionals in life sciences
01 academic professionals in natural sciences
02 engineers and architects
03 physicians and dentists
04 pharmacists and veterinarians
05 jurists
06 social sciences workers
07 workers in humanities
08 higher education teachers
09 teachers in second. and post-second. education
0+ academic professionals ns
10 teachers in intermed. and prim. schools, kinderg.
11 accountants and cost accountants
12 workers in religion
13 authors, artists, composers, journalists
14 social workers and probation officers
15 nurses and other para-medical professions
16 natural sciences technicians
17 engineering technicians
18 system analysts, programmers
19 technicians and other free professionals nec
1+ technicians ns
20 legislative and executive authorities
21 managers in public services
22 managers of units for natural sciences
23 managers of units for humanities, social sciences
24 other managers
25 ************
26 ************
27 ************
28 ************
29 ************
2+ managers ns
30 supervisors
31 accounts clerks
32 secretaries, typists, etc.
33 warehouse and filing clerks
34 teleph., telegraph, radio operators
35 transport supervisors
36 postmen, inspectors, conductors
37 clerks (general)
38 clerks nec
39 ***********
3+ clerks ns
40 wholesalers (proprietors)

41 retailers (proprietors)
42 agents, commercial travellers
43 insurance, estate agents and appraisers
44 salesmen
45 peddlers etc.
46 ***********
47 ***********
48 ***********
49 ***********
4+ merchants and agents ns
50 proprietors in lodging and catering services
51 cooks
52 waiters, barmen
53 housekeepers and room cleaners
54 housemaids
55 launderers
56 hairdressers, beauticians
57 policemen, firemen, etc.
58 guides, stewards, dental assistants
59 other service workers nec
5+ service workers ns
60 famers (proprietors)
61 farm supervisors
62 skilled farm workers
63 fishermen
64 farm machinery operators
65 packing and sorting workers
66 unskilled ag. workers
67 ***********
68 ***********
69 ***********
6+ agricultural workers ns
70 metal processors
71 locksmiths, welders, tinsmiths
72 machinery assemblers and repairers
73 pipe fitters and plumbers
74 electricians (incl. electronic products)
75 precision instr., watchmakers, goldsmiths
76 diamond workers
77 skilled workers-- food, beverages, tobacco
78 wood workers, carpenters, etc.
79 spinning, weaving workers
7+ industrial foremen ns
80 tailors, dressmakers, etc.
81 shoe repairs and other leather products workers
82 printing workers
83 other industrial craftsmen
84 miners, quarrymen
85 builders
86 construction machine operators
87 ships’ and railway workers
88 drivers
89 painters
8+ skilled workers ns
90 dockers, porters
91 unskilled workers in chemicals and minerals
92 unskilled workers in rubber and plastic mfg
93 unskilled workers in food, beverage, and tobacco
94 engine and pump operators
95 packers
96 workers in non-metallic minerals
97 workers in industry nec
98 construction workers nec
99 unskilled workers ns
9+ unskilled workers ns
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<th>Table One: Summary Statistics</th>
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<td>14.0</td>
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<td>Full-Time (%)</td>
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<td>4 Construction</td>
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<td>8 Public and Community Services</td>
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<tr>
<td>9 Personal and Other Services</td>
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<td>9.7</td>
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</table>
Data Source: 1994 Israel Income Survey and Labor Force Survey. Sample is non-self-employed employed people aged 25-65. The 1994 exchange rate was roughly 3 NIS to the U.S. dollar.
# Table Two

## The Impact of Immigration on Native Israeli Wages

### Individual-Level Analysis: OLS

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<th>Control Variables</th>
<th>Interaction of Control Variables with Dummy for 1994</th>
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### Presence of Russians in the Individual’s Occupation (r)

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<th>r²</th>
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<td>Number of Observations</td>
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</table>

Note: Standard errors in parentheses. Individual-level data are from pooled IS 1989 and 1994. Occupation-level data are from LFS 1994. Dependent variable is log hourly wage of native Israelis. Sample excludes new immigrants, the self-employed, and those below age 25 or above age 65.
Regression also includes a set of 2-digit occupation dummies. "r" is the number of Russians in the individual’s occupation divided by the number of native Israelis in that occupation.
Table Three

The Impact of Immigration on Native Israeli Wages
Individual Level Analysis: 2SLS

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<th>Dependent Variable</th>
<th>Estimation Method</th>
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<td>$r$</td>
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</tr>
<tr>
<td></td>
<td></td>
<td>(.079)</td>
<td></td>
<td></td>
</tr>
<tr>
<td>$\ln(w)$</td>
<td>2SLS</td>
<td>.718</td>
<td>.53</td>
<td>8,353</td>
</tr>
<tr>
<td></td>
<td></td>
<td>(.421)</td>
<td></td>
<td></td>
</tr>
</tbody>
</table>

Note: Standard errors are in parentheses. Robust standard errors, which correct for clustering by occupation, are reported for the first regression. Individual-level data are from
pooled IS 1989 and 1994. Occupation level data are from LFS 1994. "ln(w)" is the log hourly wage of native Israelis. Sample excludes new immigrants, the self-employed, and those below age 25 or above age 65. Regressions also include all of the control variables used in Table Two.
## Table Four

Table: Occupation-Level Wage Analysis

### Unconditional Mean Wages on Unconditional Mean Immigrant Presence

<table>
<thead>
<tr>
<th>Dependent Variable</th>
<th>Unconditional Log Wage Change in Log Wage of Israelis of Israelis</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>1994</td>
</tr>
<tr>
<td>OLS/WLS Independent Variable:</td>
<td></td>
</tr>
<tr>
<td>Unconditional r</td>
<td>-1.49</td>
</tr>
<tr>
<td></td>
<td>(.343)</td>
</tr>
<tr>
<td>Unconditional p</td>
<td>.204</td>
</tr>
<tr>
<td></td>
<td>(.102)</td>
</tr>
<tr>
<td>W2SLS Independent Variable:</td>
<td></td>
</tr>
<tr>
<td>Unconditional r</td>
<td>8.25</td>
</tr>
<tr>
<td>Instrumented with</td>
<td>(6.40)</td>
</tr>
<tr>
<td>Unconditional p</td>
<td></td>
</tr>
</tbody>
</table>

Note: Each coefficient comes from a separate regression. Variables are unconditional means by 2-digit occupation. Wage measure is the log of average hourly earnings. "r" is R/N₁, where R is the number of Russians employed in the occupation in 1994, and N₁ is the number of native Israelis employed in the occupation in 1994. "p" is P/N₀, where P is the number of Russians employed in the occupation in Russia, and N₀ is the number of native Israelis employed in the occupation in Russia.
Israelis employed in the occupation in 1989. The data source for the wage variables is the 1989 and 1994 IS and for the immigrant presence variables is the 1994 LFS and 1990 IES. The regressions in the second and third columns are weighted by 1994 Israeli employment.
Table Five

Occupation-Level Wage Analysis
Conditional Mean Wages on Conditional Mean Immigrant Presence

<table>
<thead>
<tr>
<th>Dependent Variable:</th>
<th>Conditional r</th>
<th>Residual Log Wage of Israelis</th>
<th>Change in Residual Log Wage of Israelis</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td></td>
<td>1994</td>
<td>1989-94</td>
</tr>
<tr>
<td>OLS/WLS Independent Variable:</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Conditional r</td>
<td>-2.16</td>
<td>-1.04</td>
<td>(.485) (.322)</td>
</tr>
<tr>
<td>Conditional p</td>
<td>.212</td>
<td>1.10</td>
<td>(.098) (.362)</td>
</tr>
<tr>
<td>W2SLS Independent Variable:</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Conditional r Instrumented</td>
<td>7.64</td>
<td>1.60</td>
<td>(5.88) (2.15)</td>
</tr>
<tr>
<td>with Conditional p</td>
<td></td>
<td></td>
<td></td>
</tr>
</tbody>
</table>

Note: Each coefficient comes from a separate regression. Variables are conditional means by 2-digit occupation. Conditional r and p are the coefficients on the set of 2-digit occupation dummy variables in a regression of unconditional r or p on the full vector of
covariates shown in Table Two. The data source for the log hourly wage variable is the 1989 and 1994 IS. The data source for the immigrant presence variables is the 1994 LFS and 1990 IES. The regressions in the second and third columns are weighted by 1994 Israeli employment.
<table>
<thead>
<tr>
<th>Dependent Variable:</th>
<th>Unconditional Change in Employment of Israelis 1989-94 (unweighted)</th>
<th>Change in Employment of Israelis 1989-94 (weighted)</th>
</tr>
</thead>
<tbody>
<tr>
<td>OLS/WLS Independent Variable:</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Unconditional R</td>
<td>-.0394</td>
<td>-.165</td>
</tr>
<tr>
<td></td>
<td>(.125)</td>
<td>(.120)</td>
</tr>
<tr>
<td>Unconditional P</td>
<td>.283</td>
<td>.161</td>
</tr>
<tr>
<td></td>
<td>(.075)</td>
<td>(.099)</td>
</tr>
<tr>
<td>2SLS/W2SLS Independent Variable:</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Unconditional R</td>
<td>.537</td>
<td>1.86</td>
</tr>
<tr>
<td>Instrumented with Unconditional P</td>
<td>(.370)</td>
<td>(2.20)</td>
</tr>
</tbody>
</table>

Note: Each coefficient comes from a separate regression. Standard errors are in parentheses. The dependent variable in columns two and three is the change in the number of natives employed in 2-digit occupation between 1989 and 1994. "R" is the number of Russians.
employed in the occupation in 1994. "P" is the number of Russians employed in the occupation in Russia. The data sources are the 1989 and 1994 LFS and the 1990 IES. The regressions in the third column are weighted by 1989 Israeli employment.